

Hands-on session: How to search for Dark Matter with CTA?

Judit Pérez-Romero & Gabrijela Zaharijas

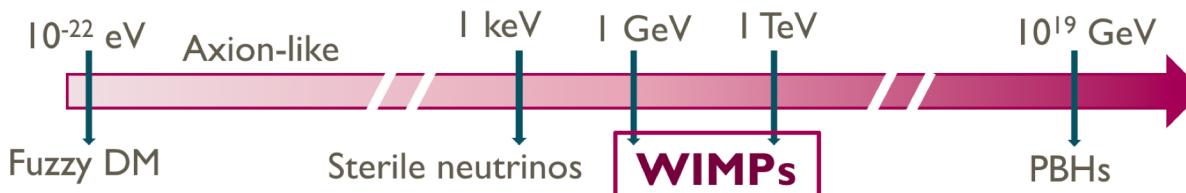
Cosmology and Astrophysics Center

University of Nova Gorica

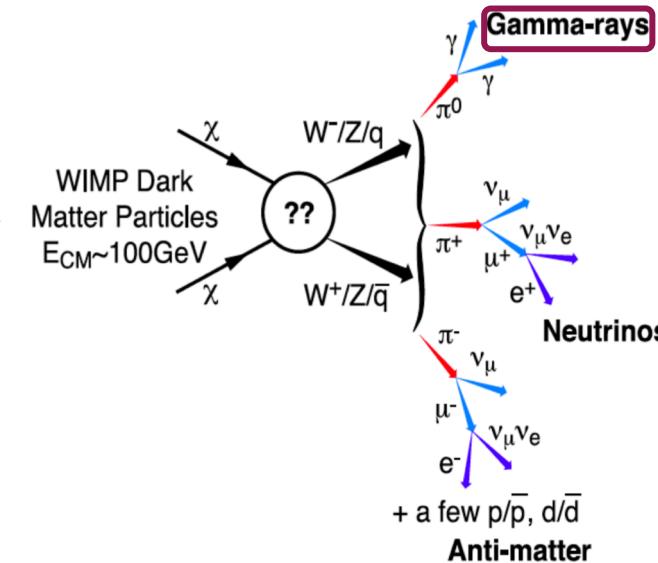
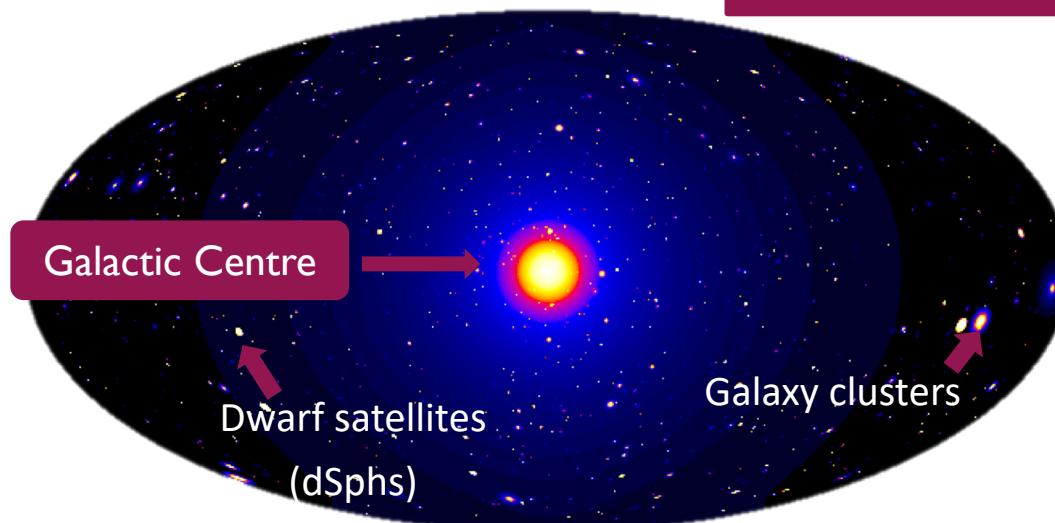
judit.perez@ung.si

DARK MATTER THROUGH GAMMA-RAYS

- Different DM candidates:



