

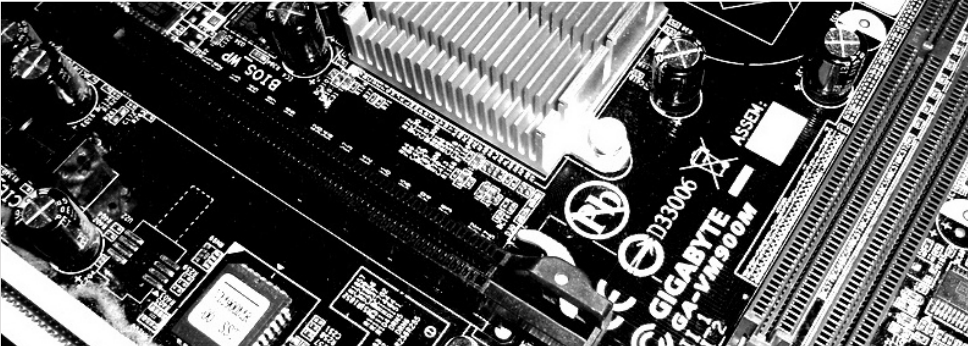
Analysis and Design of Ciphers for the IoT

October 4th, 2016

Workgroup Symmetric Cryptography
UbiCrypt – Horst Görtz Institute
Ruhr University Bochum

Friedrich Wiemer

UbiCrypt
Cryptography in Ubiquitous
Computing



- Started my PhD

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- ...

Questions?

Thank you for your attention!



Mainboard & Questionmark Images: flickr

■ High-Speed Implementation of bcrypt Password Search using Special-Purpose Hardware

(Wiemer, Zimmermann: ReConfig 2014)

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- Parallel Implementation of BDD enumeration for LWE

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(Kranz, Leander, Wiemer: in submission)

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■ Future

- Read more paper and do more research
- Cross-Disciplinary Project and Research Visit
- Basically: enjoy my PhD 😊

Linear Cryptanalysis

See Thorsten's slides.

See Thorsten's slides.

Fourier Coefficient for *Key-Alternating Function*

$$\widehat{F}_k(\alpha, \gamma) := \sum_{\beta \in \mathbb{F}_2^n} (-1)^{\langle \beta, k \rangle} \widehat{F}(\alpha, \gamma) = \sum_{\substack{\beta \in \mathbb{F}_2^n \\ x \in \mathbb{F}_2^n}} (-1)^{\langle \alpha, x \rangle + \langle \beta, k \rangle + \langle \gamma, F(x) \rangle}$$

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But:

- How to (*efficiently?*) compute the Fourier Coefficient?
- How does the key dependency influence our cipher's security?
- How does the key schedule influence the Fourier Coefficient?

Computing the Fourier Coefficient

Experimentally

Correct way:

- Choose α and γ .
- For all possible β *and*
For all possible keys *and*
For all possible plaintexts
 - Either increase or decrease the Fourier Coefficient's sum

Computing the Fourier Coefficient

Experimentally

Correct way:

- Choose α and γ .
- For all possible β *and*
For all possible keys *and*
For all possible plaintexts
 - Either increase or decrease the Fourier Coefficient's sum

Not feasible for real world ciphers. Thus approximate:

- Choose α and γ .
- For *many* β *and*
For *many* keys *and*
For *many* plaintexts
 - Either increase or decrease the Fourier Coefficient's sum

Computing the Fourier Coefficient

Ohkuma's Observation

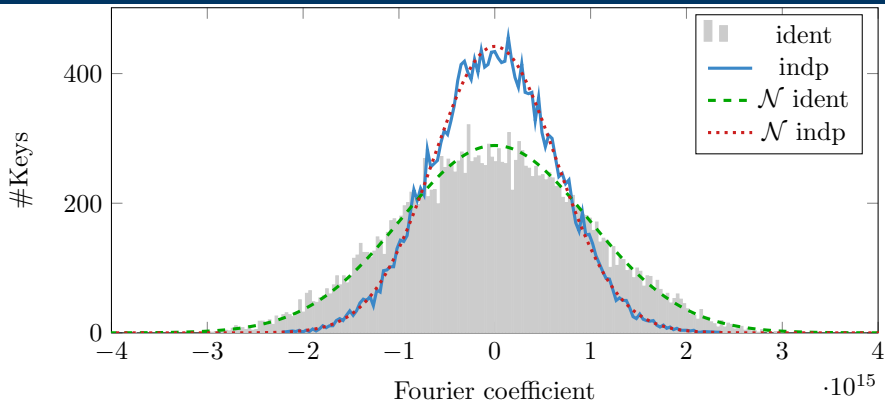
Experiments with PRESENT

Different S-boxes and Constant Round Keys

Experiments with PRESENT

Resulting Fourier Coefficient Distributions

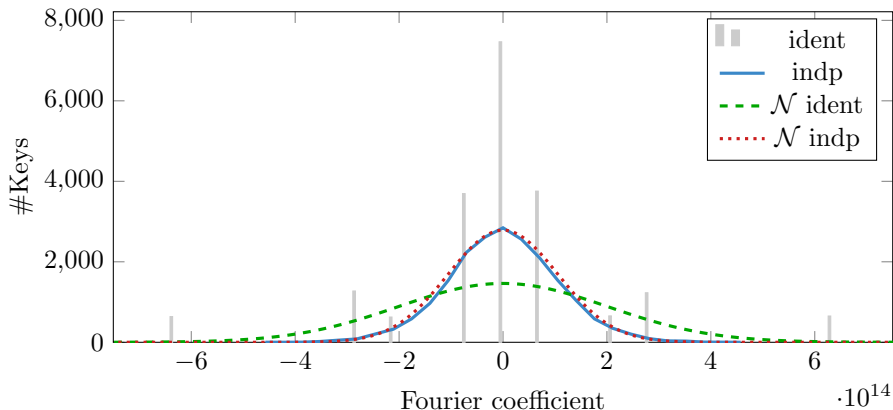
Standard PRESENT



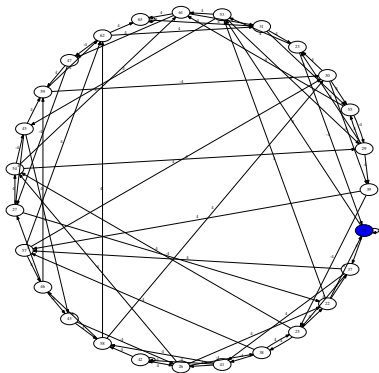
Experiments with PRESENT

Tchebysheff's Bound

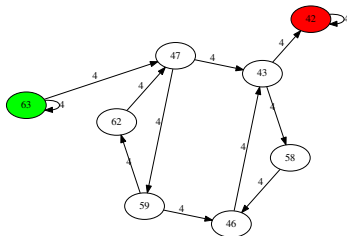
PRESENT with different S-box



Standard PRESENT



PRESENT with different S-box



Design Consequences

We cannot hope to prove better results for generic SPN's than Tchebysheff's bound.

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Thank you for your attention!
Any questions?

