EuroCrypt – May 23rd, 2019

INRIA, and

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BISON Instantiating the Whitened Swap-Or-Not 8 Construction



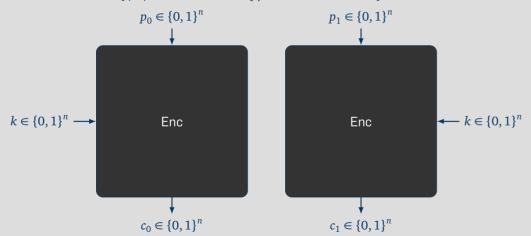
- Talk mainly about two parts of the paper:
 - Why do we need so many rounds (easy to understand argument)
 - Security against differential cryptanalysis
 (again relative simple argument that gives strong security here)
- Whitened Swap-Or-Not Construction developed by Hoang et al. and Tessaro
- Way of building block ciphers
- As this is one of the few talks here at EuroCrypt about block ciphers, lets start simple

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Block Ciphers



Encrypt plaintext in blocks p_i of n bits, under a key of n bits:



BISON Instantiating the Whitened Swap-Or-Not Construction
The WSN construction

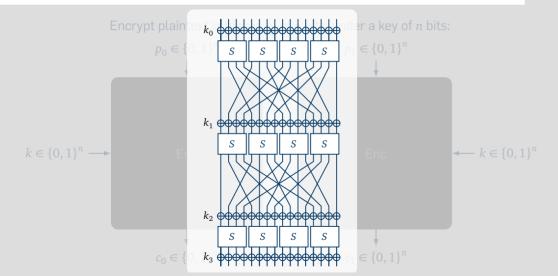


Block Ciphers

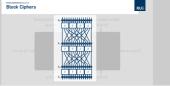
- Block ciphers encrypt blocks of n-bit inputs under an n-bit master key
- As a basic cryptographic primitive, we need special modes of operations, if the data to be encrypted is not of exactly *n*-bit length.
- This we do not consider here, instead we want to look at how to build this black box.

Block Ciphers





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Construction
The WSN construction



- Block ciphers encrypt *blocks* of *n*-bit inputs under an *n*-bit master key
- As a basic cryptographic primitive, we need special modes of operations, if the data to be encrypted is not of exactly *n*-bit length.
- This we do not consider here, instead we want to look at how to build this black box.
- Typicall approach is an SPN structure, where key-addition, S-box layer and a linear layer are iterated over several rounds.
- Relatively well understood

—Block Ciphers

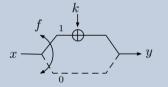
- Good security arguments against known attacks
- There are some problems: differentials and linear hull effects

The WSN construction



Published by Tessaro at AsiaCrypt 2015 [ia.cr/2015/868].

Overview round, iterated r times



Whitened Swap-Or-Not round function

$$\{0,1\}^n \text{ and } f_k : \{0,1\}^n \to \{0,1\}$$
$$y = \begin{cases} x+k & \text{if } f_k(x) = 1\\ x & \text{if } f_k(x) = 0 \end{cases}$$

BISON Instantiating the Whitened Swap-Or-Not Construction
The WSN construction



☐ The WSN construction

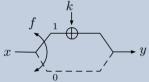
- Lets take a look at the WSN construction (simplified).
- Again, an iterated round function, where the input is fed into from the left.
- Next, a Boolean function decides if either the round key k is xored onto the input, or nothing happens.
- The result is the updated state, respective the output of the round.
- In other words, x, and k are both n-bit strings and f is an n-bit Boolean function.
- The round output y is either x + k if $f_k(x) = 1$ or just x in the other case.
- So why is this nice?

The WSN construction



Published by Tessaro at AsiaCrypt 2015 [ia.cr/2015/868].

Overview round, iterated r times



Properties of f_k (needed for decryption)

$$f_{\nu}(x) = f_{\nu}(x+k)$$

Whitened Swap-Or-Not round function

$$\in \{0,1\}^n$$
 and $f_k : \{0,1\}^n \to \{0,1\}$
 $y = \begin{cases} x+k & \text{if } f_k(x) = 1\\ x & \text{if } f_k(x) = 0 \end{cases}$

Security Proposition (informal)

The WSN construction with $r = \mathcal{O}(n)$ rounds is *Full Domain* secure.

