

# Compiling Programs in GHC: The Core and STG

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# Overview

- How Haskell program is compiled in GHC
- GHC Core/STG
- STG Abstract Machine

# GHC Compilation Process

- Haskell Source -> (Parser + Renamer + TypeChecker + Desugarer) ->
- Core -> (CorePrep + CoreToStg) ->
- Stg -> (CodeGen)
- Cmm

# What is Core?

- A minimalistic language that Haskell compiles to
- Explicitly Typed
- Haskell without syntactic sugar
- $\text{Haskell} \rightarrow \text{desugar} \rightarrow \text{Core}$
- `type CoreProgram = [CoreBind]`

# The Core Tree

```
type CoreProgram = [CoreBind]
```

```
type CoreBind = Bind CoreBndr
```

```
type CoreBndr = Var
```

```
data Bind b = NonRec b (Expr b) | Rec [(b, (Expr b))]
```

- Later bindings in the list can refer to previous ones, but not vice versa

# CoreSyn.hs

```
type CoreExpr = Expr Var
```

```
data Expr b -- "b" for the type of binders,
```

```
  = Var Id
```

```
  | Lit Literal
```

```
  | App (Expr b) (Arg b)
```

```
  | Lam b (Expr b)
```

```
  | Let (Bind b) (Expr b)
```

```
  | Case (Expr b) b Type [Alt b]
```

```
  | Cast (Expr b) Coercion
```

```
  | Type Type
```

```
type Arg b = Expr b
```

```
type Alt b = (AltCon, [b], Expr b)
```

```
data AltCon = DataAlt DataCon | LitAlt Literal | DEFAULT
```

```
data Bind b = NonRec b (Expr b) | Rec [(b, (Expr b))]
```

# Var Id — From Var.hs

```
type Id = Var -- Term level identifier
```

```
data Var = Id {   varName    :: !Name,  
                  realUnique :: {-# UNPACK #-} !Int,  
                  varType    :: Type,  
                  ... } | ...
```

# Lambda Expr in Core

```
type CoreExpr = Expr Var
```

```
--               argument    body
```

```
data Expr b = Lam b                (Expr b)
```

```
    | ...
```

- Includes types abstraction (Big lambdas)



# Case Expression in Core

case x of y

(Cons w ws) -> m

DEFAULT -> n

- The DEFAULT case is always added in GHC, and removed if deemed unnecessary

# Case Expr in Core

```
data Expr b = Case (Expr b) b Type [Alt b]
```

```
    | ...
```

```
type Alt b = (AltCon, [b], Expr b)
```

- Always strict on the scrutinee (whereas the “case” in Haskell is not always strict)

Lazy case example (Haskell): case undefined of

```
    a -> case_body
```

# Core Example — Strict

`test :: (a, b) -> a`

`test (x, y) = x`

becomes the following code in Core (ghc-core output)

`test :: forall a_amS b_amT. (a_amS, b_amT) -> a_amS`

`test = \ (@ a_ane) (@ b_anf)`

`(ds_dpp :: (a_ane, b_anf)) ->`

`case ds_dpp of _ { (x_an1, y_an2) -> x_an1 }`

# Core Example — Lazy

test :: (Num a) => (a, a) -> ((a, a) -> a) -> a

test x f = case x of x -> f x -- test x f = f x

test :: forall a\_amU. Num a\_amU => (a\_amU, a\_amU) ->  
((a\_amU, a\_amU) -> a\_amU) -> a\_amU

test = \ (@ a\_aos) \_ (x\_ao0 :: (a\_aos, a\_aos))  
(f\_ao1 :: (a\_aos, a\_aos) -> a\_aos) ->  
f\_ao1 x\_ao0

# Let Expr in Core

data Expr b = Let (Bind b) (Expr b) | ...

data Bind b = NonRec b (Expr b) | Rec [(b, (Expr b))]

# Non-recursive Let

let x = 1

  y = 2

in x + y

# Non-recursive Let

let x = 1

in let y = 2

in x + y

# Recursive Let

- A let is considered a recursive let if any RHS of the let bindings references a LHS of the let bindings

$\text{fix } f = \text{let } x = f \ x \text{ in } x$



# STG

- Spineless
- Tagless
- G-machine

# STG

- Spineless Tagless G-Machine
- Very similar to Core
- More annotations
- RHS are Closures (with and without arguments) and Constructors

