Homework 2

This jupyter notebook is also accessble as an online colab notebook:

https://colab.research.google.com/drive/10KcuDSp9jCx0eFkdQ-UvrS6VPQjmpYPQ#scrollTo=Yj8OAlyA5Tzv (https://colab.research.google.com/drive/10KcuDSp9jCx0eFkdQ-UvrS6VPQjmpYPQ#scrollTo=Yj8OAlyA5Tzv)

Q₁

Load & normalize the data

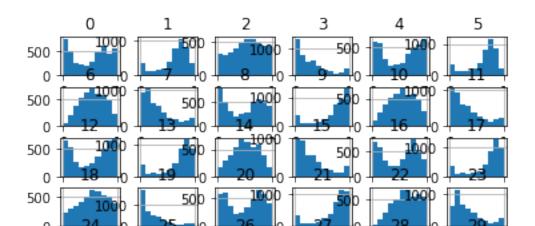
```
In [2]:
import pandas as pd
import numpy as np
from urllib.request import urlopen
import re
from sklearn import preprocessing
data_train = urlopen("https://raw.githubusercontent.com/peterwu19881230/CSCE633_ML_c
data test = urlopen("https://github.com/peterwu19881230/CSCE633_ML_data/raw/master/s
#Note for the test data: 1. I manually deleted a "NUL" on line 1181 1. I manually de
def parse data(data):
 rows=[]
 class =[]
  for line in data: # files are iterable
      string=line.decode("utf-8").rstrip() #rstrip() is to trim EOL
      words=string.split(sep=" ")
      class .append(words[0])
      words.pop(0) #remove the first element (response variable)
      row=[np.nan]*36 #I have checked that for each row there are at most 36 feature
      for word in words:
        col_result=re.search('([0-9]{1,2}):.*',word) #.* means "0 or more of any characteristics"
        col=int(col result.group(1))
```

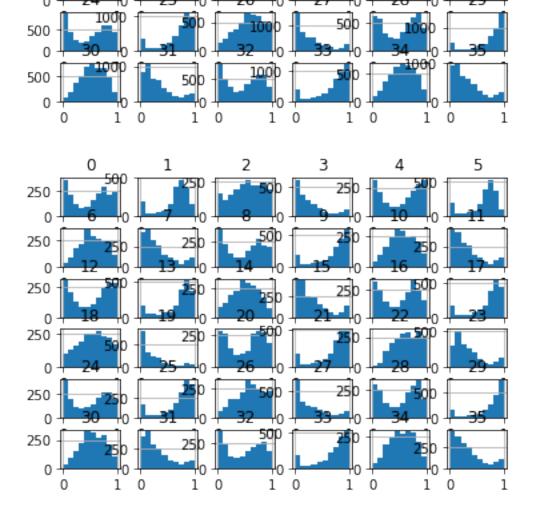
value result=re.search($'[0-9]{1,2}:(.*)'$, word)

```
row[col-1]=float(value_result.group(1))
      rows.append(row)
  df=pd.DataFrame(rows)
  #normalize the data (definition of normalization: https://scikit-learn.org/stable)
  min_max_scaler = preprocessing.MinMaxScaler(feature_range=(0, 1))
  normalized_df=pd.DataFrame(min_max_scaler.fit_transform(df.T), columns=df.index,
  X=normalized_df
  ##compute response variable
  y=np.where(np.array(class_).astype(int) == 6, 1, 0)
  return(X,y)
X_train, y_train = parse_data(data_train)
X_test, y_test = parse_data(data_test)
#check no. of cols & rows
print(X_train.head())
##verify by printing histograms for all columns
X_train.hist(); #";" is to surpress messages
X test.hist();
                                  3
                                                                      3
    0
              1
                        2
                                                  32
                                                            33
```

```
4
         35
0
        1.000000
                   0.694047
                             0.427273
                                             0.610156
                                                        0.651456
  NaN
                                                                   0.23157
9
   0.158984
  NaN
        0.890850
                   0.196389
                             0.150320
                                             0.796417
                                                        0.839826
                                                                   0.30722
1
7
   0.141549
2
                   0.771404
                             0.364708
                                             0.283042
                                                        0.448587
   1.0
       0.928588
                                                                   0.11340
0
   0.002494
3
  NaN
       0.695489
                   0.229246
                             0.113419
                                             0.839346
                                                        0.831158
                                                                   0.67827
0
   0.437713
4
  NaN
       0.567578
                   0.280369
                             0.081376
                                             0.553549
                                                        0.451600
                                                                   0.12377
   0.00000
```

[5 rows x 36 columns]





