Sports and Physics

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Sports und Physics

interdisciplinary

motivation

activity - experiments

multimedia

Sport und Physik

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SPORT UND PHYSIK



Sports and Physics

High Jump

Carving

Shot Put

Basquet Ball

Billard

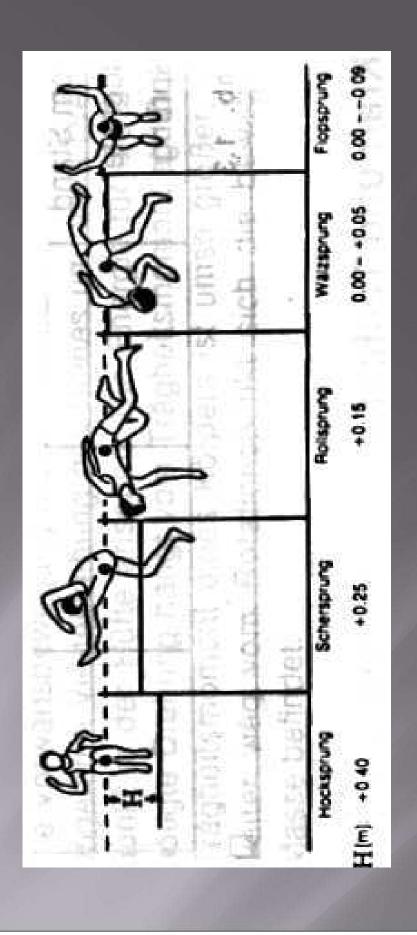
Tennis

Soccer

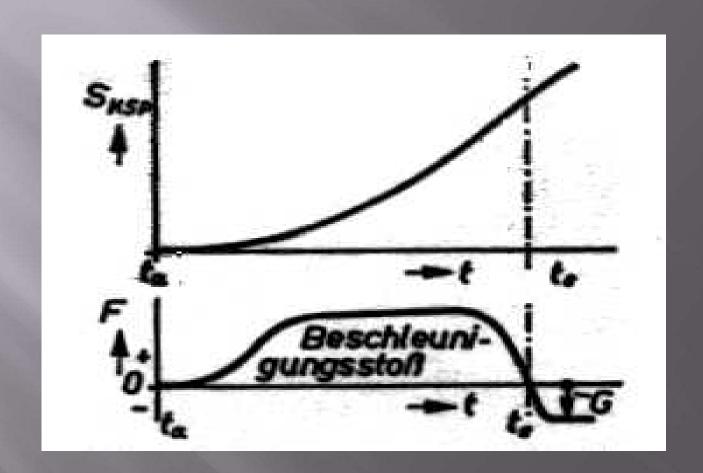
High jump



High jump

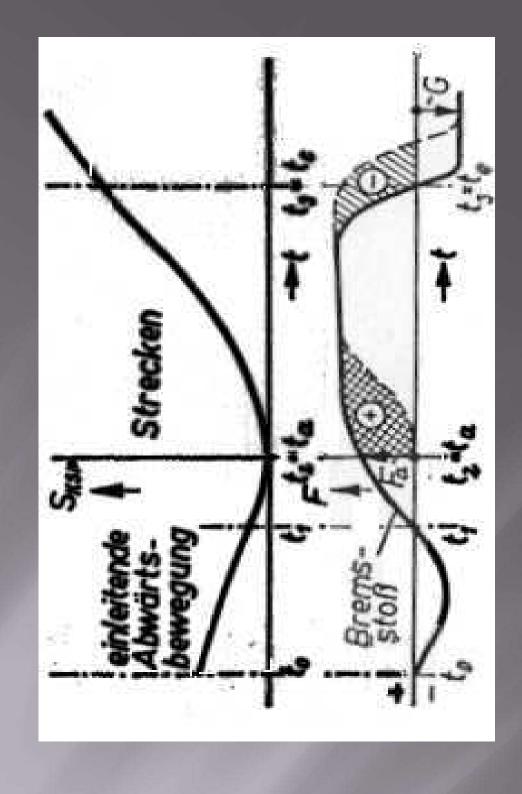


Jump from rest

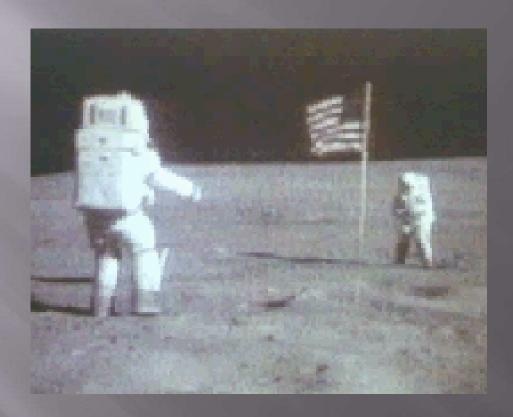


aus G. Hochmuth "Biomechanik der Sportarten"

