

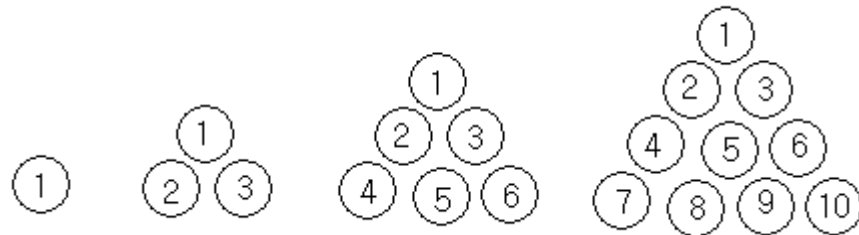
Problem A. Shell Pyramid

Description

In the 17th century, with thunderous noise, dense smoke and blazing fire, battles on the sea were just the same as those in the modern times. But at that time, the cannon were extremely simple. It was just like an iron cylinder, with its rearward end sealed and forward end open. There was a small hole at the rearward end of it, which was used to install the fuse. The cannons on the warships were put on small vehicles which had four wheels and the shells were iron spheres with gunpowder in them.

At that time, it was said that there was an intelligent captain, who was also a mathematician amateur. He liked to connect everything he met to mathematics. Before every battle, he often ordered the soldiers to put the shells on the deck and make those shells to form shell pyramids.

Now let's suppose that a shell pyramid has four layers, and there will be a sequence of ordinal numbers in every layer. They are as the following figure:



In the figure, they are the first layer, the second layer, the third layer and the fourth layer respectively from the left to the right.

In the first layer, there is just 1 shell, and its ordinal number is 1. In the second layer, there are 3 shells, and their ordinal numbers are 1, 2, and 3. In the third layer, there are 6 shells, and their ordinal numbers are 1, 2, 3, 4, 5, and 6. In the fourth layer, there are 10 shells, and their ordinal numbers are shown in the figure above.

There are also serial numbers for the whole shell pyramid. For example, the serial number for the third shell in the second layer is 4, the serial number for the fifth shell in the third layer is 9, and the serial number for the ninth shell in the fourth layer is 19.

There is also an interrelated problem: If given one serial number s , then we can work out the s^{th} shell is in what layer, what row and what column. Assume that the layer number is i , the row number is j and the column number is k , therefore, if $s=9$, then $i=4$, $j=4$ and $k=3$.

Now let us continue to tell about the story about the captain.

A battle was going to begin. The captain allotted the same amount of shells to every cannon. The shells were piled on the deck which formed the same shell pyramids by the cannon. While the enemy warships were near, the captain ordered to fire simultaneously. Thunderous sound then was heard. The captain listened carefully, then he knew that how many shells were used and how many were left.

At the end of the battle, the captain won. During the break, he asked his subordinate a question: For a shell pyramid, if given the serial number s , how do you calculate the layer number i , the row number j and column number k ?

Input

For a shell pyramid which is big enough, a integer is given, and this integer is the serial number s ($s < 2^{63}$). There are several test cases. Input is terminated by the end of file.

Output

For each case, output the corresponding layer number i , row number j and column number k .

Sample Input

```
19
75822050528572544
```

Output for the Sample Input

```
4 4 3
769099 111570 11179
```

Problem B. K-dimension number

Description

What a nice day! The sky is blue, and the sea is calm. It is a day that is suitable for marine navigation training. A training ship of a Naval Training School sails out from the naval port and arrives at a sea area. The navigation instructor is not only an expert in navigation but also an amateur mathematician. The instructor gives the practice assignment as soon as the first student stands at the position of the navigator: First, navigates 1 nautical mile to the east, and then 2 nautical miles to the south, finally 4 nautical miles to the west, and stops at a certain place. The first student accomplishes the task successfully. Then the second student takes the place, and the instructor gives him a new practice assignment: Firstly, navigates 1 nautical mile to the east, then 2 nautical miles to the south, and then 3 nautical miles to the west, finally 3 nautical miles to the north, and stops at a fixed place. Just like this, the students drive the training ship to accomplish the assignment one by one. There is a student who is interested in numbers and taking records. He writes down the first sequence 1, 2, and 4 as soon as the first student accepts the assignment. Later, he writes down the second sequence 1, 2, 3, and 6 when the second student accepts the assignment. As a mathematic lover, the student always connects the numbers to some mathematic problems. When he writes down the first sequence, 1, 2, and 4, he figures out that every number in the sequence is the divisors of 4, and 4 is also the last number in the sequence. When he writes down the second sequence 1, 2, 3 and 6, he also figures out that every number in the sequence is the divisors of 6, and 6 is also the last number in the sequence. After all the students have finished the assignment, the student looks at the record and comes to the conclusion followed: There is one thing in common for the assignments that the instructor has given to the students, that is, take the direction turning point as the gap, and the sailing distance in all directions form a sequence, every number in the sequence is the divisor of the last one.

