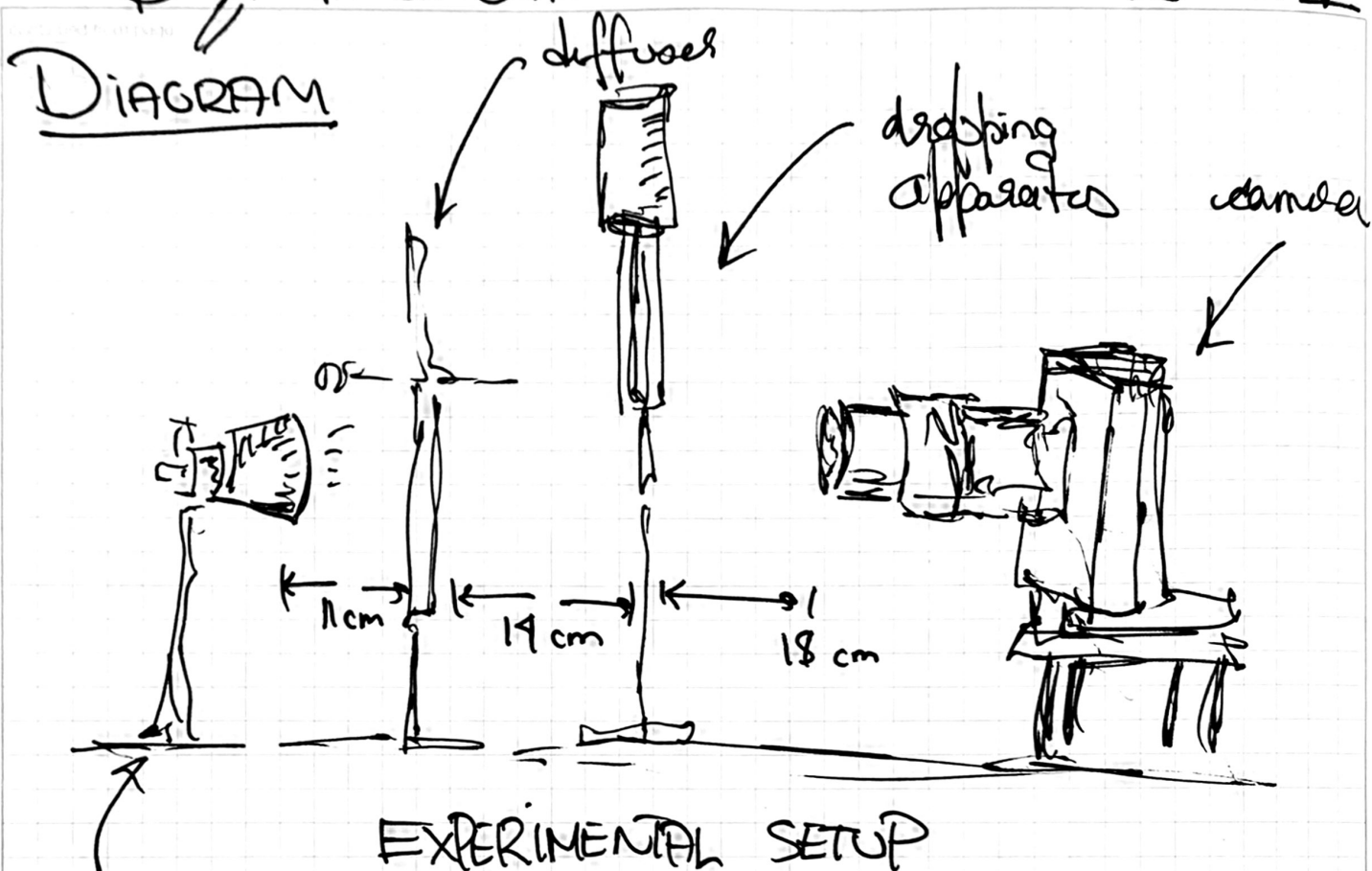


DIAGRAM

Light

PROCEDURE

[Setup 1]

336 × 240 px

15941.3 fpo

Exp 57.77 μs (100%)

} need to increase

④ more light

filenames:

dpo-1

dpo-2

dpo-3

dpo-4

} not great view as too far out

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[SETUP 2]

192 x 96 px

38565 fps

25.93 μ s (100%)S. Nagel
seper highfilenames

dpo-6

dpo-7

, dpo-7-regime1

dpo-8

dpo-9

, dpo-9-regime2

dpo-10

dpo-11

dpo-11-r

← reduced dpo again.
← best shoot 3 should use for analyses.

← the ruler measurement.

end data collection for day 1.

DIMENSIONAL ANALYSIS

$$L = \frac{LT}{M} \cdot \frac{M}{T^2} \cdot T$$

$$1 = \frac{\gamma T}{\eta}$$

$$\text{regime 2 } L = \frac{L^4 T^4}{M^4} \cdot \frac{M}{L^3} \cdot \frac{M^3}{T^6} \cdot T^2$$

$$L = \frac{L^3}{M} \cdot \frac{M^2}{L^2 \cdot T^2} \cdot \frac{T^2}{M}$$

$$= \frac{\eta^2}{\rho \gamma}$$

$$= \frac{\rho \gamma^3 T^2}{\eta^4}$$

$$\text{regime 1} = \frac{\gamma^{1/3}}{\rho^{1/3}} T^{2/3}$$

fit this parameter.

