

# Information Processing in Coordination Problems

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# Motivation

- ▶ What makes efficient coordination possible?
- ▶ Most prior work looked at settings with complete information
  - ▶ (Low) strategic uncertainty (Van Huyck, et al, 1990; Dal Bo and Frechette, 2021)
  - ▶ Communication (Blume and Ortmann, 2007)
- ▶ We consider a setting with incomplete information
- ▶ Players receive signals about the game
- ▶ To coordinate efficiently, they have to process information correctly
- ▶ **Propose experiment to study extent to which deviations from Bayesian information processing lead to coordination failure**

# The game

- ▶ Two urn: orange (2 orange balls, 1 purple ball) and purple (2 purple balls, 1 orange ball)
- ▶ Urn is randomly selected using uniform prior
- ▶ Computer draws 25 balls from replacement from the selected urn
- ▶ Game below is played

	<i>O</i>	<i>P</i>	<i>R</i>
<i>O</i>	770, 770	0, 0	330, 470
<i>P</i>	0, 0	0, 0	330, 330
<i>R</i>	470, 330	330, 330	400, 400

*Orange urn*

	<i>O</i>	<i>P</i>	<i>R</i>
<i>O</i>	0, 0	0, 0	330, 330
<i>P</i>	0, 0	770, 770	330, 470
<i>R</i>	330, 330	470, 330	400, 400

*Purple urn*

# Predictions

	<i>O</i>	<i>P</i>	<i>R</i>
<i>O</i>	770, 770	0, 0	330, 470
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*Purple urn*

- ▶ Let  $\mu$  denote the belief that the state is orange
- ▶ If  $\mu \geq \bar{\mu}$ , the game reduces to a  $2 \times 2$  stag-hunt (Dal Bo and Frechette, 2021)
- ▶ Basin of attraction of *O* strictly increasing in  $\mu$  and converging to 0.81 as  $\mu$  goes to 1
- ▶ Risk-dominant selection rule:

$$s(\mu) = \begin{cases} O, & \text{if } \mu \geq 0.635, \\ P, & \text{if } \mu \leq 0.365, \\ R, & \text{otherwise.} \end{cases} \quad (1)$$

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*Purple urn*

- ▶ Even Bayesian subjects following risk-dominant rule will not always coordinate efficiently
- ▶ E.g., assume  $\mu = 0.7$ . Then both subjects choose *O*, but there is a 30% chance that the state is *P*
- ▶ Under risk dominance, probability of efficient coordination is 74%
- ▶ ??? with non-Bayesian beliefs?

# Experimental design details

- ▶ Subjects matched in teams of 2 to play for 15 rounds
- ▶ Beliefs are elicited before subjects make decisions in the game
  - ▶ Simple elicitation procedure borrowed from Enke, et al (2021)
- ▶ Pseudorandomly drawn sequence of signals held fixed across treatments
- ▶ Subjects paid for one random decision in a game task and (independently) one random decision in the guessing task

## Treatments:

- ▶ **Baseline:** As described above
- ▶ **Posterior:** Both subjects informed of Bayesian posterior
- ▶ **Communication:** Baseline + free form chat + opportunity to revise beliefs
- ▶ **Posterior-Communication:** Bayesian posteriors + free form chat

## Questions:

1. To what extent do deviations from Bayesian information processing lead to coordination failure?
2. Does communication help?
3. Do subjects learn to be Bayesian from each other?
  - ▶ Are beliefs more accurate in the communication treatment than the baseline?
  - ▶ Is the effect of providing posterior smaller when subjects are allowed to communicate?