BISON Instantiating the Whitened Swap-Or-Not 용 Construction 는 The WSN construction The WSN construction Russ

Published by Tessary of AsiaCrypt 2015 [1a. cr / 2016 / 2016].

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- The round output y is either x + k if $f_k(x) = 1$ or just x in the other case.
- So why is this nice?
- Tessaro was able to show that this construction, when iterated over $\mathcal{O}(n)$ rounds, achieves Full Domain security (what ever that means).
- One further property of f which we need for decryption is that x and x + k maps to the same output.

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The WSN construction Encryption



Input



- We can observe an interesting first property, when looking at the encryption procedure round by round
- Starting with the plaintext x...

RUB

The WSN construction Encryption





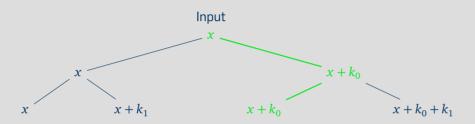


- We can observe an interesting first property, when looking at the encryption procedure round by round
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- ...in each round, we either add the round key k_i , ...

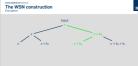
The WSN construction

Encryption





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The WSN The WSN construction



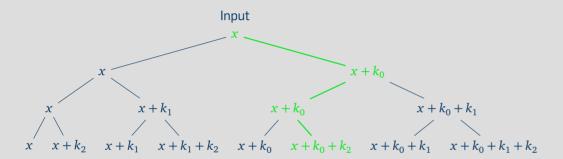
☐ The WSN construction

- We can observe an interesting first property, when looking at the encryption procedure round by round
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The WSN construction

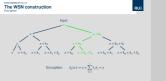
RUB

Encryption



Encryption:
$$E_k(x) := x + \sum_{i=1}^r \lambda_i k_i = y$$

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The WSN construction



☐ The WSN construction

- We can observe an interesting first property, when looking at the encryption procedure round by round
- Starting with the plaintext x...
- ...in each round, we either add the round key k_i , ...
- ...or not.
- Thus we end up with a binary tree of possible states.
- Furthermore, the encryption can also be written as the plaintext plus the sum of some round keys, chosen by the λ_i 's here.





- Sounds all very great.
- So from a practitioners point of view the natural next point is: lets implement it.





Construction

- $f_k(x) := ?$
- Key schedule?
- $\bigcirc \mathscr{O}(n)$ rounds?

Theoretical vs. practical constructions

BISON Instantiating the Whitened Swap-Or-Not
Construction
The WSN construction



Sounds all very great.

—An Implementation

- So from a practitioners point of view the natural next point is: lets implement it.
- But uggh...
- How does this Boolean function f_{ν} actually looks like?
- What about a key schedule? How do we derive the round keys?
- And how many are $\mathcal{O}(n)$ rounds?
- So, from a theoretical point of view we have a nice construction.
- But from a practical point of view it is basically useless.
- OK. let us fix this.

Generic Analysis On the number of rounds

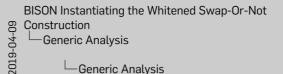
RUB

Observation

■ The ciphertext is the plaintext plus a subset of the round keys:

$$y = x + \sum_{i=1}^{r} \lambda_i k_i$$

■ For pairs x_i, y_i : span $\{x_i + y_i\} \subseteq \text{span } \{k_i\}$.





- First observation: span $\{x_i + y_i\} \subseteq \text{span } \{k_i\}$
- Leads to a simple distinguishing attack, if number of rounds r < n.

