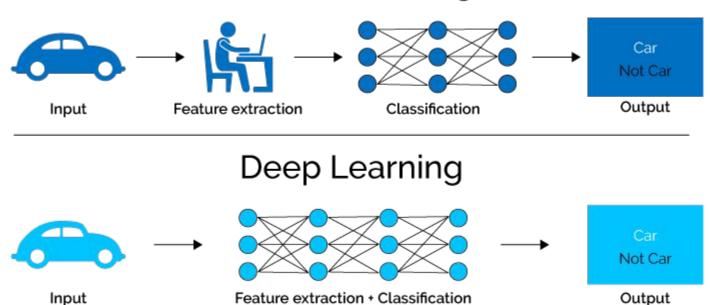
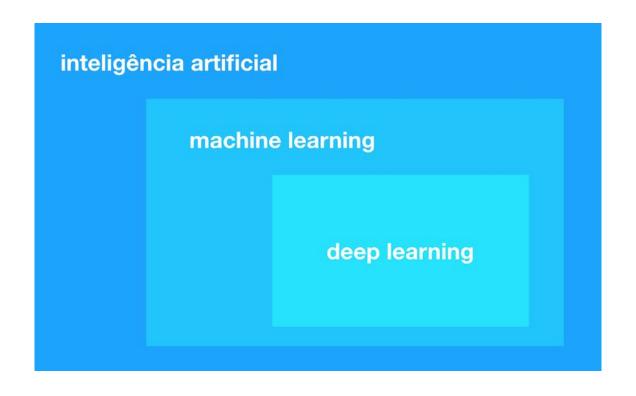
# Modelos de Redes Neurais e Deep Learning

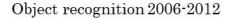
#### Machine Learning

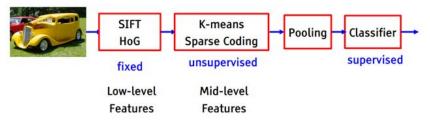




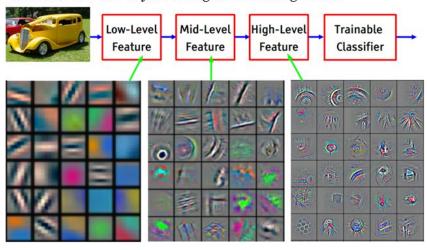
- → Quando falamos de deep learning
  - Múltiplas camadas escondidas

- → Quando falamos de deep learning
  - Múltiplas camadas escondidas
  - ◆ As camadas formam uma hierarquia representativa para cada feature de entrada





#### State of the art object recognition using CNNs

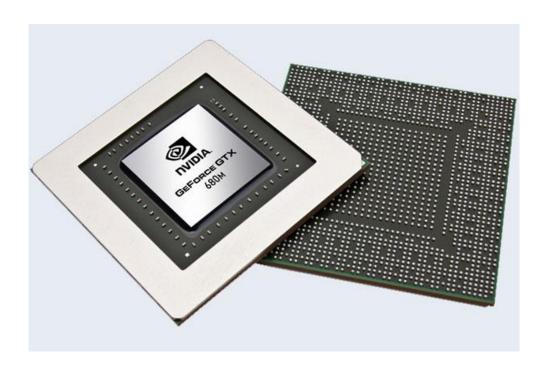




→ CPU (Central Process Unit ou Unidade Central de Processamento)



→ GPU (Graphics Processing Unit ou Unidade de Processamento Gráfico)



→ TPU (Tensor Processing Unit ou Unidade Processamento de Tensor)



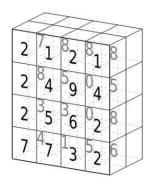
- → O que é um tensor?
  - Tensores são entidades geométricas introduzidas na matemática e na física para generalizar a noção de escalares, vetores e matrizes.

    https://pt.wikipedia.org/wiki/Tensor

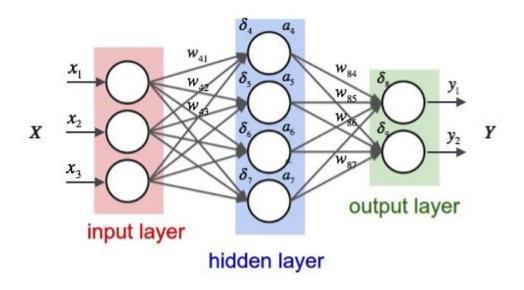
# tensor

't'	
'e'	
'n'	
's'	
'o'	
'r'	