- DM distribution in the Universe Λ CDM Cosmology



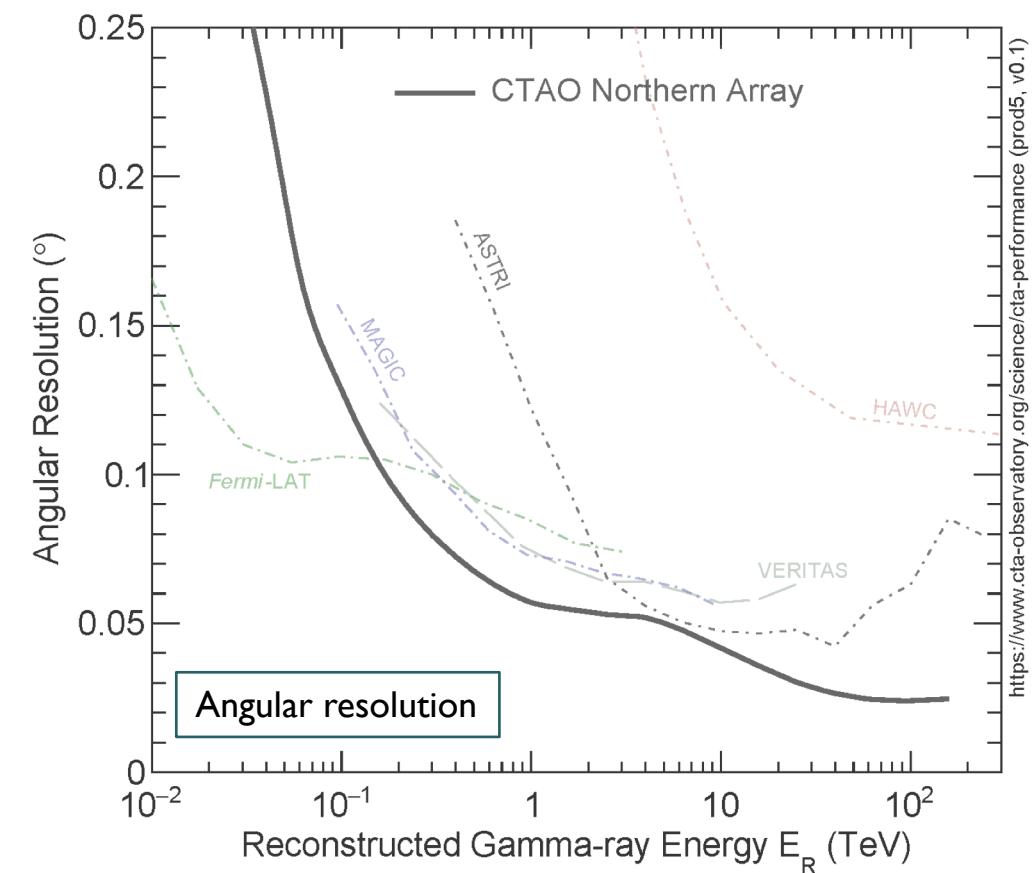
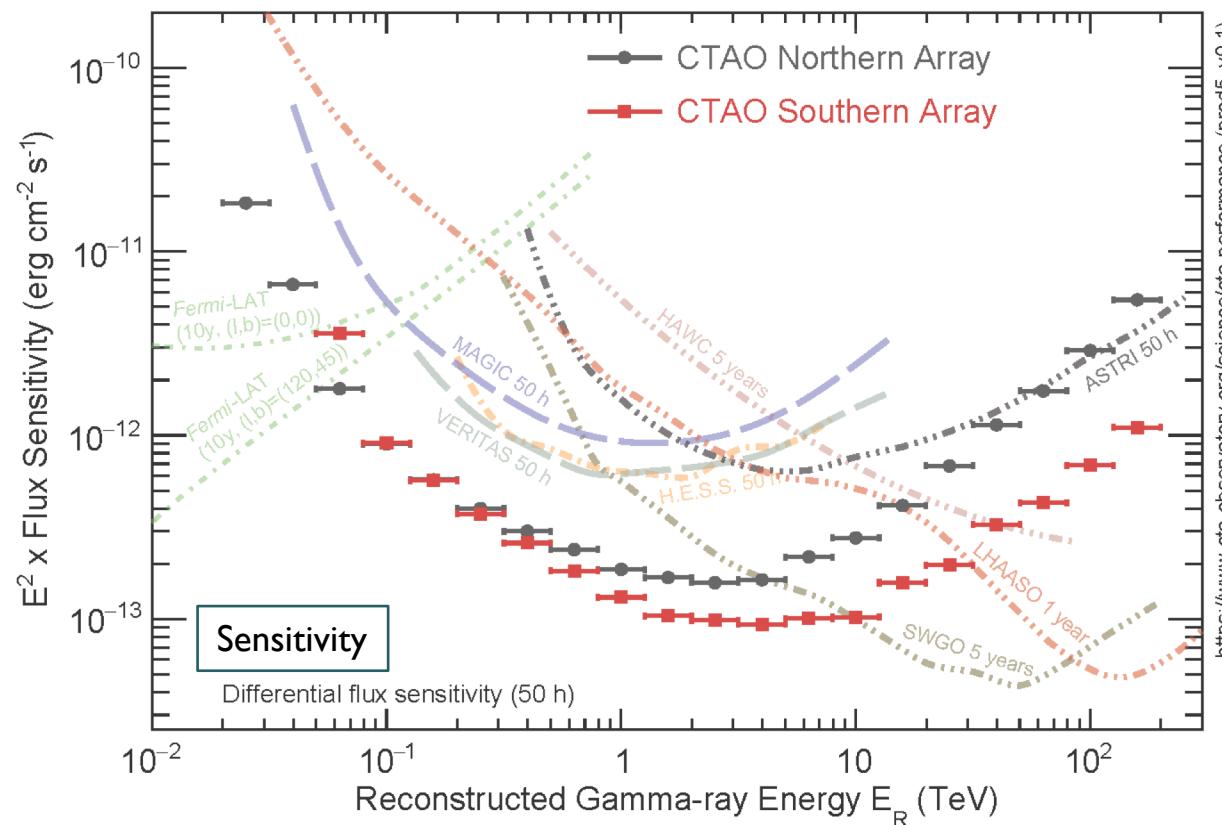
This γ -ray emission allows to perform Indirect DM Searches with current telescopes

