1

Complex Numbers

AI24BTECH11034 - Tanush Sri Sai Petla*

Section-A	(a) $n = 8$	(c) $n = 12$
Fill in the blanks	(b) $n = 16$	(d) None of these
1. If the expression		
$\frac{\left[\sin\left(\frac{x}{2}\right) + \cos\left(\frac{x}{2}\right) + i\tan\left(x\right)\right]}{1 + 2i + i\left(x\right)} $ (1987 – 2 <i>Ma</i>)	1/ K.S.I. =	x number $z = x + iy$ which satisfy
$1+2i\sin(\frac{x}{2})$ is real, then the set of all possible values of x is	the equation	$(1981 - 2Marks) \left \frac{z-5i}{z+5i} \right = 1$ lie on
2. For any two complex numbers z_1, z_2 and any	real	4
number a and b.	(1) the extractalet lines	the origin
$ az_1 - bz_2 ^2 + bz_1 + az_2 ^2 = \dots (1988 - 2Ma)$	(b) the straight line $(arks)(c)$ a circle passing t	y = 3
3. If a,b,c are the numbers between 0 and 1	such	imough(a) None of these
that the points $z_1 = a + i$, $z_2 = 1 + bi$ and z_3		$\left(\frac{\sqrt{3}}{2} + \frac{i}{2}\right)^5 + \left(\frac{\sqrt{3}}{2} - \frac{i}{2}\right)^5$, then
form an equilateral triangle, then $a = \dots$ and $b = \dots$	$= \cdots (1982 - 2Marks)$	$\begin{pmatrix} 2 & 1 & 2 \end{pmatrix}$ $\begin{pmatrix} 2 & 2 \end{pmatrix}$, then
(1989 - 2Marks)	(1702 21/10/105)	
4. ABCD is a rhombus. Its diagonals AC and	BD(a)Re(z) = 0	(c)Re(z) > 0, Im(z) > 0
intersect at the point M and satisfy $BD = 2A$	$C. \ \mathrm{If}(b) Im(z) = 0$	(d)Re(z) > 0, Im(z) < 0
the points D and M represent the complex num		
1 + i and $2 - i$ respectively, then A represents		lity $ z-4 < z-2 $ represents the
•	arks) region given by	(1982 - 2Marks)
5. Suppose Z_1, Z_2, Z_3 are the vertices of an equila		(z) $R_{z}(z) > 0$
triangle inscribed in the circle $ z = 2$.If $Z_1 = 1 +$	$\lim_{z \to \infty} \frac{1}{\sqrt{3}} \frac{1}{\sqrt{3}}$	(c)Re(z) > 0
then $Z_2 = \dots, Z_3 = \dots$ (1994 – 2 Mc	(rks)(D)Re(z) < 0	(d) None of the se
B True/False	. •	
1. For complex number $z_1 = x_1 + iy_1$ and $z_2 = x_2$.		
we write $z_1 \cap z_2$, if $x_1 \le x_2$ and $y_1 \le y_2$ then for		
complex numbers z with $1 \cap z$, we have $\frac{1-z}{1+z}$		
(1981 – 2Marks)	acont	
2. If the complex numbers z_1 , z_2 and z_3 repretible the vertices of an equilateral triangle such		
$ z_1 = z_2 = z_3 $ then $z_1 + z_2 + z_3 = 0$ brak 1984		
Mark	T - 1	
3. If three complex numbers are in A.P. then the	ev lie	
on a circle on the complex plane. $(1985 - 1M)$	•	
4. The cube roots of unity when represented		
Argand diagram form the vertices of an equila		
triangle. (1988 – 1 <i>M</i>		
C MCQs with One Correct Answer	,	
1. If the cube roots of unity are $1,\omega, \omega^2$, then	n the	
	979)	
(a) -1 , $i + 2\omega, 1 + 2\omega^2$ (c) $-1, -1, -1$		
(b) $-1, 1 - 2\omega, 1 - 2\omega^2$ (d) None of these		

2. The smallest positive integer for which $\left(\frac{1+i}{1-i}\right)^n = 1$ is (1980)