Initial force



John Young, Apollo 16, April 20, 1972



Copyright Calvin J. Hamilton

Models

- 1. Same speed
- 2. Same force
- 3. Models
- 4. Individual differences

1. Same speed

Conservation of energy

Kinetic energy + potential energy = const.

$$\frac{1}{2}m \cdot v_{Ab}^{2} + m \cdot g \cdot h_{Ab} = m \cdot g \cdot (h_{Ab} + h)$$

$$h = \frac{v_{Ab}^{2}}{2g}$$

$$\mathbf{h_{Mond}} = \mathbf{6} \ \mathbf{h_{Erde}}$$

2. Same force

The force, which the muscle exerts on the ground, is constant and independent of gravitation.

$$m \cdot a = F - m \cdot g = F_1$$

Constant force

$$m \cdot a = F - m \cdot g = F_1$$

$$F = 2 \cdot m \cdot g$$
 ———

$$F_1^{Erde} = m \cdot g$$
 $F_1^{Mond} = \frac{11}{6} \cdot m \cdot g$

$$t_{Ab} = \sqrt{\frac{2(s_{Ab} - s_0).m}{F_1}}$$

$$t_{Ab}^{Mond} = \sqrt{\frac{6}{11}} \cdot t_{Ab}^{Erde}$$

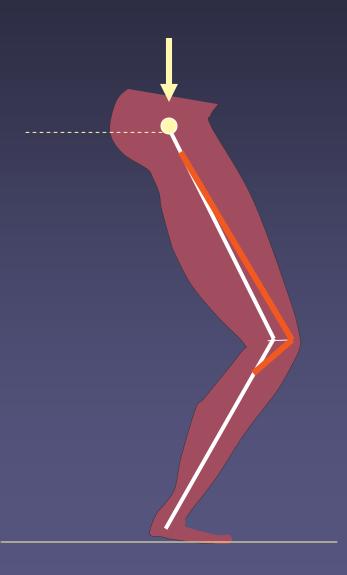
$$v_{Ab} = \frac{1}{m} \cdot F_1 \cdot t_{Ab}$$

