

## Are Neural Click Models Pointwise IPS Rankers?

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# **Motivation**

## **Unbiased LTR**

**Problem**: Clicks are a biased indicator of item relevance [Craswell et al., 2008]. **Unbiased LTR**: Learn rankings from biased user interactions [Joachims et al., 2017].

## Click biases:

- Selection bias
- Position bias
- Trust bias
- . . .



## Probabilistic click models

# Probabilistic click models [Chuklin et al., 2015]

- Generative models predicting biased click behavior.
- Bias and relevance are latent parameters jointly inferred using MLE.
- Pointwise rankers

Position-based Model (PBM)



Уd

 $0_k$ 

# **Inverse-propensity scoring**

## **Inverse-Propensity Scoring**

Weight clicks to correct for position bias [Wang et al., 2016, Joachims et al., 2017].

- Decouples bias and relevance estimation.
- Generalizes over document features to require fewer observations of the same query-document pair.
- Introduced as pairwise / listwise rankers.

## Two sides of the same coin?

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- Same user models (PBM, Cascade).
- Introduction of neural click models that also use features [Guo et al., 2019].
- Introduction of pointwise IPS methods [Saito et al., 2020].

## How do both approaches compare?

- Theoretically compare their ability for unbiased relevance estimation.
- Empirically on semi-synthetic click datasets used in ULTR.

# Methods

## **Neural click model**

### **Neural PBM**

- Relevance of document d with features  $x_d$ :  $\hat{y}_d = \sigma(g(\hat{y} \mid x_d))$ .
- Position bias  $\hat{o}_k$  at rank k.
- Predict clicks:  $\hat{c}_{d,k} = \hat{o}_k \cdot \hat{y}_d$ .

Inference using binary cross-entropy between predicted and observed clicks [Yan et al., 2022]:

$$\mathcal{L}_{\mathsf{pbm}}(\hat{y},\hat{o}) = -\sum_{(d,k) \in D} c_{d,k} \cdot \log(\hat{y}_d \cdot \hat{o}_k) + (1-c_{d,k}) \cdot \log(1-\hat{y}_d \cdot \hat{o}_k).$$

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# **Inverse-propensity scoring**

## Pointwise IPS

• Relevance of document d with features  $x_d$ :  $\hat{y}_d = \sigma(g(\hat{y} \mid x_d))$ .

BCE loss weighting clicks inversely to the position bias [Saito et al., 2020]:

$$\mathcal{L}_{\mathsf{ips}}(\hat{y},\hat{o}) = -\sum_{(d,k) \in D} rac{c_{d,k}}{\hat{o}_k} \cdot \mathsf{log}(\hat{y}_d) + (1 - rac{c_{d,k}}{\hat{o}_k}) \cdot \mathsf{log}(1 - \hat{y}_d).$$

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# **Comparing unbiasedness**

- **IPS**: Saito et al. show that the pointwise IPS estimator is unbiased when correctly estimating position bias [Saito et al., 2020].
- PBM with joint parameter inference: Oosterhuis shows that click models
  jointly inferring bias and relevance are not always consistent estimators of
  document relevance [Oosterhuis, 2022].
- PBM only inferring relevance?

# Click model only inferring relevance?

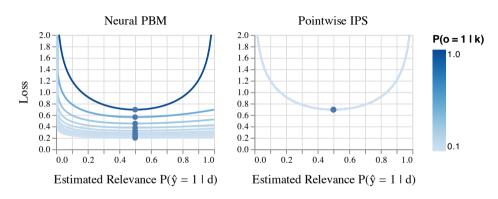
Find the ideal model that minimizes  $\mathcal{L}_{pbm}$ :

$$\begin{split} \frac{\partial \mathcal{L}_{pbm}}{\partial \hat{y}} &= 0 \\ -\frac{c - \hat{o}\hat{y}}{\hat{y}(1 - \hat{o}\hat{y})} &= 0 \\ c - \hat{o}\hat{y} &= 0. \end{split}$$

The click model also optimizes for unbiased relevance if  $\forall k \in K, \hat{o}_k = o_k$ 

$$\hat{y} = \frac{\mathbb{E}_o\left[c\right]}{\hat{o}} = \frac{oy}{\hat{o}}.$$

# Comparing loss magnitude



**Figure 1:** Loss for a single document of relevance  $y_d = 0.5$  under increasing position bias.

# **Experiments**

# **Experimental setup**

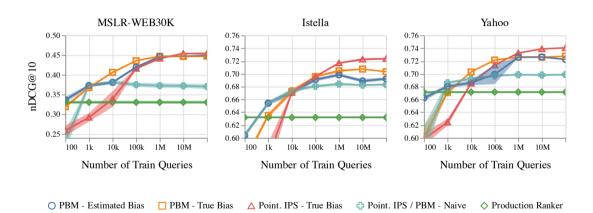
Semi-synthetic clicks on MSLR30K, Yahoo!, and Istella-S:

- Sample a query uniformly at random.
- Pre-rank documents with "production" ranker (LambdaMART, 20 train queries).
- Sample clicks using the PBM user model.

## We simulate:

- Position bias:  $o_k = (\frac{1}{1+k})^{\eta}$
- Graded relevance:  $y_d = \epsilon + (1 \epsilon) \cdot \frac{2^{s_d} 1}{2^4 1}$ , click noise  $\epsilon = 0.1$ .

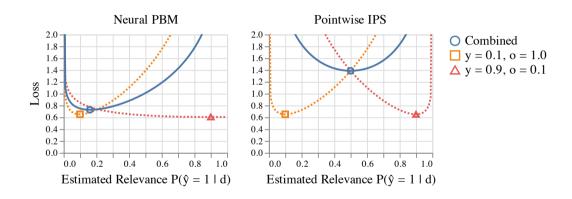
## Results



Hypothesis I - Tuning?

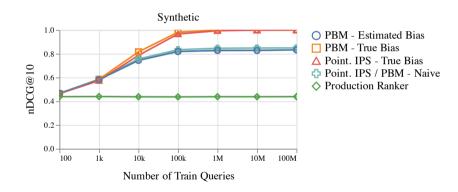
Hypothesis II - Does generalizing over features introduce bias?

# **Revisiting loss magnitude**



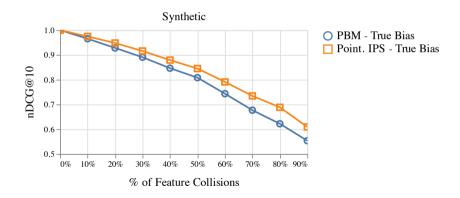
## No shared features

## **Experiment I:** One-hot encoded synthetic documents



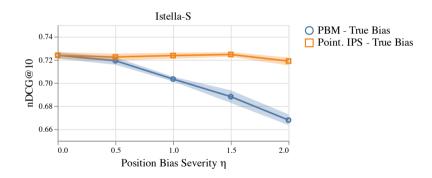
# Randomly share features

**Experiment II:** Introduce feature collisions between synthetic documents



# Mitigating known position bias

# **Experiment III:** Increase the (known) position bias



# **Summary**

## **Summary**

- Both approaches optimize for unbiased document relevance if the true position bias is known and relevance is estimated separately per query-document pair.
- The neural click model seems to be **affected by (known) position bias** when generalizing over **shared, sometimes conflicting, document features**.

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https://github.com/philipphager/ultr-cm-vs-ips

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