Calculate how many nans are there -> Decide to ignore or impute -> Impute

```
In [3]:
```

```
print(X_train.isna().sum())

import numpy as np
from sklearn.impute import SimpleImputer

def impute_by_mean(data):
    imp_mean = SimpleImputer(missing_values=np.nan, strategy='mean') #It seems that ti
    imp_mean.fit(data)
    return(pd.DataFrame(imp_mean.transform(data)))

X_train_imputed=impute_by_mean(X_train) #print(X_train_imputed.isna().sum()) #this
X_test_imputed=impute_by_mean(X_test)
```

```
0
           59
1
             0
2
           55
3
             0
4
         231
5
             0
6
             0
             0
7
8
           54
9
             0
```

10	0
11	0
12	259
13	230
14	0
15	172
16	55
17	0
18	0
19	0
20	0
21	0
22	0
23	0
24	63
25	219
26	0
27	156
28	0
29	0
30	0
31	0
32	59
33	0
34	0
35	0
dtype:	int64

implement SVM

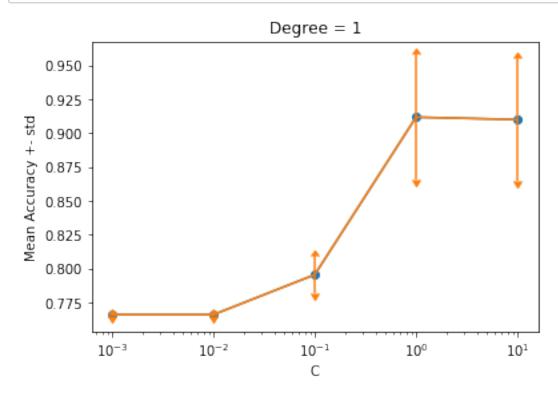
```
from sklearn.svm import SVC
from sklearn.model selection import GridSearchCV
from sklearn.metrics import classification_report, confusion_matrix
from sklearn.model selection import cross val score
#----
import warnings
warnings.simplefilter(action='ignore', category=FutureWarning) #avoid the "future warnings.simplefilter(action='ignore', category=FutureWarning)
ds = [1,2,3,4]
Cs = [0.001, 0.01, 0.1, 1, 10] #ref: https://medium.com/@aneesha/svm-parameter-tunii
param grid={'degree':ds,'C':Cs}
grid_search = GridSearchCV(SVC(kernel='poly'), param_grid, cv=10,scoring='accuracy'
grid search.fit(X train imputed, y train)
Out[4]:
GridSearchCV(cv=10, error score='raise-deprecating',
             estimator=SVC(C=1.0, cache size=200, class weight=None, c
oef0=0.0,
                            decision_function_shape='ovr', degree=3,
                            gamma='auto deprecated', kernel='poly', max
iter=-1,
                            probability=False, random state=None, shrin
king=True,
                            tol=0.001, verbose=False),
              iid='warn', n jobs=None,
             param grid={'C': [0.001, 0.01, 0.1, 1, 10],
                           'degree': [1, 2, 3, 4]},
             pre_dispatch='2*n_jobs', refit=True, return_train_score=F
alse,
             scoring='accuracy', verbose=0)
In [5]:
#I here use accuracy as the error term
accuracy_list=[]
for i in range(10):
  accuracy list.append(pd.DataFrame(grid search.cv results ['split'+str(i)+' test solutions)
accuracy df=pd.concat(accuracy list,axis=0)
## assign column names
params=grid_search.cv_results_['params']
params string=['C:'+str(param['C'])+' '+'degree:'+str(param['degree']) for param in
accuracy df.columns=params string
```

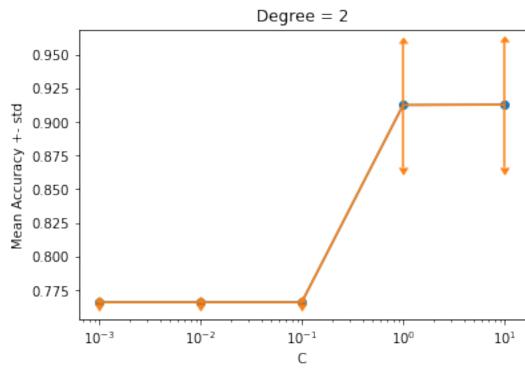
In [4]:

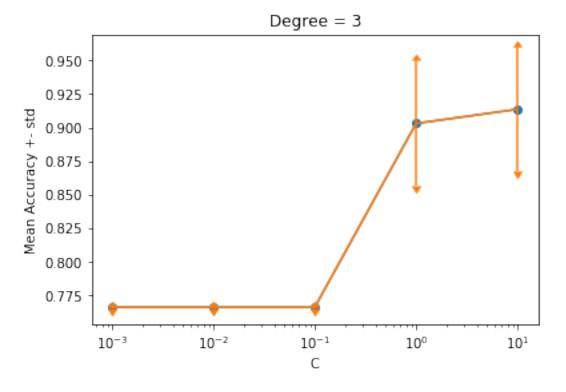
```
mean_array=np.array([np.mean(accuracy_df[column]) for column in accuracy_df.columns
std_array=np.array([np.std(accuracy_df[column]) for column in accuracy_df.columns])

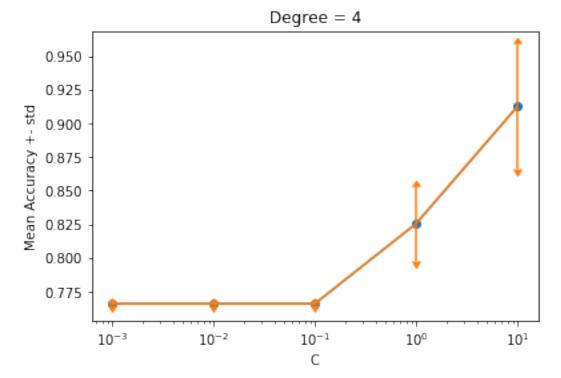
import matplotlib.pyplot as plt

for d in ds:
    degree_index=list(np.array([0,4,8,12,16])+d-1)
    plt.plot(Cs,mean_array[degree_index])
    plt.errorbar(Cs, mean_array[degree_index], yerr=std_array[degree_index],lolims=Trn
    plt.scatter(Cs,mean_array[degree_index])
    plt.title('Degree = '+str(d))
    plt.xscale('log')
    plt.xlabel('C')
    plt.ylabel('Mean Accuracy +- std')
    plt.show()
```









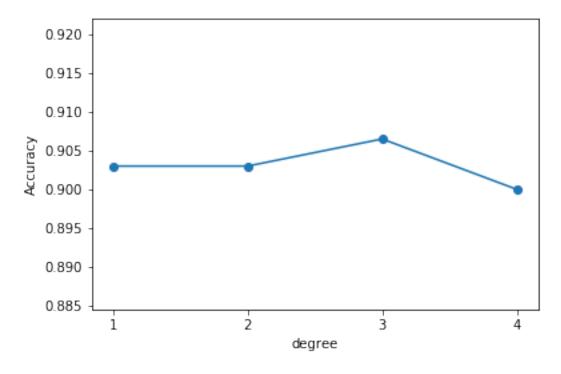
Best parameters that gives best accuracy:

```
In [6]:
grid_search.best_params_
```

```
Out[6]:
{'C': 10, 'degree': 3}
```

In [7]:

```
from sklearn.metrics import accuracy_score
ds = [1,2,3,4]
C = 10
accuracy_list=[]
no_support_vectors=[]
for d in ds:
 model=SVC(C=C,kernel='poly',degree=d)
 model.fit(X_train_imputed,y_train)
 no support vectors.append(model.n support ) #no of support vectors for each feature
  accuracy_list.append(accuracy_score(y_test,model.predict(X_test_imputed)))
x=ds
plt.scatter(x,accuracy list)
plt.plot(x,accuracy_list)
plt.xticks(np.arange(min(x), max(x)+1, 1.0))
plt.xlabel('degree')
plt.ylabel('Accuracy')
plt.show()
```



In [8]:

no_support_vectors #no. of support vectors for each class (for d=1,2,3,4, respective

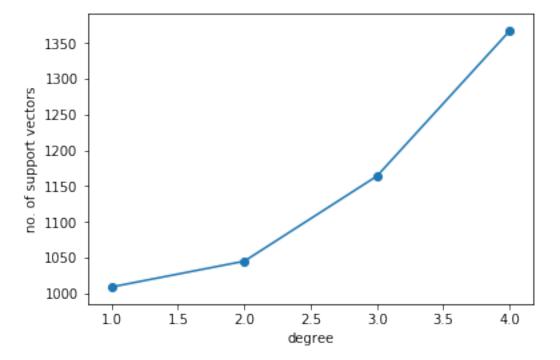
Out[8]:

```
[array([505, 504], dtype=int32),
array([525, 520], dtype=int32),
array([583, 581], dtype=int32),
array([686, 681], dtype=int32)]
```

In [9]:

```
total_no_support_vectors=[]
for d in ds:
    total_no_support_vectors.append(np.sum(no_support_vectors[d-1]))

plt.plot(ds,total_no_support_vectors)
plt.scatter(ds,total_no_support_vectors)
plt.xlabel('degree')
plt.ylabel('no. of support vectors')
plt.show()
```



Points that lie on the margin hyperplanes should give the decision function f(x)=0