$$v_{Ab}^{Mond} = \sqrt{\frac{11}{6}} \cdot v_{Ab}^{Erde}$$

$$h = \frac{v^2}{2 \sigma}$$

$$h_{Mond} = 11 h_{Erde}$$

3. Model of a movement

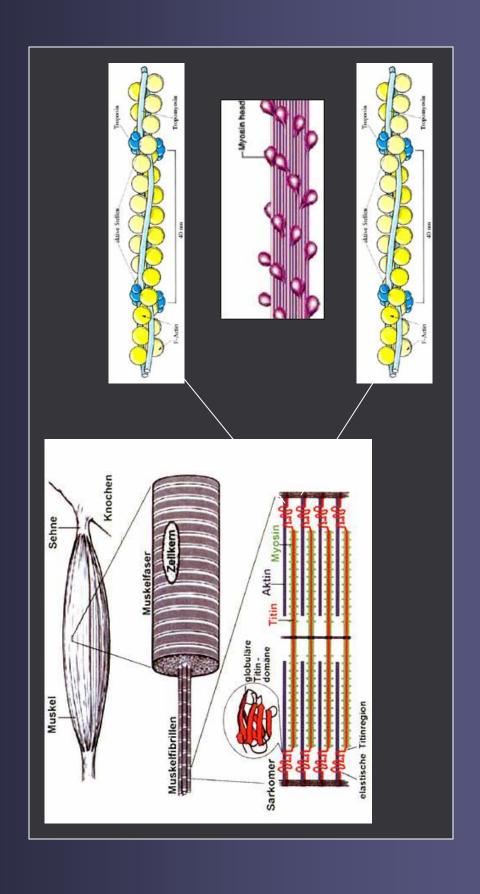


Muscle

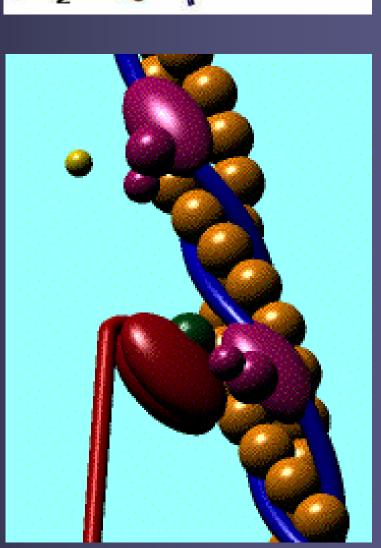
Activation

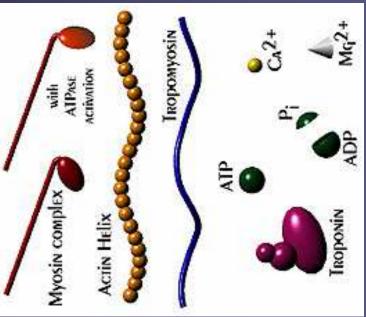
Geometry

Muscle

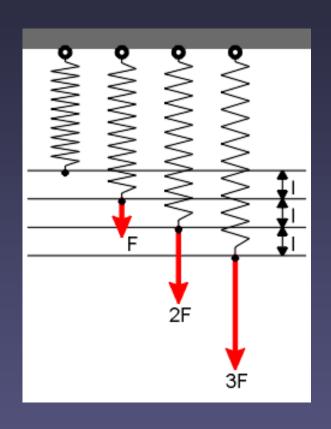


Muscle





A muscle is not a spring

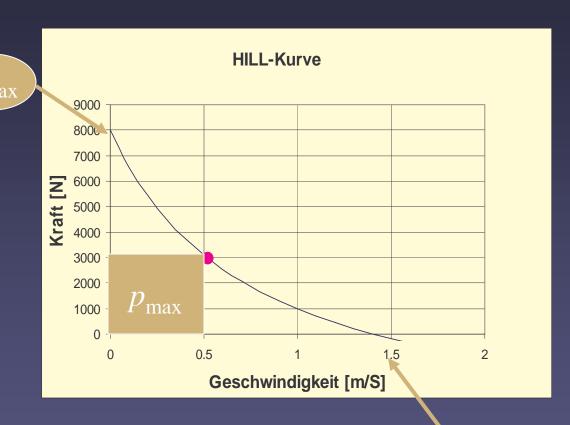




 $\mathbf{F} \sim \mathbf{x}$



Force of a muscle





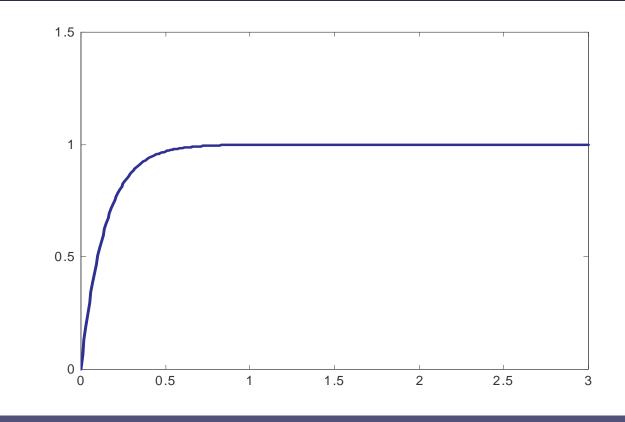
A.V. Hill

$$f = \frac{c}{v+b} - a$$



Activation





$$S(t) = 1 - e^{-A(t-t_0)}$$

Zeit [sec]

A...Parameter der Innervation

Geometry function

$$Fm = G(X) \cdot fm$$

Fm...Kraft außen, fm...Kontraktionskraft im Muskel

Equation of motion

$$m\frac{d^{2}X}{dt^{2}} = -mg + G(X) \cdot \left(\frac{c}{G(X)\frac{dX}{dt} + b} - a\right) \cdot S(t)$$

