

# Dynamics of interacting populations and beyond

at the Theodor-Schwartz-Haus in Travemünde

**September 9 – September 12, 2025**

## **Program and Abstracts**

Version: September 8, 2025

Organisation

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## Monday, September 8

all day      Arrival, time for research

## Tuesday, September 9

8:00–13:55      Time for research

13:55–14:00      Welcome

14:00–14:30      **Matthias Birkner**      Linear expansion speed for non-monotone population models

14:30–15:00      **Hélène Leman**      Trait evolution in a Moran Model: Impact of environment and population structure

15:00–15:30      **Apolline Louvet**      Stochastic modelling of population dynamics in a spatial continuum and application to epidemiology

15:30–16:00      Coffee

16:00–16:30      **Jochen Blath**      Emergence of host dormancy in the presence of a persistent virus epidemic

16:30–17:00      **Matthew Buckland**      The on/off Brownian snake

17:00–17:30      **Fernando Cordero**      Speciation induced by dormancy in a model with changing environment

18:00      Dinner

## Wednesday, September 10

- 9:00–9:30     **Arne Traulsen** Rethinking the connection between Theoretical Ecology and Evolutionary Game Theory
- 9:30–10:00   **Meike Wittmann** Incorporating individual trait variation and niche processes into species interaction models
- 10:00–10:30   **Yannic Wenzel** Geometry and stability of species complexes
- 10:30–11:00   Coffee
- 11:00–11:30   **Marta Dai Pra** Multi-type logistic branching processes with selection: frequency process and genealogy for large carrying capacities
- 11:30–12:00   **Emmanuel Schertzer** Selection of the fittest or selection of the luckiest
- 12:00           Lunch or lunch package
- afternoon      Time for research (or something else)
- 18:00           Dinner
- 19:30–21:00   Poster session with short presentations

## Thursday, September 11

9:00–9:30	<b>Anton Wakolbinger</b> Muller's ratchet with tournament selection
9:30–10:00	<b>Florin Boenkost</b> The Impact of Deleterious Mutations on Genealogies
10:00–10:30	<b>Marcel Ortgiese</b> The spatial Muller's ratchet
10:30–11:00	Coffee
11:00–11:30	<b>Fabian Freund</b> Can gene duplications get out of hand? A simple model to explain the occurrence of high duplication counts in gene families?
11:30–12:00	<b>Julie Tourniaire</b> Stochastic neutral fractions and the effective population size
12:00	Lunch
14:00–14:30	<b>Chi Viet Tran</b> From stochastic individual-based models to Hamilton-Jacobi PDEs
14:30–15:00	<b>Manuel Esser</b> How pit stops accelerate the crossing of fitness valleys
15:00–15:30	<b>Vianney Brouard</b> Extended power-law mutation regime in adaptive dynamics
15:30–16:00	Coffee
16:00–16:30	<b>Adrian Gonzalez Casanova</b> Dice Processes
16:30–17:00	<b>Sharma Nikhil</b> Evolutionary dynamics in graph-structured populations
17:00–17:30	<b>Chaitanya Gokhale</b> On the origins and evolution of endosymbiosis
18:00	Dinner

## Friday, September 12

- 9:00–9:30     **Sascha Franck** Spatial infection model with adaptive host immunity
- 9:30–10:00   **Franz Baumdicker** On the number and weight of bacterial ancestors in a biparental Moran model
- 10:00–10:30   **Carola Heinzl** Estimating the Growth Rate of a Birth-Death Process for Small Sample Sizes
- 10:30–11:00   Coffee
- 11:00–11:30   **Sebastian Hummel** Multi-Type Birth-Death Processes with Mean-Field Interactions for B-cell Phylodynamics
- 11:30–12:00   **Félix Foutel-Rodier** Genealogies of interacting branching processes
- 12:00           Lunch or lunch package
- afternoon     Departure, time for research

## Abstracts

**Tuesday, September 9**

### **14:00–14:30: Linear expansion speed for non-monotone population models**

**Matthias Birkner**, University of Mainz

For a spatial stochastic population model, monotonicity is roughly speaking the property that adding individuals to the initial condition stochastically increases the population at any later time. It is a key ingredient in classical proofs of convergence to equilibrium and of linear expansion in time of the population in the survival regime. We develop comparison arguments which allow to adapt these arguments to population models which are non-monotone, for example because of local competition. Our prototypical example is a branching annihilating random walk.

Based on joint work in progress with Alice Callegaro and Jiří Černý.

### **14:30–15:00: Trait evolution in a Moran Model: Impact of environment and population structure**

**Hélène Leman**, ENS Lyon

In this talk, I will introduce a population model based on the Moran model, which includes individual competition, mutation, environmental changes, and spatial structure. We will explore various parameter scalings, first examining a scenario with rare mutations and then a scenario with mutations having minimal effects. In each case, we will consider different rates of environmental changes. Then, for a constant environment, we will investigate the influence of the population's spatial structure. Specifically, if the population is organized into demes, we will analyze the dynamics within a deme when the number of demes is infinite. These different limits yield various forms of canonical equations that we can compare. This is a joint work with A. Lambert, H. Morlon, J. Tchouanti and T. Vo.

