

S.5 In a combinational circuit, a truth table represents the resulting outputs, given inputs in a cause-and-effect relation, with the

In a sequential circuit, a state table represents all possible transitions and outputs (if any) with given inputs (external or CLK)

A characteristic table represents a flip-flop's next state by the action of its inputs and the previous state (when applicable). A characteristic equation can be derived from ~~this~~ this table.

An excitation table represents the required flip-flop inputs to perform the desired state transition from the current state to the next state.

A Boolean equation describes an output based on the function of its inputs, not necessarily dependent on state or time.

A state equation describes the next state based on a (aka transition equation)

function of the current state and input variables.

A characteristic equation describes the next state of the flip-flop based on the ~~inputs of~~ function of the flip-flop inputs and the clock edge (when applicable)

~~flip-flop input equation describes an asynchronous reset/set function independent of the clock state~~

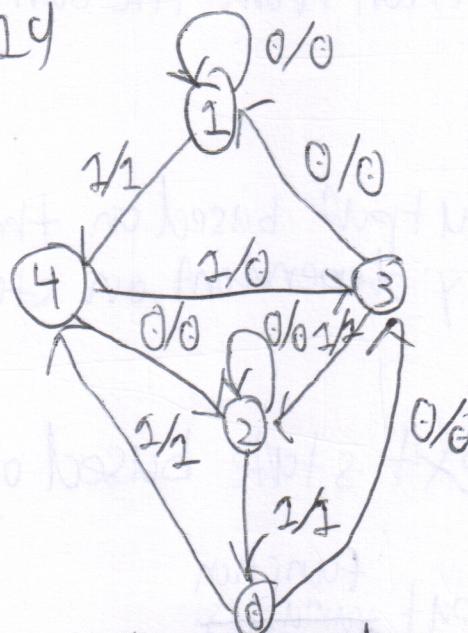
The flip-flop input equations describe the function of the four global inputs to the flip-flop outputs for a particular output flip-flop.

A state equation differs from the rest in that it ~~describes~~ abstracts the flip-flop inputs from the equation as a generic input.

~~A characteristic equation~~ differs in that it only concerns the flip-flop's states.

A flip-flop input equation differs in that it only concerns the real input to the flip-flop input, not the flip-flop output.

5.19



Note: replaced state labels with decimal equivalents, original binary values used in tables

Present state
 Q

Present state Q	Given input x_{in}		Output given input x_{in}	
	0	1	0	1
0/0	011	100	0	1
0/1	001	100	0	1
0/1/0	010	000	0	1
0/1/1	010 001	010	0	1
1/0/0	010	011	0	0

rest

don't care

both parts; see next pages for ff table implementations

S.2d cont.

d)

D	Q^+
0	0
1	1

flip-flop inputs same as Q^+ given
Input $x_{\text{-in}}$

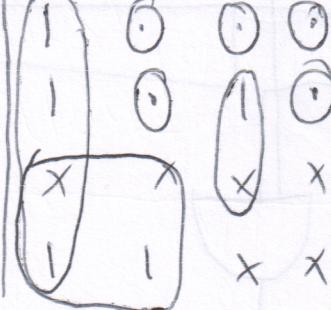
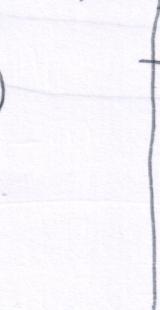
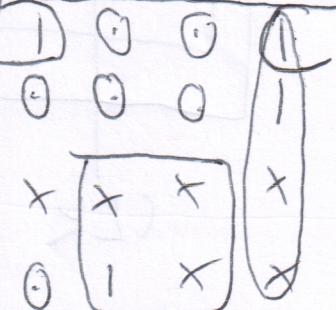
Q	$x_{\text{-in}}$	Q^+	$y_{\text{-out}}$	D. inputs
0 0 0	0	0 1 1	0	3 ffs needed
0 0 0	1	1 0 0	1	same as Q^+
0 0 1	0	0 0 1	0	
0 0 1	1	1 0 0	1	
0 1 0	0	0 1 0	0	
0 1 0	1	0 0 0	1	
0 1 1	0	0 0 1	0	
0 1 1	1	0 1 0	1	
1 0 0	0	0 1 0	0	
1 0 0	1	0 1 1	0	
A B C		↑↑↑		
rest	don't care	$A^+ B^+ C^+$		