Gewicht

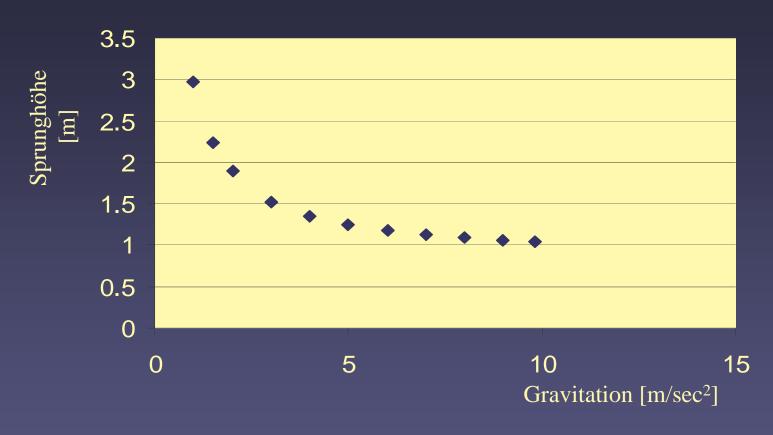
Geometrie

Hillsche Gleichung:

$$f = \frac{c}{v+b} - a$$

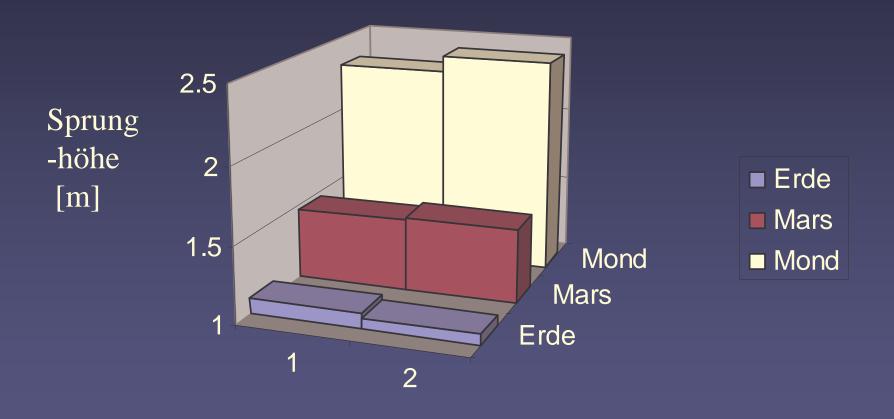
Aktivierung

Result of the simulation

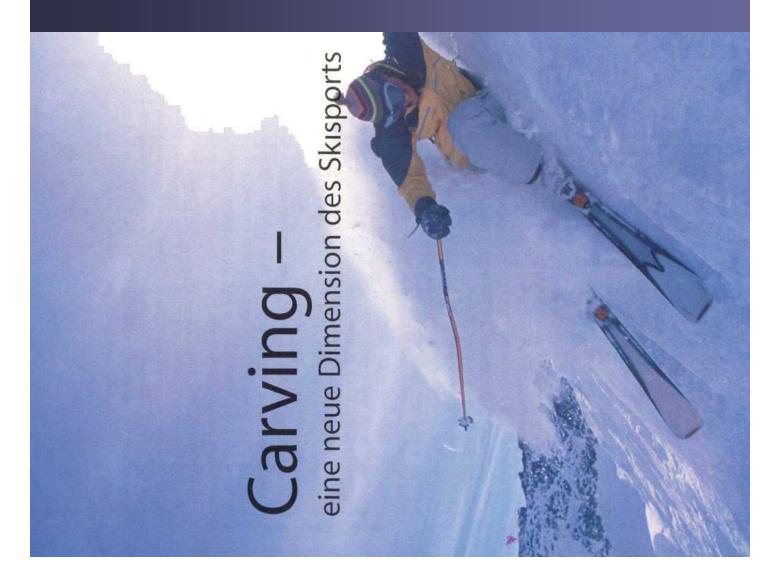


$$h_{Mond} = 10,5 h_{Erde}$$

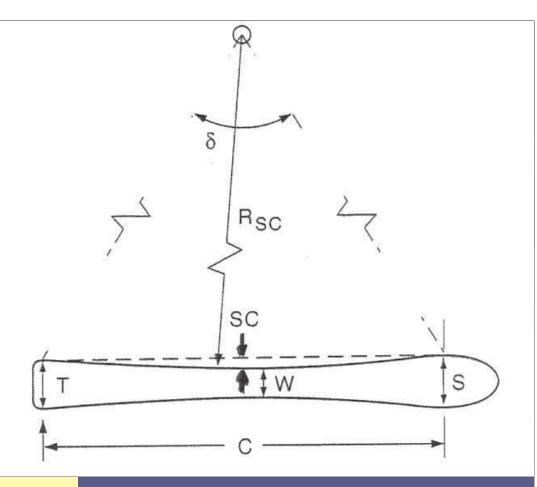
Individual effects



Physics of Carving



Curvature



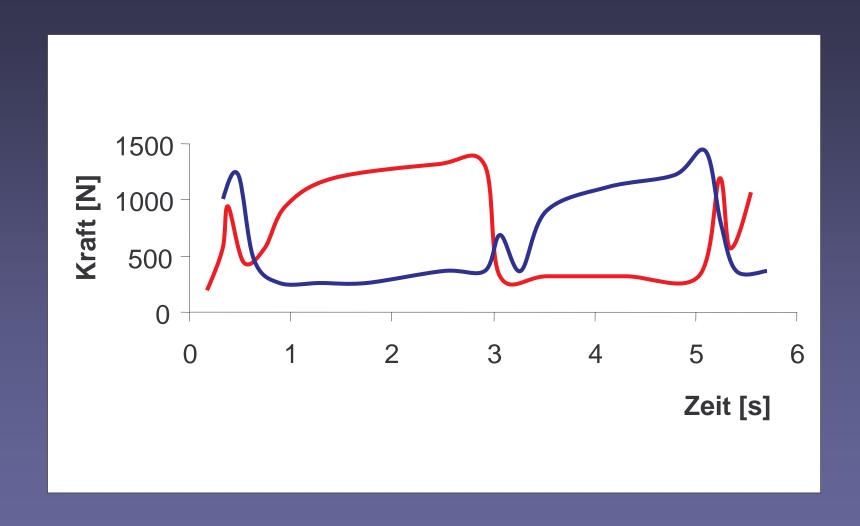
$$SC = R_{SC} - R_{SC} \cdot \cos(\delta/2)$$

