# Probabilistic Reactive Obstacle Avoidance

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Abstract. The abstract text goes here.

## 1 Introduction

Here is the text of your introduction.

#### 1.1 And I can have second-order titles too

$$\alpha = \sqrt{\beta} \tag{1}$$

## 1.2 Subsection Heading Here

Write your subsection text here.



Fig. 1. Simulation Results

## 2 Conclusion

Write your conclusion here.

## 3 Fixed-Period Problems: The Sublinear Case

With this chapter, the preliminaries are over, and we begin the search for periodic solutions  $\dots$ 

#### 3.1 Autonomous Systems

In this section we will consider the case when the Hamiltonian H(x) ...

The General Case: Nontriviality. We assume that H is  $(A_{\infty}, B_{\infty})$ -subquadratic at infinity, for some constant . . .

Notes and Comments. The first results on subharmonics were ...

**Proposition 1.** Assume H?(0) = 0 and H(0) = 0. Set ...

*Proof (of proposition).* Condition (8) means that, for every  $\delta$ ?  $> \delta$ , there is some  $\varepsilon > 0$  such that . . .  $\Box$ 

Example 1 ((External forcing)). Consider the system . . .

Corollary 1. Assume H is  $C^2$  and  $(a_{\infty}, b_{\infty})$ -subquadratic at infinity. Let ...

**Lemma 1.** Assume that H is  $C^2$  on  $\mathbb{R}^{2n}\setminus\{0\}$  and that H??(x) is ...

**Theorem 1 ((Ghoussoub-Preiss)).** Let X be a Banach Space and  $\Phi: X \to \mathbb{R} \dots 14$  LATEX2? Class for Lecture Notes in Computer Science

**Definition 1.** We shall say that a  $C^1$  function  $\Phi: X \to \mathbb{R}$  satisfies . . .