

# Project 1

## 3D model generation using single view metrology

### **Team Members :-**

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### **Problem Description: -**

We try to generate a 3D model from a single image, through the concepts of vanishing points and vanishing lines to compute the camera matrix.

The steps followed during implementation of this process are as follows

#### **1. Image Acquisition**



An image of a box on top the table is captured using a mobile camera as shown above. It is taking keeping in view of the perspective geometry.

#### **2. Calculation of Vanishing Points**

To calculate vanishing points, a user is given options to mark the edges of the boxes along X, Y and Z direction. User is expected to select set of points on the image plane to draw lines.

Image gives an example of the process. The lines marked along (or parallel) the axes X (blue), Y (green) and Z (red) on the box are shown.

The points of selection are represented in Homogenous coordinates system ex  $\{x,y,1\}$



Once these lines are drawn, the vanishing points ( $V_x$ ,  $V_y$ , and  $V_z$ ) are calculated by estimating the point of intersection of these parallel lines. For example the X-direction vanishing point ( $V_x$ ) is calculated by estimating the point of intersection of the red lines.

Two end-points are chosen on each of the red lines and from these points two line equations are derived. The equation of line joining them is obtained by taking the cross product of the points ( $P_1 \times P_2$ ), which gives us output in  $a, b, c$  corresponding to  $ax+by+c=0$

Once the line equations are known they are simultaneously solved for a solution. Let  $L_1$  &  $L_2$  represent the line equations, the point of intersection in homogeneous system is given by a cross product  $L_1 \times L_2$

The same process is used to calculate  $V_y$  and  $V_z$ .

### 3. Computing the Projection and Homograph matrix



Once the vanishing points in each of the directions is obtained. It is possible to compute the Camera Projection matrix from it.

Vanishing point in the x direction corresponds to the point at infinity in the 3d world. Representing it in as homogeneous point  $V_x$  gives us  $(1,0,0,0)$  . which corresponds to  $P_1$  in the projection matrix. Similarly with  $V_y, V_z$  being  $P_2, P_3$ .

The origin point selected on the image acts as  $P_4$  which is subjects to scaling  
Thus , The projection matrix  $P = [C_1.V_x \ C_2.V_y \ C_3.V_z \ 0]$ , where  $C_1, C_2$  and  $C_3$  are constants.

These constants are evaluated by comparing the measurements to the real world values

Scaling constant =  $\frac{\text{distance between } R_1 \text{ and } O}{\text{physical distance between } R_1 \text{ and } O}$   
Where  $R_1$  is the point on x axis

#### 4. Computing the texture maps

The homograph matrices  $H_{xy}, H_{yz}$  and  $H_{zx}$  are obtained from the projection matrix itself by considering the 1<sup>st</sup>, 2<sup>nd</sup> and 4<sup>th</sup> columns of  $P$  for  $H_{xy}$ , 2<sup>nd</sup>, 3<sup>rd</sup> and 4<sup>th</sup> columns for  $H_{yz}$  and 1<sup>st</sup> 3<sup>rd</sup> and 4<sup>th</sup> matrix for  $H_{zx}$ .

Perspective warping is done on the image with each of the Homography matrices with the inverse warping flag set. The output image appears as if take from a different view.

Cropping out the surfaces we get



#### 5. Visualizing the 3D reconstructed model

For the 3D model, the coordinates for each face of the box is defined and the corresponding images to be mapped on to it is specified. For the model generation we have assumed the opposite sides to be similar.

Image of the 3D model is shown below:

