Chilling 1.	
1 (SC 18 1 de Hi 180)	
-Bien phân biei 31 kg d' dan tiên, phân biêr chữ hoo hay thường	
- Ter hang bien:	
+ pi. R/s m	
* eps . 80 0 cúa Matlab	
2. Hain Churder	
+ abs (x) x1 imag (x) phân ao 56 phút	
cos (x) (os(x) log (x) lne	
$\sin(x) = \sin x$ $\cos(x) = \cos x$	
from (x) there can x	_
a cos (x) cucos x sign (i) Dio lai dan cina de se	
ersin (x) arsin x pow (x) y $\int x^y$ spet (x) $\int x$	
3. Khuôn dang dữ hiệu	
- FORMAT SHOK! : SO PARTY STORY	
- FOR MAT LONG: - 14 Chir 80 vois 86 mil e	
LONGE: 15 Chir 86 vos 86 mil e	
LONGE: 15 chir 86 vos 86 mil e RAT : booir diet dung or gân dung dưới dang phân 80	
a ved dra bien recto va ma llais	
Vald: 0 = 1:00:10 ; d= 1:001	
Ma Hain: A = [123; 456, 789]	
B = [x; y; z]	
Dia chi avo mang titoc dans til [1]	THE STATE OF THE S
-Pia chỉ cuo mang tược dans du [1] + Lây một hang: A (3,:)	
A = A = A = A = A = A = A = A = A = A =	
Lay mor ma than con 1 Asub = A (1:1), K:1)	
poi vi the care hang hook of: A B = A (:, [3 10]) - Doi hang	ながない。
Lây môt ma thân con : Asub = A (1:1, k:1) Poi vi th car hàng hoàx Of: A B = A (1:1, [3 12]) - Đối hàng B = A ([3 12]; :) - Đối hàng Alah 2 mu thân: C : [AB] - thuo cót C= [A; B] - thuo hàng Xoá cót: A (:, 2) = []	
$\int_{0}^{\infty} x \cos^{2} x \cos^{2} x = \int_{0}^{\infty} x \cos^{2} x \cos^$	

5. Cal phip tools von vertal vis MI -Do dà verto: length (A) - Krôl thước ma trấn: Size (A), [tows cols] = Size (A) - Cong this can ma than aing kies thelow: At Burn - Nhan mot so us MT: 2x A - Man 2MT: Ax BAXK - Tick theo thing thank phan (filting to pher cong) - Phép chra và hay thuis tràng phan A./B A. 1B - Công MT vs vô hưởng: A +5 6. Car ham vecto has Ipput: maig VP: X= (0:.1: 2*pi) asput: marg y = Sin (x) - Car ham for MT Jac bler. eye (n): Doiong chéo chuis = 1 zeros (m,n): gull o diag (v) ones (m,n) : gull 1 7 Buch thong Xay many ky di - Phip gan: S= Hello World - Ghép coi xau thair 1 xau to name = ['Phan' 'The 'Anh'] name (1) = P name (1) + name (2) = 184: mi ASCI 8 x x = 65 , x = 'A' S: char (x): là trý tự có mữ ASCII là # 65 X = double (S) . Chuyên ky hi thains So - phá tạo biến máng mà mỗi phố là 1 xãu S= { A ' Ban' A'} SY SQ) = 'Bom'

8. Can lind stong Mortlab - Xoá too co cor bôn: Clear - Xaá mão sá bais . cha vait, vaiz - Phép toan qua hê (giống (): + thống bằng; ~= - Cau lens while - Can lend for - Cau lens if while eyes jod i=[1,2,3,4] if expert statements statements 1; end elsely exped jod i = 1:4 Statements 2; statements 3; - Cou lens switch Switch breathur cope grawi case {guti1, gratil....} other wise end g. Han (junction) junction [out1, ...] = juncname (inp1, up2, ...) 10. Cac phép tris MI háng cas eig: trus the lieng Svd: this single value nolm: this Chuan lu. Phan tics LU of chal : plail Cholesky ge: phân tiel qe