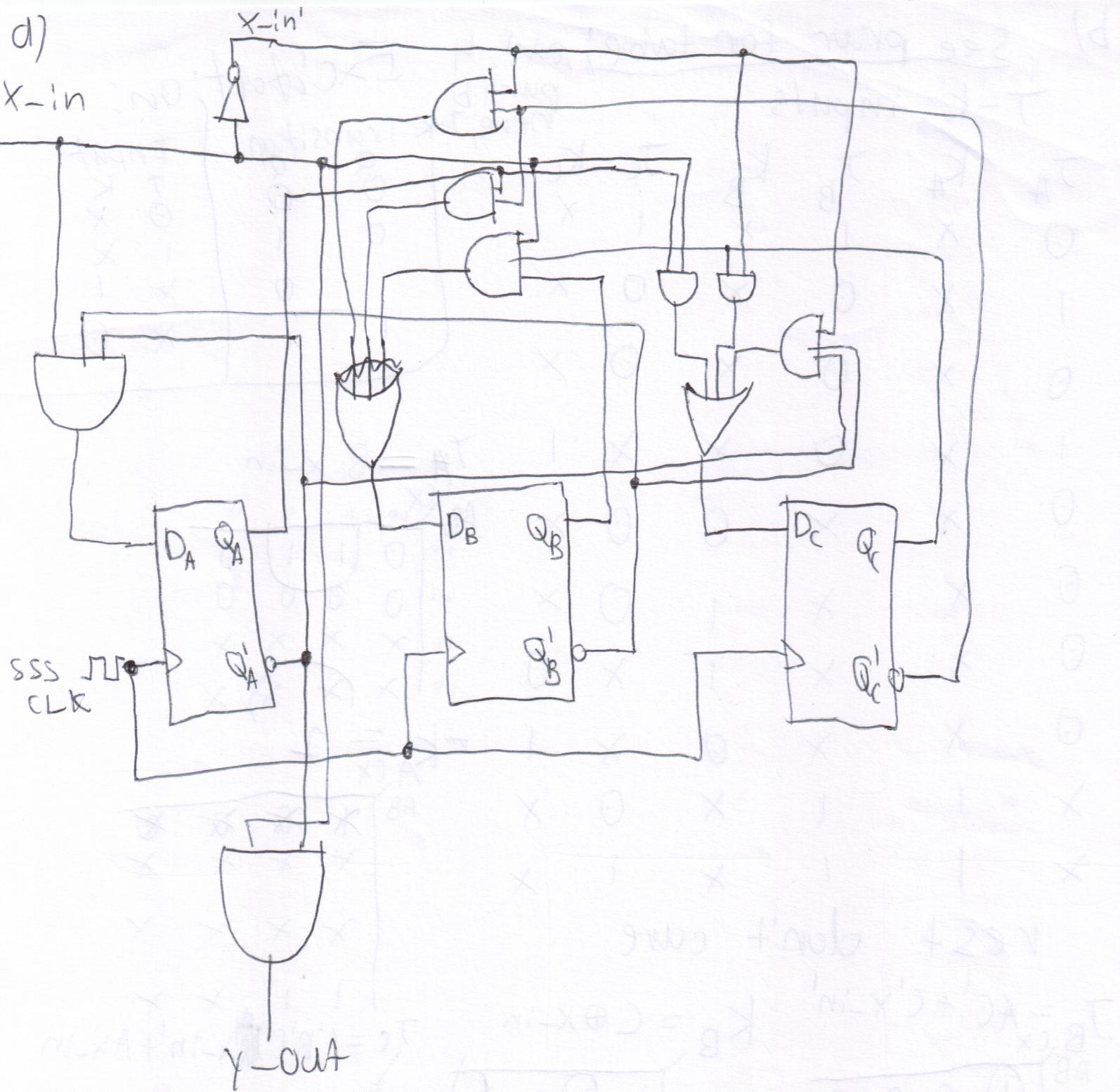
$A^+ = A'B' x_{\text{-in}}$

AB	Cx	00	01	11	10
00	0	1			0
01	0	0	1	0	0
11	X	X	X	X	X
10	0	0	X	X	X

$$y_{\text{-out}} = A'B' x_{\text{-in}}$$

AB	Cx
0	1 1 0
0	1 1 0
X	X X X
0 0 X X	

A^+	B^+	C^+
$A'B'Cx + A'Cx + B'Cx$	$Cx + AC' + BC'$	$A'B'Cx + Cx + AC'$
		



R	x	R	x	R	x	R
1	0	0	1	0	1	0

b) See prior for table; ext. 4 part b here, T-K Transition

J_A	K_A	J_B	K_B	J_C	K_C	Q	Q'	Input
0	X	1	X	1	X	0	0	J
1	X	0	X	0	X	1	1	K
0	X	0	X	0	X	1	0	X
1	X	0	X	X	1	-	-	1
0	X	X	0	0	X	-	-	0
0	X	X	1	0	X	-	-	0
0	X	X	1	X	0	-	-	0
0	X	X	0	X	1	-	-	0
X	1	1	X	0	X	-	-	X
X	1	1	X	1	X	-	-	X

