

```

import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
from lifelines import WeibullAFTFitter, LogNormalAFTFitter, LogLogisticAFTFitter, ExponentialFitter
# from Exponential import ExponentialAFTFitter
from lifelines.utils import k_fold_cross_validation
import seaborn as sns
import warnings

warnings.filterwarnings("ignore")

data_path = 'telco.csv'
raw_data = pd.read_csv(data_path)

def process_data(data):
    data = data.copy()
    data.drop(['ID'], axis=1, inplace=True)
    cols = ['region', 'retire', 'marital', 'ed', 'gender', 'voice', 'internet', 'custcat', 'churn', 'forward']
    data = data.copy()
    data = pd.get_dummies(data, columns=cols, drop_first=True)
    data = data.rename(columns={'churn_Yes': 'churn'})
    return data

data = process_data(raw_data)
data

```

	marital_Unmarried	ed_Did not complete high school	ed_High school degree	ed_Post-graduate degree	ed_Some college	gender_Male	voice_Yes
0	0	0	0	0	0	1	0
0	0	0	0	1	0	1	1
0	0	1	0	0	0	0	0
0	1	0	1	0	0	0	0
0	0	1	0	0	0	1	0
...
0	1	0	0	0	1	0	0
0	1	0	0	1	0	0	0
0	1	0	0	1	0	0	1
0	1	0	1	0	0	0	1
0	0	0	0	0	1	0	0

```

weibull_model = WeibullAFTFitter()
log_norm_model = LogNormalAFTFitter()
log_logistic_model = LogLogisticAFTFitter()
exponential_model = ExponentialAFTFitter()

weibull = weibull_model.fit(data, duration_col='tenure', event_col='churn')
weibull_prediction = weibull.predict_survival_function(data).T
weibull_prediction_avg = weibull_prediction.mean()
weibull.print_summary()

```

model		lifelines.WeibullAFTFitter						
duration col		'tenure'						
event col		'churn'						
number of observations		1000						
number of events observed		274						
log-likelihood		-1462.17						
time fit was run		2023-11-25 15:54:07 UTC						
		coef	exp(coef)	se(coef)	coef lower 95%	coef upper 95%	exp(coef) lower 95%	exp(coef) upper 95%
lambda_	address	0.04	1.04	0.01	0.02	0.06	1.02	1.06
	age	0.03	1.03	0.01	0.01	0.04	1.01	1.04
	custcat_E-service	0.98	2.66	0.16	0.67	1.28	1.96	3.61
	custcat_Plus service	0.74	2.10	0.19	0.36	1.12	1.44	3.00
	custcat_Total service	1.00	2.71	0.21	0.58	1.41	1.78	4.11
	ed_Did not complete high school	0.44	1.55	0.19	0.06	0.82	1.06	2.27
	ed_High school degree	0.32	1.38	0.15	0.03	0.61	1.03	1.83
	ed_Post-undergraduate degree	0.22	1.25	0.19	-0.15	0.60	0.86	1.82
	ed_Some college	0.25	1.29	0.14	-0.03	0.54	0.97	1.77
	forward_Yes	-0.10	0.91	0.15	-0.39	0.19	0.68	1.27
	gender_Male	0.00	1.00	0.10	-0.20	0.21	0.82	1.23
	income	0.00	1.00	0.00	-0.00	0.00	1.00	1.00
	internet_Yes	-0.77	0.46	0.14	-1.04	-0.50	0.35	0.67
	marital_Unmarried	-0.35	0.71	0.10	-0.55	-0.14	0.58	0.87
	region_Zone 2	-0.06	0.94	0.13	-0.31	0.19	0.73	1.27
	region_Zone 3	0.12	1.12	0.13	-0.13	0.36	0.87	1.44

```
log_norm = log_norm_model.fit(data, duration_col='tenure', event_col='churn')
log_norm_prediction = log_norm.predict_survival_function(data).T
log_norm_prediction_avg = log_norm_prediction.mean()
log_norm.print_summary()
```

model lifelines.LogNormalAFTFitter
duration col 'tenure'
event col 'churn'
number of observations 1000
number of events observed 274
log-likelihood -1457.01
time fit was run 2023-11-25 15:54:10 UTC

		coef	exp(coef)	se(coef)	coef lower 95%	coef upper 95%	exp(coef) lower 95%	exp(coef) upper 95%
mu_	address	0.04	1.04	0.01	0.03	0.06	1.03	1.06
	age	0.03	1.03	0.01	0.02	0.05	1.02	1.05
	custcat_E-service	1.07	2.90	0.17	0.73	1.40	2.08	4.06
	custcat_Plus service	0.92	2.52	0.22	0.50	1.35	1.65	3.85
	custcat_Total service	1.20	3.32	0.25	0.71	1.69	2.03	5.42
	ed_Did not complete high school	0.37	1.45	0.20	-0.02	0.77	0.98	2.16
	ed_High school degree	0.32	1.37	0.16	-0.00	0.64	1.00	1.89