- Which are the optimal targets?
 - High DM density ($\phi_{DM} \propto \rho_{DM}^2$ for annihilation, $\phi_{DM} \propto \rho_{DM}$ for decay)
 - Massive nearby objects ($\phi_{DM} \propto M/d_{Earth}^2$)
 - Low astrophysical background

THE CHERENKOV TELESCOPE ARRAY OBSERVATORY

Preliminary Performance Capabilities

<https://www.cta-observatory.org/>



CTA has superb capabilities for DM gamma-ray searches

SEARCHING FOR DM WITH CTA

1. Create a simulated observation of the galactic centre with DM signal
2. Analyze datasets provided
 1. Analyze first dataset
 2. Analyze second dataset

SEARCHING FOR DM WITH CTA

I. Create a simulated observation of the galactic centre with DM signal

2. Analyze datasets provided

 1. Analyze first dataset

 2. Analyze second dataset

SIMULATING CTA DM OBSERVATION

Basic input information to create **ANY** simulated data:

- Livetime
 - Pointing
 - Region of Interest (ROI)
 - Energy range and/or binning
 - Instrument Response Functions (IRFs)
 - Model
-
- ```
graph LR; A[Basic input information] --> B[Model]; A --> C[Background model: from IRFs]; A --> D[Source model: can comprehend several sources, each of them has]; D --> E[Spectral model]; D --> F[Spatial model]; D --> G[Time model];
```