### **15:00–15:30: Stochastic modelling of population dynamics in a spatial continuum and application to epidemiology**

**Apolline Louvet**, INRAE Avignon

Spatial Lambda-Fleming-Viot processes, or SLFVs, are a family of stochastic processes that have been developed to overcome some issues arising when defining stochastic population dynamics models in a spatial continuum of arbitrary

dimension. Their main characteristic is their *reproduction event-driven* dynamics that controls local reproduction rates and ensures the existence of a dual process, which is a key tool to the analysis of SLFV processes. In this talk, after giving an overview of this modelling framework, I will present a recent extension to the modelling of epidemics, giving rise to a stochastic SIS-type model in continuous space. I will show to what extent the central concept of basic reproduction number can be extended to this model, using the duality relation along with the characterization of the process as the unique solution to a martingale problem. Based on a joint work with Bastian Wiederhold (LMU).

### **16:00–16:30: Emergence of host dormancy in the presence of a persistent virus epidemic**

**Jochen Blath**, University of Frankfurt

We study a minimal stochastic individual-based model for a microbial population challenged by a persistent virus epidemic. We focus on the situation in which the resident microbial host population and the virus population are in stable coexistence upon arrival of a single new “mutant” host individual. We assume that this mutant is capable of switching to a reversible state of dormancy upon contact with virions as a means of avoiding infection by the virus. At the same time, we assume that this new dormancy trait comes with a cost, namely a reduced individual reproduction rate in the active state. We prove that there is a non-trivial range of parameters where the mutants can nevertheless invade the resident population with strictly positive probability in the large population limit. Given the reduced reproductive rate, such an invasion would be impossible in the absence of the virus epidemic. We explicitly characterize the parameter regime where this emergence of a (costly) host dormancy trait is possible, determine the success probability of a single invader and the typical amount of time it takes the successful mutants to reach a macroscopic population size. We conclude this study by an investigation of the fate of the population after the successful emergence of a dormancy trait. Heuristic arguments and simulations suggest that after successful invasion, either both host types and the virus will reach coexistence, or the mutants will drive the resident hosts to extinction while the virus will stay in the system. This is joint work with Andras Tobias (Budapest).

### **16:30–17:00: The on/off Brownian snake**

**Matthew Buckland**, University of Lübeck

We define what we call an on/off Brownian snake. We use this to construct on/off super Brownian motion recently introduced to the literature by Blath and Jacobi and which is a measure-valued branching process with a dormant state and an active state. Our construction mirrors the construction of super Brownian motion from the Brownian snake by Le Gall. We use the on/off Brownian snake to obtain results concerning the support, range, and expected total mass of on/off super Brownian motion.

## **17:00–17:30: Speciation induced by dormancy in a model with changing environment**

**Fernando Cordero**, BOKU University

We consider a population model in which the season alternates between winter and summer. Individuals can acquire mutations that are advantageous in the summer but disadvantageous in the winter, or vice versa. Furthermore, it is assumed that individuals within the population can either be active or dormant, and that individuals can transition between these two states. Dormant individuals do not reproduce and are not subject to selective pressures. Our findings indicate that, under some conditions, two waves of adaptation emerge over time. Some individuals repeatedly acquire mutations that are beneficial in the summer, while others repeatedly acquire mutations that are beneficial in the winter. Individuals can survive the season during which they are less fit by entering a dormant state. This result demonstrates that, for populations in fluctuating environments, dormancy has the potential to induce speciation.

This is joint work with Adrián González Casanova and Jason Schweinsberg.



**Wednesday, September 10**

**9:00–9:30: Rethinking the connection between Theoretical Ecology and Evolutionary Game Theory**

**Arne Traulsen**, MPI Plön

Evolutionary game theory is a popular approach to analyze interactions within or between different types in biology, starting with the explanation of limited war strategies in animal conflict. The most popular model to study well-mixed populations is the replicator dynamics. Josef Hofbauer and Karl Sigmund have shown that the replicator dynamics for  $n$  types is equivalent to a Lotka-Volterra system for  $n-1$  types, i.e. one type less. Only if the growth rates in isolation are identical, such a change in the number of types is not necessary. Not taking into account this complication can lead to issues for applications of EGT to empirical systems and one needs to be very careful in translating between ecological models and game theoretical ones. For example, ecologists who describe their studies as cooperation may in fact work on mutualisms or coexistence games.

Tarnita and Traulsen, Reconciling ecology and evolutionary game theory or *When not to think cooperation* PNAS (2025)

**9:30–10:00: Incorporating individual trait variation and niche processes into species interaction models**

**Meike Wittmann**, University of Bielefeld

In this talk, I will present a general nonlinear averaging framework via which we can incorporate individual trait variation as well as the niche processes of niche conformance (phenotypic plasticity) and niche construction into species interaction models. This can of course be done via individual-based simulations or numerical methods, but we also provide Taylor approximations that provide more intuitive insight. I will also outline how the effects of individual variation and niche processes on species interactions can be estimated from empirical data.

**10:00–10:30: Geometry and stability of species complexes**

**Yannic Wenzel**, University of Vienna

Species complexes are groups of closely related populations exchanging genes through dispersal. We study the dynamics of the structure of species complexes in a class of metapopulation models where demes can exchange genetic material through migration and diverge through the accumulation of new mutations. Importantly, we model the ecological feedback of differentiation on gene flow by assuming that the success of migrations decreases with genetic distance, through

a specific function  $h$ . We investigate the effects of metapopulation size on the coherence of species structures, depending on some characteristics of the feedback function  $h$ . Our results suggest that with larger metapopulation sizes, species form increasingly coherent, transitive, and uniform entities. We conclude that the initiation of speciation events in large species requires the existence of idiosyncratic geographic or selective restrictions on gene flow.

### **11:00–11:30: Multi-type logistic branching processes with selection: frequency process and genealogy for large carrying capacities**

**Marta Dai Pra**, HU Berlin

We present a model for growth in a multi-species population. We consider two types evolving as a logistic branching process with mutation, where one of the types has a selective advantage. We first study the frequency of the disadvantageous type and show that, once the population approaches the carrying capacity, its evolution converges to a Gillespie-Wright-Fisher diffusion process. We then study the dynamics backward in time: we fix a time horizon at which the population is at carrying capacity and we study the ancestral relations of a sample of individuals. We prove that, provided that the advantageous and disadvantageous branching measures are ordered, this ancestral line process converges to the moment dual of the limiting diffusion. This talk is based on joint work with Julian Kern.

### **11:30–12:00: Selection of the fittest or selection of the luckiest**

**Emmanuel Schertzer**, University of Vienna

Biological evolution depends on the passing down to subsequent generations of genetic information encoding beneficial traits, and on the removal of unfit individuals by a selection mechanism. However, selection acts on phenotypes, and is affected by random contingencies. Thus, a combination of fitness and luck determines which individuals will successfully reproduce and give rise to the next generation. To understand how randomness in the selection mechanism affects the long-term patterns of evolution, we studied an idealized evolution model. We show through simulations and mathematical analysis, that the speed of adaptation increases with increasing selection pressure only up to a threshold. Beyond the threshold, any increase of the selection pressure results in more weight given to random effects rather than on genetic fitness in determining which individuals will successfully reproduce. This severely reduces the speed of adaptation and the diversity in the gene pool. Our findings may be considered as a biological instance of Goodhart's law: *When a measure becomes a target, it ceases to be a good measure*. Finally, we show that this intricate response of evolution to natural selection can be mathematically explained by a novel phase transition for pulled traveling waves.

## Posters

### A stochastic model for biased inheritance of transposable elements in diploid populations

**Samuel Adeosun**, University of Freiburg

In this study, we extend existing diploid population model in [1] by introducing a selection parameter  $\varepsilon_N$ , allowing for a bias in transmission probabilities of transposable elements (TEs) from parents to offsprings. Our analysis employs a biparental Moran model to investigate how this bias influences the TE distribution across generations and the limiting dynamics as population size  $N$  approaches infinity. Using the martingale problem approach, we conjecture that in the large-population limit, the mean TE count follows a non-critical Feller branching diffusion, while the population distribution remains Poisson. Additionally, we apply our model to genomic data from the African termite (*Macrotermes bellicosus*), anticipating that ongoing analyses will uncover detectable TE variation among individuals, thereby providing insights into biased inheritance in natural populations.

[1] Pfaffelhuber, P. and Wakolbinger, A. (2023). A diploid population model for copy number variation of genetic elements. *Electronic Journal of Probability*, 28, 1–15.

### Mutation-bias learning – an evolutionary game dynamics approach to convergence analysis in multi-agent reinforcement learning

**Johann Bauer**, TU Darmstadt

We pursue a mathematically rigorous approach connecting stochastic multi-agent reinforcement learning (MARL) processes to deterministic dynamical systems of replicator-mutator dynamics (RMD) type from evolutionary game theory (EGT). This dynamical systems perspective makes the rich literature on EGT dynamics directly available for establishing theoretical guarantees for algorithm convergence in complex multi-agent environments, addressing a fundamental challenge in the field.

We demonstrate our approach by presenting and analysing MBL-DPU, a MARL algorithm for which we prove that it approximates RMD and converges in stable games. We illustrate the utility of our dynamical systems analysis experimentally across games of increasing complexity and dimensionality in comparison to similar MARL algorithms with fewer theoretical guarantees, WoLF-PHC and FAQ-learning, which deteriorate unexpectedly in higher dimensions.