$$T_A = B'x_{in}$$

AB	00	01	11	10
00	0	1	1	0
01	0	0	0	0
11	X	X	X	X
10	X	X	X	X

$$K_A = 1$$

AB	* * * *	* * * *	* * * *	* * * *
*	X	X	X	X
X	X	X	X	X
X	X	X	X	X
X	X	X	X	X

rest don't care

AB	0000	0000	0000
1	0	0	0
X	X	X	X
X	X	X	X
X	X	X	X

$$K_B = C \oplus x_{in}$$

	X	X	X	X
0	1	0	1	1
X	X	X	X	X
X	X	X	X	X
X	X	X	X	X

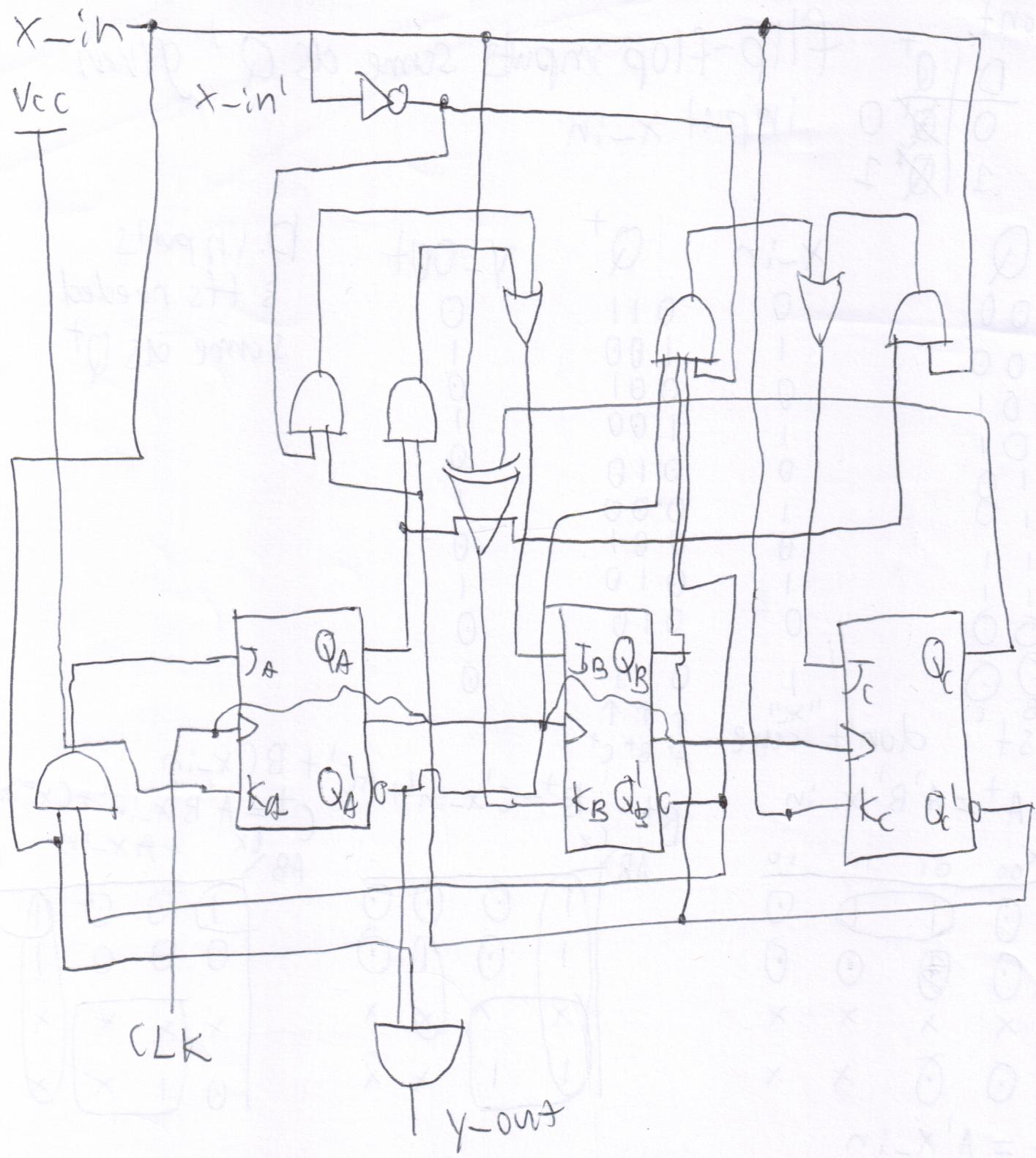
y-out is from part d
same

$$J_C = A'B'C'x_{in} + Ax_{in}$$

	0	0	1	0