The marine navigation training finishes. On the way back, the students have a good time, singing, talking, laughing, and appreciating the sea scenery. The student shows the instructor the records and tells him his findings. The instructor laughs and says to the student, “Well done! You like taking records and thinking, and then finding out something from it. It is a good habit, and also a scientific habit.” The instructor then continues, “Just like science does not have limit, the scientific questions do not have limit, either. The question we have just discussed will not end, and we can also pose new questions.”

The following is the new question the instructor raises:

First, we give a new definition: For a positive integer, if it has K different divisors, then it is called a K - dimension number.

For instance, the positive integer 4 has three divisors, 1, 2 and 4, so 4 is a 3- dimension number.

The positive integer 6 has four divisors, 1, 2, 3 and 6, so 6 is a 4- dimension number.

Now a question is posed: how to work out the n^{th} K -dimension number? ($n < 10000$,

$K_{\max} \leq 100$, here K_{\max} is the greatest prime divisor of K). And you can assume if K is a k -dimension number, it doesn't exceed 3-dimension.

For example, if it is required to work out the second 3-dimension number, that is to say when $n=2$, $K=3$, then the answer is 9. Because 4 is the first 3-dimension number, and 9 has three common divisors 1, 3 and 9. Therefore, 9 is the second 3-dimension number.

The student thinks: if n and K are small enough, we can work out easily. Otherwise, we have to turn to the computer for n and K are too big to deal with.

He begins to think it over on the ship.

Input

There are several test cases. Each case takes up a line, contains two positive integers; they are n and K respectively. Input is terminated by the end of the file.

Output

Output the n^{th} K -dimension number, each result takes up one line.

Sample Input

```
1 3
1 4
```

Output for the Sample Input

```
4
6
```

Problem C. Mining Station on the Sea

Description

The ocean is a treasure house of resources and the development of human society comes to depend more and more on it. In order to develop and utilize marine resources, it is necessary to build mining stations on the sea. However, due to seabed mineral resources, the radio signal in the sea is often so weak that not all the mining stations can carry out direct communication. However communication is indispensable, every two mining stations must be able to communicate with each other (either directly or through other one or more mining stations). To meet the need of transporting the exploited resources up to the land to get put into use, there build n ports correspondently along the coast and every port can communicate with one or more mining stations directly.

Due to the fact that some mining stations can not communicate with each other directly, for the safety of the navigation for ships, ships are only allowed to sail between mining stations which can communicate with each other directly.

The mining is arduous and people do this job need proper rest (that is, to allow the ship to return to the port). But what a coincidence! This time, n vessels for mining take their turns to take a rest at the same time. They are scattered in different stations and now they have to go back to the port, in addition, a port can only accommodate one vessel. Now all the vessels will start to return, how to choose their navigation routes to make the total sum of their sailing routes minimal.

Notice that once the ship entered the port, it will not come out!

Input

There are several test cases. Every test case begins with four integers in one line, n ($1 \leq n \leq 100$), m ($n \leq m \leq 200$), k and p . n indicates n vessels and n ports, m indicates m mining stations, k indicates k edges, each edge corresponding to the link between a mining station and another one, p indicates p edges, each edge indicating the link between a port and a mining station. The following line is n integers, each one indicating one station that one vessel belongs to. Then there follows k lines, each line including 3 integers a , b and c , indicating the fact that there exists direct communication between mining stations a and b and the distance between them is c . Finally, there follows another p lines, each line including 3 integers d , e and f , indicating the fact that there exists direct communication between port d and mining station e and the distance between them is f . In addition, mining stations are represented by numbers from 1 to m , and ports 1 to n . Input is terminated by end of file.

