

Type and Effect Systems

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1 Introduction

Join the army! They said.
There can be only one.
It is a good day to die
Make it so.
iddqd
Pot of gold!
idkfa
See the world! They said.
Finding nemo.

2 Motivation

Our original motivation for this blasfamous work was to obtain a grade. Further motivation can be found under your chair.

3 Preliminaries

As you should know by now, type systems rule. Effect systems rule even more so.

4 Syntax

u	\in	Unicode	Unicode characters
z	\in	\mathbb{Z}	integers
r	\in	\mathbb{R}	reals
D	\in	Con	data constructors

<i>Equivalence</i>	$\boxed{\varrho \equiv \varrho'}$
$\frac{}{\varrho \equiv \varrho} [q\text{-refl}] \qquad \frac{\varrho' \equiv \varrho}{\varrho \equiv \varrho'} [q\text{-symm}] \qquad \frac{\varrho \equiv \varrho'' \quad \varrho'' \equiv \varrho'}{\varrho \equiv \varrho'} [q\text{-trans}]$	

Figure 1: Definitional equivalence of ...

<i>Refined typing</i>	$\boxed{\widehat{\Gamma} \vdash e :: \widehat{\tau}@_{\varrho}}$
$\frac{}{\widehat{\Gamma} \vdash u :: \text{Char}@_{\{u\}}} [r\text{-chr}]$	$\frac{}{\widehat{\Gamma} \vdash z :: \text{Integer}@_{\{z\}}} [r\text{-int}]$
	$\frac{}{\widehat{\Gamma} \vdash r :: \text{Double}@_{\{r\}}} [r\text{-flt}]$
$\frac{\widehat{\Gamma}(D) = \widehat{\tau}}{\widehat{\Gamma} \vdash D :: \widehat{\tau}@_{\{D\}}} [r\text{-con}]$	$\frac{\widehat{\Gamma} \vdash e_1 :: \text{Bool}@_{(\{True\} \cup \{False\})} \quad \widehat{\Gamma} \vdash e_2 :: \widehat{\tau}@_{\varrho} \quad \widehat{\Gamma} \vdash e_3 :: \widehat{\tau}@_{\varrho}}{\widehat{\Gamma} \vdash \text{if } e_1 \text{ then } e_2 \text{ else } e_3 :: \widehat{\tau}@_{\varrho}} [r\text{-if}]$
	$\frac{\widehat{\Gamma} \vdash e :: \widehat{\tau}@_{\varrho'} \quad \varrho' \subseteq \varrho}{\widehat{\Gamma} \vdash e :: \widehat{\tau}@_{\varrho}} [r\text{-sub}]$

Figure 2: Static semantics.

$l \in \mathbf{Literal}$ literals
 $e \in \mathbf{Exp}$ expressions

$l ::= u \mid z \mid r$
 $e ::= l \mid D \mid \text{if } e_1 \text{ then } e_2 \text{ else } e_3$

5 Type system

Well typed programs can't go wrong. Untyped lambda calculus is never wrong.

6 Algorithm

Using Quantum Mechanics and other obfuscation techniques, our algorithm has attained a form of True Elegance. No further explanation necessary.

7 Related work

It might be the case that our fellow students duplicated our work. Their results might prove fruitful.

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E( $\hat{\Gamma}, l$ )                = L( $l$ )
E( $\hat{\Gamma}, D$ )                = let  $\zeta$  be fresh in ( $\hat{\Gamma}(D)$  ,  $\zeta$  ,  $\{\{D\} \subseteq \zeta\}$ )
E( $\hat{\Gamma}, \text{if } e_1 \text{ then } e_2 \text{ else } e_3$ ) =
  let  $\zeta$  be fresh
    ( $\hat{\tau}_1, \zeta_1, C_1$ ) = E( $\hat{\Gamma}, e_1$ )
    ( $\hat{\tau}_2, \zeta_2, C_2$ ) = E( $\hat{\Gamma}, e_2$ )
    ( $\hat{\tau}_3, \zeta_3, C_3$ ) = E( $\hat{\Gamma}, e_3$ )
  in if  $\hat{\tau}_1 = \text{Bool} \wedge \hat{\tau}_2 = \hat{\tau}_3$ 
    then ( $\hat{\tau}_2$  ,  $\zeta$  ,  $C_1 \cup C_2 \cup C_3 \cup \{(\{True\} \cup \{False\}) \supseteq \zeta_1\} \cup \{\zeta_2 \subseteq \zeta\} \cup \{\zeta_3 \subseteq \zeta\}$ )
    else fail

```

Figure 3: Reconstruction algorithm: expressions.

```

solve( $C$ ) = do
  ...
  for all  $c$  in  $C$  do worklist := worklist  $\cup \{c\}$ 
  ...
  while worklist  $\neq \{\}$  do
    let  $C_1 \uplus \{c\} = \text{worklist}$ 
    in do ...
      case  $c$  of
        ...
  return analysis

```

Figure 4: Worklist algorithm for constraint solving.

8 Conclusion and future work

There is not much to conclude. We rule.