3	1	4	1
5	9	2	6
5	3	5	8
9	7	9	3
2	3	8	4
6	2	6	4

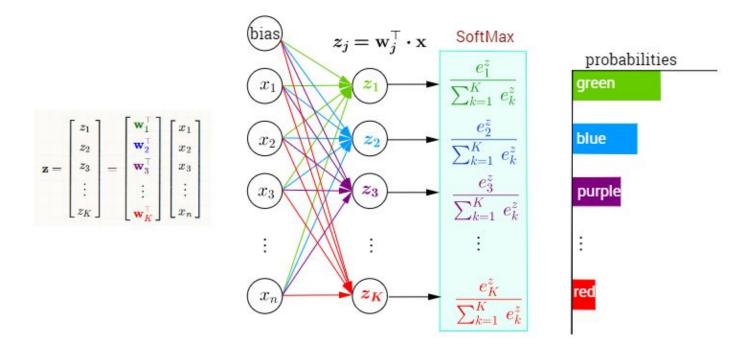


#### Rede Neural

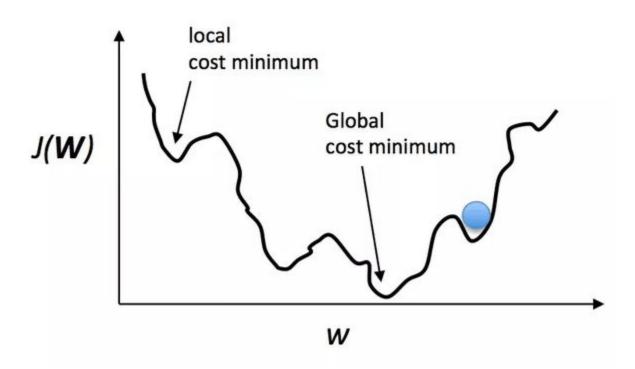


# **Cross Entropy**

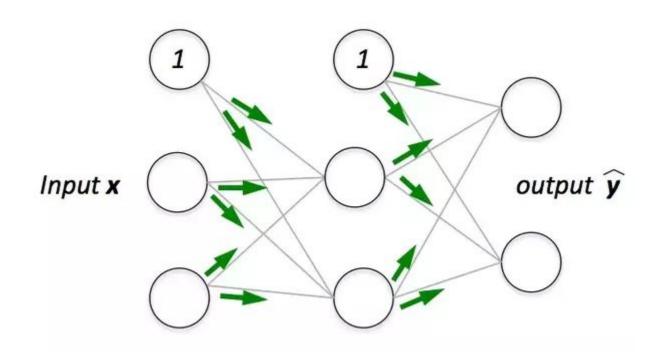
#### Multi-Class Classification with NN and SoftMax Function