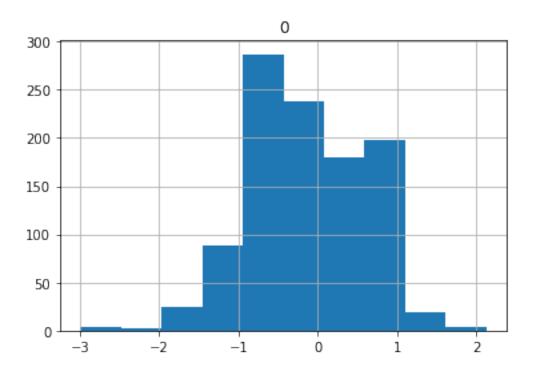
```
C=10
d=3

model=SVC(C=C,kernel='poly',degree=d)
model.fit(X_train_imputed,y_train)

#ref: https://stackoverflow.com/questions/32074239/sklearn-getting-distance-of-each-
y = model.decision_function(model.support_vectors_)
pd.DataFrame(y).hist()
```

Out[40]:

In [40]:



In [42]:

```
np.sum(y==0) #there are many points that are close to the margin (f(x)=0), but there
```

Out[42]:

0

For polynomial kernal: As the parameter d (degree for polynomial kernal) increases, the margin size can be larger (more flexible) and allows more support vectors

For RBF kernal: As the parameter gamma increases, the decision boundary becomes more wiggled (margin size will decrease). In addition, the no. of support vectors will increase

(N)

Ridge minimizes:
$$\beta > 1 + \lambda \sum \beta^{2}$$

end: $\frac{1}{2} (y_{1} - y_{0} - \beta_{1} \chi_{11} - \beta_{2} \chi_{12})^{2} + \lambda (\beta_{1}^{2} + \beta_{2}^{2})$

$$= (y_{1} - \beta_{1} \chi_{11} - \beta_{2} \chi_{12})^{2} + (y_{2} - \beta_{1} \chi_{21} - \beta_{2} \chi_{22})^{2} + \lambda (\beta_{1}^{2} + \beta_{2}^{2})$$

$$= (\beta_{1} - \chi_{11} (\beta_{1} + \beta_{2}))^{2} + (y_{2} - \chi_{21} (\beta_{1} + \beta_{2}))^{2} + \lambda (\beta_{1}^{2} + \beta_{2}^{2})$$

$$= (\beta_{1} - \chi_{11} (\beta_{1} + \beta_{2}))^{2} + (y_{2} - \chi_{21} (\beta_{1} + \beta_{2}))^{2} + \lambda (\beta_{1}^{2} + \beta_{2}^{2})$$

$$= (\beta_{1}^{2} + \beta_{2}^{2} - 2 \times (\beta_{1} + \beta_{2})) + \lambda (\beta_{1}^{2} + \beta_{2}^{2})$$

$$= (\beta_{1}^{2} + \beta_{2}^{2} - 2 \times (\beta_{1} + \beta_{2})) + \lambda (\beta_{1}^{2} + \beta_{2}^{2})$$

$$= (\beta_{1}^{2} + \beta_{2}^{2} - 2 \times (\beta_{1} + \beta_{2})) + \lambda (\beta_{1}^{2} + \beta_{2}^{2})$$

$$= (\beta_{1}^{2} + \beta_{2}^{2} - 2 \times (\beta_{1} + \beta_{2})) + \lambda (\beta_{1}^{2} + \beta_{2}^{2})$$

$$= (\beta_{1}^{2} + \beta_{2}^{2} - 2 \times (\beta_{1} + \beta_{2})) + \lambda (\beta_{1}^{2} + \beta_{2}^{2})$$

$$= (\beta_{1}^{2} + \beta_{2}^{2} - 2 \times (\beta_{1} + \beta_{2})) + \lambda (\beta_{1}^{2} + \beta_{2}^{2})$$

$$= (\beta_{1}^{2} + \beta_{2}^{2} - 2 \times (\beta_{1} + \beta_{2})) + \lambda (\beta_{1}^{2} + \beta_{2}^{2})$$

$$= (\beta_{1}^{2} + \beta_{2}^{2} - 2 \times (\beta_{1} + \beta_{2})) + \lambda (\beta_{1}^{2} + \beta_{2}^{2})$$

$$= (\beta_{1}^{2} + \beta_{2}^{2} - 2 \times (\beta_{1} + \beta_{2})) + \lambda (\beta_{1}^{2} + \beta_{2}^{2})$$

$$= (\beta_{1}^{2} + \beta_{2}^{2} - 2 \times (\beta_{1} + \beta_{2})) + \lambda (\beta_{1}^{2} + \beta_{2}^{2})$$