0	0	0	X	0
0	0	0	X	X
X	X	X	X	X
0	1	X	X	X

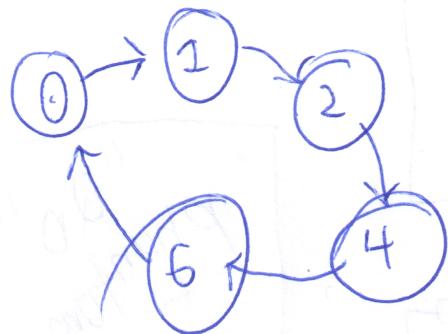
$$K_C = x_{in}$$

	X	X	1	X
X	X	X	X	X
X	X	X	X	X
X	X	X	X	X
X	X	X	X	X



6.28

a) counter 0, 1, 2, 4, 6



$$A^+ = A \oplus B$$

A	B	C	A^+	B^+	C^+
0	0	0	0	0	1
1	x	x	1	1	0

$$B^+ = AB^I + C$$

A	B	C	A^+	B^+	C^+
0	1	x	0	1	0
1	x	x	1	0	0

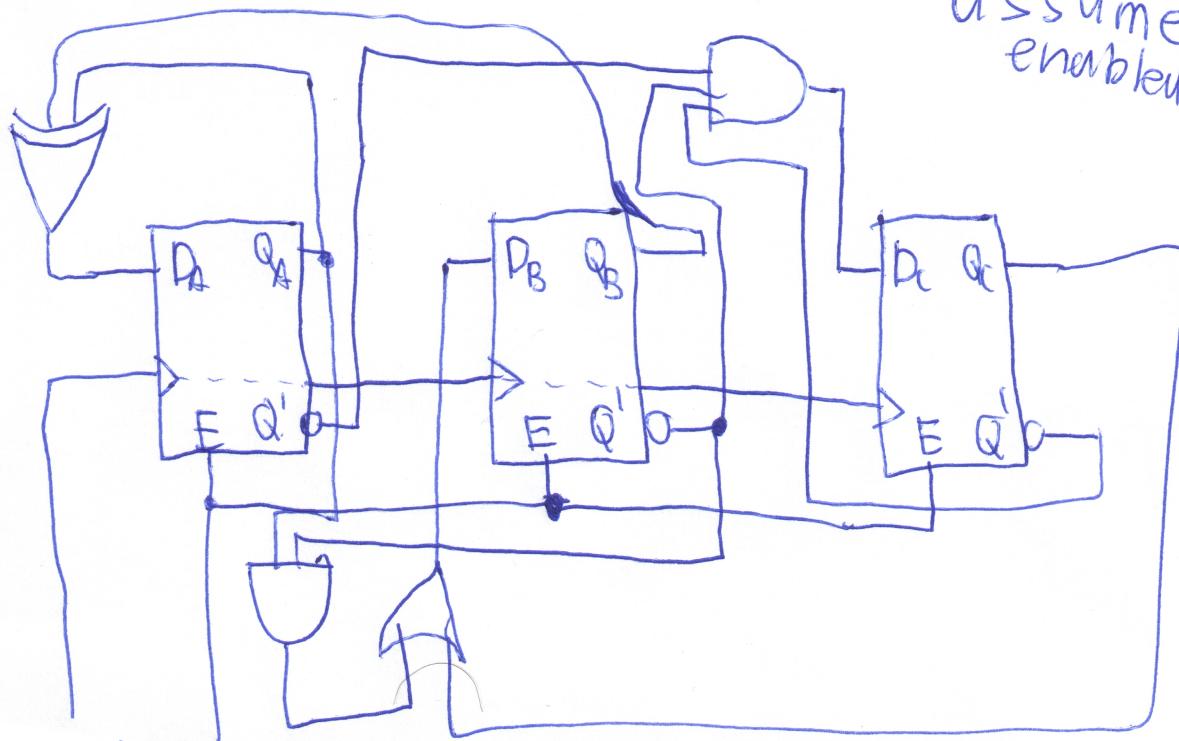
A	B	C	Q_C
0	0	0	0
0	0	1	1
0	1	0	0
0	1	1	1
1	0	0	1
1	0	1	0
1	1	0	0
1	1	1	1