- VE nhiều đó thự trên cũng một cườo 86': subplot (toạ độ), phot 11. Dô hoa naing cas 12. Da Thức trong Mathab p=poly(x) lap ptù x làn Conr (p1,p2) | Nhan 2 der thuic polyval (p,x) | p (si) Tins [k,d] = deconv(p1,p2) Chia 23a Ahuri K: Kq, d = phân di r = polyder (p) Dao ham K=polyder(p,q) | Das ham die pxq [n,d]=polyder(num,)
Noots (p)
Tim no ciro p 12. Vai - la dir lieu - Vào du liêu. + R = input (stung) 1 lêns neau: Chu phép tou boing luis chon CHOICE = menu (Header, item/, -.. + lêns disp: hien the roi dung die bien la man hinh - Octopus: gish (x) stens sprints: Grong C 18. Vàs la 15 văn boan Flêns Jopen: Mø gile jileID = jopen (filenoure, Permission) + kom the ret to gold los [FDD, Message] = Jopen(___)

Forg : Forg : + glesse ST: jchose CFID) i grewind (FID): Dos con the FID voto dan gile

Chường 3

1. Noi suy

-. Box da thúi = Số điểm: thay vào giái HPT

- Noi suy spline truyền thinh $S_{1,N}(x) = \int \frac{J_{1}-J_{0}}{X_{1}-X_{0}}(x-X_{1})+J_{1}$, như $x \in [x_{0},x_{1}]$ $\frac{J_{N}-J_{N-1}}{X_{N}-X_{N-1}}(x-X_{N})+J_{N}$, nếư $x \in [x_{N-1},x_{N}]$

2. Ho quy

- pr bac what khop voi N bo di hii

God HPT:

$$y = mx + b$$
 $\begin{bmatrix}
\Sigma & x_i^1 & \sum_{i=1}^{N} x_i^i \\
\vdots & \vdots & \ddots & \vdots \\
\vdots & \vdots & \ddots & \ddots
\end{bmatrix}$

- by cong khop bac cao: $p_m(x) = a_0 + a_1x + \dots + a_mx^m$
 $\begin{bmatrix}
\Sigma & 1 & \Sigma x_i^2 & \dots & \Sigma x_i^m \\
\Sigma x_i & \Sigma x_i^2 & \dots & \Sigma x_i^{m+1}
\end{bmatrix}$
 $\begin{bmatrix}
\Sigma & x_i & \Sigma x_i^2 & \dots & \Sigma x_i^m \\
\Sigma & x_i & \Sigma x_i^{m+1} & \Sigma x_i^{m+1}
\end{bmatrix}$
 $\begin{bmatrix}
\Sigma & x_i & \Sigma x_i^m & \Sigma x_i^m \\
\Sigma & x_i & \Sigma x_i^m & \Sigma x_i^m
\end{bmatrix}$
 $\begin{bmatrix}
\Delta & x_i & \Sigma x_i^m & \Sigma x_i^m \\
\Delta & x_i & \Sigma x_i^m & \Sigma x_i^m
\end{bmatrix}$
 $\begin{bmatrix}
\Sigma & x_i & \Sigma x_i^m & \Sigma x_i^m \\
\Sigma & x_i & \Sigma x_i^m & \Sigma x_i^m
\end{bmatrix}$
 $\begin{bmatrix}
\Sigma & x_i & \Sigma x_i^m & \Sigma x_i^m \\
\Sigma & x_i & \Sigma x_i^m & \Sigma x_i^m
\end{bmatrix}$

Chương 4: Già PT Phi tuyan

1. P2 Chia doi Khodry phân li nghiệm [a,c] Gan b = arc

Nei J(b) KR = 0 this bla no

pléu j(a). j(b) (0 thi theáng phân ly n° mơi [a,b] [b, c] 1(a).1(b) >0 thi

Lop Khi [a,c] < E

C> (0,8125; -0,1147) (6,5(6))

2. P2 day cun

Sir dung phép chia: $b = a - \frac{c-a}{J(c)-J(a)} \cdot J(a) = \frac{cJ(c)-cJ(a)}{J(c)-J(a)}$ Giring pp chia dos