Generic Analysis On the number of rounds

RUB

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Distinguishing Attack for r < n rounds

There is an $u \in \mathbb{F}_2^n \setminus \{0\}$, s. t. $\langle u, x \rangle = \langle u, y \rangle$ holds always:

$$\langle u, y \rangle = \langle u, x + \sum_{i} \lambda_{i} k_{i} \rangle$$
$$= \langle u, x \rangle + \langle u, \sum_{i} \lambda_{i} k_{i} \rangle = \langle u, x \rangle + 0$$

for all $u \in \text{span}\{k_1, \dots, k_r\}^{\perp} \neq \{0\}$

BISON Instantiating the Whitened Swap-Or-Not
Construction
Generic Analysis

Observation

If the objective is the plaintest plus a subset of the round layer by $x = \sum_{i=1}^n \lambda_i k_i$ If for pairs x_i, y_i : $span\{x_i + y_i\} \le span\{k_i\}$. for

Generic Analysis



- Generic Analysis
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- Leads to a simple distinguishing attack, if number of rounds r < n.
- It is easy to find a u, s. t. $\langle u, y \rangle = \langle u, x \rangle = 0$ for all x, y = x, E(x).
- Simply use the bilinearity of the scalar product.
- Then any u from the dual space spanned by the round keys fullfills the above equation.
- ullet As long as there are less then n round keys, this dual space has dimension greater or equal then one.

Generic Analysis On the number of rounds

RUB

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for all $u \in \text{span}\{k_1, \dots, k_r\}^{\perp} \neq \{0\}$

Rationale 1

Any instance must iterate at least n rounds; any set of n consecutive keys should be linearly indp.

BISON Instantiating the Whitened Swap-Or-Not **2 Construction** -Generic Analysis

Generic Analysis

 $y = x + \sum_{i=1}^{r} \lambda_i k_i$



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- Simply use the bilinearity of the scalar product.
- Then any u from the dual space spanned by the round keys fullfills the above equation.
- As long as there are less then n round keys, this dual space has dimension greater or equal then one.
- A first design rational is thus...

Generic Analysis On the Boolean functions *f*



A bit out of the blue sky, but:

Rationale 2

For any instance, f_k has to depend on all bits, and for any $\delta \in \mathbb{F}_2^n$: $\Pr[f_k(x) = f_k(x + \delta)] \approx \frac{1}{2}$.

BISON Instantiating the Whitened Swap-Or-Not 은 Construction - Generic Analysis



• We also need this second rationale.

Generic Analysis

- Its not so easy explainable without going into more depth.
- So you have to believe me on this one.
- It basically says that for any input difference $\delta \neq k$:

$$\Pr[f_k(x) = f_k(x+\delta)] \approx \frac{1}{2}$$

A genus of the WSN family: BISON



Rationale 1

Any instance must iterate at least n rounds; any set of n consecutive keys should be linearly indp.

Rationale 2

For any instance, f_k has to depend on all bits, and for any $\delta \in \mathbb{F}_2^n$: $\Pr[f_k(x) = f_k(x + \delta)] \approx \frac{1}{2}$.

Generic properties of **B**ent wh**I**tened **S**wap **O**r **N**ot (BISON)

- \blacksquare At least n iterations of the round function
- The round function depends on all bits
- Consecutive round keys linearly independent
- $\forall \delta: \Pr[f_k(x) = f_k(x+\delta)] = \frac{1}{2} (bent)$

BISON Instantiating the Whitened Swap-Or-Not Construction
Generic Analysis

A genus of the WSN family: BISON

At least n its
Consecutive

A genus of the WSN family: BISON

**Control 1: A grain must finish at least in roards, wy set of a consection keys should be linearly in fix any inches must finish at least in roards, wy set of a consection keys should be linearly in fix any inches, has to aloge of an all bits, set for any $\beta \in \mathbb{F}^n_{\gamma}$; $\mathcal{H}_{\gamma}(x) = \langle x, x \rangle = \frac{1}{\gamma}$. For any protection, $\beta \in \mathbb{F}^n$ and $\beta \in \mathbb{F}^n$

- A guick recap and implications for any WSN instance.
- Rationale 2 basically tells us, we have to use bent functions.
- Thats nice, as those functions are quite well understood and already well scrutinised.
- Also, this is the reason for the name: Bent Whitened Swap-Or-Not
- But, and thats not so nice...

A genus of the WSN family: BISON



Rationale 1

Any instance must iterate at least n rounds; any set of n consecutive keys should be linearly indp.