Output

Each test case outputs the minimal total sum of their sailing routes.

Sample Input

```
3 5 5 6
1 2 4
1 3 3
1 4 4
1 5 5
2 5 3
2 4 3
1 1 5
1 5 3
2 5 3
2 4 6
3 1 4
3 2 2
```

Output for the Sample Input

```
13
```

Problem D. Gauss Elimination

Description

Li Zhixiang have already been in “Friendship” ocean-going freighter for three months. The excitement has gradually disappeared. He stands on the board, holding the railing and watching the dazzling ocean in the sun silently. Day after day, the same scenery is monotonous and tasteless, even the merry seagulls following the freighter cannot arouse his interest. Hearing the footsteps behind, he turns back to see the old captain is coming towards him. The captain has understood his idea, however, he starts a new topic with the young man.

“Do you know how far our voyage is?” The captain asks. Li Zhixiang feels ashamed because he can not answer. Then the captain says with a smile, “5050 miles. Do you still remember the story of 5050?” This time the young man really blushes. The old captain continues saying:” You definitely know the story of 5050. When the German mathematician, “the prince of mathematicians”, Gauss was 10 years old ...” Young man remembers this story and goes on to tell, “ When Gauss was 10 years old, he could add a list of integers from 1 to 100 in a few seconds, which shocked the teachers.” The old captain adds, “Gauss has many other stories like this. When he entered the university at the age of 17, he was able to construct heptadecagon by compass and straightedge. His university teachers were also impressed by his ability. Not only could college graduate students fail to do it, but also they felt hard to understand Gauss’s constructing process.”

At this time, vice-captain greets the old captain. The old captain says to Li Zhixiang: “Come over to my office tonight, let’s continue the conversation.” It is still calm and tranquil in the evening. The freighter travels smoothly on the sea in the silver moonlight. The captain tells the young man the following words.

Among the mathematicians through the ages, there are three greatest mathematicians: Archimedes, Newton and Gauss. Most of Gauss’s mathematical achievements are difficult to understand. Nevertheless, there are some comparatively easy. For instance, when it comes to solving multivariate system of linear equations, there is a solution called “Gauss Elimination”. In the navigation business, many problems can be solved by “Gauss elimination”. If you are interested in it, I will show you a simple question. Try it.”

Input

There are several test cases. In the first line of each case, a number n indicates that there are n equations. The following n lines, each line has $n+1$ numbers, $a_1, a_2, a_3, \dots, a_n, b_i (1 \leq i \leq n)$, these numbers indicate the coefficients of systems of the equations. $a_1 * x_1 + a_2 * x_2 + \dots + a_n * x_n = b_i$. Input is terminated by the end of file.

Problem E. Searching Treasure in Deep Sea

Description

A deep-sea salvage company found out that there was a sunken ship in some deep-sea area of the Pacific with a case of priceless treasure in it. The senior leaders concluded as followed:

There may be some sea monsters, they may cause some distraction. The company had some most advanced intelligent underwater robots. They were equipped with enough weapons to kill the monster.

After they research a map, they got information as follow (according to the Sample Input): S indicated the starting place. E indicated the place of the treasure case. D indicated the doors of the rooms in the ship. K indicated the keys which were needed while opening the doors. H indicated the stairs went up. L indicated the stairs went down. "#" indicated the walls which separated the rooms. Every lowercase in the map indicated a monster.

The enclosed space formed by the doors and the walls was called a separated room. Entering a room needed a key K to open a door D. After that, the key could not be used any more, the door would be open for ever, and there would be no need to use the key. The total number of rooms in the ship was not exceeding 30, the total number of the monsters in the ship was not exceeding 26, and the number of the monsters in each room would not exceed 3. There was no monster in the rooms where S and E, H and L were in.