3. P2 Newton

This tru lop

-B1: this face no othing to

-BJ. Timb voi K > 0 $x_{K+1} = x_K - \frac{f(x_K)}{f'(x_K)}$

. B3: Boy läp lai B2 kli /g(xx)/ < E

VD: Xo = 3, f(x)= x2- 4sinx f(x)= 2x- 4cos>1

		9	
1	K	X/k	Jr 1
	0	3	8,4
	1	2,15	1,29
	2	1,95	0,108
L		1	1

4. P cat tryen - Car fuyer cua Newton B1: 20, X, b2: Y x>2 $S_{K} = \underbrace{J(x_{k}) - J(x_{k-1})}_{\chi_{K} - \chi_{K-1}}$ $x_{k+1} = x_k - \frac{J(x_k)}{S_k}$ B3: Läp B2 Fhi / J(xx) (E 5. pl log $\chi_{k+1} = g(\chi_k)$ ref $k = 1, 2, - \cdots$ ortin dien bai dông roi dien xuấi phái x, VP: g(x) = x - e^-x = 1 g(x) = e^-x $g(x) = \chi^2 - \chi - 2 = g(x) = \chi^2 - 2$ of $g(x) = \sqrt{\chi + 2}$ 6. Pl Baixtow

Tim no da thuis 'y=00+01x+... + an 2" = (x2+px+9). (x(x)+ R(x)

to Das ham vo TP 1 Dao ham 9) Sai phan thuds $f'(x) \approx \frac{f(x+h)-f(x)}{h}$ và sai số thời hiệi ha TE b) Sar phous rigulois $J'(x) = \frac{f(x) - f(x-h)}{h}$ C) Sai phân Alugham $f'(x) = \frac{J(x+h) - J(x-h)}{2h} \quad \text{voi } h \approx \text{e}^{1/3}$ of) Dav ham $\frac{\partial \hat{p}}{\partial x} = \frac{1}{4} \frac{1}{4}$ e) Das ham lien 2 1(x,y) = $J_{x} = \frac{J(x+h,y) - J(x-h,y)}{J}$ $fy = \frac{f(x, y+h)^2 - f(x, y-h)}{2h}$ 2. Tich phom a) Tong Rieman Gong Ahille Dins by - Sh 1(x) dx = F(b) - F(a) - Néi y lien du vien [a, b] thi] c E[a, b]. $f(c) = \frac{1}{2 - 0} \int_{\alpha}^{b} f(u) dx$

Chương 5: Tinh gần đượng

b) Công thuếc Newton - Cotes (Hông quốc) với m # rhay $\int_{\alpha}^{b} \int_{a}^{x} \int_{i=0}^{m} f(x_{i}) \int_{\alpha}^{b} \int_{j\neq i}^{m} \frac{x-x_{j}}{x_{i}-x_{j}} dx$ this ob car CT ben duéi C) CT hims thang (Tape zoidal sule) M=1: PT tryen trus Sai so: h: b-01 $I = \underbrace{f(a) + f(b)}_{(b-\alpha)}$ 0 (h2) d) Et hind thoug mó tông Sa'so': h= 10-0 $I = \frac{h}{2} \left[\int_{a}^{b} f(a) + \lambda \sum_{i=1}^{n-1} \int_{a}^{b} f(a+ih) + \int_{a}^{b} f(b) \right]$ C, Chia [a, b.] thank notoon e) CT Simpson 1/3 m=2: Da Ahuk boûc 2, Sai sô' 0 (h4) $h = \frac{5\pi q}{2}$ $I = \begin{cases} \frac{h}{3} \left[f(x_0) + 4f(x_4) + f(x_2) \right] \end{cases}$ $X_0 = \alpha , X_1 = \alpha + h , X_2 = \alpha + 2h = b$ $X_0 = \alpha , X_1 = \alpha + h , X_2 = \alpha + 2h = b$ $X_0 = \alpha , X_1 = \alpha + h , X_2 = \alpha + 2h = b$ $X_0 = \alpha , X_1 = \alpha + h , X_2 = \alpha + 2h = b$ $X_0 = \alpha , X_1 = \alpha + h , X_2 = \alpha + 2h = b$ $X_1 = \alpha + h , X_2 = \alpha + 2h = b$ $X_2 = \alpha + 2h = b$ $X_1 = \alpha + h , X_2 = \alpha + 2h = b$ $X_2 = \alpha + 2h = b$ $X_1 = \alpha + 2h = b$ $X_2 = \alpha + 2h = b$ $C_1 X_0 = a_1 X_1 = a_1 ih, \quad \text{if } i = 1, ..., n$ C) Số khoảng Chăn, n Chăn D. CT Simpson 3/8: m=3: da this bair 3, 0 (h4) $I = \int_{a}^{b} f(x) dx = \frac{3h}{8} \left[f(x_0) + 3f(x_1) + 3f(x_2) + f(x_3) \right]$ Xo = a, X, = a+h, & = a+2h, X3 = a+3h=b