ed Post-

```
log_logistic = log_logistic_model.fit(data, duration_col='tenure', event_col='churn')
log_logistic_prediction = log_logistic.predict_survival_function(data).T
log_logistic_prediction_avg = log_logistic_prediction.mean()
log_logistic.print_summary()
```

model		lifelines.LogLogisticAFTFitter										
duration col		'tenure'										
event col		'churn'										
number of observations		1000										
number of events observed		274										
log-likelihood		-1458.10										
time fit was run		2023-11-25 15:54:11 UTC										
		coef	exp(coef)	se(coef)	coef lower 95%	coef upper 95%	exp(coef) lower 95%	exp(coef) upper 95%	cmp to	z	p	-log2(p)
alpha_	address	0.04	1.04	0.01	0.02	0.06	1.02	1.06	0.00	4.42	<0.005	16.60

▼ Exponential

```
# exponential = exponential_model.fit(data, duration_col='tenure', event_col='churn')
# exponential_prediction = exponential.predict_survival_function(data).T
# exponential_prediction_avg = exponential_prediction.mean()
# exponential.print_summary()

Comparing With AIC
# print(f'Exponential AIC: {exponential.AIC_}')
print(f'Log-Normal AIC: {log_norm.AIC_}')
print(f'Log-Logistic AIC: {log_logistic.AIC_}')
print(f'Weibull AIC: {weibull.AIC_}')
# 'Exponential': exponential.AIC_,
scores = {'Log-normal': log_norm.AIC_, 'Log-logistic': log_logistic.AIC_, 'Weibull': weibull.AIC_}
print(f'\n\nThe best model based on AIC scores is: \033[1m{min(scores, key=scores.get)}\033[0m')

Log-Normal AIC: 2954.0240102517128
Log-Logistic AIC: 2956.2085614433336
Weibull AIC: 2964.3432480838806

The best model based on AIC scores is: Log-normal
```

Other than the AIC score and the plots, there are some other important factors to consider before choosing the best model.

When we look at the number of parameters we can understand the complexity of the model. For example, the exponential model has only 1 parameter, while weibull has 2, and Log Normal and Log Logistic models both have 3.

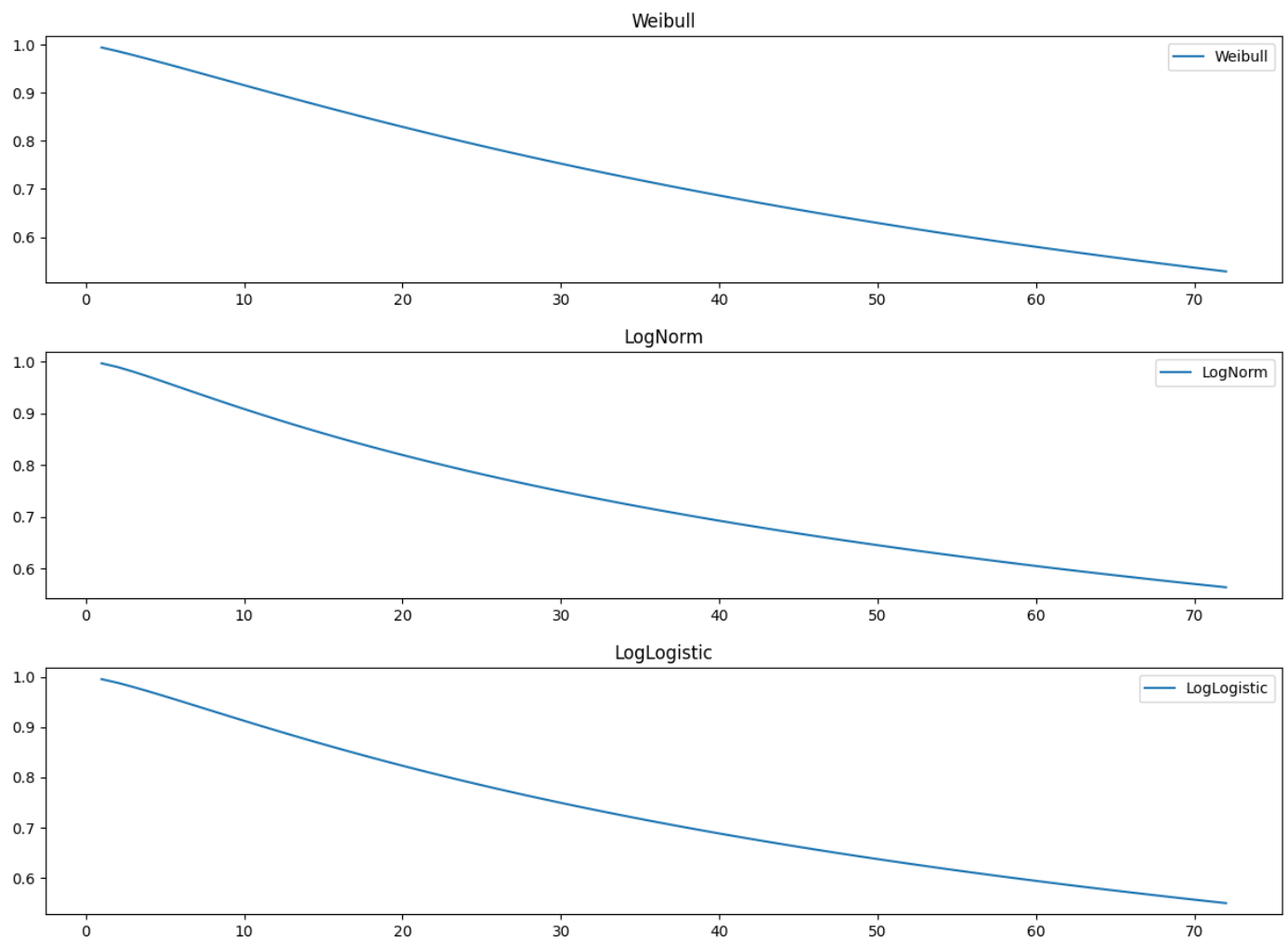
Another criteria is the Hazard Rate. In this case Weibull model is preferred over the other ones as it has the ability to capture both increasing and decreasing hazard rates.