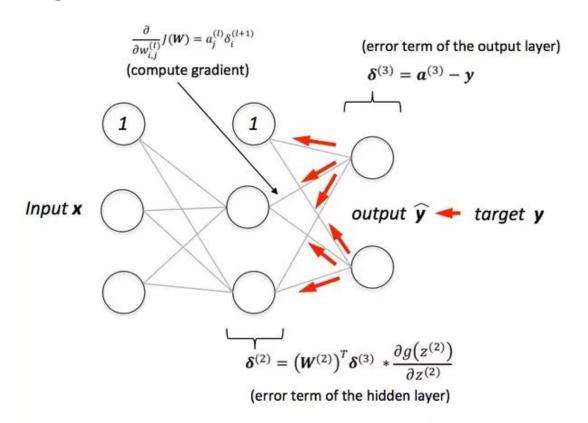
# **Back Propagation**



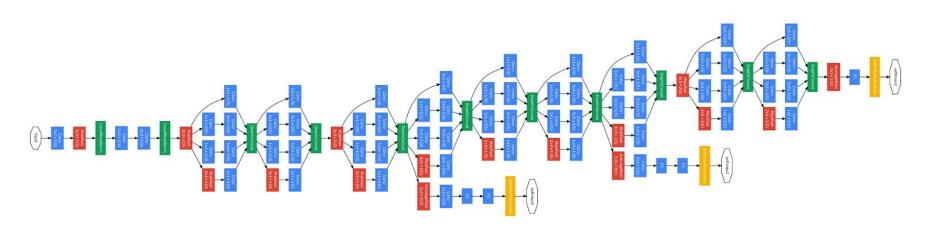
# **Back Propagation**



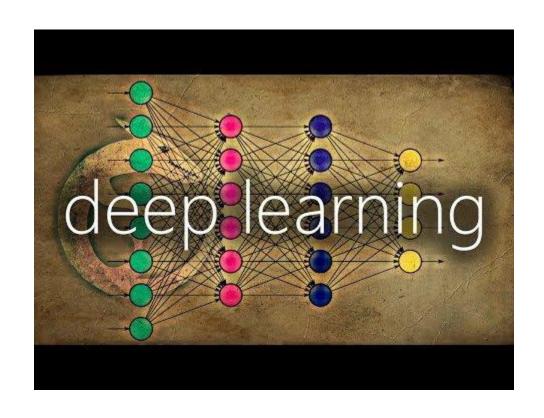
# **Back Propagation**



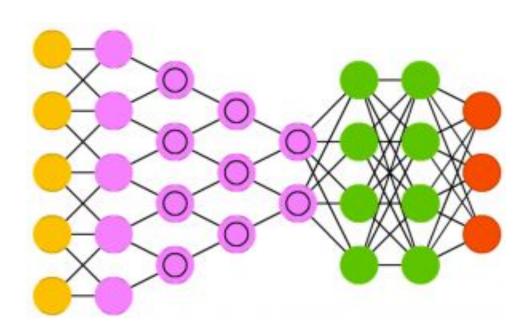
# Arquiteturas



#### Rede Neural



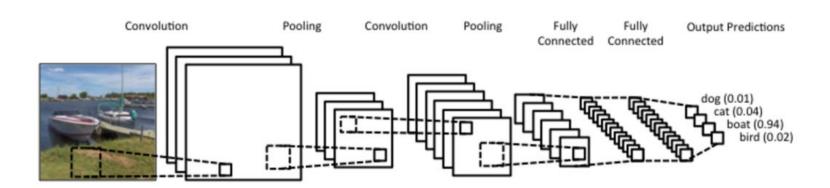
→ Redes Neurais Convolucionais



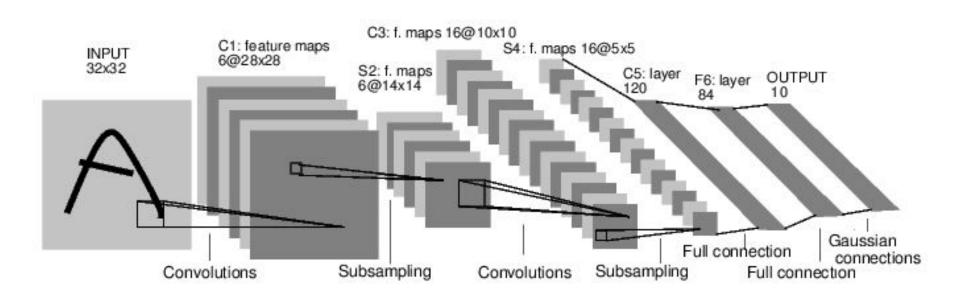
- → Redes Neurais Convolucionais
  - ♦ É uma rede *feed-forward*;

- → Redes Neurais Convolucionais
  - ♦ É uma rede *feed-forward*;
  - ◆ Boa aplicabilidade para problemas que envolvem análise de imagens.

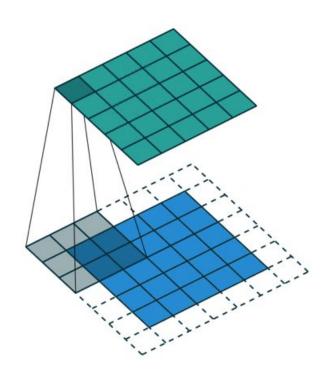
→ Redes Neurais Convolucionais



→ Redes Neurais Convolucionais

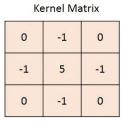


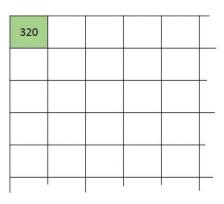
→ Convolução?



