PH142 Midterm I

September 17, 2018

First and last name (print clearly):	_
Student number (print clearly):	
Week day and time of lab section you attend:	

Question	points
1	10
2	9
3	13
4	16
Total	48

Notes:

- You can use the back of each page as scratch paper.
- No points will be given for answers on the back of each page.
- Cellphones and computers must be stored and on silent.
- $\bullet\,$ You must show your student ID when you submit your test.

Question 1 (10 points total) Fill in the blank of the following statements: 1.a) [1 point] Correlation measures the ______ association between two variables. [linear] 1.b) [1 point] geom_histogram() is used to visualize _____ variables. [quantitative. 1/2 if said either continuous or discrete 1.c) [1 point] The five number summary consists of the five following values: minimum, first quartile, third quartile and the maximum. [median] Circle the correct answer(s): 1.d) [1 point] True or false: Association equates to causation. [false] 1.e) [1 point] True or false: The cor() function requires two categorical variables to run. [false] 1.f) [1 point] Out of the four following options, circle those that are resistant measures: [median, quartiles] • mean • median • standard deviation • quartiles 1.g) [1 point] If a particular distribution is skewed left, the mean is most likely the median. [less than] • less than • greater than • equal to 1.h) [1 point] The correlation of a graph ______ affected by changing the unit of measurement of the x and/or y variable. [is not]

- is
- is not

Provide a short answer:

1.j) [1 point] You are tidying a data frame called PH142_data and need to add a new variable to use in a regression model in the following step. Compare the two pieces of code below. Both chunks will run, but one is preferred. Which one is preferred and why?

```
Chunk 1: PH142_data <- PH142_data %>% mutate(...) vs.
Chunk 2: PH142_data %>% mutate(...)
Brief explanation:
```

Solution: Chunk 1 is preferred because it saved the change (i.e., adding the new variable) for later use whereas chunk 2 only prints it to the screen.

1.k) [1 point] Suppose you run the following code in your R console:

```
x <- 4
y <- 2
z == x+y
```

Does z show up in your environment? If so, what does z contain? If not, what could change in the code to add z?

Solution: No. Change z == x + y to z <- x + y (preferred) or z = x + y (acceptable, still full marks)

Question 2 (9 points total)

A data set that you have read into R is called california_data. This data set contains information on the number of cases of Pertussis, and the resulting hospitalizations and deaths among kindergartners for the forty largest counties in California.

The variables in this data set include:

Variable	Description
COUNTY	String label for the county
Cases	Number of reported Pertussis cases
Hospitalizations	Number of cases leading to hospitalization
Deaths	Number of cases resulting in death
Case_Rate	Case rate per 1,000 members of the population

The original dataset (california_data) and a tidied dataset (tidy_ca_data) are shown to you on two separate loose-leaf papers. They contain the same number of rows.

2.a) Circle the functions that were applied to go from the initial data frame (california_data) to the tidied data frame (tidy_ca_data):

- rename()
- select()
- arrange()
- mutate()
- filter()
- group_by()
- summarize()

[circle: select(), arrange(), and mutate()]

2.b) Write the code using the circled dplyr functions to apply functions to the initial data frame california_data and result in tidy_ca_data.

Solution:

```
tidy_ca_data <- california_data %>%
  mutate(Hosp_Rate = Hospitalizations/Cases) %>%
  select(-Deaths) %>%
  arrange(-Case_Rate)
```

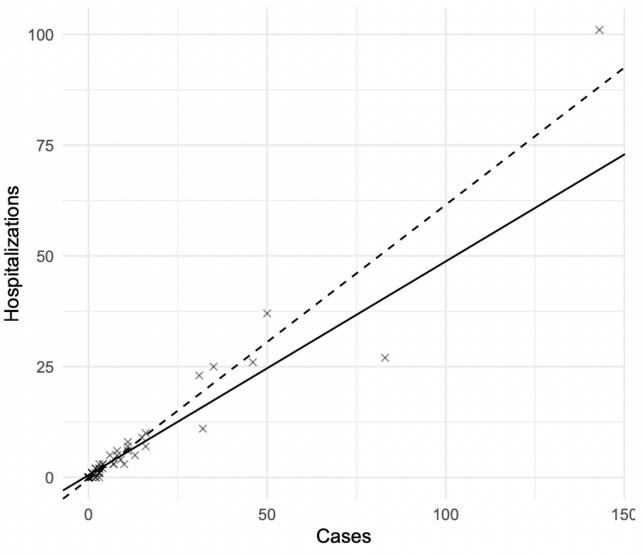
Students can split the above solution into multiple parts if they assign each intermediate step to a object that is then referenced in the following step.