$$= (\beta_{1}^{2} + \beta_{2}^{2} - 2 \times (\beta_{1} + \beta_{2})) + \lambda (\beta_{1}^{2} + \beta_{2}^{2})$$

$$= (\beta_{1}^{2} + \beta_{2}^{2} - 2 \times (\beta_{1} + \beta_{2})) + \lambda (\beta_{1}^{2} + \beta_{2}^{2})$$

$$= (\beta_{1}^{2} + \beta_{2}^{2} - 2 \times (\beta_{1} + \beta_{2})) + \lambda (\beta_{1}^{2} + \beta_{2}^{2})$$

$$= (\beta_{1}^{2} + \beta_{2}^{2} - 2 \times (\beta_{1}^{2} + \beta_{2}^{2})) + \lambda (\beta_{1}^{2} + \beta_{2}^{2})$$

$$= (\beta_{1}^{2} + \beta_{2}^{2} - 2 \times (\beta_{1}^{2} + \beta_{2}^{2})) + \lambda (\beta_{1}^{2} + \beta_{2}^{2})$$

$$= (\beta_{1}^{2} + \beta_{2}^{2} - 2 \times (\beta_{1}^{2} + \beta_{2}^{2})) + \lambda (\beta_{1}^{2} + \beta_{2}^{2})$$

$$= (\beta_{1}^{2} + \beta_{2}^{2} - 2 \times (\beta_{1}^{2} + \beta_{2}^{2})) + \lambda (\beta_{1}^{2} + \beta_{2}^{2} + \beta_{2}^{2})$$

$$= (\beta_{1}^{2} + \beta_{2}^{2} - 2 \times (\beta_{1}^{2} + \beta_{2}^{2})) + \lambda (\beta_{1}^{2} + \beta_{2}^{2} + \beta_{2}^{2} + \beta_{2}^{2})$$

$$= (\beta_{1}^{2} + \beta_{2}^{2} + \beta_{2}^{2} + \beta_{2}^{2} + \beta_{2}^{2} + \beta_{2}^{2}$$

$$\frac{\partial \text{ error}}{\partial \beta_{1}} = 2 \lambda \beta_{1} - 2 \times (y_{1} \chi_{11} + y_{2} \chi_{21}) = 0 \quad \Rightarrow \quad \beta_{1} = \frac{y_{1} \chi_{11} + y_{2} \chi_{21}}{\lambda}$$

$$\frac{\partial \text{ error}}{\partial \beta_{2}} = 2 \lambda \beta_{2} - 2 \times (y_{1} \chi_{11} + y_{2} \chi_{21}) = 0 \quad \Rightarrow \quad \beta_{2} = \frac{y_{1} \chi_{11} + y_{2} \chi_{21}}{\lambda} = \beta_{1}$$

(c)

Lasso minimizes:
$$RSS + A \Sigma |B|$$
 $ethor = y_1^2 + y_2^2 - 2 \times \beta_1 (y_1 x_1 + y_2 x_{21}) - 2 \times \beta_2 (y_1 x_1 + y_2 x_{21}) + \lambda (|\beta_1| + |\beta_2|)$

(d)

$$\frac{\int e^{\mu ror}}{\int \beta_{1}} = \lambda \cdot \frac{|\beta_{1}|}{\beta_{1}} - 2(y_{1}\chi_{1} + y_{2}\chi_{2}) = 0 \quad \int \beta_{1} \text{ and } \beta_{2} \text{ both}$$

$$\frac{\int e^{\mu ror}}{\int \beta_{2}} = \lambda \cdot \frac{|\beta_{1}|}{\beta_{2}} - 2(y_{1}\chi_{1} + y_{2}\chi_{2}) = 0 \quad \int \beta_{1} \text{ and } \beta_{2} \text{ both}$$

$$\frac{\int e^{\mu ror}}{\int \beta_{2}} = \lambda \cdot \frac{|\beta_{1}|}{\beta_{2}} - 2(y_{1}\chi_{1} + y_{2}\chi_{2}) = 0 \quad \int \beta_{1} \text{ and } \beta_{2} \text{ both}$$

Lasso constraint woule have a diamond shape centered at the original of the plane

Q3

```
In [0]:
```

no. of malignant= 239

no. of benign= 443

```
from sklearn.model_selection import train_test_split

df=pd.read_csv('https://raw.githubusercontent.com/peterwu19881230/CSCE633_ML_data/maprint('df shape= ')
print(df.shape)

X=df.iloc[:, [0,1,2,3,4,5,6,7,8]]
response=df.iloc[:, [9]]

y=np.where(np.array(response).astype(int) == 4, 1, 0) #1 means malignant

print('no. of malignant= '+ str(np.sum(y)))
print('no. of benign= '+ str(np.sum(y==0)))

X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.33, random_statest_split(X, y, test_size=0.33, random_statest_split(
```