The advanced intelligent underwater robot carried a machine gun whose cartridge clip capacity was 100 bullets and enough spare ammunition. It could re-load the bullets if given a chance. The surface of its body was equipped with 100 components. If all the components were destroyed while fighting with the monster, the robot could not function any more and would sink into the sea for ever. If only a part of the components was destroyed, the robot could recover if given a chance. The robot could attack the monsters in two ways; one is feign attack, and the other fierce attack. The feign attack would cause 1 reduction of the monsters' life value, and the fierce attack would cause a certain amount of deduction of the monsters' life value according to the degree of the fierce attack. The robot had 10 kinds of fierce attack tactics at most. Every attack tactics differed in bullet consumption and the certain reduction of the monsters' life value. For example, a certain kind of attack tactics would consume 30 bullets, and reduce 35 life value of the monster.

The life of the monster was so limited that when the injuries accumulated to a certain amount it would be killed. Suppose its life value was 100, and every attack would reduce a certain amount of life value.

When robot enters the treasure vessel, it searches the rooms one by one. As soon as it encounters the monsters, it will attack the monsters immediately. By consuming a certain amount of

ammunition, a certain amount of the life value of the monsters is reduced. And then, the monsters attack the robot and destroy a certain number of robot's parts. Then they attack each other alternately like this. However, each time the robot launches attack firstly. If there are two or more monsters, the robot must kill the first one before another attack, and the monsters won't help each other in the battle. The choice of the order of attack is decisive when a number of monsters are in a room, because it closely relates with the final result of this battle.

The robot itself and machine guns it takes possess the capacity of restoration. The robot will re-load 2 bullets when it launches an attack. In the same room, the robot will repair 10 damaged parts of the body surface and re-filled cartridges after it kills a monster. The robot can't leave the room until all monsters are eradicated. At the time he leaves the room, 100 damaged parts are repaired and 100 cartridges are refilled again. It should be noted that, under no circumstances will the robot's parts and bullets of cartridges be more than 100.

Now intelligent underwater robot has been put into the sea, gradually approaching the location of the treasure vessel. Whether it can eradicate deep-sea monsters, and return the treasure box is the problem that you are supposed to resolve.

Input

There are several test cases. The first line of each case has 3 positive integers k , n and m ($1 \leq k \leq 3$, $1 \leq n, m \leq 100$), indicating that the deep-sea shipwreck is of k floors, each floor is a maze composed by n rows and m columns. (The Sample Input map is seen as below). That is, the maze is composed by characters of n lines, and each line has m characters. The following line has an integer p ($0 \leq p \leq 10$), indicating that there are p kinds of fierce attack tactics for the robot. Then there are p lines and each line has two positive integers, indicating the consumption of the number of bullets and reduction of the life value of the monsters as a result of injury by the robot's tactics. Then there is an integer q ($0 \leq q \leq 26$) taking up one line to indicate that there are q monsters in the treasure vessel. The following are q lines, and each line has one positive integer, indicating the number of damaged parts of the robot by those q monsters for one attack. Monsters are expressed in lowercase letters which are formed as a sequential increase from latter "a" to the letter "z". For example, when $q = 10$, then the names of the monsters are a, b, c, d, e, f, g, h, i, j, then the 10 lines of positive integers are the number of destroyed parts of robot as the result of the attack of those 10 monsters. Finally, there are $k * n$ lines, every n lines indicates a floor of the ship, each line has m characters. The K floors are given from high to low. Input is terminated by the end of the file.

Output

For Each test case, if it can arrive "E" place, then output "Yes", or output "No". Each output takes up one line.

Sample Input

```

1 5 10
0
0
# # # # # # # # # #
# S # K # E #
# # K # #
# D D #
# # # # # # # # # #
3 5 10
1
1 10
3
1
2
3
# # # # # # # # # #
# # a K K K K #
# L K D c K K K K #
# # # # b K K K K #
# # # # # # # # # #
# # # # # # # # # #
# D L K #
# H # # # # # # #
# D D E #
# # # # # # # # # #
# # # # # # # # # #
# #
# H #
# S #
# # # # # # # # # #

```

Output for Sample Input

```

No
Yes

```

Problem F. Simple Addition Expression

Description

A luxury yacht with 100 passengers on board is sailing on the sea in the twilight. The yacht is ablaze with lights and there comes out laughs and singing from the hall where an evening party is in full swing. People are singing, dancing and enjoying themselves.