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Generic properties of **B**ent whitened **S**wap **O**r **N**ot (BISON)

- At least *n* iterations of the round function
- The round function depends on all bits
- Consecutive round keys linearly independent
- $\forall \delta : \Pr[f_k(x) = f_k(x+\delta)] = \frac{1}{2} (bent)$

Rational 1 & 2: WSN is *slow* in practice!

But what about Differential Cryptanalysis?

BISON Instantiating the Whitened Swap-Or-Not 宫 Construction -Generic Analysis



A genus of the WSN family: BISON

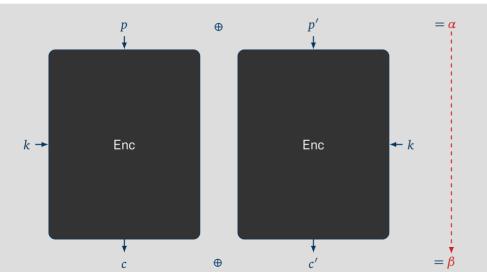
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- Thats nice, as those functions are quite well understood and already well scrutinised.
- Also, this is the reason for the name: Bent Whitened Swap-Or-Not
- But, and thats not so nice...
- n iterations of a round function that depends on all bits will be slow
- Let me repeat this (Reviewer 2 argued that we should optimise more):
- For example, assume you can do one round in one clock cycle, this is still an order of magnitude slower than AES.

No matter how good we will optimise this: it will be slow

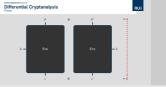
- So, why should we care about any instance?
- All hope is not lost, let's have a look at differential cryptanalysis!

Differential Cryptanalysis



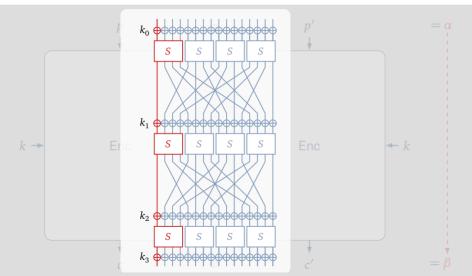


BISON Instantiating the Whitened Swap-Or-Not Construction
Differentia -Differential Analysis

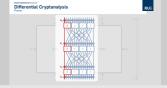


- For differential cryptanalysis, interested in propagation of input difference α to output difference β .
- Doing this in general at this abstraction level is a very hard problem.





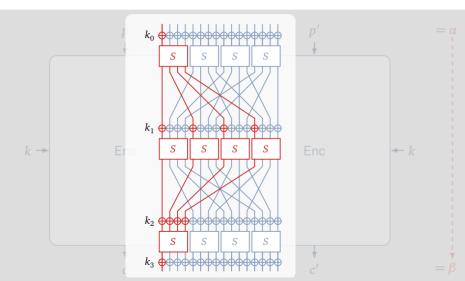
BISON Instantiating the Whitened Swap-Or-Not Construction
Differential Analysis



- For differential cryptanalysis, interested in propagation of input difference α to output difference β .
- Doing this in general at this abstraction level is a very hard problem.
- To say anything, we usually look for single so called *trails* through the inner building blocks.
- Now, computing the probability of one such trail is actually doable.
- But, trails can go several alternative ways through non-linear parts, thus we have to cope with a branching effect...

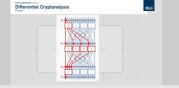
Differential Cryptanalysis





BISON Instantiating the Whitened Swap-Or-Not Construction

— Differential Analysis



- For differential cryptanalysis, interested in propagation of input difference α to output difference β .
- Doing this in general at this abstraction level is a very hard problem.
- To say anything, we usually look for single so called *trails* through the inner building blocks.
- Now, computing the probability of one such trail is actually doable.
- But, trails can go several alternative ways through non-linear parts, thus we have to cope with a branching effect...
- And eventually, several of these trails cluster in a so called differential.
- While in this example it is still feasible, computing the *exact* probability in a real cipher is not.
- We thus have to restrain on bounding or approximating this probability.
- In the end, tight bounds for differentials over several rounds remain an open (but important!) problem.
- For BISON our aim is to give exactly this: a tight bound for any differential over several rounds.