D-ff
same as
 Q^+

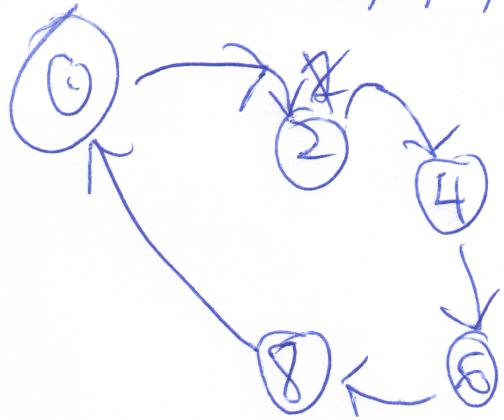
$$C^+ = A'B'C'$$

1	0	x	0
0	x	x	0

assume ffs
enabled



c) counter 0, 2, 4, 6, 8



$$A^+ = BC \quad A \quad B \quad C \quad D$$

A	B	C	D
0	0	x	0
0	x	x	x

Q
0000
0010
0100
0110
1000

$$Q^+$$

$$0010$$

$$0100$$

$$0110$$

$$1000$$

$$0000$$

$$A^+ B^+ C^+ D^+$$

$$B^+ = B \oplus C$$

$$C^+ = C' A$$

$$A^+ = BC$$

$$D = 0$$

$$P = 0$$

$$G = X$$

$$X = X$$

by observation
 $D = 0 = D$

therefore, not

in kmups
(phantom
flip-flop)