#### → Convolução?

						_
0	0	0	0	0	0	
0	105	102	100	97	96	
0	103	99	103	101	102	P
0	101	98	104	102	100	
0	99	101	106	104	99	I
0	104	104	104	100	98	
8						





$$0*0+0*-1+0*0$$
  
+0\*-1+105\*5+102\*-1  
+0\*0+103\*-1+99\*0 = 320

**Output Matrix** 

Convolution with horizontal and vertical strides = 1

→ Exemplo de filtro (Sobel)

Matematicamente este operador utiliza duas matrizes  $3\times3$  que são convoluídas com a imagem original para calcular aproximações das derivadas - uma para as variações horizontais e uma para as verticais. Sendo  $\bf A$  a imagem inicial então,  $\bf G_x$  e  $\bf G_y$  serão duas imagens que em cada ponto contêm uma aproximação às derivadas horizontal e vertical de  $\bf A$ .

$$\mathbf{G_x} = \begin{bmatrix} -1 & 0 & +1 \\ -2 & 0 & +2 \\ -1 & 0 & +1 \end{bmatrix} * \mathbf{A} \quad \mathbf{e} \quad \mathbf{G_y} = \begin{bmatrix} +1 & +2 & +1 \\ 0 & 0 & 0 \\ -1 & -2 & -1 \end{bmatrix} * \mathbf{A}$$

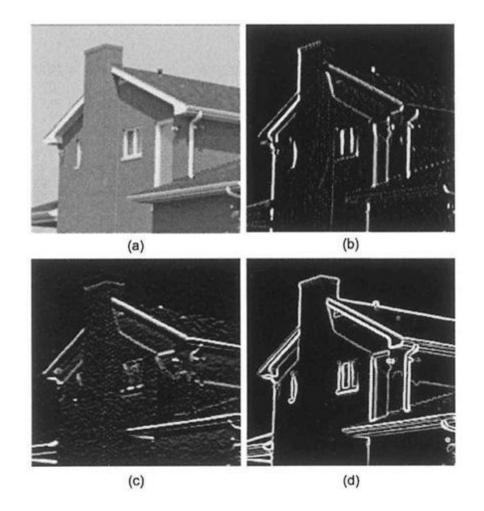
Portanto a magnitude, **G**, e a direcção, **Θ**, do gradiente são dados por:

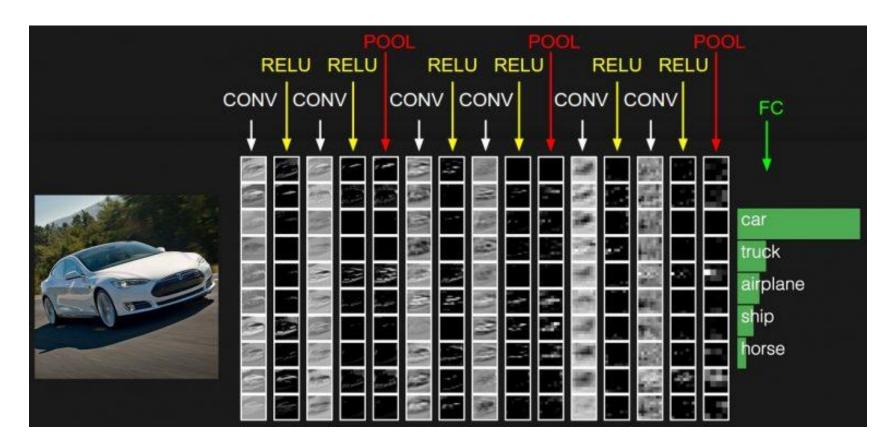
$$\mathbf{G} = \sqrt{\mathbf{G_x}^2 + \mathbf{G_y}^2}$$
 $\mathbf{\Theta} = \arctan\left(\frac{\mathbf{G_y}}{\mathbf{G_x}}\right)$ 

https://pt.wikipedia.org/wiki/Filtro\_Sobel

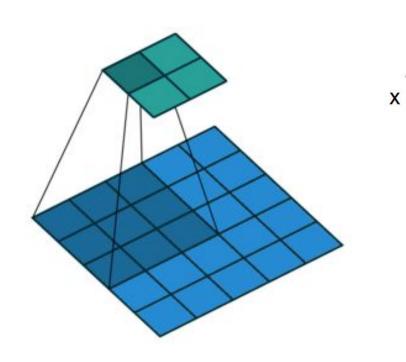
→ Exemplo de filtro (Sobel)

- a) Imagem original
- b) Sobel (Gx)
- c) Sobel (Gy)
- d) Sobel (Magnitude G)





→ Pooling?