I am going to trust the AIC score and go with the best performing model which is the Log-Normal model.

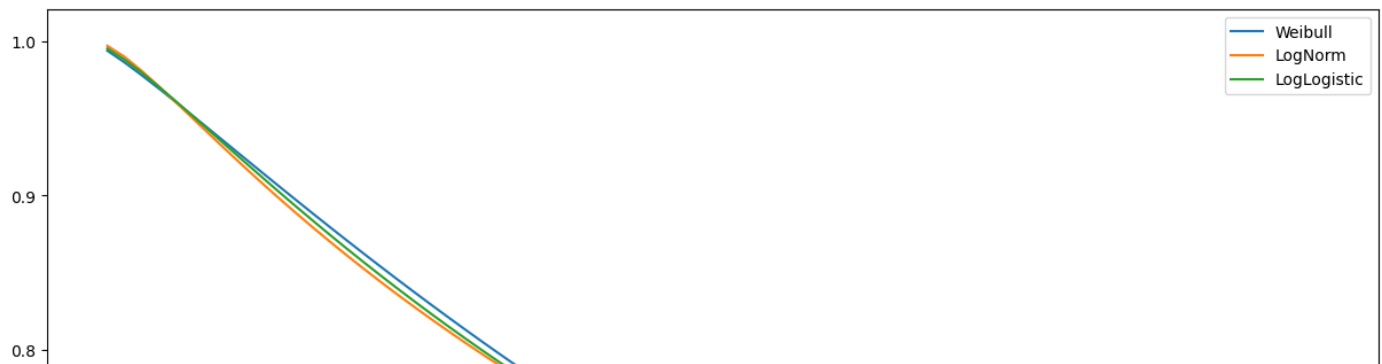
```
plt.figure(figsize=(15, 3))
plt.plot(weibull_prediction_avg, label='Weibull')
plt.legend()
plt.title('Weibull')
plt.show()

plt.figure(figsize=(15, 3))
plt.plot(log_norm_prediction_avg, label='LogNorm')
plt.legend()
plt.title('LogNorm')
plt.show()

plt.figure(figsize=(15, 3))
plt.plot(log_logistic_prediction_avg, label='LogLogistic')
plt.legend()
plt.title('LogLogistic')
plt.show()
```



```
plt.figure(figsize=(15,9))
plt.plot(weibull_prediction_avg, label='Weibull')
plt.plot(log_norm_prediction_avg, label='LogNorm')
plt.plot(log_logistic_prediction_avg, label='LogLogistic')
# plt.plot(exponential_prediction_avg, label='Exponential')
plt.legend()
plt.show()
```