$$SC \approx R_{SC} \cdot \frac{\delta^2}{8}$$

$$C = R_{SC} \cdot \delta$$

$$R_{SC} \approx \frac{C^2}{8 \cdot SC}$$

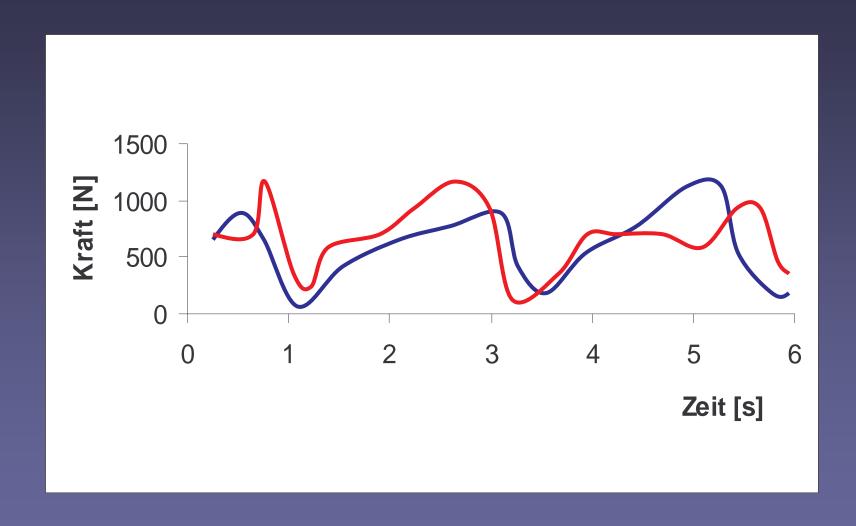
Traditional technique



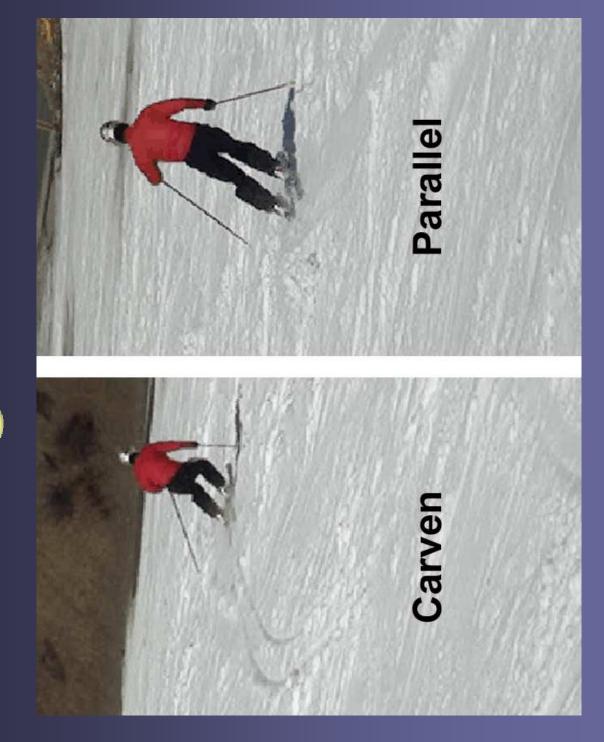
Rechter Ski

Linker Ski

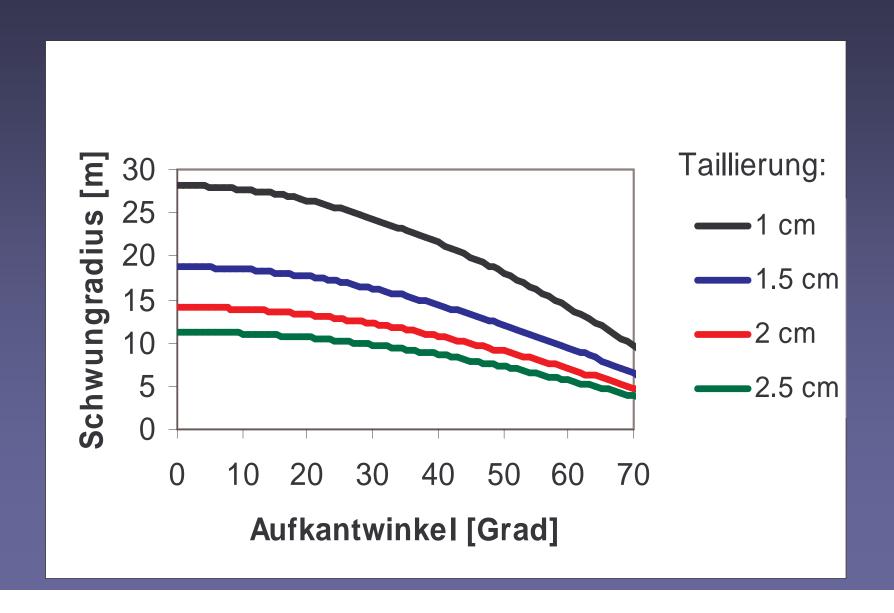