Beyond specific algorithms, the approach demonstrates a principled route to transferring results from EGT to multi-agent learning, allowing a systematic comparison of evolutionary game dynamics with MARL algorithms and enabling the derivation of further MARL algorithms from evolutionary dynamics.

## Probabilities of Cholera Disease Outbreak

**Kewani Welay Brhane**, BTU Cottbus

Infectious disease epidemics continue to pose significant global risks to human, animal, and plant populations. A central challenge in epidemic modeling is to assess whether newly introduced pathogens will establish in a population or fade out without leading to major outbreaks. Deterministic models, often formulated with systems of differential equations, provide valuable insights into transmission dynamics, thresholds such as the basic reproduction number, and the impact of large-scale interventions. However, these models become limited in scenarios where extinction and the role of absolute numbers of individuals are critical. Stochastic models address these situations by capturing the inherent randomness of transmission and the probability of outbreak or eradication.

In current work, we developed and analyzed both deterministic and stochastic models for cholera transmission. For the deterministic framework, we derived the basic reproduction number using the next-generation matrix method and performed numerical simulations to explore epidemic trajectories. At the stochastic level, we investigated the model's behavior under the law of large numbers, establish Kolmogorov backward equations to characterize transitions between infectious states, and applied probability generating functions to determine extinction probabilities. Numerical simulations are further used to compare the qualitative and quantitative dynamics of the deterministic and stochastic models, highlighting how parameter values influence outbreak risks. This integrated approach provides deeper insight into cholera transmission dynamics and illustrates the complementary roles of deterministic and stochastic epidemic modeling in guiding control strategies.

## Genealogies under logistic growth

**Julio Ernesto Nava Trejo**, HU Berlin

We derive asymptotics for the genealogy of a logistic branching process in the setting where the equilibrium population size is large via a lookdown construction. In three regimes on the tail of the offspring distribution we recover the Kingman, Beta( $2 - \alpha, \alpha$ ) and Bolthausen-Sznitman coalescents as a scaling parameter governing the population size is taken to infinity. This resolves a question asked in [Forien, 2025] who studied the same population process forwards in time and showed convergence of the type frequency process to the corresponding  $\Lambda$ -Fleming-Viot process in each regime. Joint work with Ruairi Garrett.

## Stochastic Optimal Control of an Epidemic Under Partial Information

**Ibrahim Njiase**, BTU Cottbus

In this paper, we address a social planner's stochastic optimal control problem for a susceptible detected/non-detected infected detected/non-detected recovered hospitalized epidemic model, which has a partially observed state process.

The control measures include social distancing, testing, and vaccination. Using a diffusion approximation to describe the epidemic dynamics, we apply a filtering argument to transform the stochastic optimal control problem with a partially observed state process into an eight-dimensional fully observed state process stochastic optimal control problem. This transformed problem is treated as a Markov decision process, and the associated Bellman equation is numerically solved using a backward recursion algorithm coupled with quantization to mitigate the curse of dimensionality. After applying state space discretization, we implement two approaches: the first involves quantization techniques coupled with linear interpolation of the value function on non-grid points, while the second utilizes quantization techniques and parametrization of the value function with educated ansatz functions. Extensive numerical experiments are presented to demonstrate the efficacy of both methods. This is joint work with Florent Ouabo Kamkumo and Ralf Wunderlich

## Inference of Interactions in the Gut Microbiome

**Chandan Relekar**, MPI Plön

The role of the gut microbiome in myriad aspects of physical and mental well-being is being increasingly implicated by a stream of studies that identify correlations of gut microbiome compositions with certain diseases and disorders. However, inferring the nature and strength of interactions in the gut microbiome appears to be elusive due to the high number of species present, the low time resolution of empirical data, and the non-linear or higher-order interactions probably present. Our approach is to extract more information from the higher-order moments which additionally allows us to fit noise/variance in the data to what is expected from demographic stochasticity in the underlying model. We have incorporated this *improvement* into generic methods of parameter inference. We are trying to observe if this improvement enables more precise time-series prediction and more accurate parameter inference.

## Fixation probability of a mutant in spatially structured populations

**Akanksha Singh**, MPI Plön

Natural populations are often interconnected through migration, resulting in a metapopulation. We study how the fixation probability of a mutant depends on the migration network, across all possible metapopulation networks with four demes. We use a stochastic birth-death process that allows for some compensation of change in deme sizes due to migration. Taking the limit of rare migration, we derive the analytical expressions of fixation probability for symmetric and asymmetric migration on these networks. For symmetric migration, our results are consistent with those of Maruyama (1974) and Marrec et al (2021), in showing that population structure does not affect the fixation probability of a mutant. In contrast, asymmetric migration networks modify the fixation probabilities on different network structures differently. In degree homogeneous metapopulation

networks, asymmetric migration networks typically ( $> 90\%$ ) improve the chances of fixation of deleterious mutants, while curbing those of beneficial mutants as compared to symmetric migration; an effect that has been called suppression of selection in evolutionary graph theory (Lieberman et al (2005)). However, degree inhomogeneous metapopulation networks also show another prominent modification of fixation probabilities: reducing the chances of small deleterious mutants fixing in the population while improving those of small beneficial mutants, i.e., amplify selection (Lieberman et al (2005)) near the neutral mutant. Looking at specific migration networks, we find that amplification of selection occurs when migration is biased towards the higher degree demes of the network, making them act as hubs. Through this study, we aim to suggest migration patterns could have desired effects in conservation efforts and in experimental setups.