We will keep the features that are important for calculating the CLV

```
significant_columns = ["address", "age", "internet_Yes", "marital_Unmarried", "tenure", "churn", "custcat_E-service", "custcat_Plus service"]
dropped_data = data[significant_columns]
```

	address	age	internet_Yes	marital_Unmarried	tenure	churn	custcat_E-service	custcat_Plus service	custcat_Total service	voice_Yes
0	9	44	0	0	13	1	0	0	0	0
1	7	33	0	0	11	1	0	0	1	1
2	24	52	0	0	68	0	0	1	0	0
3	12	33	0	1	33	1	0	0	0	0
4	9	30	0	0	23	0	0	1	0	0
...
995	0	39	0	1	10	0	0	0	0	0
996	2	34	0	1	7	0	0	0	0	0
997	40	59	1	1	67	0	0	0	1	1
998	18	49	0	1	70	0	0	1	0	1
999	7	36	1	0	50	1	1	0	0	0

1000 rows × 10 columns

```
log_norm = log_norm_model.fit(dropped_data, duration_col='tenure', event_col='churn')
log_norm_prediction = log_norm.predict_survival_function(dropped_data).T
log_norm_prediction_avg = log_norm_prediction.mean()
log_norm.print_summary()
```

model		lifelines.LogNormalAFTFitter											
duration col		'tenure'											
event col		'churn'											
number of observations		1000											
number of events observed		274											
log-likelihood		-1462.10											
time fit was run		2023-11-25 16:01:39 UTC											

```

print(raw_data.groupby("gender")["CLV"].mean())
print(raw_data.groupby("voice")["CLV"].mean())
print(raw_data.groupby("forward")["CLV"].mean())
print(raw_data.groupby("internet")["CLV"].mean())
print(raw_data.groupby("marital")["CLV"].mean())
print(raw_data.groupby("region")["CLV"].mean())
print(raw_data.groupby("custcat")["CLV"].mean())
print(raw_data.groupby("retire")["CLV"].mean())
print(raw_data.groupby("ed")["CLV"].mean())

```

		CLV
gender ed	Female College degree	40060.421398
	Unmarried	37290.898426
	Did not complete high school	44650.213932
	Unmarried	44131.337060
	High school degree	43580.198686
	Unmarried	40272.182004
	Post-undergraduate degree	43213.370083
	Unmarried	33874.065001
	Some college	41179.712590
	Unmarried	40280.274795
Male	College degree	42101.085262
	Unmarried	34854.913299
	Did not complete high school	48025.418050
	Unmarried	43284.201674
	High school degree	46142.087572
	Unmarried	39360.851731
Post-undergraduate degree	41383.311367	
Unmarried	33144.101772	
Some college	44214.553963	
Unmarried	35335.748930	
CLV		
gender		
Female	41126.506961	
Male	41326.642952	
CLV		
voice		
No	42575.461690	
Yes	38127.142462	
CLV		
forward		
No	39698.658898	
Yes	42790.978870	
CLV		
internet		
No	44663.921886	
Yes	35314.059816	
CLV		
marital		
Married	43569.470093	
Unmarried	38923.336531	
CLV		
region		
Zone 1	41306.111183	
Zone 2	41722.324987	
Zone 3	40660.896214	
CLV		
custcat		
Basic service	34882.570279	
E-service	44558.848716	
Plus service	46759.868046	
Total service	38710.236686	
CLV		
retire		
No	40703.694514	
Yes	51756.420700	
CLV		

The most noticeable difference in Customer Lifetime Value (CLV) is observed when considering the "retire" variable. This can be explained by the fact that older people are more conservative and tend to rely on the product that they are using. I could find a group with a high CLV. Those are the males who did not finish the high school and are married. In average they have around 48000 of CLV. I think that this has to do with the stability in their lives and the influence they might have on the surrounding people.

▼ Conclusion

From our data we could understand that the higher is the CLV, the lower is the risk of churn.

The coefficients in our analysis carry specific implications:

- Positive coefficients signify that an increase in a given variable positively influences the anticipated customer lifetime.
- Negative coefficients indicate that an increase in a specific variable leads to a decrease in the expected customer lifetime.
- The magnitude of the coefficient reflects the strength of the variable's impact on customer lifetime.

For effective retention strategies based on CLV scores:

As the younger segment has lower CLV:

- Actively listen to customer feedback and address concerns promptly, particularly for the younger demographic.
- Implement exclusive discounts, special offers, or other perks for loyal customers, with a specific focus on the younger age group.
- Work on the internet quality, do better customer support for internet users, as the CLV of the people who use internet are low.

▼ Budget

Taking arbitrary values for retention rate and cost per customer

```
dropped_data["CLV"] = clv_data.CLV

retained_customers = dropped_data[dropped_data['churn'] == 0]
retained_clv = retained_customers['CLV'].sum()

retention_rate = 0.8
cost_per_customer = 5000
retention_cost = len(dropped_data) * retention_rate * cost_per_customer

annual_budget = retained_clv - retention_cost
print("ANNUAL BUDGET:", annual_budget)

ANNUAL BUDGET: 27470982.86371857
```