Được quét bằng CamScanner

Churny 6: PI vi phan 1. P2 Euler thuân (K° on dins)) yn+1 = yn + h. f (yn, tn) vp: Xef y' = -20y + 7.e , n= to Giài với t € [0, 0.04], h = 30-2 t h y Sui số 0,01 0,01 4,07 0,08 0,04 0,01 2,7 0,17 0,18 0,04 0,01 1,87 0,18 L) HR PTVP cap 1 $y' = y(y,z,t), y(0) = y_0$ $z' = g(y,z,t), z(0) = z_0$ Cy Syn+1 = yn + h. J (yn, Zn, tn) Tente = Zn+hg(yn, Zn, tn) 2. p² Euler cœû biles Yn+1 = yn + & [] (yn+1, tn+1) + f (yn, tn)] Xãp x/ tôt nhất Cho y, ở VP = Yo 3. Euler ngube yn+1= yn + h.j (yn+1, tn+1) VI: Già MVP: y'= y3, y (0)=1., h=0,5 Ta co: y1 = y0 + h.j (y1, t1) => y1 = 1 + 0,5. y3 =) 41 = -1,769 C) Cat PP their có do Chinh xaí grain doin h << -> chinh xaí cao

Được quét bằng CamScanner

4.
$$p^{2}$$
 Runge - Kudta

 $y_{n+1} = y_{n} + \begin{cases} f(y_{n}, t_{n}) + f(y_{n+1}, t_{n+1}) \end{cases}$
 $\frac{1}{2}$ Kuttor bac d :

 $y_{n+1} = y_{n} + \frac{1}{2} [f(y_{n}, t_{n}) + f(y_{n+1}, t_{n+1})]$
 $y_{n+1} = y_{n} + \frac{1}{2} [f(y_{n}, t_{n}) + f(y_{n+1}, t_{n+1})]$
 $y_{n+1} = y_{n} + \frac{1}{2} [f(y_{n}, t_{n}) + f(y_{n+1}, t_{n+1})]$
 $y_{n+1} = y_{n} + \frac{1}{2} [f(y_{n}, t_{n}) + f(y_{n}, t_{n}) + f(y_{n}, t_{n})]$
 $y_{n+1} = y_{n} + \frac{1}{2} (f(y_{n}, t_{n}) + f(y_{n}, t_{n}))$
 $y_{n+1} = y_{n} + \frac{1}{2} (f(y_{n}, t_{n}) + f(y_{n}, t_{n}))$
 $y_{n+1} = y_{n} + \frac{1}{2} (f(y_{n}, t_{n}) + f(y_{n}, t_{n}))$
 $y_{n+1} = y_{n} + \frac{1}{2} (f(y_{n}, t_{n}) + f(y_{n}, t_{n}))$
 $y_{n+1} = y_{n} + \frac{1}{2} (f(y_{n}, t_{n}) + f(y_{n}, t_{n}))$
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 $y_{n+1} = y_{n} + \frac{1}{2} (f(y_{n}, t_{n}) + f(y_{n}, t_{n}))$
 $y_{n+1} = y_{n} + \frac{1}{2} (f(y_{n}, t_{n}) + f(y_{n}, t_{n}))$
 $y_{n+1} = y_{n} + \frac{1}{2} (f(y_{n}, t_{n}) + f(y_{n}, t_{n}))$
 $y_{n+1} = y_{n} + \frac{1}{2} (f(y_{n}, t_{n}) + f(y_{n}, t_{n}))$
 $y_{n+1} = y_{n} + \frac{1}{2} (f(y_{n}, t_{n}) + f(y_{n}, t_{n}))$
 $y_{n+1} = y_{n} + \frac{1}{2} (f(y_{n}, t_{n}) + f(y_{n}, t_{n}))$
 $y_{n+1} = y_{n} + \frac{1}{2} (f(y_{n}, t_{n}) + f(y_{n}, t_{n}))$
 $y_{n+1} = y_{n} + \frac{1}{2} (f(y_{n}, t_{n}) + f(y_{n}, t_{n}))$
 $y_{n+1} = y_{n$

