# SwedishFish

### Heuristics for efficient reconstruction of RNA sequences using minimum path decomposition



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#### Abstract

We propose two efficient heuristics for reconstructing RNA sequences. The algorithms model the RNA reads using a flow network, and try to decompose the network into the minimum number of path flows. The new heuristics produce results similar to the state of the art with reduced runtime.

#### Introduction

- \* RNA sequencing produces short sequencing reads sampled from transcripts
- The process of recovering the full-length sequences, known as the transcript assembly problem, is NP-Hard, so we look for heuristics rather than exact algorithms
- To solve, reads are organized into a de bruijn graph (Figure 1), then a splice graph (Figure 2)
- The minimum path decomposition through the splice graph/flow reveals the full-length sequences

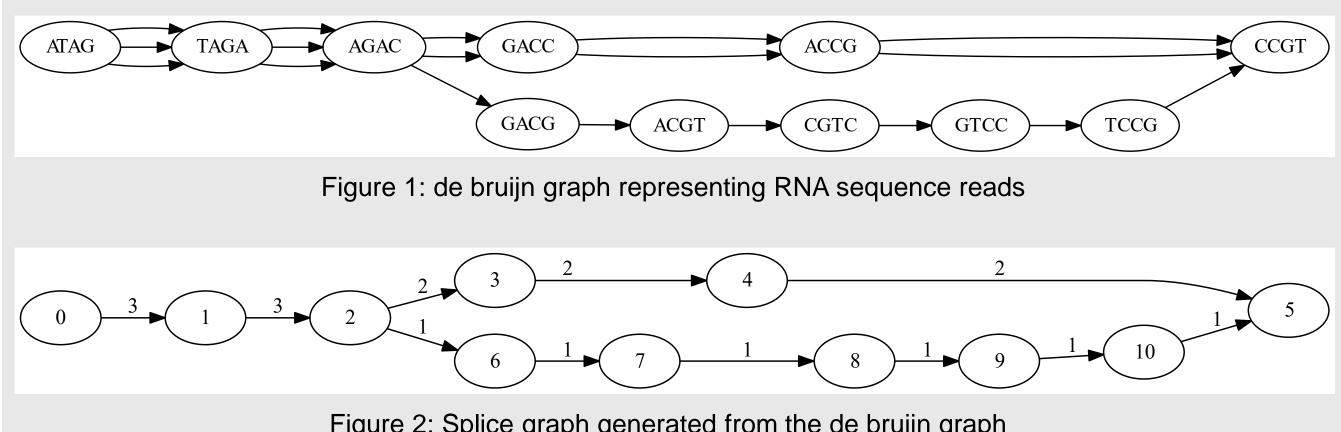


Figure 2: Splice graph generated from the de bruijn graph

### Benchmark Algorithms

Greedy Width [3]: Determines which path can carry the largest flow using a dynamic algorithm. It then removes the largest-flow path from the network and repeats until all edges are removed.

Catfish [4]: Uses targeted simplification methods to eliminate potential greedy width errors in the network. Then runs greedy-width with increased accuracy.

### Heuristic 1: Greatest Cardinality Cut

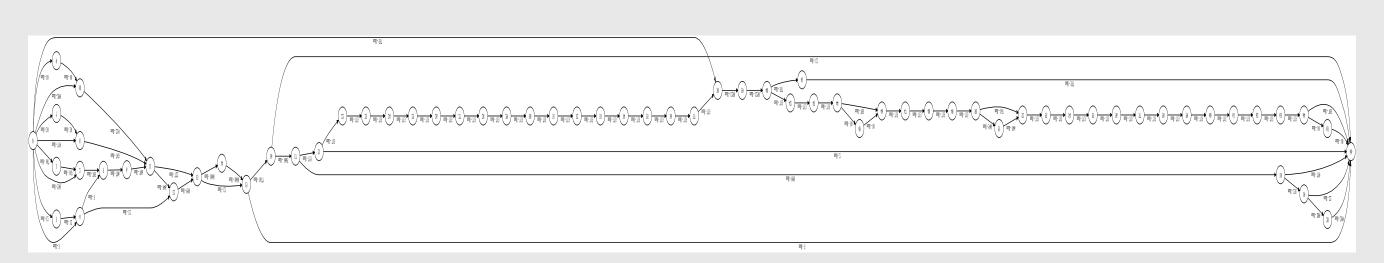


Figure 3: Original network – 62 nodes

- \* The network is broken down from Figure 1 to Figure 2 through several reversible methods: Serial Edge Removal, Reversal of Subgraphs, and Subset Sums Edge Break Down
- \* The network is topologically sorted and the greatest cardinality cut is found.
- Let f be the greatest flow value across the cut. We use the longest path algorithm to find a path through the graph such that each edge has flow value greater than or equal to f.
- \* This process is then repeated until there are no edges left to remove.
- \* If the greatest cut strategy fails to find a path then greedy width is used in its place for one cycle.