Carving technique



Carving - Parallel

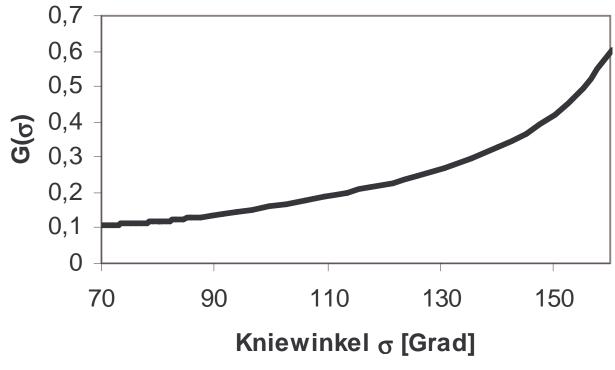


Radius



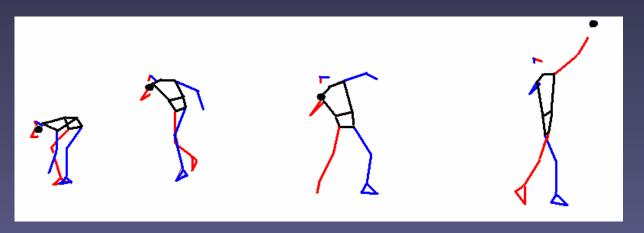
Geometry





Shotput

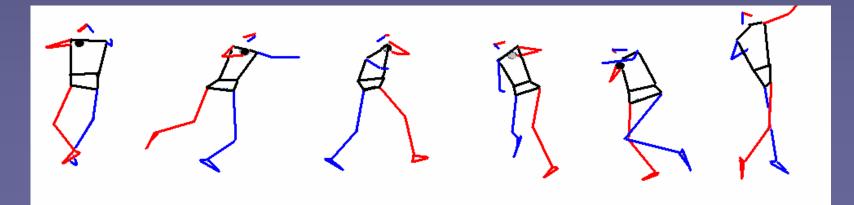
O'Brien technique











Shotput - new

Cartwheel-technique