The yacht is equipped with the most advanced navigation and driving system which can all be manipulated by a computer. When the captain notices that there is only gentle breeze and the sea waves are not high, he starts the autopilot. The yacht sails forward smoothly, ploughs the waves. When it's completely dark, the passengers start to feel a little funny for sudden forward rushes or sudden decelerations or slight swings. The captain immediately walks to the driving platform and switches the autopilot to human manipulation. The yacht returns back to normal and the party restarts. Laughs come back, too.

The captain summons the engineer on board to do a thorough check of the navigation system. It turns out that only the computer is out of order, but the exact failure is still unclear. There is a computer scientist among the passengers who is also invited to the cab to give a hand. He first inputs several groups of data to test the computer. When he inputs $1+2+3$, the computer outputs 6, which is exactly right. But when he inputs $4+5+6$, the computer outputs 5, which is wrong. Then he inputs $12+13+14$, and gets 39, another right answer, while he inputs $14+15+16$, and gets 35, another wrong answer. After the test, the computer scientist says smilingly: "the failure is clear now. The computer's adder can not carry." After excluding the failure, the captain restarts the autopilot and the yacht returns back to normal, sailing smoothly on the sea.

The captain and the engineer invite the computer scientist to sit down and have a talk. The computer scientist tells a story as following:

A former mathematician defined a kind of simple addition expression.

If there is an expression $(i) + (i+1) + (i+2)$, $i \geq 0$, when carried out additive operations, no position has a carry, it is called simple addition expression.

For instance, when i equals 0, $0+1+2$ is a simple addition expression, meanwhile when i equals 11, $11+12+13$ is a simple addition expression, too. Because of that no position has a carry.

However, when i equals 3, $3+4+5$ is not a simple addition expression, that is because $3+4+5$ equals 12, there is a carried number from unit digit to tens digit. In the same way, when i equals 13, $13+14+15$ is not a simple addition expression, either. However, when i equals 112, $112+113+114$ is a simple addition expression. Because $112+113+114$ equals 339, there is no carry in the process of adding.

when the students have got the definition of simple addition expression, the mathematician puts forward a new question: for a positive integer n , how many simple addition expressions exist when $i < n$. In addition, i is the first number of a simple addition expression.

when the value of n is large enough, the problem needs to be solved by means of computer.

Input

There are several test cases, each case takes up a line, there is an integer n ($n < 10^{10}$).

Output

Output the number of all simple addition expressions when $i < n$.

Sample Input

```
1
2
3
4
10
11
```

Output for the Sample Input

```
1
2
3
3
3
4
```

Problem G. Navy maneuvers

Description

In times of peace, various countries have held regular maneuvers to maintain military's vigilance. There is a navy fleet in a certain country which also starts a new round imaginary naval battle.

At the maneuver stage, the admiral intends to assess the combat effectiveness of two warships, "Victory" and "Glory", so he lets two warships carry out countering exercises. Both of the warship commanders are young and promising, who graduated from naval academy as outstanding students. Not only have they had rich navigation direction experiences, but also have profound scientific knowledge, especially in mathematics.

The admiral appoints one marine area dotted with many islets. Suppose all these islets are occupied by the enemy, and there are positive integers of enemy firebases. The hypothetical exercise situations given by the admiral and the rule of the competition are as follows:

- (1) All the occupied islets are connected. There are some routes among these islets, but the route from one islet to another islet is unidirectional. In other words, if we take an islet as a node and an islet route as an edge, then we will get a directed non-cyclic connected graph.
- (2) There is a unique 1st islet in the graph. If we start from this islet, we can reach any other islet. (maybe the 1st islet is not the islet which is numbered 1)
- (3) At the beginning of the maneuver, two warships simultaneously sail to the 1st islets and eliminate all enemy firebases together.
- (4) The two warships, "Victory" and "Glory" take turns to navigate and exchange as soon as they arrive at an islet, then they move forward together. But each time they can only go along the unidirectional route, sail to the islet directly connected to the current, and eliminates all the enemy firebases on the islet. By the way, when start from 1st islet, "Victory" first navigates.
- (5) Because each route is unidirectional, and graph is non-cycle, therefore the maneuver terminates when the two warships fail to go on navigating.
- (6) When the maneuver ends, sum the numbers of eliminated enemy firebases on the routing path. If the number is greater than or equal to certain number f assigned by the admiral, then "Victory" wins. Otherwise, "Glory" wins.