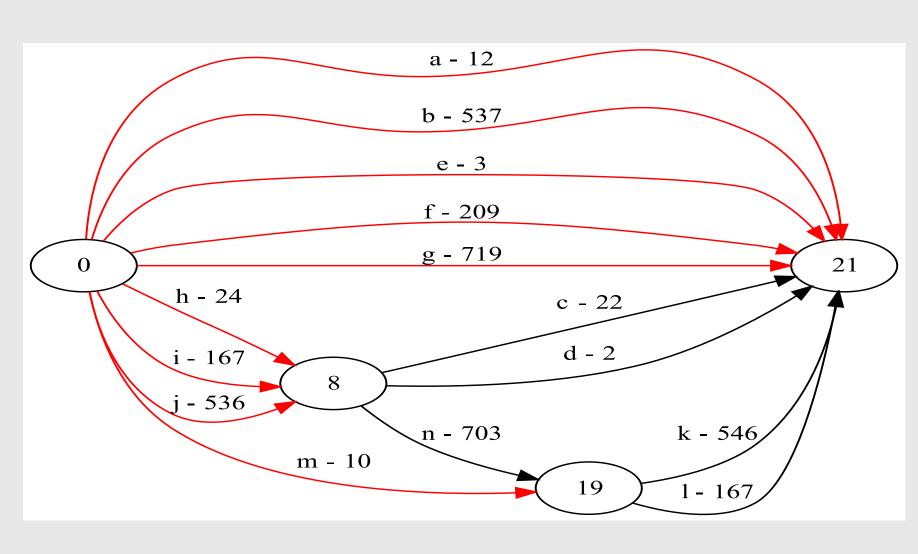


Figure 4: Network after collapse; Greatest cut found by the algorithm is highlighted in red

## Heuristic 2: Greedy Edge Remove

- \* Removes path that will remove the most edges until all edges have been removed
- \* Tie-breakers that target specific errors make results better than greedy-width, could further improve with more experimentation