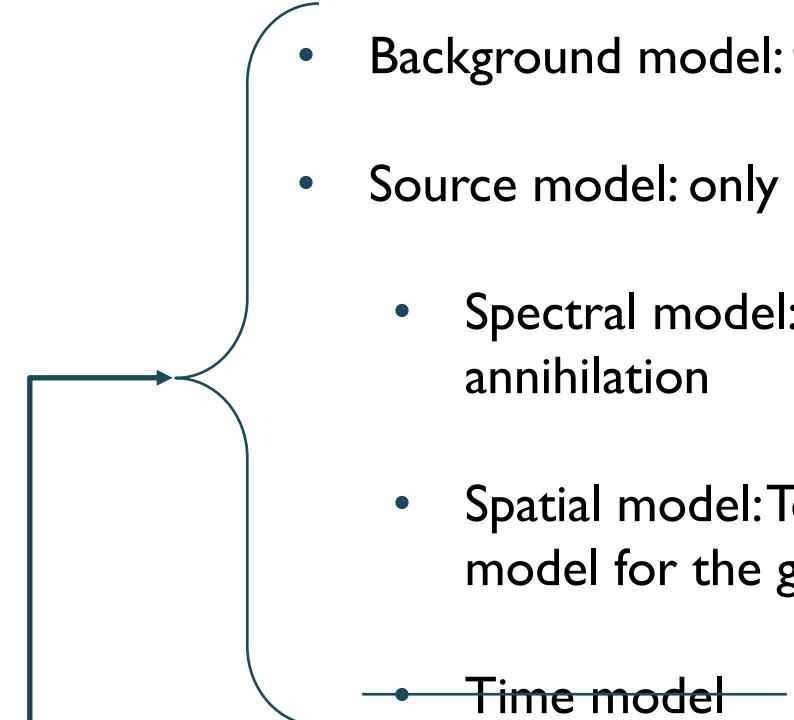
# SIMULATING CTA DM OBSERVATION

Basic input information to create **OUR** simulated data:

- Livetime: 520 h
- Pointing: galactic centre
- Region of Interest (ROI): 20 deg  $\times$  20 deg
- Energy range and/or binning: 10 bins from 20 GeV to 150 TeV
- Instrument Response Functions (IRFs): Prod5-South-20deg-AverageAz-14MSTs37SSTs.180000s
- Model

# SIMULATING CTA DM OBSERVATION

Basic input information to create **OUR** simulated data:

- Livetime: 520 h
  - Pointing: galactic centre
  - Region of Interest (ROI): 20 deg  $\times$  20 deg
  - Energy range and/or binning: 10 bins from 20 GeV to 150 TeV
  - Instrument Response Functions (IRFs): Prod5-South-20deg-AverageAz-14MSTs37SSTs.180000s
  - Model
- 
- Background model: from IRFs
  - Source model: only one DM source
    - Spectral model: WIMP annihilation
    - Spatial model: Template emission model for the galactic centre
  - Time model

# SIMULATING CTA DM OBSERVATION

Basic input information to create **OUR** simulated data:

- Model: Annihilation of Weakly Interactive Massive Particles (WIMPs)

$$\frac{d\Phi_\gamma}{dE}(E, l.o.s, \Delta\Omega) = scale \times J(l.o.s, \Delta\Omega) \times \frac{\langle\sigma v\rangle}{4\pi m_{DM}^2} \sum_i BR_i \frac{dN_i^\gamma}{dE}(E)$$

Spatial model

Spectral model

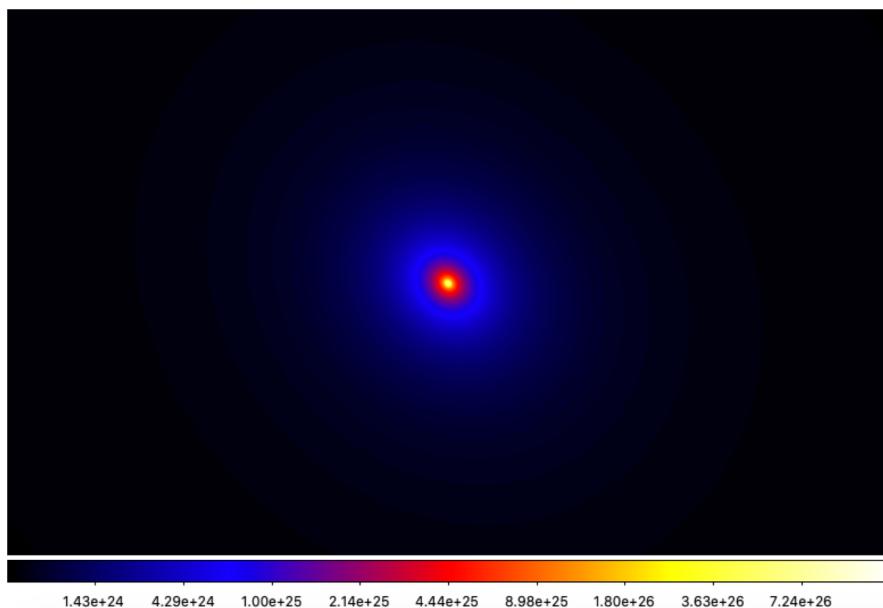
- Assumes  $\Lambda$ DCM model
  - Encodes how the DM is distributed in the object
  - We can use different  $\rho_{DM}$  parametrizations
  - Ends acting as a multiplicative factor to the overall flux
- Encodes the spectrum of the emission
  - We can use the tables computed by [Cirelli+ 11]  
<http://www.marcocirelli.net/PPPC4DMID.html>