There are only ~35% of the data that are malignant (imbalanced data)

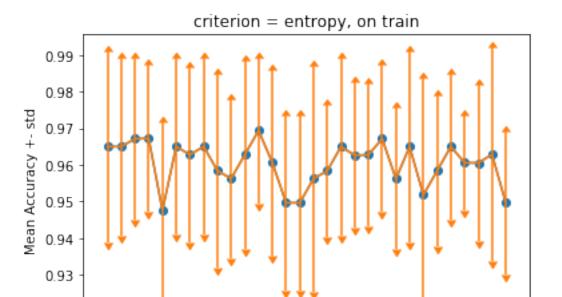
Implement Decision tree

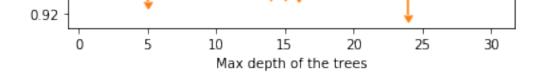
In [60]:

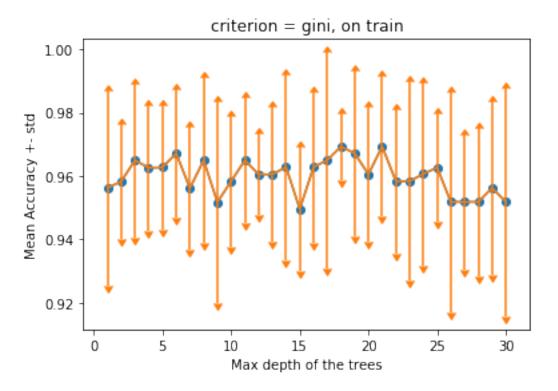
```
In [56]:
from sklearn.tree import DecisionTreeClassifier
max depth = list(range(1,31))
criterion=['entropy','gini']
param_grid={'criterion':criterion,'max_depth':max_depth}
grid_search = GridSearchCV(DecisionTreeClassifier(), param_grid, cv=10,scoring='acct
grid search.fit(X train, y train)
Out[56]:
GridSearchCV(cv=10, error score='raise-deprecating',
             estimator=DecisionTreeClassifier(class_weight=None,
                                               criterion='gini', max de
pth=None,
                                               max_features=None,
                                               max leaf nodes=None,
min impurity decrease=0.0,
                                               min_impurity_split=None,
                                               min samples leaf=1,
                                               min samples split=2,
min weight fraction leaf=0.0,
                                               presort=False, random st
ate=None,
                                               splitter='best'),
             iid='warn', n_jobs=None,
             param grid={'criterion': ['entropy', 'gini'],
                          'max depth': [1, 2, 3, 4, 5, 6, 7, 8, 9, 10,
11, 12,
                                        13, 14, 15, 16, 17, 18, 19, 20,
21, 22,
                                        23, 24, 25, 26, 27, 28, 29, 30]
},
             pre dispatch='2*n jobs', refit=True, return train score=F
alse,
             scoring='accuracy', verbose=0)
```

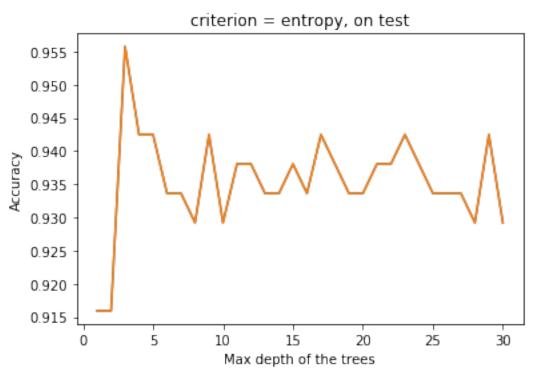
accuracy_list=[] for i in range(10): accuracy_list.append(pd.DataFrame(grid_search.cv_results_['split'+str(i)+'_test_search.cv_results_['split'+str(i)+