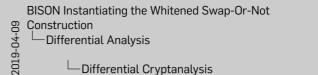
Differential CryptanalysisOne round



Proposition

For one round of BISON the probabilities are:

$$\Pr[\alpha \to \beta] = \begin{cases} 1 & \text{if } \alpha = \beta = k \text{ or } \alpha = \beta = 0 \\ \frac{1}{2} & \text{else if } \beta \in \{\alpha, \alpha + k\} \\ 0 & \text{else} \end{cases}$$





- We start by understanding the differential one round behaviour.
- For the three possible cases, let us look at what differences are actually possible.

Differential CryptanalysisOne round



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Possible differences

$$x + f_k(x) \cdot k$$

$$\oplus x + \alpha + f_k(x + \alpha) \cdot k$$

$$= \alpha + (f_k(x) + f_k(x + \alpha)) \cdot k$$

BISON Instantiating the Whitened Swap-Or-Not Construction
Differential Analysis

Differential Cryptanalysis



- For the three possible cases, let us look at what differences are actually possible.
- Remember that one round computes the output as $x + f_k(x) \cdot k$.

• We start by understanding the differential one round behaviour.

- With the input difference α we get as possible output differences $\beta \in \{0, \alpha, k, \alpha + k\}$.
- Remember that for decryption we need that x and x + k are mapped to the same value by f_{ν}
- Thus, $\beta = \alpha$ with probability one, if and only if $\alpha = k$ or $\alpha = 0$
- If β is not one of the above four values, such an input/output pair cannot occur, thus the probability is zero.

Differential CryptanalysisOne round

RUB

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$$= \alpha + (f_k(x) + f_k(x + \alpha)) \cdot k$$

Remember

$$\Pr[f_k(x) = f_k(x + \alpha)] = \frac{1}{2}$$

BISON Instantiating the Whitened Swap-Or-Not Construction
Differential Analysis

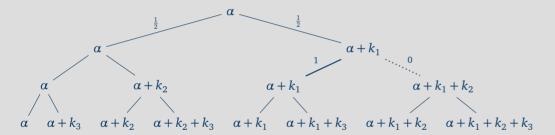


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- With the input difference α we get as possible output differences $\beta \in \{0, \alpha, k, \alpha + k\}$.
- Remember that for decryption we need that x and x + k are mapped to the same value by f_k
- Thus, $\beta = \alpha$ with probability one, if and only if $\alpha = k$ or $\alpha = 0$
- If β is not one of the above four values, such an input/output pair cannot occur, thus the probability is zero.
- For the last case, remember that for any input difference, we required that f_{ν} collides with probability one half.

Differential CryptanalysisMore rounds

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Example differences over r = 3 rounds:



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Differential Analysis

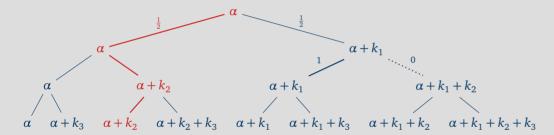


- Differential Cryptanalysis
- When we look at more rounds, we can depict these cases again in this tree structure.
- ullet Starting with the input difference lpha, assume it is different from the first round key k_0 and nonzero.
- After one round the two differences α and $\alpha + k_0$ occur with equal probability one half.
- As long as the intermediate difference is different from the next round key and nonzero, this argument iterates.
- At the point where the difference equals the next round key, these two choices collide into a deterministic propagation with probability one, where the round key is not added to the difference.

Differential CryptanalysisMore rounds

RUB

Example differences over r = 3 rounds:



For fixed α and β there is only *one* path!

BISON Instantiating the Whitened Swap-Or-Not Construction

Differential Analysis



- Differential Cryptanalysis
- When we look at more rounds, we can depict these cases again in this tree structure.
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- As long as the intermediate difference is different from the next round key and nonzero, this argument iterates.
- At the point where the difference equals the next round key, these two choices collide into a deterministic propagation with probability one, where the round key is not added to the difference.
- Regarding differentials, the important observation is:
- For any input/output pair (α, β) , there is only one path.
- In other words; no branching occurs and the differential consists of a single trail only.