# STG

- Constructor, FFI, and primitive operators are always saturated (through eta transform)
- Binary applications are combined ex: ((f a) b)
- Closures are decorated with free variables (pretty print does not print this by default) (-ddump-stg)
- A tree of [StgBinding]

# Eta Transformation

$\text{map } f \Rightarrow \lambda x \rightarrow \text{map } f \ x$

$(+) \Rightarrow \lambda x \rightarrow \lambda y \rightarrow (+) \ x \ y$

- Arguments generated through eta transform in ghc have names like `eta_XXX` in `Core/Stg`

# GenStg\* Type Synonyms

type StgBinding = GenStgBinding Id Id

type StgArg = GenStgArg Id

type StgLiveVars = GenStgLiveVars Id

type StgExpr = GenStgExpr Id Id

type StgRhs = GenStgRhs Id Id

type StgAlt = GenStgAlt Id Id

# STGSyn.hs

- Both `bndr` and `occ` are bound to `Id`

```
data GenStgBinding bndr occ
```

```
  = StgNonRec bndr (GenStgRhs bndr occ)
```

```
  | StgRec      [(bndr, GenStgRhs bndr occ)]
```

# STGSyn.hs

```
data GenStgRhs bndr occ
```

```
    = StgRhsClosure { ... } — Closure
```

```
    | StgRhsCon { ... } — Constructor
```

# Update Flag

- Used to see if a thunk only needs to be evaluated once
- Does not apply to functions / constructors



# STGSyn.hs

```
data GenStgRhs bndr occ
```

```
    = StgRhsClosure
```

```
    [occ] -- Free Variables
```

```
    !UpdateFlag -- ReEntrant | Updatable | SingleEntry
```

```
-- ReEntrant and SingleEntry are non-updatable closures
```

```
    [bndr] -- Arguments (can be empty)
```

```
    (GenStgExpr bndr occ) -- body | ...
```

# STGSyn.hs

```
data GenStgRhs bndr occ =
```

```
  StgRhsCon
```

```
    DataCon          -- constructor
```

```
    [GenStgArg occ] -- args
```

```
  | ...
```

# STG Expr

```
data GenStgExpr bndr occ = ...
```

# StgApp

StgApp

occ -- function

[GenStgArg occ] -- arguments; may be empty

# StgLit

StgLit    Literal

- Char, String, Int, ...

# StgConApp

StgConApp DataCon [GenStgArg occ]

- The constructor application should already be saturated after transforming to STG

# StgOpApp

StgOpApp

StgOp -- Primitive op or foreign call

[GenStgArg occ] -- Saturated

Type -- Result type (used to assign register)

# StgLam

StgLam

[bndr]

StgExpr -- Body of lambda



# StgCase

```
type GenStgAlt bndr occ
  = (AltCon, [bndr], -- constructor's parameters,
    [Bool], -- True if the parameter is used in RHS
    GenStgExpr bndr occ)
type GenStgLiveVars occ = UniqSet occ
```

## StgCase

```
(GenStgExpr bndr occ) -- the thing to examine
(GenStgLiveVars occ) -- whole case live vars
(GenStgLiveVars occ) - - rhs live vars
bndr
AltType -- result type
[GenStgAlt bndr occ] -- branches of case
```

# StgL<sub>et</sub>

StgL<sub>et</sub>

(GenStgBinding bndr occ) - - bindings

(GenStgExpr bndr occ) -- body

# STG Abstract Machine

- The operational semantics of STG
- Defines how the STG machine is evaluated

# STG Abstract Machine

- Code
- Argument stack -- values
- Return stack -- continuations
- Update stack -- update frames
- Heap -- closures
- Global Environment -- gives addresses of top-level closures

# Closures

(vs  $\lambda x s \rightarrow e$ ) ws

free variables      update      arguments

(vs                       $\lambda$ pi                      xs       $\rightarrow$

closure body              free\_arguments

e)              ws

# Closure

- When evaluating a closure, STG pushes the corresponding arguments into the stack, and jumps directly to the entry code of the closure — closures has a uniform representation
- The update of a thunk is done inside the closure — “self-updating”

# Code

- Eval  $e$   $\rho$ 
  - Evaluate expression  $e$  in environment  $\rho$
- Enter  $a$ 
  - Apply  $a$  to the arguments on the argument stack
- ReturnCon  $c$   $ws$ 
  - Return the constructor  $c$  applied to values  $ws$  to the continuation on the return stack
- ReturnInt  $k$ 
  - Return the primitive integer  $k$  to the continuation on the return stack

# Values

- Addr a -- heap address (points to closures)
- Int n -- primitive integer value



# Function val

- rho is used as the global environment
- sigma is the local environment
- If k is a literal..

val rho sigma k = Int k -- returns the primitive value k

- If v is a variable..

val rho sigma v = rho v (if v belongs to rho)

= sigma v (otherwise)

# Initial State

Code	Arg Stack	Return Stack	Update Stack	Heap	Global
Eval (main {}) {}	{}	{}	{}	h_init	sigma

Since Global does not change at all,  
we will be omitting it from now on

# Initial State

## — Global Bindings

$g1 = vs1 \setminus \pi1 \ xs1 \rightarrow e1$

...