The warship commanders are both mathematicians. After being assigned to such task, they see it is a Graph Theory problem. On the first simple directed non-cyclic connected graph, each node has a certain positive integer, it indicates the enemy firebases. The assignment is that two captains take turn to move forward along the directed edge until they are unable to do so. Then sum the total positive integers of the nodes on the routing path. Compare the number with the certain number f , and decides the final winning or losses.

Therefore, when it is the time for their own navigation, they are supposed to choose the route to

win the final success.

Input

There are several test cases, in each case there are three positive integers n , m and f in first line. n indicates there are n ($1 < n < 10000$) nodes in the graph. The node serial number is arranged from 1 to n . m indicates that there are m edges in the graph. The following line has n positive integers, which indicate in sequence the positive integers in the nodes. Finally, there are m lines, and each line has two positive integers a , b ($1 \leq a, b \leq n$), indicating there is a directed edge from the a node to the b node. Input is terminated by the end of file.

Output

To each group of the test case, if “Victory” wins, then output “Victory”. Otherwise, output “Glory”. The output each case takes up one line.

Sample Input

```
4 4 7
2 2 2 2
4 2
2 1
4 3
3 1
4 5 6
1 2 3 4
1 2
1 3
1 4
2 3
4 3
```

Output for Sample Input

```
Glory
Victory
```

Problem H. Carrying Out A Task

Description

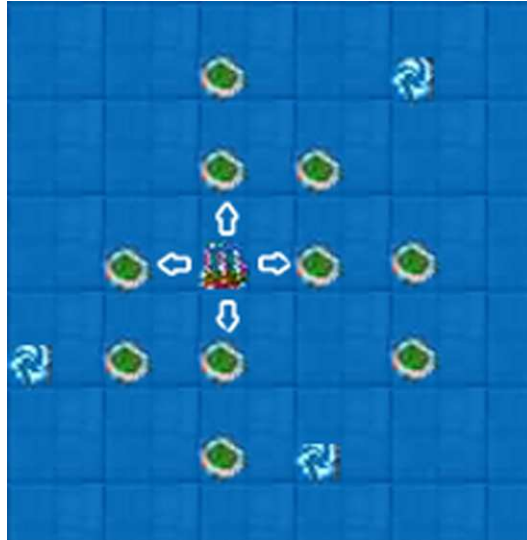
During the process of the military exercise, there is a ship on the sea level. The ship will go to certain place to carry out a task. For every action, the ship has two ways to sail. They are normal sailing and accelerated sailing. The normal speed of the ship is certain, when the ship sails normally, it can only move 1 step to the adjacent normal sea level. The ship can also accelerate. There are 2 kinds of accelerated sailings, one is moving forward d steps ($d \leq 5$) in a straight line, and it must move forward d steps **exactly** every time it accelerates, The d steps must be on the normal sea level, otherwise, it can not accelerate. The other is accelerating while getting through the undercurrent. There are a lot of undercurrents on the sea, and entering the undercurrent area needs to accelerate when the ship is 1 step to the undercurrent. However, the ship itself will be damaged more or less by the undercurrent, After entering the undercurrent, the speed of the ship will become normal immediately. Every time it accelerates, the ship has to consume a certain B energy, and when it starts up, it carries certain B energy.

While the ship is sailing on the sea, it needs to consume a certain A energy. One unit of distance will consume one unit of A energy, and when the ship starts up, it carries enough A energy.

There are many reefs on the sea, and the ship can not get through.