$C = C' A$

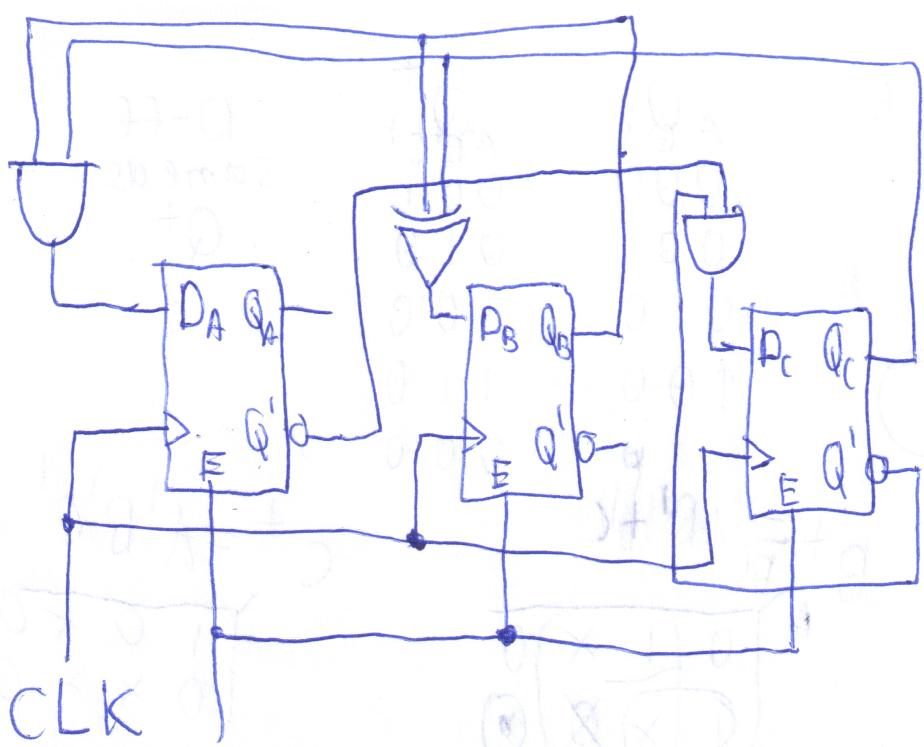
$A^+ = BC$

$D = 0$

$P = 0$

$G = X$

$X = X$



"Phản xạ Tom" "Q_D"

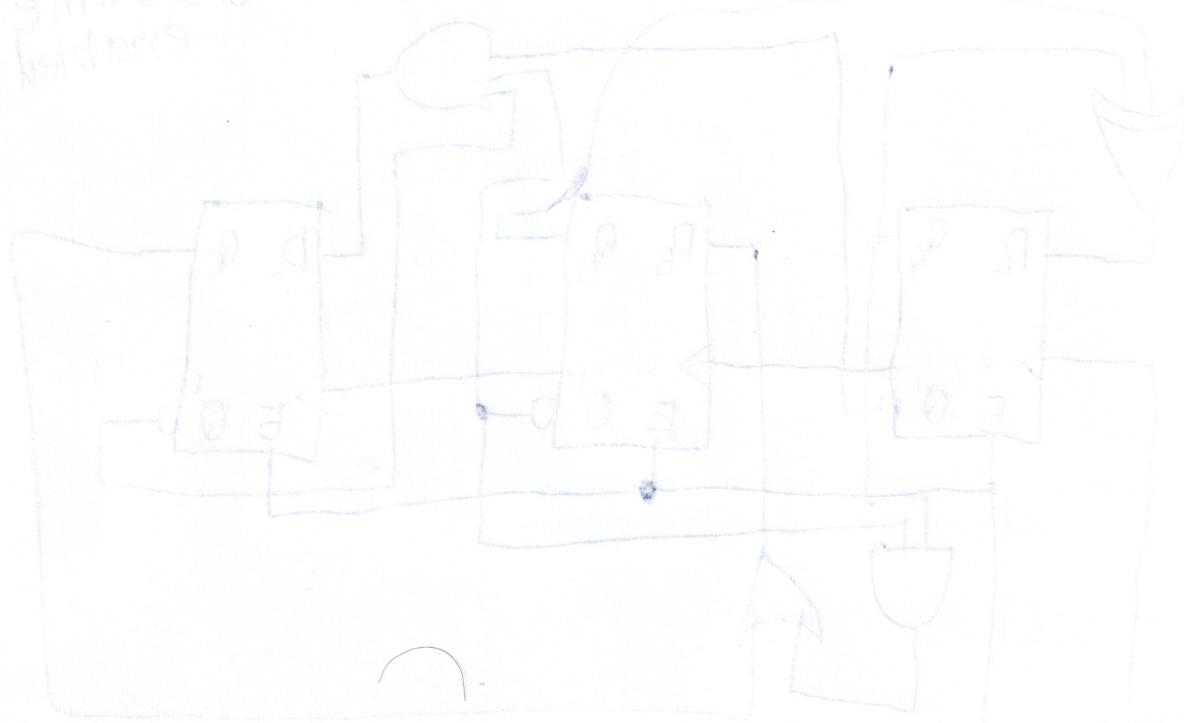


Table showing state transitions for the four-stage pipeline register:

Current State	Next State
0000	0000
0001	0010
0010	0100
0011	0110
0100	1001
0101	1010
0110	1100
1000	0000
1001	0001
1010	0010
1100	0100
1000	0000
1001	0001
1010	0010
1100	0100