Remove some marks for:

- Beginning a statement with the pipe (%>%) since that code would not compile
- Variable names not specified correctly

The graph below displays the number of Pertussis cases vs. Pertussis hospitalizations in 2014 for all California counties (not just the 40 included in california_data). The dashed line is the line of best fit including the point at x = 140, y = 101 and the solid line is the line of best fit excluding that point.

Relationship between cases of Pertussis and Hospitalizations among cases in CA kindergartens



Each point is a California county in 2014.

2.c) [1 point] What type of outlier is the point at x = 140, y = 101 considered to be? [circle c]

- a. An outlier
- b. An influential point
- c. Both (a) and (b)
- d. None of the above

2.d) [1 point] Circle the inequality that best describes the relationship between Hospitalizations and Cases: [circle a]

a.
$$r > 0.8$$

b.
$$0.35 < r < 0.5$$

c.
$$-0.32 < r < 0$$

d.
$$-0.7 < r < -0.99$$

2.e) [1 point] You execute the function dim(all_california_data) and get the following output:

[1] 58 5

Circle the correct interpretation of the output: [circle d]

- a. The dataset has 58 unique observations and 5 repeated observations, for a total of 63 observations
- b. The dataset has 3 rows and 58 columns
- c. The dataset has 1 row with the following values: 58 and 5, in two separate columns
- d. The dataset has 58 rows and 5 columns

Question 3 (13 points total)

Consider the following data set named HELP_study. The dataset contains information on adults admitted to hospital for treatment for alcohol, cocaine, or heroin. Selected variables in the dataset include:

Variable	Description
age gender racegrp homeless drink_count	age of patient gender of patient race/ethnicity of patient housing status average number of drinks consumed per day, in
substance	the past 30 days primary substance of abuse

Here is the code and output to help you understand the contents of this data frame:

```
dim(HELP_study)
```

[1] 453 7

head(HELP_study)

##		age	gender	homeless	drink_count	racegrp	${\tt substance}$	${\tt hospitalizations}$
##	1	37	male	housed	13	black	cocaine	3
##	2	37	male	${\tt homeless}$	56	white	alcohol	22
##	3	26	male	housed	0	black	heroin	0
##	4	39	${\tt female}$	housed	5	white	heroin	2
##	5	32	male	homeless	10	black	cocaine	12
##	6	47	female	housed	4	black	cocaine	1

The following two-way table was created using the variables homeless and substance from HELP_study:

Group	Alcohol	Cocaine	Heroin
Housed	74	93	77
Homeless	103	59	47

3.a) [1 point] What type of variable is homeless? Circle one: [nominal]

- continuous
- discrete
- nominal
- \bullet ordinal

3.b) [1 point] What type of variable is substance? Circle one: [nominal]

- continuous
- discrete
- nominal
- ordinal

Student ID:

3.c) [2 points] Given the (little) information you know about this study, is there a clear explanatory and response variable between homeless and substance? If so, which variable is which? If not, why not?

Solution: No because it could be that becoming homeless affects substance abuse, or that substance use affects housing status and it is not clear which hypothesis the investigators want to test.

3.d) [3 points] Based on the two-way table, calculate the conditional distribution of substance abuse among homeless individuals. Round to two decimal places and show your work.

Solution:

Number of homeless individuals = 103 + 59 + 47 = 209

% alcohol use among homeless: 103/209 = 49.28%

% cocaine use among homeless: 59/209 = 28.23%

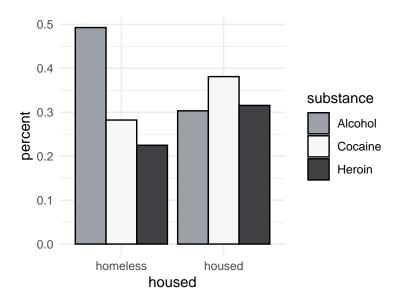
% herion among homeless: 47/209 = 22.49%

Using the data from the two-way table and your conditional distribution calculations, suppose you create a data frame called two-way with six rows that encodes the proportion of individuals using each type of substance among homeless and housed individuals. The data frame looks like this (but with the percent) column filled in:

3.e) [6 points] Fill in the blanks to create the chart shown below using the two-way data frame. To help you, choose from the eight options listed below (two options will be left over).