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BACKGROUND

Surface Tension: Tendency of liquids surfaces at rest to shrink to the minimum surface area as possible.

We can define it generally as

$$\gamma = \frac{1}{2} \cdot \frac{F}{L}$$

← force
← length of movable side

Viscosity

: Resistance of a fluid to deformation at a given rate. we often work in kinematic viscosity

$$\nu = \frac{\mu}{\rho}$$

← dynamic viscosity what we call η in lab.

So, how can we determine what the dominant forces are at play in different regimes? Below are some possibilities:

[1]



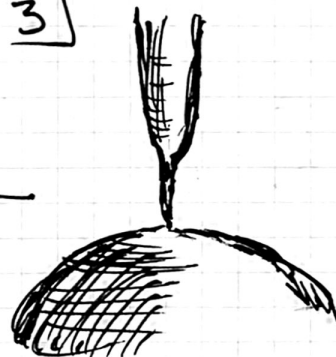
SURFACE TENSION

[2]



viscosity

[3]



gravity is not important

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More Terms :

hydrostatic pressure : The condition of equilibrium of a floating body and submerged body.

Basically, we can say

$$p(z) - p(z_0) = \int_{z_0}^z dz' \rho(z') g(z')$$

$$\approx \rho g h = \rho g (z - z_0)$$

on earth.

Bernoulli pressure : Increase in speed of fluid occurs simultaneously with a decrease in static pressure OR fluid potential energy

This can be formalized by

$$\frac{v^2}{2} = \text{CONSTANT} - \underbrace{g y}_{\substack{\text{potential} \\ \text{on earth}}} - \underbrace{\frac{p}{\rho}}_{\substack{\text{static} \\ \text{pressure}}}$$

$$= \text{CONSTANT} - \underbrace{\Psi}_{\substack{\text{generalized} \\ \text{potential}}} - \frac{p}{\rho}$$

Combining these two, we can get

$$\underbrace{\frac{1}{2} \rho v^2}_{\substack{\text{dynamic} \\ \text{pressure}}} + \underbrace{\rho g h}_{\substack{\text{potential} \\ \text{on earth}}} + \underbrace{p}_{\substack{\text{static} \\ \text{pressure}}} = \text{constant}$$

Finally, $\frac{\partial p}{\partial t} + \nabla \cdot (\rho v) = 0$ is com. $\frac{m}{V} = \rho$
 \Rightarrow related to volume change

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REGIME 1:

gravitational potential
Surface tension

$$\left\{ \begin{array}{l} g, \rho \\ \gamma \end{array} \right.$$

$$[R] \sim \left(\frac{\gamma^\alpha}{\rho^\beta} \right) [T]^\delta$$

REGIME 2

Viscosity
Density
Surface Tension

$$\left\{ \begin{array}{l} \eta \\ \rho \\ \gamma \end{array} \right.$$

CRITICAL
PHENOMENA

$$[R] \sim [T]^\delta$$

$$\text{Power} = 2/3$$

We want to find δ .

Regime 3

$$\left\{ \begin{array}{l} \text{Viscosity } (\eta) \\ \text{Density } (\rho) \end{array} \right. \text{Power} = 1/2$$

DATA COLLECTION

Res: 192 x 96
FPS: 38.56 S
Min Period: 25.93 μ s

EXPOSURE: 20.98 sec
GAIN: 0 dB

File names

dpo-12

dpo-13

dpo-14

dpo-15

cpo-15 R

best one and used
in analyses

rules measurement

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ImageJ

← all analysis done in ImageJ.

Filename:

dpo-14.avi
dpo-15 R.avi

To calc dt:

5.23 s : final
0.92 s : initial

We want 20 data points, so

$$\frac{T_f - T_i}{\#(dp)} = \frac{5.23 - 0.92}{20}$$

$$= 0.2155$$

$$\text{So, } \Delta t = 0.2$$

⇒ about 3 frames

$$t_{\text{pinch}} = 5.23 \text{ s}$$

$$\frac{px}{2m} = 164090 \pm 29360 \text{ px/m}$$

PINCH OF TIME

based off image,
± 3 px

precision of camera resolution

maybe too large.

164.09 mm
129360 measured center
20 line frame rate
precision of making

	time (s)	dt (s)	r (px)	dr (px)
1)	0.92	0.08	28.88	3.00
2)	1.15	0.08	27.75	3.00
3)	1.38	0.08	26.63	3.00
4)	1.62	0.08	25.00	3.00
5)	1.85	0.08	23.63	3.00
6)	2.08	0.08	22.13	3.00
7)	2.31	0.08	20.13	3.00
8)	2.54	0.08	18.88	3.00
9)	2.77	0.08	17.88	3.00
10)	3.00	0.08	16.13	3.00
11)	3.23	0.08	14.16	3.00
12)	3.46	0.08	14.05	3.00
13)	3.69	0.08	11.72	3.00
14)	3.92	0.08	9.76	3.00
15)	4.15	0.08	7.55	3.00
16)	4.38	0.08	5.93	3.00
17)	4.62	0.08	3.95	3.00
18)	4.69	0.08	3.02	3.00
19)	4.77	0.08	1.87	3.00
20)	5.23	0.08	0.73	3.00