$gn = vsn \setminus \pi2 \ xs2 \rightarrow e2$

- Every binding ( $g1 \dots gn$ ) binds to an address
- One of the bindings is main

# Initial State

$\sigma = [g_1 \rightarrow (\text{Addr } a_1),$

$\dots$

$g_n \rightarrow (\text{Addr } a_n),$

$]$

$h_{\text{init}} = [a_1 \rightarrow (vs_1 \setminus \pi_1 \ xs_1 \rightarrow e_1) (\rho \ vs_1),$

$\dots$

$a_n \rightarrow (vs_n \setminus \pi_n \ xs_n \rightarrow e_n) (\rho \ vs_n)$

$]$

# Application

Code (val rho sigma f = Addr a)	Arg Stack	Return Stack	Update Stack	Heap
Eval (f xs) rho	as	rs	us	h
=>				
Enter a	val rho sigma xs ++ as	rs	us	h

# Application (Saturated)

Code	Arg Stack	Return Stack	Update Stack	Heap
(length as >= length xs) Enter a	as	rs	us	h[a -> (vs \n xs -> e) ws_f]
=>				
Eval e rho	as'	rs	us	h

where

$ws\_a ++ as' = as$

$length(ws\_a) = length(xs)$

$\rho = [vs \rightarrow ws\_f, xs \rightarrow ws\_a]$

# let

Code	Arg Stack	Return Stack	Update Stack	Heap
Eval ( let $x_1 = vs_1 \setminus \pi_1 \ xs_1 \rightarrow e_1$ $x_n = vs_n \setminus \pi_n \ xs_n \rightarrow e_n \dots$ in $e$ ) $\rho$	as	rs	us	h
$\Rightarrow$				
Eval $e \ \rho'$	as	rs	us	$h'$

where

$\rho' = \rho[x_1 \rightarrow \text{Addr } a_1 \dots, x_n \rightarrow \text{Addr } a_n]$

$h' = h[a_1 \rightarrow (vs_1 \setminus \pi_1 \ xs_1 \rightarrow e_1) (\rho\_rhs \ vs_1),$

$\dots$

$a_n \rightarrow (vs_n \setminus \pi_n \ xs_n \rightarrow e_n) (\rho\_rhs \ vs_n)]$

$\rho\_rhs = \rho$

# letrec

Code	Arg Stack	Return Stack	Update Stack	Heap
Eval ( let $x_1 = vs_1 \setminus \pi_1 \ xs_1 \rightarrow e_1$ $x_n = vs_n \setminus \pi_n \ xs_n \rightarrow e_n \dots$ in $e$ ) $\rho$	as	rs	us	h
$\Rightarrow$				
Eval $e \ \rho'$	as	rs	us	$h'$

where

$\rho' = \rho[x_1 \rightarrow \text{Addr } a_1 \dots, x_n \rightarrow \text{Addr } a_n]$

$h' = h[a_1 \rightarrow (vs_1 \setminus \pi_1 \ xs_1 \rightarrow e_1) (\rho\_rhs \ vs_1),$

$\dots$

$a_n \rightarrow (vs_n \setminus \pi_n \ xs_n \rightarrow e_n) (\rho\_rhs \ vs_n)]$

$\rho\_rhs = \rho'$



# case e of alts

Code	Arg Stack	Return Stack	Update Stack	Heap
Eval (case e of alts) rho	as	rs	us	h
=>				
Eval e rho	as	(alts, rho):rs	us	h

Evaluate e, and push (alts, rho) into the Return Stack

# Constructor Application

Code	Arg Stack	Return Stack	Update Stack	Heap
Eval (c xs) rho	as	rs	us	h
=>				
ReturnCon c (val rho sigma xs)	as	rs	us	h