A concrete species



BISON Instantiating the Whitened Swap-Or-Not Construction
The concrete Instance

A control seess

BISON

∟BISON

- Up to now we do not have specified much more then the initial WSN construction had.
- For a concrete implementation, we still need to define
 - Number of rounds
 - Key Schedule
 - Boolean function f_k
- So let us look at a concrete BISON species
- In particular, we discuss how to tackle Rationales 1 and 2.

Addressing Rationale 1

The Key Schedule



Rationale 1

Any instance must iterate at least n rounds; any set of n consecutive keys should be linearly indp.

Design Decisions

- Choose number of rounds as $3 \cdot n$
- Round keys derived from the state of LFSRs
- \blacksquare Add round constants c_i to w_i round keys

Implications

- Clocking an LFSR is cheap
- For an LFSR with irreducible feedback polynomial of degree *n*, every *n* consecutive states are linearly independent
- Round constants avoid structural weaknesses

BISON Instantiating the Whitened Swap-Or-Not
Construction
The concrete Instance

Addressing Rationale 1

Thorse Jonates and Territor at teach in rounds, any set of in consecutive keys should be linearly inchoosing the control of the consecutive keys should be linearly inchoosing the control of th

Addressing Rationale 1

- Due to further analysis, we chose 3n rounds.
- Deriving round keys from the states of LFSRs is efficiently implementable and fullfils our requirements for linear independent round keys.
- For those of you how attended Gregors talk at FSE:
 - While generating test vectors for the implementation we again noted some unwanted symmetries for encryptions with low hamming weight.
 - Thus we added round constants, to avoid these structural weaknesses.
 - (Sorry for fixing another cipher)

Addressing Rationale 2

RUB

The Round Function

Rationale 2

For any instance, the f_k should depend on all bits, and for any $\delta \in \mathbb{F}_2^n$: $\Pr[f_k(x) = f_k(x + \delta)] \approx \frac{1}{2}$.

Design Decisions

■ Choose $f_k : \mathbb{F}_2^n \to \mathbb{F}_2$ s.t.

$$\delta \in \mathbb{F}_2^n$$
: $\Pr[f_k(x) = f_k(x+\delta)] = \frac{1}{2}$,

that is, f_{ν} is a bent function.

■ Choose the simplest bent function known:

$$f_k(x,y) := \langle x,y \rangle$$

Implications

- Bent functions well studied
- \blacksquare Bent functions only exists for even n
- Instance not possible for every block length *n*

BISON Instantiating the Whitened Swap-Or-Not Construction
The concrete Instance

Addressing Rationale 2



- Just chose the simplest bent function, the scalar product.
- This is also efficiently implementable.
- But, another drawback:
- Bent functions exists only for even n.
- Thus BISON cannot be instantiated for every block length n.
- In particular, due to reasons not covered here, we can actually only instantiate it for *odd* block lengths.

Further Cryptanalysis



Linear Cryptanalysis

For $r \ge n$ rounds, the correlation of any non-trivial linear trail for BISON is upper bounded by $2^{-\frac{n+1}{2}}$.

Invariant Attacks

For $r \ge n$ rounds, neither invariant subspaces nor nonlinear invariant attacks do exist for BISON.

Zero Correlation

For r > 2n - 2 rounds, BISON does not exhibit any zero correlation linear hulls.

Impossible Differentials

For r > n rounds, there are no impossible differentials for BISON.

Algebraic Degree and Division Property

Algebraic degree grows *linearly*. Conservative estimate: for $r \ge 3n$ rounds, no attack possible.

BISON Instantiating the Whitened Swap-Or-Not Construction
Further Analysis

Further Cryptanalysis

Further Cryptanalysis

Execut Cryptanalysis

For 2 in a round; the constation of any name of the constant of t

- We did more cryptanalysis, but our results are more of the "classical" kind.
- For linear cryptanalysis, we bound the correlation of any non-trivial trail.
- Current known security arguments for resistance against invariant attacks apply.
- Zero correlation and impossible differentials do not exist for 2*n* rounds or more.
- Best attacks seem to exploit the algebraic degree.
- We show that it grows only linearly which is especially bad in comparison to SPN ciphers.
- The result on the algebraic degree also applies to NLFSRs or maximally unbalanced Feistel networks.
- Conservative estimation: might work for more than 2*n* rounds, but not for 3*n* or more.