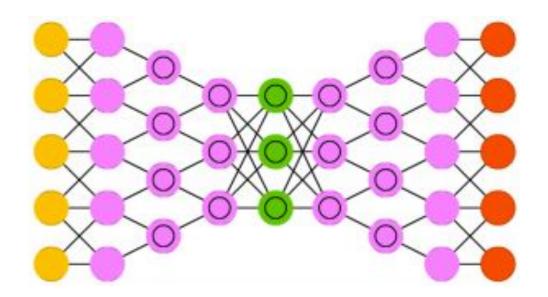


1	1	2	4
5	6	7	8
3	2	1	0
1	2	3	4

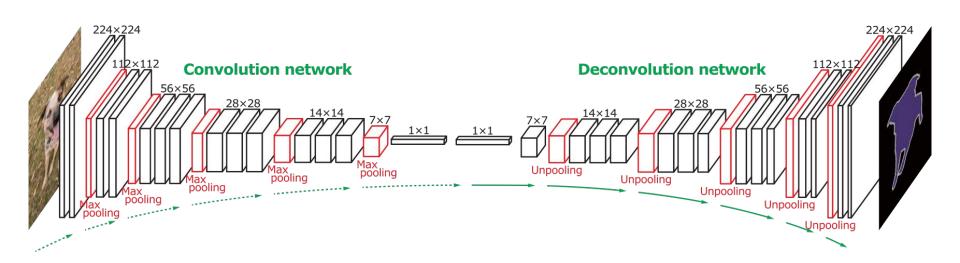
max pool with 2x2 filters and stride 2

6	8
3	4

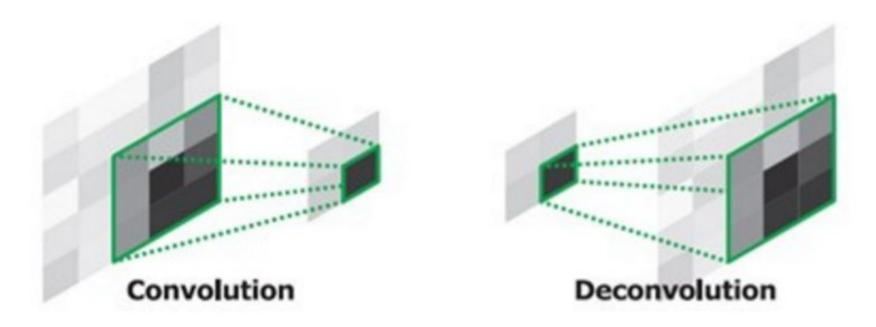
→ Redes Neurais Convolucionais Gráficas inversas Profundas



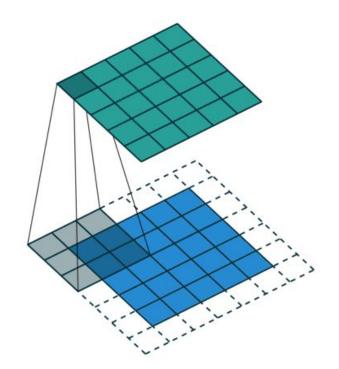
→ Redes Neurais Convolucionais Gráficas inversas Profundas

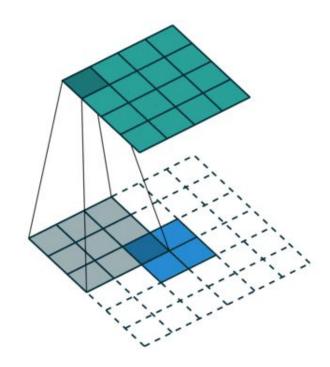


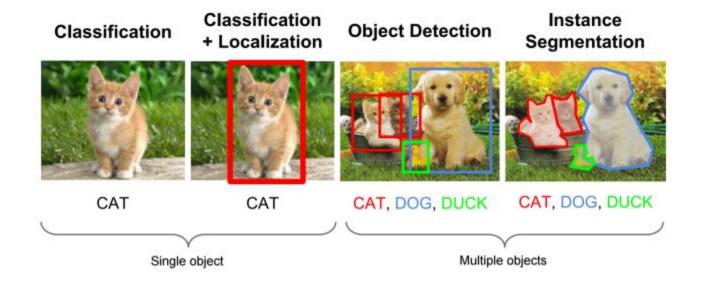
→ Convolution e Deconvolution?