## The effect of autotoxicity on the temporal dynamics of microbial communities

**Sabrina Spigno**, MPI Plön

Gut microbiota population dynamics has widely been described with Generalized Lotka-Volterra (gLV) models (Joseph et al., 2020, Li et al., 2021). While gLV models capture broad dynamical regimes, they fail to incorporate biologically relevant mechanisms such as chemical self-inhibition. Here, we propose an alternative framework based on self-inhibition driven by the accumulation of autotoxic compounds, such as extracellular DNA (Mazzoleni et al., 2015a). Using methods inspired by established techniques used for gLV, we theoretically analyze this general model, aiming to isolate the role of autotoxicity. Numerical simulations across single-species and large-community systems show that autotoxicity alters the dynamics. At small scales, autotoxicity modulates oscillation amplitude and frequency. In large communities, our analysis reveals that increasing the autotoxicity can sustain species coexistence while diluting it allow dominant species to exclude others. To qualitatively support the biological relevance of these theoretical regimes, we analyzed gut microbiota metagenomic data across diverse conditions, finding that rare species are most sensitive to environmental shifts, while certain unhealthy states are marked by the dominance of a single species.

1. T. A. Joseph, L. Shenhav, J. B. Xavier, E. Halperin, and I. Peer, Compositional Lotka-Volterra describes microbial dynamics in the simplex, (in English), Plos Computational Biology, Article vol. 16, no. 5, p. 22, May 2020, Art no. e1007917.
2. Jie Li, Xuzhu Shen, YaoTang Li, "Modeling the temporal dynamics of gut microbiota from a local community perspective", Ecological Modelling, Volume 460, 2021.
3. Mazzoleni, S., Landi, C., Cartenì, F., de Alteriis, E., Giannino, F., Paciello, L., Parascandola, P., 2015a. A novel process-based model of microbial growth: self-inhibition in *Saccharomyces cerevisiae* aerobic fed-batch cultures. Microbial Cell Factories 14, 109-109.

## Modelling colloidal suspensions with probabilistic tools

**Alexander Zass**, WIAS Berlin

In this work, we consider a dynamical version of the Asakura–Oosawa model of interacting hard spheres of two different sizes. We study their random diffusion dynamics, modelled with collision local times; describe the reversible measures; and observe the emergence of an attractive short-range depletion interaction between the large spheres. We also study the Gibbs measures associated to this new interaction, exploring connections to percolation and optimal packing. This is joint work with Myriam Fradon.

## Thursday, September 11

### 9:00–9:30: Muller’s ratchet with tournament selection

**Anton Wakolbinger**, University of Frankfurt

Muller’s ratchet, in its prototype version, models a haploid population whose size  $N$  is constant over the generations. Slightly deleterious mutations are acquired along the lineages at a constant rate, and individuals carrying less mutations have a selective advantage. The instances at which the minimal mutational load in the population increases are called *clicks of the ratchet*. In the classical variant (with *fitness proportionate selection*), an individual’s selective advantage is proportional to the difference between the population average and the individual’s mutation load, whereas in the ratchet with *tournament selection* only the ranks of the individual mutation loads within the population matter. While it is a notoriously stubborn problem to analyse the click rate for fitness proportionate selection, this turns out to be tractable for tournament selection: In a parameter regime which leads to “slow clicking” we obtain the asymptotic click rates of the tournament ratchet as  $N \rightarrow \infty$ , and analyse the large population asymptotics of the empirical type frequency profile at moderately large times.

The talk is based on joint work with Adrián González Casanova, Charline Smadi and Jan Lukas Igelbrink.

### 9:30–10:00: The Impact of Deleterious Mutations on Genealogies

**Florin Boenkost**, University of Vienna

Based on simulations, we explore the genealogical structure of a Wright-Fisher model with selection and mutation, where each mutation decreases the fitness of an individual, thus we are dealing with deleterious mutations. Depending on the strength of selection and the mutation rate, we observe different genealogies ranging from Kingman’s coalescent on various time scales to multiple-merger genealogies. This transition between neutral genealogies and multiple merger genealogies is well predicted by the rule of thumb for the onset of Muller’s ratchet derived in [Etheridge et al., 2012]. For a haploid population Muller’s ratchet refers to the fact that the fittest class in the population can get lost due to deleterious mutations fixating in the population.