# SIMULATING CTA DM OBSERVATION

Basic input information to create **OUR** simulated data:

- Model: Annihilation of Weakly Interactive Massive Particles (WIMPs)

Spatial model

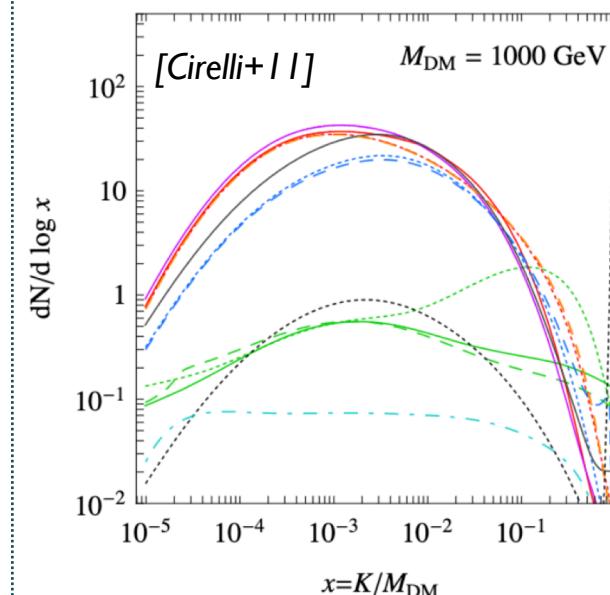


Created with **CLUMPY** software

[Charbonnier+12, Bonnivard+15, Hütten+18]

<https://clumpy.gitlab.io/CLUMPY/>

Spectral model



Gamma-ray emission spectrum from:

- WIMP annihilation
- $m_{DM} = 5$  TeV
- $b\bar{b}$  channel

# SEARCHING FOR DM WITH CTA

I. Create a simulated observation of the galactic centre with DM signal

## 2. Analyze datasets provided

1. Analyze first dataset
2. Analyze second dataset

# ANALYZE CTA DATA SEARCHING FOR DM

- Use maximum likelihood approach with a 3D fitting: 2 dimensions in space and 1 in energy

$$\ln \mathcal{L}(\vec{\theta}|D) = \sum_i M_i(\vec{\theta}) - d_i \ln(M_i(\vec{\theta})) \quad \text{Cash statistics [Cash 79]}$$

For the DM model  $\vec{\theta} \equiv (scale, norm_{bkg}, tilt_{bkg})$

- In the fit, we obtain as best values the ones maximizing the likelihood function
- To test if a model is better than other to fit a dataset we use the likelihood ratio test ( $TS$ ):

$$TS = 2 \times \frac{\ln \mathcal{L}(H_1)}{\ln \mathcal{L}(H_0)}$$

- If  $H_0$  is the null-hypothesis (only background), we determine a detection when

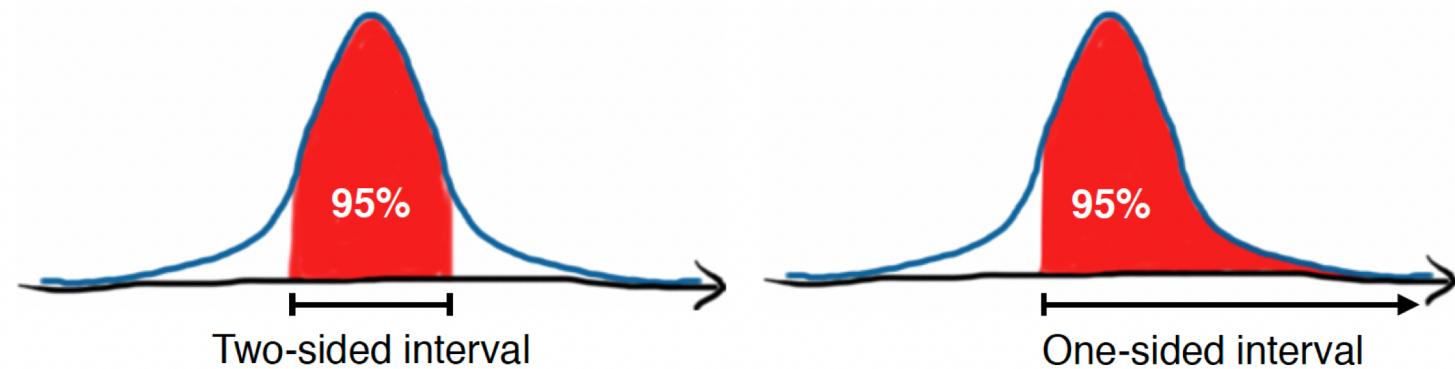
$$TS \geq 25$$

$\rightarrow \sim 5\sigma$  detection  
[Li&Ma 83]