Construction

- $f_k(x) := ?$
- Key schedule?
- $\bigcirc \mathscr{O}(n)$ rounds?

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• Coming back to our initial guestion.

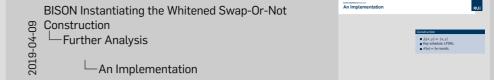
An Implementation

• And basically only for the sake of completeness, as we already saw this is going to be slow.



Construction

- $f_k(x,y) := \langle x,y \rangle$
- Key schedule: LFSRs.
- $\mathcal{O}(n) = 3n \text{ rounds.}$



- Coming back to our initial question.
- And basically only for the sake of completeness, as we already saw this is going to be slow.
- We have specified everything, so let's benchmark against AES (what else).



| Cipher | Block size | Cycles/Byte |
|--------------------|------------|-------------|
| | (bit) | mean |
| AES* | 128 | 0.65 |
| BISON [†] | 129 | 3064.08 |

Construction

- $f_k(x,y) := \langle x,y \rangle$
- Key schedule: LFSRs.
- $\mathcal{O}(n) = 3n \text{ rounds.}$

BISON Instantiating the Whitened Swap-Or-Not Construction

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An Implementation



- Coming back to our initial guestion.
- And basically only for the sake of completeness, as we already saw this is going to be slow.
- We have specified everything, so let's benchmark against AES (what else).
- OK, told you so, BISON is like 4700 times slower than AES.
- Or: more than three orders of magnitude.
- Optimising this will not help enough.

^{*} AES-128 on Skylake Intel® Core i7-7800X @ 3.5GHz, see Daemen et al. [The design of Xoodoo and Xoofff, Table 5].

[†] BISON on CoffeeLake Intel® Core i7-8700 @ 3.7 GHz.

Conclusion/Questions

Thank you for your attention!



BISON

- A first instance of the WSN construction
- Good results for differential cryptanalysis

Open Problems

- Construction for linear cryptanalysis?
- Similar args. for Unbalanced Feistel?

Thank you!

Questions?



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Details

Construction
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BISON Instantiating the Whitened Swap-Or-Not

Details



BISON's round function

For round keys $k_i \in \mathbb{F}_2^n$ and $w_i \in \mathbb{F}_2^{n-1}$ the round function computes

$$R_{k_i,w_i}(x) := x + f_{b(i)}(w_i + \Phi_{k_i}(x)) \cdot k_i.$$

where

lacksquare Φ_{k_i} and $f_{b(i)}$ are defined as

$$\begin{split} \Phi_k(x) : \mathbb{F}_2^n \to \mathbb{F}_2^{n-1} & f_{b(i)} : \mathbb{F}_2^{\frac{n-1}{2}} \times \mathbb{F}_2^{\frac{n-1}{2}} \to \mathbb{F}_2 \\ \Phi_k(x) \coloneqq (x+x[i(k)] \cdot k)[j]_{j \neq i(k)}^{1 \leqslant j \leqslant n} & f_{b(i)}(x,y) \coloneqq \langle x,y \rangle + b(i), \end{split}$$

■ and b(i) is 0 if $i \le \frac{r}{2}$ and 1 else.

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BISON Key Schedule

RUB

BISON's key schedule

Given

- primitive p_k , $p_w \in \mathbb{F}_2[x]$ with degrees n, n-1 and companion matrices C_k , C_w .
- master key $K = (k, w) \in (\mathbb{F}_2^n \times \mathbb{F}_2^{n-1}) \setminus \{0, 0\}$

The *i*th round keys are computed by

$$KS_i : \mathbb{F}_2^n \times \mathbb{F}_2^{n-1} \to \mathbb{F}_2^n \times \mathbb{F}_2^{n-1}$$

$$KS_i(k, w) := (k_i, c_i + w_i)$$

where

$$k_i = (C_k)^i k$$
, $c_i = (C_w)^{-i} e_1$, $w_i = (C_w)^i w$.

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