Now the ship is required to sail to the certain place, of course, to minimize the damage to the ship itself is a priority because the cost of ships is very expensive. The damage is, of course, the smaller, the better. At the same time, an attempt should be made to control the consumption of A energy to the smallest amount during the whole process because the cost of A energy is much more expensive than that of B energy, and you can use B energy which the ship carried when it started up as you wish.

Now the question is to work out the minimal times of action from the departure point to the destination under the condition that to minimize the damage to the ship is a priority and then the consumption of A energy to the smallest degree.



Input

The input file contains several test cases, the first line contains an integer T , indicates the number of test cases. In each case the first line includes two integers n, m ($5 \leq n, m \leq 20$), which indicate the size of the sea level for military exercises, and n rows and m columns are the current state of the sea level ('S' indicates the ship's initial position, 'E' indicates the destination place, '#' indicates the reefs, '*' indicates the undercurrent, '.' the normal sea level), followed a line with a number d in it, it indicates the distance of the first kind of acceleration, then another line includes two integers, indicate that the initial value of the B energy and the value of the B energy needed while accelerating every time.

Output

Output an integer to indicate the smallest times of action, and if can not reach the task place, then output "can not reach!"

Sample Input

```
2
5 10
#####
#E      #
#*##### #
#S      #
#####
5
10 2
6 10
```

```
#####  
#E      #  
#*#####*#  
#*#####*#  
#S      #  
#####  
5  
3 2
```

Output for the Sample Input

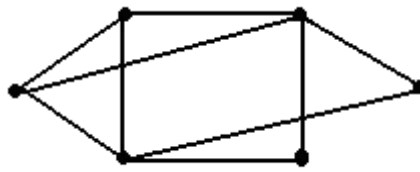
```
8  
can not reach!
```

Problem I. Degree Sequence of Graph G

Description

Wang Haiyang is a strong and optimistic Chinese youngster. Although born and brought up in the northern inland city Harbin, he has deep love and yearns for the boundless oceans. After graduation, he came to a coastal city and got a job in a marine transportation company. There, he held a position as a navigator in a freighter and began his new life.

The cargo vessel, Wang Haiyang worked on, sails among 6 ports between which exist 9 routes. At the first sight of his navigation chart, the 6 ports and 9 routes on it reminded him of Graph Theory that he studied in class at university. In the way that Leonhard Euler solved The Seven Bridges of Königsberg, Wang Haiyang regarded the navigation chart as a graph of Graph Theory. He considered the 6 ports as 6 nodes and 9 routes as 9 edges of the graph. The graph is illustrated as below.



According to Graph Theory, the number of edges related to a node is defined as Degree number of this node.

Wang Haiyang looked at the graph and thought, “If arranged, the Degree numbers of all nodes of graph G can form such a sequence: 4, 4, 3, 3, 2, 2, which is called the degree sequence of the graph. Of course, the degree sequence of any simple graph (according to Graph Theory, a graph without any parallel edge or ring is a simple graph) is a non-negative integer sequence”

Wang Haiyang is a thoughtful person and tends to think deeply over any scientific problem that grabs his interest. So as usual, he also gave this problem further thought, “as we know, any a simple graph always corresponds with a non-negative integer sequence. But whether a non-negative integer sequence always corresponds with the degree sequence of a simple graph? That is, if given a non-negative integer sequence, are we sure that we can draw a simple graph according to it.”

Let’s put forward such a definition: provided that a non-negative integer sequence is the degree sequence of a graph without any parallel edge or ring, that is, a simple graph, the sequence is draw-possible, otherwise, non-draw-possible. Now the problem faced with Wang Haiyang is how to test whether a non-negative integer sequence is draw-possible or not. Since Wang Haiyang hasn’t studied Algorithm Design course, it is difficult for him to solve such a problem. Can you

help him?

Input

The first line of input contains an integer T , indicates the number of test cases. In each case, there are $n+1$ numbers; first is an integer n ($n < 1000$), which indicates there are n integers in the sequence; then follow n integers, which indicate the numbers of the degree sequence.

Output

For each case, the answer should be “yes” or “no”, indicating this case is “draw-possible” or “non-draw-possible”.

