

## Simulation Shot Calculations

Monday, March 25, 2024 10:45 AM

1. Ball has a starting position (XYZ)
  - a. Think about normal spot that a ball would be in when hit from a serve/volley
2. Ball has an initial trajectory direction and velocity
  - a. Find average volley/serve speed and choose a vector direction that would get over to the other side of the court
3. Given starting XYZ, what is the new XYZ considering the trajectory/velocity/gravity at time t

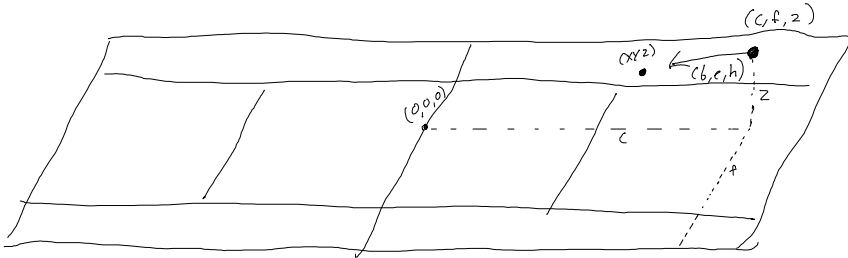
Equations should have the body:

$$\begin{aligned} x(t) &= a_x t^2 + b_x t + c, \quad y(t) = d_y t^2 + e_y t + f, \quad z(t) = g_z t^2 + h_z t + i \end{aligned}$$

where  $(c, f, i)$  is the initial position of the tennis ball in 3d space.  $(b, e, h)$  are the initial velocity of the ball in 3d space.

input =  $t$   
output =  $X, Y, Z$

make 4 different  
eqn with different  
initial position/trajectory



$$\begin{aligned} \text{Eqn 1: } & \langle X, Y, Z \rangle = \text{shot1}(t) \\ \text{Eqn 2: } & \langle X, Y, Z \rangle = \text{shot2}(t) \\ & \vdots \\ \text{Eqn 3: } & \langle X, Y, Z \rangle = \text{shot3}(t) \end{aligned}$$

Shot 1 has

 $(x_i, y_i, z_i)$  - Initial ball center position in 3D

 $(v_x, v_y, v_z)$  - Initial ball velocity of  $x, y, z$  components
All Shots

have eqn relating

$$[x_i, y_i, z_i], [v_x, v_y, v_z], t \rightarrow [X_t, Y_t, Z_t]$$

initial position      velocity, vectors

$$X_t = a_x t^2 + v_x t + x_i$$

$$Y_t = a_y t^2 + v_y t + y_i$$

$$Z_t = a_z t^2 + v_z t + z_i$$

$a_z$  = acceleration acting on  $z$   
(- gravity)