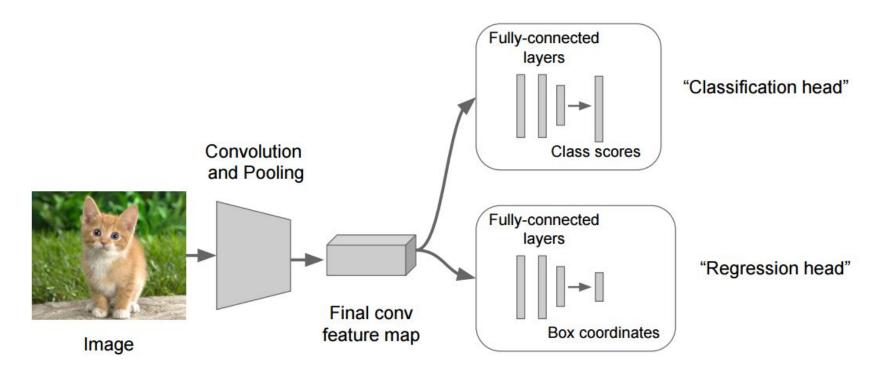
→ Convolution e Deconvolution?



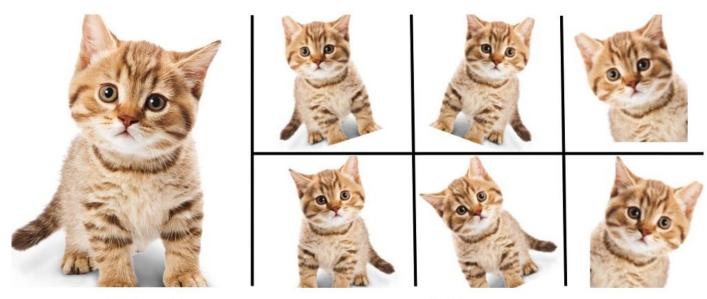




→ Classificar e Localizar

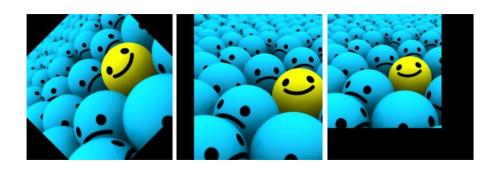


→ Image Augmentation

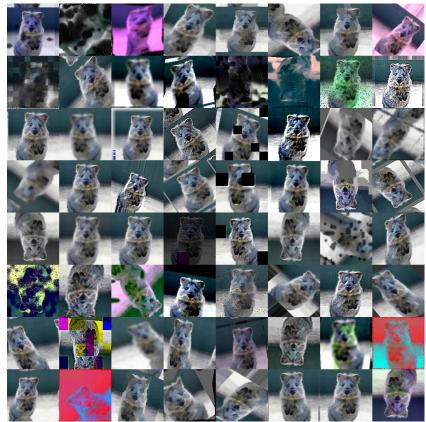


**Enlarge your Dataset** 

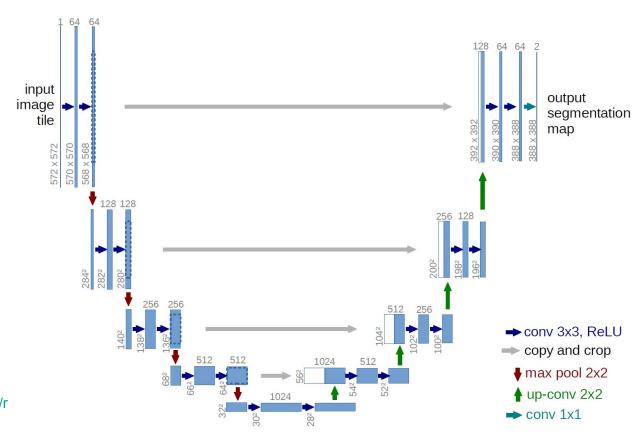
→ Image Augmentation





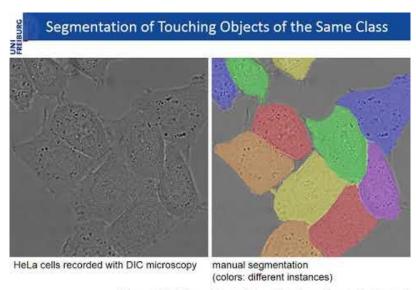


→ U-Net



https://lmb.informatik.uni-freiburg.de/people/ronneber/u-net/

#### → U-Net



[Data provided by Dr. Gert van Cappellen, Erasmus Medical Center. Rotterdam. The Netherlands]