Sample Input

```
2
6 4 4 3 3 2 2
4 2 1 1 1
```

Output for the Sample Input

```
yes
no
```

Problem J. Dividing Sea Area to Navigation-Triangle

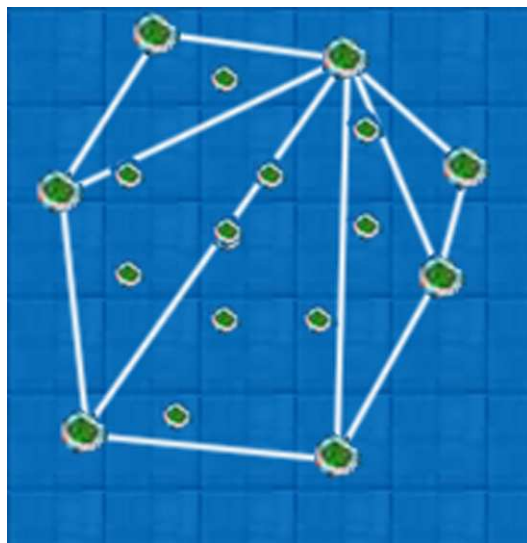
Description

When a vessel sails on the vast and boundless sea, the captain must know his position in any time. There is a technique called triangle-navigation can solves this problem.

Suppose there are three islands in some sea area. They form a large triangle. There is a radio navigation station respectively on each island. The navigation station sends out radio signals continuously. After the vessel receives the signals, its position can be known by calculating those three different signals.

There is a raised n -multilateral sea area which is formed by n islands. Each island has a radio navigation station. The n islands form a raised n -multilateral graph. Every three islands form a triangle division area. Vessels sailing in this triangle area should determine the position by the signals from those three radio navigation stations in the three islands.

Of course, all navigation triangles divided from the raised n -multilateral graph can not overlap one another. Consequently, this raised n -multilateral graph is divided into $n-2$ triangles areas.



By the way, there are some smaller islets in the raised n -multilateral sea area and there is no navigation station in any islet. These small islets are related with our problem, we will explain it later.

An experienced captain had navigated in this sea area for several years. However, he found it is improper to divide the sea area to $n-2$ navigation triangles as the current scheme. After deep thinking, he put forward a new method.

Of course, he still divided raised n -multilateral graph sea area into $n-2$ navigation triangles which are not overlapped one another. The three vertexes of the triangles are three islands with navigation station. According to the scheme which is put forward by the old captain, a weight value is necessary for each triangle sea division area. Calculating formula of the weight value is as follows:

$$V = S + 2 * a + b$$

In that formula, the letter “V” expresses the weight value of the triangle sea area, the letter “S” expresses the area of that triangle sea, The letter “a” expresses the number of smaller islets inside the triangle. The letter “b” expresses the number of those small islets on the common edge between the two triangle sea areas. After calculating according to the formula above, each triangle sea area division has a weight value. The old captain thought, for the $n-2$ triangle areas, there will be $n-2$ weight values. Among these weight values, when the difference of the maximum weight value and the minimum weight value reaches a minimum, this scheme of division is optimum. That scheme will benefit sailing most.

As none people can solve that problem on the vessel. Now the captain is visiting you, he hopes you can help him.

Input

Two positive integers n ($3 \leq n \leq 100$) and m ($0 \leq m \leq 20$) are provided firstly in each test case. They take up one line respectively, then n lines of data follow, there are 2 floating numbers in each line expressing coordinates of radio navigation station, then following m lines, there are 2 floating numbers in every line expressing coordinates of smaller islets which are not equipped with radio navigation station. Input is terminated by end of file.

Output

For each case, when the difference of weight value between the maximum weight value and minimum weight value is minimum, output this difference, the result should be a floating-point-number, having 2 digits after radix point.

Sample Input

```
4 2
0 0
1 0
1 1
0 1
0.2 0.2
0.5 0.9
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4 10
0 0
1 0
1 1
0 1
0.5 0.1
0.5 0.2
0.5 0.3
0.5 0.4
0.5 0.5
0.5 0.6
0.5 0.7
0.5 0.8
0.5 0.9
0.2 0.1

Output for the Sample Input

0.00
2.00