In the second part of this talk, we briefly discuss a mathematically tractable model based on branching Brownian motion, which turns out to be capable of reproducing some genealogical patterns of the Wright-Fisher. We prove that the genealogy converges to the Brownian coalescent point process, where the time scale can be given as any power  $N^c$  with  $c \in (0, 1]$ . This talk is based on joined work with Ksenia Khudiakova and Julie Tourniaire.



## 10:00–10:30: The spatial Muller’s ratchet

**Marcel Ortgiese**, University of Bath

In this talk we will consider the spatial Muller’s ratchet introduced by Foutel-Rodier and Etheridge (2020). This particle system represents a spatial model of an asexual population with birth and death rates that depend on the local population density. For each particle, we keep track of the number of mutations of its genotype. Moreover, at each birth event with positive probability the offspring receives an additional mutation resulting in a lower birth rate. We show that under appropriate re-scaling, the process converges weakly to an infinite system of PDEs, confirming non-rigorous computations of Foutel-Rodier and Etheridge. Under certain conditions, we can analyse these PDEs and consider the behaviour of travelling waves exploring an empty habitat. Finally, we will also answer the question whether deleterious mutations can surf population waves. Throughout we will discuss some of the technical difficulties that arise when dealing with a non-monotone particle systems with infinitely many types and long-range interactions.

This is joint work with Joao de Oliveira Madeira and Sarah Penington.

## 11:00–11:30: Can gene duplications get out of hand? A simple model to explain the occurrence of high duplication counts in gene families?

**Fabian Freund**, University of Leicester

Gene families in various species may show tens to hundreds of copies, with no strong indication of these copies all being functional relevant. We introduce a simple Muller’s ratchet inspired model for the interplay between selection and gene duplication and analyse its behaviour with and without genetic drift. We then assess the fit and implications of our models for gene families sequenced in zebrafish and humans. Joint work with Johannes Wirtz, Yichen Zheng, Yannick Schäfer, and Thomas Wiehe.

## 11:30–12:00: Stochastic neutral fractions and the effective population size

**Julie Tourniaire**, Université de Franche-Comté, Besançon

Population genetics aims to explain observed genetic diversity through past evolutionary forces. In the neutral setting, i.e., in the absence of natural selection and ecological constraints, diversity arises solely from demographic fluctuations. In this simplified framework, the allelic composition of a population converges, in the large-population limit, to the Wright–Fisher diffusion.

This Wright–Fisher model is a purely genetic model, and a key question is how ecological constraints (such as population structure) may influence genetic composition. In this context, the ‘effective population size’, defined as the size of

a Wright–Fisher population experiencing the same level of genetic drift as the population under study, plays a central role.

In this talk, I will introduce a stochastic differential equation with an infinite divisibility property to model the dynamics of general structured populations. This property allows the population to be decomposed into neutral allelic fractions. When demographic fluctuations are small, a fast–slow principle yields a general expression for the effective population size in structured settings.

This is joint work with R. Forien, E. Schertzer, and Z. Talyigas

## **14:00–14:30: From stochastic individual-based models to Hamilton-Jacobi PDEs**

**Chi Viet Tran**, INRIA Lille

We study the evolution of a population with a phenotypic trait structure, where the dynamics is ruled by births, deaths and mutations. We are interested in following populations in logarithmic scales of size and time, and derive a limiting Hamilton-Jacobi equation (with state constraints) from the stochastic individual based model. The limiting partial differential equation takes into account possible extinction events of the system on certain regions of the trait space. The proof emphasizes the links with the theory of large deviations.

## **14:30–15:00: How pit stops accelerate the crossing of fitness valleys**

**Manuel Esser**, École Polytechnique

We consider a stochastic individual-based model of adaptive dynamics for an asexually reproducing population with mutation. To depict repeating changes of the environment, all of the model parameters vary over time as piecewise constant and periodic functions, on an intermediate time scale between those of stabilization of the resident population (fast) and exponential growth of mutants (slow). This can biologically interpreted as the influence of seasons or the variation of drug concentration during medical treatment. The typical evolutionary behaviour can be studied by looking at limits of large populations and rare mutations.

Focussing on the situation of large fitness valleys we first determine the effective crossing rate as particular average of the rates for constant environments. Eventually, we investigate the special situation of pit stops, where single intermediate mutants within the valley have phases of positive fitness and can thus grow to a diverging size before dying out again. This significantly accelerates the traversal of the valley and leads to a interesting new time scale.

This is joint work with Anna Kraut.

## **15:00–15:30: Extended power-law mutation regime in adaptive dynamics**

**Vianney Brouard**, University of Bath

This talk is based on a work in progress with Charline Smadi. We consider a stochastic individual-based model in the adaptive dynamics framework, in which the evolution of the population is driven by births, deaths, competition, and mutations along the edges of a graph. We focus on the case where the space of possible traits is given by  $\mathbb{Z}^d$ , and we study a new mutation regime that generalises the classical power-law mutation rate regime. We refer to this as the extended power-law regime.