Solution: Blanks in order: housed, percent, fill, substance, stat="identity", "stack"

- stat = "identity"
- "dodge"
- percent
- col
- housed
- substance
- fill
- "stack"



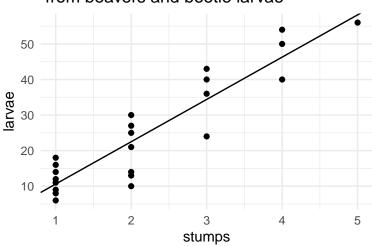
Question 4 (16 points total)

Ecologists sometimes find rather strange relationships in the environment. For example, do beavers benefit beetles? Researchers laid out 23 circular plots, each 4 meters in diameter, in an area where beavers were cutting down cottonwood trees. In each plot, they counted the number of stumps from trees cut by beavers and the number of clusters of beetle larvae. Ecologists think that the new sprouts from stumps are more tender than other cottonwood growth, so the beetles prefer them. If so, more stumps would produce more beetle larvae. Here are the first six lines of the data frame, and a scatter plot of the data along with a line of best fit:

head(beaver_data)

##		stumps	larvae
##	1	2	10
##	2	2	30
##	3	1	12
##	4	3	24
##	5	3	36
##	6	4	40

Relationship between stumps from beavers and beetle larvae



4.a) [1 point] Is there a clear response and explanatory variable? If so, which one is which? Solution: Yes. The x variable is stumps and the y variable is larvae.

4.b) [4 points] Suppose that the data frame has already been read into R. Write a few lines of code to run a linear model and produce the following output. (Hint: don't forget that head() is printed on the previous page and shows some useful information.):

Solution:

```
library(broom)
mod <- lm(larvae ~ stumps, data = beaver_data)
tidy(mod)
glance(mod)</pre>
```

Output 1:

##

1

```
## # A tibble: 2 x 5
##
     term
                 estimate std.error statistic p.value
                                                   <dbl>
##
     <chr>>
                    <dbl>
                               <dbl>
                                          <dbl>
## 1 (Intercept)
                    -1.29
                                2.85
                                         -0.451 6.57e- 1
## 2 stumps
                    11.9
                                1.14
                                         10.5
                                                8.67e-10
Output 2:
## # A tibble: 1 x 12
     r.squared adj.r.squared sigma statistic
                                                                        AIC
                                                                              BIC
##
                                               p.value
                                                            df logLik
```

... with 3 more variables: deviance <dbl>, df.residual <int>, nobs <int>

<dbl>

110. 8.67e-10

<dbl> <dbl>

1

<dbl> <dbl> <dbl>

-74.4 155. 158.

4.c) [1 point] Write the equation for the line of best fit for these data.

<dbl> <dbl>

0.831 6.42

Solution: $larvae = -1.29 + 11.9 \times stumps$

<dbl>

0.839

4.d) [2 points] Interpret the slope parameter.

Solution: Increasing the number of stumps by 1 is associated with a 11.9 unit increase in the number of clusters of beetle larvae.

4.e) [2 points] Use the model to predict y when x is equal to 2.17. Round to one decimal place. Is it sensible to make a prediction at this x value? Why or why not?

Solution: larvae =
$$-1.29 + 11.9*2.17 = -1.29 + 25.823 = 24.5$$

No, it isn't sensible because stumps is a discrete variable; for a discrete variable it only makes sense to make predictions at the values the variable can take, like at 2 stumps or 3 stumps.

4.f) [1 point] What is the correlation coefficient for the relationship between stumps and larvae? Round to two decimal places.

Solution: $r = \sqrt{0.839} = 0.92$ (from the regression output)

4.g) [5 points] Here is the sorted data for the 23 larvae measures. Calculate the median and the IQR. Would the corresponding box plot contain any outliers? Show calculations to justify why or why not.

[1] 6 8 9 10 11 12 13 14 14 16 18 21 24 25 27 30 36 40 40 43 50 54 56

Solution: Median: There are 23 measures, so the median is at the 12th ordered measure and is equal to 21.

1st quartile: There are 11 measures before the median so the first quartile is at the 6th ordered measure which is equal to 12.

3rd quartile: There are 11 measures after the median so the third quartile is at the 6th ordered measure after the median and is equal to 40.

The IQR is
$$Q3-Q1 = 40-12 = 28$$

To check for outliers, we check if there are any measures outside of $Q1 - 1.5 \times IQR$ and $Q3 + 1.5 \times IQR$:

$$Q1 - 1.5 \times IQR = 12 - 1.5*28 = -30$$
 There are no measures below -30.

$$Q3 + 1.5 \times IQR = 40 + 1.5*28 = 82$$
 There are no measures larger than 82.

Thus, there are no outliers on the boxplot.