Erratum for
A type theory for cartesian closed bicategories

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For Theorem IX.11 the induced strict cc-pseudofunctor is only unique up to equivalence, even if the target cc-bicategory has strict products. Corrected statement:

Theorem 1. *Let $\mathcal{G}$ be a 2-graph with $\mathcal{G}_0 = \mathrm{T}(S)$ for a set of base types S. For every cc-bicategory $\mathcal{C}$ and every 2-graph homomorphism $h : \mathcal{G} \to \mathcal{C}$ such that*

$$h\big(\Pi_n(A_1, \ldots, A_n)\big) = \Pi_n(hA_1, \ldots, hA_n)$$
$$h(A \Rightarrow B) = (hA \Rightarrow hB)$$

there exists an essentially-unique cc-pseudofunctor $h^\# : \mathcal{S}_{\mathrm{ps}}^{\times,\to}(\mathcal{G}) \to \mathcal{C}$ such that $h^\# \circ \iota = h$, for $\iota : \mathcal{G} \hookrightarrow \mathcal{S}_{\mathrm{ps}}^{\times,\to}(\mathcal{G})$ the inclusion.