More precisely, we consider the large-population limit under a mutation rate  $\mu_K$  given by  $\mu_K = K^{-1/\alpha_K}$ , where  $K$  is the carrying capacity of the system, and  $\alpha_K \rightarrow \infty$  subject to certain upper bound conditions on its growth. In this regime, an asymptotically infinite number of mutant traits coexist at the same time, competing to invade the resident population.

We describe the time evolution of the orders of magnitude (also known as the stochastic exponents) of each subpopulation on the  $\ln K/\alpha_K$  time scale, as  $K \rightarrow \infty$ . Extending the techniques developed in Champagnat, Méléard, and Tran (2021) to our setting, we show that these trajectories are piecewise affine and continuous, with slopes determined by an algorithm that captures the changes in the fitness landscape induced by the succession of new resident or emergent traits.

## 16:00–16:30: Dice Processes

**Adrian Gonzalez Casanova**, Arizona State University

We introduce the dice process, a probabilistic model that describes the evolution of a collection of particles moving over a graph according to random local rules. At each time step, all particles occupying the same site use a common, randomly chosen “dice” to determine their next move. This construction gives rise to a rich class of (partially) exchangeable Markov chains.

The main result of the talk establishes that every partially exchangeable collection of Markov chains on a finite state space can be represented as a dice process. As an application, we obtain a natural characterization of multitype  $\Lambda$ -coalescents without restrictions on the migration mechanism.

We will also briefly discuss a related detour involving the evolutionary rate of plasmid-bearing bacteria. This part of the talk is based on recent experimental work by Paula Ramiro-Martínez, Ignacio de Quinto, Laura Jaraba-Soto, Val F. Lanza, Cristina Herencias-Rodríguez, Rafael Peña-Miller, and Jerónimo Rodríguez-Beltrán.

The main results are drawn from the PhD thesis of Imanol Nuñez (soon to be on the postdoc job market), in collaboration with Noemi Kurt and José Luis Pérez.

## 16:30–17:00: Evolutionary dynamics in graph-structured populations

**Sharma Nikhil**, MPI Plön

Evolutionary theory has been vital to understanding how populations evolve. Yet most studies assume no spatial structure. In reality, populations are structured,

and evolutionary graph theory (EGT) provides a versatile framework for modeling them as graphs. In this setting, populations evolve through birth–death updating. I will first discuss early EGT results showing that some structures amplify natural selection while others suppress it, predictions recently validated in microbiology experiments. I will then present our recent findings that highly heterogeneous structures can fix deleterious mutants with a probability of nearly 50

## **17:00–17:30: On the origins and evolution of endosymbiosis**

**Chaitanya Gokhale**, University of Würzburg

Endosymbiosis was a transformative event in the history of life, enabling the emergence of complex eukaryotic cells from simpler microbial ancestors. Despite its significance, we do not understand how free-living microbial partnerships transition into obligate, physically integrated symbioses. I will address that gap by synthesising insights from two recent theoretical studies. The first explores how metabolic syntrophy can lead to stable ectosymbiosis. Using an ecological model, we examine how a mutant host capable of binding symbionts on its surface can invade and persist, despite the metabolic cost of reduced active cell area. Our results identify conditions under which close physical contact is favoured and reveal how enhanced metabolic activity can facilitate the transition toward obligate partnerships. Building on this, the second study uses adaptive dynamics to track evolutionary trajectories of host-symbiont collectives, focusing on two key traits: mutual dependence and reproductive cohesion. We show that while mutual dependence evolves relatively easily, reproductive integration is more constrained by ecological factors such as carrying capacity and asymmetric growth rates. Notably, we find that asymmetries in evolutionary pace, captured by processes such as the Red King effect, can drive one-sided obligacy, reflecting patterns often seen in natural symbioses. Taken together, these studies reveal the ecological and evolutionary mechanisms that can drive the transition from cooperation to integration. Our work offers a theoretical framework for understanding one of life's major transitions and opens avenues for future exploration of cellular complexity.

**Friday, September 12**

**9:00–9:30: Spatial infection model with adaptive host immunity**

**Sascha Franck**, University of Lübeck

We investigate a host-parasite infection, where a host is killed by an attacking parasite in order to reproduce and cannot be used by another parasite again. A classical mathematical model as a branching process on some graph is given by the frog model, where branching only happens on newly visited vertices. In this work we extend the model to include an adaptive immune response of hosts that allows them to prevent an infection and kill the attacking parasite. Precisely, parasites move independently as simple random walks on an infinite graph and immobile hosts sit on vertices. Whenever a parasite would jump onto a vertex with a host, it tries to infect it and then dies. Each host needs to be attacked a random number, i.i.d. distributed as some  $I$ , of times before a successful infection, where it is killed and new parasites are born at that vertex. The distribution of  $I$  incorporates how quickly hosts adapt against infection attempts. We investigate the speed at which parasites invade the host population on  $\mathbb{Z}$ , depending on host adaptivity (described by mild conditions on  $I$ ). Also, we establish a phase transition on  $\mathbb{Z}^d$  and  $\mathbb{T}_d$  in the survival for hosts that either get infected at the first attack with some probability  $p$  or can never be infected.