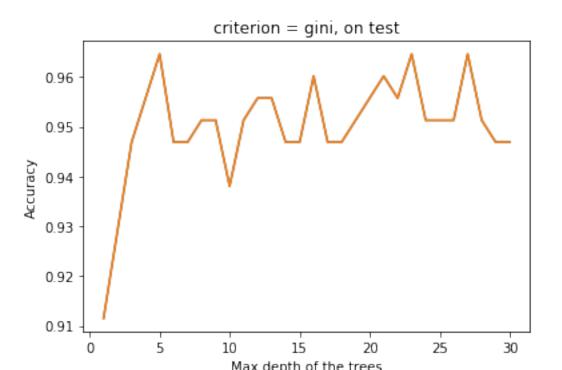
```
## assign column names
params=grid search.cv results ['params']
params_string=['criterion:'+str(param['criterion'])+'_'+'max_depth:'+str(param['max]
accuracy df.columns=params string
mean_array=np.array([np.mean(accuracy_df[column]) for column in accuracy_df.columns
std_array=np.array([np.std(accuracy_df[column]) for column in accuracy_df.columns])
# plot based on training data
for i in [0,1]:
  degree_index=list(np.array(range(1,31))+15*i)
 plt.plot(max_depth, mean_array[degree_index])
 plt.errorbar(max_depth, mean_array[degree_index], yerr=std_array[degree_index],lo]
 plt.scatter(max_depth,mean_array[degree_index])
 plt.title('criterion = '+criterion[i]+', '+'on train')
 plt.xlabel('Max depth of the trees')
 plt.ylabel('Mean Accuracy +- std')
 plt.show()
# plot based on test data
for i in [0,1]:
  accuracy_list=[]
  for j in max depth:
    model=DecisionTreeClassifier(criterion=criterion[i],max_depth=j)
    model.fit(X train,y train)
    accuracy list.append(accuracy score(y test, model.predict(X test)))
  degree index=list(np.array(range(1,31))+15*i)
 plt.plot(max_depth,np.array(accuracy_list))
  plt.plot(max depth,np.array(accuracy list))
 plt.title('criterion = '+criterion[i]+', '+'on test')
  plt.xlabel('Max depth of the trees')
 plt.ylabel('Accuracy')
 plt.show()
```











rian depair of the trees

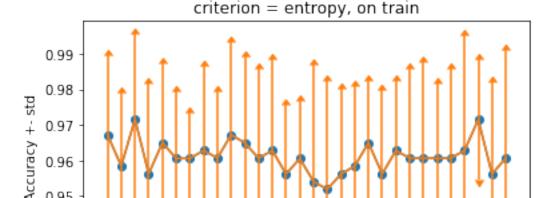
Implement Random forest

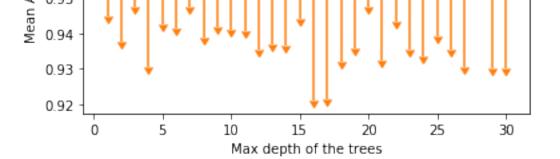
```
ight=None,
pth=None,
min impurity decrease=0.0,
                                               min_impurity_split=None,
                                               min samples leaf=1,
                                               min samples split=2,
min weight fraction leaf=0.0,
                                               n estimators='warn', n j
obs=None,
                                               oob score=False,
                                               random state=None, verbo
se=0,
                                               warm start=False),
             iid='warn', n_jobs=None,
             param_grid={'criterion': ['entropy', 'gini'],
                          'max depth': [1, 2, 3, 4, 5, 6, 7, 8, 9, 10,
11, 12,
                                        13, 14, 15, 16, 17, 18, 19, 20,
21, 22,
                                        23, 24, 25, 26, 27, 28, 29, 30]
},
             pre_dispatch='2*n_jobs', refit=True, return_train_score=F
alse,
             scoring='accuracy', verbose=0)
```

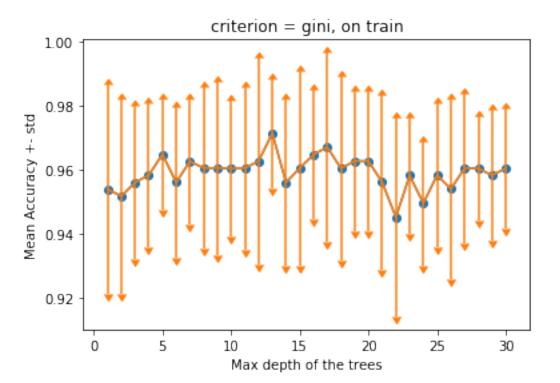
In [97]:

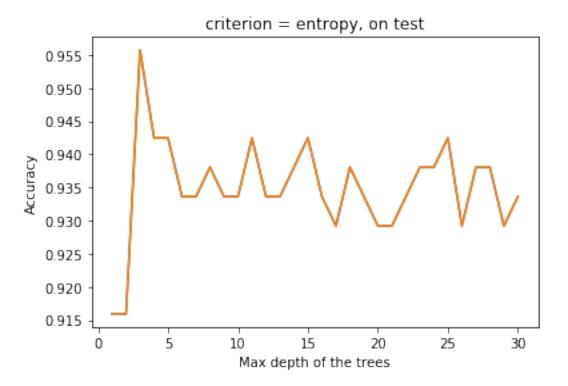
```
accuracy_list=[]
for i in range(10):
```

```
accuracy_list.append(pd.DataFrame(grid_search.cv_results_['split'+str(i)+'_test_s(
accuracy_df=pd.concat(accuracy_list,axis=0)
## assign column names
params=grid search.cv results ['params']
params_string=['criterion:'+str(param['criterion'])+'_'+'max_depth:'+str(param['max]
accuracy_df.columns=params_string
mean array=np.array([np.mean(accuracy df[column]) for column in accuracy df.columns
std_array=np.array([np.std(accuracy_df[column]) for column in accuracy_df.columns])
# plot based on training data
for i in [0,1]:
  degree index=list(np.array(range(1,31))+15*i)
  plt.plot(max depth, mean array[degree index])
  plt.errorbar(max_depth, mean_array[degree_index], yerr=std_array[degree_index],lo]
  plt.scatter(max_depth,mean_array[degree_index])
 plt.title('criterion = '+criterion[i]+', '+'on train')
  plt.xlabel('Max depth of the trees')
  plt.ylabel('Mean Accuracy +- std')
  plt.show()
# plot based on test data
featureImportances=[]
for i in [0,1]:
  accuracy list=[]
  for j in max depth:
    model=DecisionTreeClassifier(criterion=criterion[i],max_depth=j)
    model.fit(X train,y train)
    featureImportances.append(model.feature importances )
    accuracy_list.append(accuracy_score(y_test,model.predict(X_test)))
  degree index=list(np.array(range(1,31))+15*i)
  plt.plot(max_depth,np.array(accuracy_list))
  plt.plot(max_depth,np.array(accuracy_list))
  plt.title('criterion = '+criterion[i]+', '+'on test')
  plt.xlabel('Max depth of the trees')
  plt.ylabel('Accuracy')
  plt.show()
```

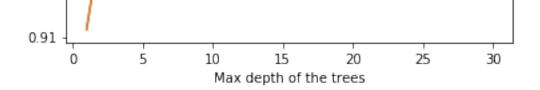












```
In [143]:
# show feature importance rankings (using average of all 60 models based on [gini,el
features=['Clump Thickness', 'Uniformity of Cell Size', 'Uniformity of Cell Shape', 'Ma
import scipy.stats as ss
def rank(feature_importance):
  ranking=len(feature importance) - ss.rankdata(feature importance, method="max").ast
  return(ranking)
ranking list=[]
importance_list=[]
for i in range(60):
  importance list.append(pd.DataFrame(featureImportances[i]).T)
  ranking list.append(pd.DataFrame(rank(featureImportances[i])).T)
ranking df=pd.concat(ranking list,axis=0)
importance_df=pd.concat(importance_list,axis=0)
feature ranking list=[pd.DataFrame(features),pd.DataFrame(importance df.mean(axis=0)
feature_ranking_df=pd.DataFrame(pd.concat(feature_ranking_list,axis=1))
feature ranking df.columns=['features','importance mean','ranking mean','ranking sto
print(feature ranking df)
```

	features	importance mean	ranking mean	ranking
std				
0	Clump Thickness	0.111992	2.033333	0.18
1020	-			
1	Uniformity of Cell Size	0.767551	1.000000	0.00
0000	1			
2	Uniformity of Cell Shape	0.015073	4.766667	1.31
9562	onfrommer of cert bhape	0.013073	1.700007	1.31
3	Marginal Adhesion	0.004198	7.083333	1.57
_	Marginar Adnesion	0:004198	7.005555	1.57
6218	nula Ruichalial Gall Gi-a	0.010265	F (1(()	1 1 5
	ngle Epithelial Cell Size	0.010265	5.616667	1.15
1148				
5	Bare Nuclei	0.068001	2.933333	0.25
1549				
6	Bland Chromatin	0.012347	5.216667	1.48
5428				
7	Normal Nucleoli	0.008863	6.116667	1.82
3497				
8	Mitoses	0.001711	7.716667	1.76
6848				

The rankings were based on the importance of each feature averaged by all the 60 models (by [gini,entropy] X [1~30 max depth of tree]). The accuracy doesn't change significantly across different hyperparameters so averaging all of them should be fine. For the final model I would probabily take out 'Marginal Adhesion' and 'Mitosis' because they are the least important. This can be further confirmed by calculating accuracy after post-pruning the trees

Homework 2

This jupyter notebook is also accessble as an online colab notebook:

https://colab.research.google.com/drive/10KcuDSp9jCx0eFkdQ-UvrS6VPQjmpYPQ#scrollTo=Yj8OAlyA5Tzv (https://colab.research.google.com/drive/10KcuDSp9jCx0eFkdQ-UvrS6VPQjmpYPQ#scrollTo=Yj8OAlyA5Tzv)

Q1

Load & normalize the data