$$\begin{array}{lll}
F_{1} &= & h f (y_{n}, t_{n}) \\
F_{2} &= & h f (y_{n} + \frac{1}{3}, t_{n} + \frac{1}{3}) \\
F_{3} &= & h f (y_{n} + \frac{1}{3}, t_{n} + \frac{1}{3}) \\
F_{4} &= & h f (y_{n} + \frac{1}{3}, t_{n} + \frac{1}{3}) \\
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F_{4} &= & h f (y_{n} + \frac{1}{3}, t_{n} + \frac{1}{3}) \\
F_{5} &= & h f (y_{n} + \frac{1}{3}, t_{n} + \frac{1}{3}) \\
F_{6} &= & h f (y_{n} + \frac{1}{3}, t_{n} + \frac{1}{3}) \\
F_{7} &= & h f (y_{n} + \frac{1}{3}, t_{n} + \frac{1}{3}) \\
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F_{7} &= & h f (y_{n} + \frac{1}{3}, t_{n} + \frac{1}{3}) \\
F_{7} &= & h f (y_{n} + \frac{1}{3}, t_{n} + \frac{1}{3}, t_{n} + \frac{1}{3}) \\
F_{7} &= & h f (y_{n} + \frac{1}{3}, t_{n} + \frac{1}{3}, t_{n} + \frac{1}{3}) \\
F_{7} &= & h f (y_{n} + \frac{1}{3}, t_{n} + \frac{1}{3}, t_{n} + \frac{1}{3}, t_{n} + \frac{1}{3}) \\
F_{7} &= & h f (y_{n} + \frac{1}{3}, t_{n} + \frac{1}{3},$$

$$K_{4} = hJ(y_{n}, t_{n})$$
 $K_{2} = hJ(y_{n} + \frac{k_{1}}{3}, t_{n} + \frac{k_{1}}{3})$
 $K_{3} = hJ(y_{n} + \frac{k_{1}}{3}, t_{n} + \frac{2h}{3})$
 $K_{4} = hJ(y_{n} + \frac{k_{1}}{3} + \frac{k_{2}}{3}, t_{n} + \frac{2h}{3})$
 $K_{4} = hJ(y_{n} + k_{1} - k_{2} + k_{3}, t_{n} + h)$
 $Y_{n+1} = y_{n} + \frac{1}{3}(k_{1} + 3k_{2} + 3k_{3} + k_{4})$

Children 8 - Quy hoad trugen tink 1. Bai toan QHTT Dany chins due $g(x_1, x_2, \ldots, x_n) = \sum_{i=1}^{N} c_i x_i \longrightarrow \min_i$ Acor Clay $\sum_{i=1}^{n} a_{ij} x_j = b_i$, i = 1, ..., mx; >0, j=1,-... * Dary Chuẩn $=\sum_{i=1}^{N}C_{i}x_{i}$ -) min, J (x,... x,) Ado Kien ∑ aij cj > bi, i=1-.m Fj 30 , j=1...n 2. Gai bài toan QHTT Along mp? -Bartoan QHTT down church 2 bien 56 Jank) = Gr & C222 -> min airy +airx > bi , i = 1...m - Fy hier. D= { (x,1x2): \aux, + \aux, \tai2 x2 ? bi, 1=1-m} là mais lang buôc C) Môi Ar là 1 mat pháng D grav che m mãi pháng thên Philong our tôi viu se la 1 três resp (grav ciro de thang) er a Cail lam, Vé hins