# Constructor Matching

Code	Arg Stack	Return Stack	Update Stack	Heap
ReturnCon c ws	as	(...;c vs -> e;..., rho):rs	us	h
=>				
Eval e rho[vs -> ws]	as	rs	us	h

# Constructor Matching

Code	Arg Stack	Return Stack	Update Stack	Heap
ReturnCon c ws	as	(...;v -> e_d, rho):rs	us	h
=>				
Eval e rho[v -> a]	as	rs	us	h'

$$h' = h[a \rightarrow (vs \setminus n \{\} \rightarrow c \ vs) \ ws]$$

# Primitives

Code	Arg Stack	Return Stack	Update Stack	Heap
Eval k rho or Eval (f {}) rho[f -> Int k]	as	rs	us	h
=>				
ReturnInt k	as	rs	us	h

# Pattern Matching for Primitives

Code	Arg Stack	Return Stack	Update Stack	Heap
ReturnInt k	as	(...;k->e;..., rho):rs	us	h
=>				
Eval e rho	as	rs	us	h

# Pattern Matching for Primitives

Code	Arg Stack	Return Stack	Update Stack	Heap
ReturnInt k -- (k /= ki, for i = 1..n)	as	(k1->e1; ...; kn->en; x->e, rho):rs	us	h
=>				
Eval e rho[x -> Int k]	as	rs	us	h

# Pattern Matching for Primitives

Code	Arg Stack	Return Stack	Update Stack	Heap
ReturnInt k (k /= ki, for i = 1..n)	as	(k1->e1; ...; kn->en; DEFAULT->e, rho):rs	us	h
=>				
Eval e rho	as	rs	us	h



# Primitive Operator

Code	Arg Stack	Return Stack	Update Stack	Heap
Eval (op {x1, x2}) rho[x1-> Int i1, x2 -> Int i2]	as	rs	us	h
=>				
ReturnInt (i1 `op` i2)	as	rs	us	h

# Updates

- When the update flag in closure is marked as true, then we will update the closure when its value is needed
- If the thunk is only evaluated once, we don't need to update the pointer pointing to the thunk
- The heap is updated with the actual value

# Entering Updatable Closure

Code	Arg Stack	Return Stack	Update Stack	Heap
Enter a	as	rs	us	$h[a \rightarrow (vs \setminus u \{\} \rightarrow e) ws\_f]$
$\Rightarrow$				
Eval e rho	$\{\}$	$\{\}$	$(as, rs, a):us$	$h$

where

$\rho = [vs \rightarrow ws\_f]$

# Performing The Actual Update — ReturnCon

Code	Arg Stack	Return Stack	Update Stack	Heap
ReturnCon c ws	{}	{}	(as_u, rs_u, a_u):us	h
=>				
ReturnCon c ws	as_u	rs_u	us	h_u

where

vs is a sequence of arbitrary distinct variables

length vs = length ws

$h_u = h[a_u \rightarrow (vs \setminus \{ \} \rightarrow c \text{ vs}) \text{ ws}]$

# Performing The Actual Update

## Partial Application

Code	Arg Stack	Return Stack	Update Stack	Heap
$h\ a = (vs \setminus n\ xs \rightarrow e)\ ws\_f$ $length\ as < length\ xs$				
Enter a	as	rs	$(as\_u, rs\_u, a\_u):us$	h
$=>$				
Enter a	$as\ ++\ as\_u$	$rs\_u$	us	$h\_u$

where

$xs\_1\ ++\ xs\_2 = xs$

$length\ xs\_1 = length\ as$

$h\_u = h[a\_u \rightarrow (vs\ ++\ xs\_1 \setminus n\ xs\_2 \rightarrow e)\ (ws\_f\ ++\ as)]$

# Performing The Actual Update Partial Application (PAP Closure)

Code	Arg Stack	Return Stack	Update Stack	Heap
$h\ a = (vs \setminus n\ xs \rightarrow e)\ ws\_f$ $length\ as < length\ xs$				
Enter a	as	rs	(as_u, rs_u, a_u):us	h
=>				
Enter a	as ++ as_u	rs_u	us	h_u

where

$xs\_1 ++ xs\_2 = xs$

$length\ xs\_1 = length\ as$

$h\_u = h[a\_u \rightarrow (f:xs\_1 \setminus n\ \{\} \rightarrow f\ xs\_1)\ (a:as)]$

# Partial Application

- A closure is created for every “arguments number” in partial applications (common cases)
- If the partial application uses a lot of arguments, a combination of multiple closure that consists of smaller number of arguments is used

Q&A