# ANALYZE CTA DATA SEARCHING FOR DM

- We have not found a signal... Then let's put constraints!
- The likelihood has several dependencies but we are only interested in **scale**:
- The limits can be one-sided or two-sided:

Likelihood profile  
Project the likelihood to the parameter of interest



- This limits read as: the upper/lower value most probable to get by 95% of the times (if TS is distributed following a  $\chi^2$ )

- For the one-sided distribution

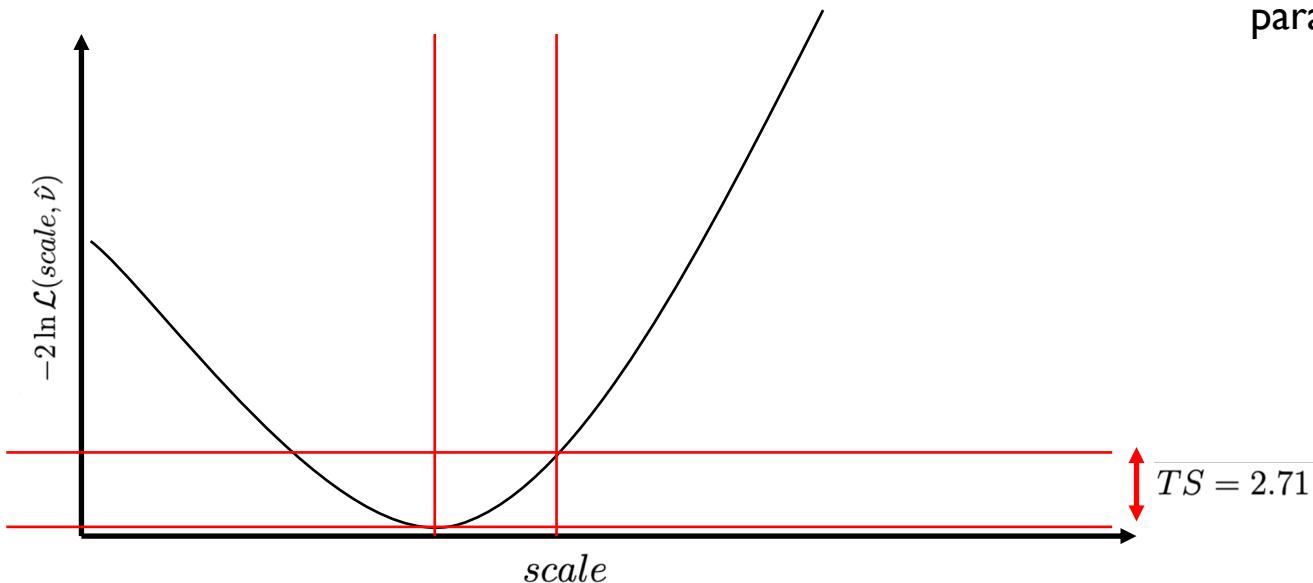
$$95\text{ \%C.L} \rightarrow TS = 2.71$$

[Rolle+05]

# ANALYZE CTA DATA SEARCHING FOR DM

- We have not found a signal... Then let's put constraints!
- The likelihood has several dependencies but we are only interested in *scale*:

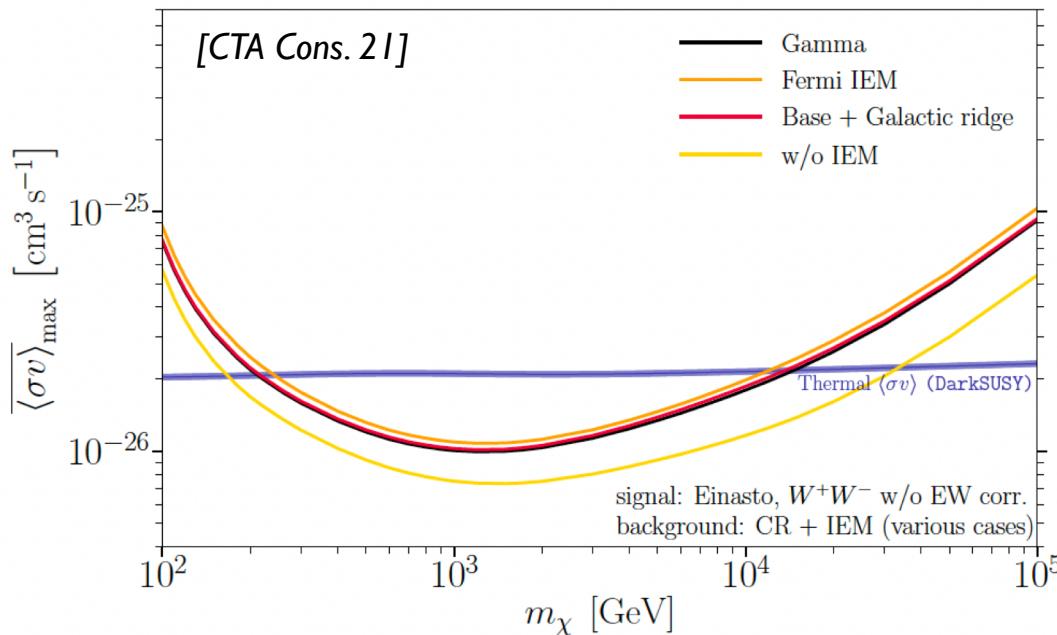
Likelihood profile  
Project the likelihood to the parameter of interest



- We need to solve:  $-2 \ln \frac{\mathcal{L}(scale, \hat{\nu})}{\mathcal{L}(scale_{best}, \hat{\nu})} - 2.71 = 0$  [Rolle +05]

# ANALYZE CTA DATA SEARCHING FOR DM

- Okey but, these are not the cool plots for constraints!

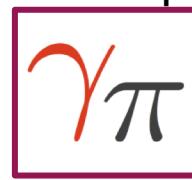


- We have fitted our dataset to one channel and one mass. We will need to loop over the mass range of interest and the available channels to get these lines.
- On top of that, we have only used one Poisson realization. To have statistically meaningful predictions, we need to average over  $O(300)$  realizations.

15 mass values  $\times$  3 channels  $\times$  300 realizations = 13500 fits!

# ANALYZE CTA DATA SEARCHING FOR DM

- Most DM projects within CTA with same needs in terms of analysis tools and statistical treatment
  - Creation & coordination of *DMTools Task Force* within CTA
  - Gammapy software development
- Since v-0.8 to v-1.0  
(15 versions)
- Gammapy embedded functions:
    - DarkMatterAnnihilationSpectralModel
  - GitHub repository:
    - Gammapy-DMTools

[https://github.com/peroju/dmtools\\_gammapy](https://github.com/peroju/dmtools_gammapy)
  - Gammapy coding sprints
- Common set of tools
- Unified definitions, methodology
  - Avoids repetition of same coding
  - Allows easy comparison of results.
  - Everyone can potentially contribute
- 

# ANALYZE CTA DATA SEARCHING FOR DM

## ON-OFF/Wobble Analysis

Standard for IACTs

### Point-like

- Lowest complexity
- Most constraining results

### Extended

- More complex and realistic than point-like approach
- Benefits from CTA large FoV and angular resolution

## Template fitting

State-of-the-art pipeline

### Minuit

- Already embedded in Gammapy
- Historically used fitter (iminuit) and very well documented (stability)

### MCMC

- Flexible definition of likelihood and priors
- Easy analysis of correlations

# ANALYZE CTA DATA SEARCHING FOR DM

## Basic functioning of the pipelines

### Input DM model

- Spectral (based on *Cirelli+11*)
- Spatial (point-like, analytical, FITS files)



### Combine with observation set-up

- IRFs
- Observation time
- Backgrounds



- Simulated Observation  
(Poisson realization)
- Observation

## Enter the DM fit loop

1. For each realization, consider a list of channels and for each, a list of DM masses
2. Perform a likelihood fit to this specific model
3. Check  $TS(H_{null}) \geq 25$
4. Compute  $\langle\sigma v\rangle$  upper limits with  $TS(H_{best-fit}) = 2.71$ , bounded likelihood implemented