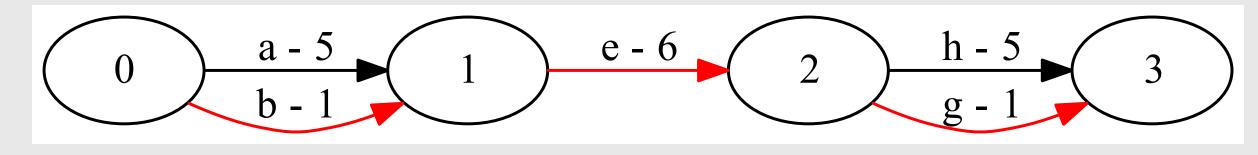
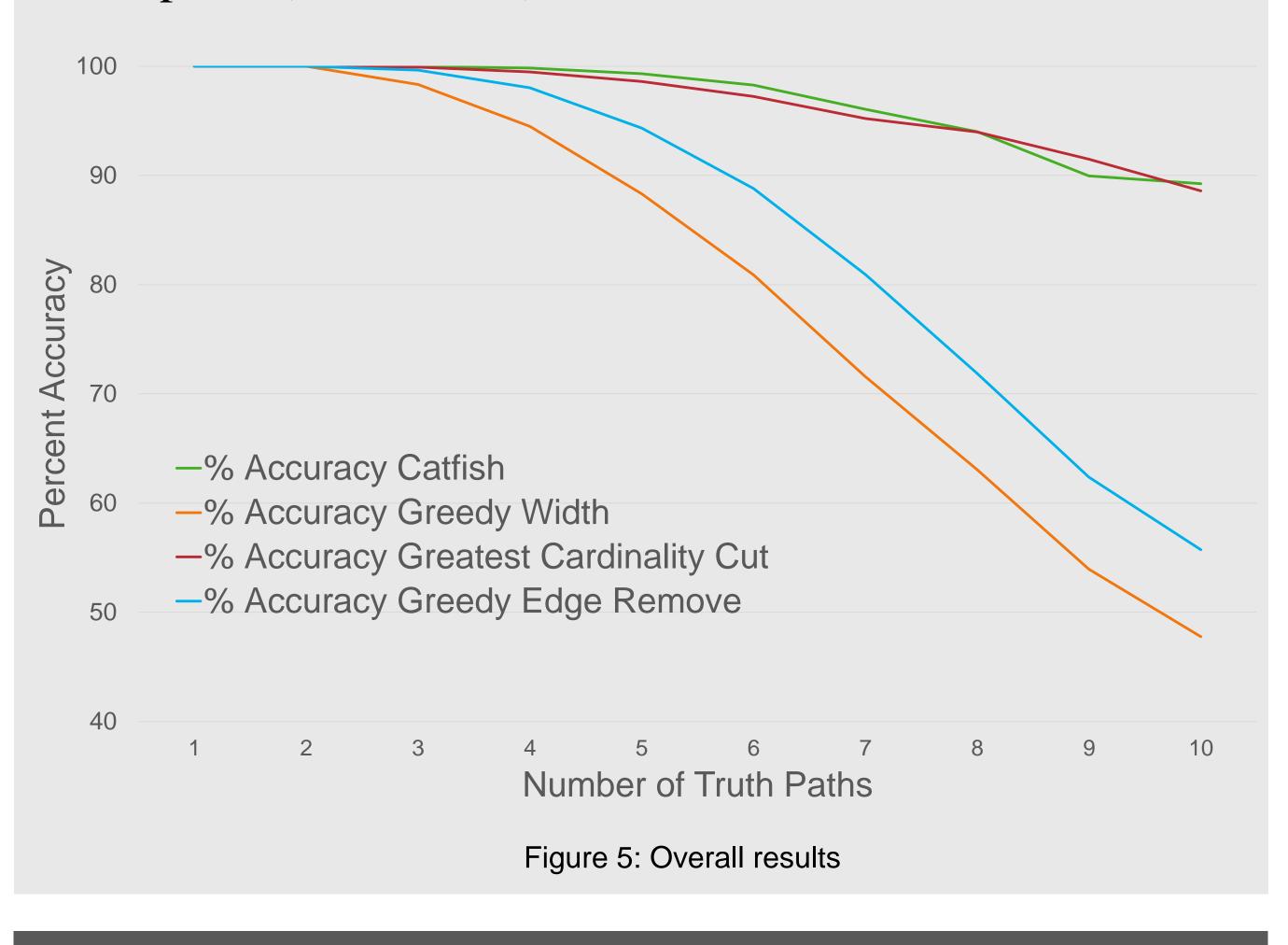


Figure 5: The path highlighted in red will result in 2 edge removals (b and g).

#### Results

- \* Tests run on data that models real RNA using Salmon [1] and Flux [2]
- \* Accuracy is measured by comparing the number of paths generated by each algorithm to the known number of paths (Truth Paths)



#### Future Work

- Modify Catfish to implement some parts of Greatest Cut
- Modify Greedy Width to implement tie-breaking similar to those used in Greedy Edge Remove
- Implement network reconstruction functionality to show origin paths
- Investigate solving using FPT methods

### References

[1] R. Patro, G. Duggal, and C. Kingsford. Salmon: Accurate, versatile and ultrafast quantification from RNA-seq data using lightweight-alignment. bioRxiv, page 021592, 2015.

[2] T. Griebel, B. Zacher, P. Ribeca, E. Raineri, V. Lacroix, R. Guigo, and M. Sammeth. Modelling and simulating generic RNAseq experiments with the flux simulator. Nucleic Acids Res., 40(20):10073-10083, 2012.

[3] B. Vatinlen, F. Chauvet, P. Chretienne, and P. Mahey. Simple bounds and greedy algorithms for decomposing a flow into a minimal set of paths. Eur. J. Oper. Res., 185(3):1390-1401, 2008.

[4] Shao, M. and Kingsford, C. (2016). Efficient Heuristic for Decomposing a Flow with Minimum Number of Paths.