**9:30–10:00: On the number and weight of bacterial ancestors in a biparental Moran model**

**Franz Baumdicker**, University of Tübingen

In classical biparental Moran-type models, each parent contributes equally to the genetic makeup of their offspring. Coron and Le Jan (2006) analysed such a system and characterised the limiting distribution of an ancestor's genetic contribution. One key result in this model is that the genetic contribution of all ancestors in the past is small and asymptotically independent. In this talk, I present an extension of their framework that introduces a parental bias parameter  $p$ , allowing asymmetric inheritance. This parameter can be interpreted biologically in two ways: as unequal parental genomic contributions in sexual reproduction, or as a transfer probability modeling bacterial populations where most genes are inherited from a “mother” cell, with a smaller fraction acquired via horizontal gene transfer. We consider the limiting distribution of ancestral contributions under this generalised model. For constant  $p$ , the asymptotic behaviour closely mirrors the original results. However, when  $p$  is rescaled with population size, qualitatively different patterns emerge. Revealing a new regime where the genetic weight of ancestors is neither small nor independent.

## 10:00–10:30: Estimating the Growth Rate of a Birth-Death Process for Small Sample Sizes

**Carola Heinzl**, University of Freiburg

The problem of estimating the growth rate of a birth and death processes based on the coalescence times of a sample of  $n$  individuals has been considered by several authors ([1, 2, 3, 4]). This problem has applications, for example, to cancer research, when one is interested in determining the growth rate of a clone. Recently, Johnson et al. [1] proposed an analytical method for estimating the growth rate using the theory of internal branch lengths of coalescent point processes. Their method has comparable accuracy to more computationally intensive methods when the sample size  $n$  is large. We use a similar approach to obtain an estimate of the growth rate that is not based on the assumption that  $n$  is large. We prove that our proposed estimator has, even asymptotically, a lower variance than the estimator proposed in [1] and that it is asymptotically unbiased. Additionally, we demonstrate, through simulations using the R-package CloneRate, that our estimator for the growth rate has a much smaller mean squared error than previous estimates [1, 2, 4] when  $n$  is small.

Joint work with Jason Schweinsberg.

1. Brian Johnson et al. cloneRate: fast estimation of single-cell clonal dynamics using coalescent theory. In: Bioinformatics 39.9 (2023), btad561.
2. Emily Mitchell et al. Clonal dynamics of haematopoiesis across the human lifespan. In: Nature 606.7913 (2022), pp. 343–350.
3. Tanja Stadler. On incomplete sampling under birth–death models and connections to the sampling-based coalescent. In: Journal of Theoretical Biology 261.1 (2009), pp. 58–66.
4. Nicholas Williams et al. Life histories of myeloproliferative neoplasms inferred from phylogenies. In: Nature 602.7895 (2022), pp. 162–168.

## 11:00–11:30: Multi-Type Birth-Death Processes with Mean-Field Interactions for B-cell Phylodynamics

**Sebastian Hummel**, ETH Zürich

Antibody binding affinity maturation is a crucial process of the adaptive immune system. Motivated to model this process, we formulate a system of multi-type birth-death processes that can interact through their empirical distribution. We show that the empirical distribution process of the system of birth-death processes converges to a deterministic probability measure-valued flow as the system size tends to infinity. In this limit, a focal process evolves as a multi-type birth-death process with rates governed by the probability measure-valued flow, which is, in turn, the flow of the one-dimensional marginal distribution of the focal process.

Individual processes become independent in the limit, which suggests inference to be feasible for this model.

This is joint work with William S. DeWitt, Steven Evans, and Ella Hiesmayr.

## **11:30–12:00: Genealogies of interacting branching processes**

**Félix Foutel-Rodier**, University of Oxford

An interacting branching process is a population model in which individuals reproduce independently, but in a way that depends on the current state of the population. This dependence can model a wide range of ecological interactions but at the cost of breaking the branching property. We show that, if the population is started close to a stable equilibrium of the ecological dynamics and if the reproduction law has finite variance, the genealogy of the population at large carrying capacity is Kingman's coalescent.

Although this result is arguably expected, standard backward-in-time ideas are hard to apply because the population size and structure fluctuate around their equilibrium. Instead, we devise new forward-in-time arguments relying on an extension of a spinal result of Bansaye (2024) to  $k$ -spines. In turn, this so-called many-to-few formula allows us to tackle the convergence of the genealogy via stochastic calculus.

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