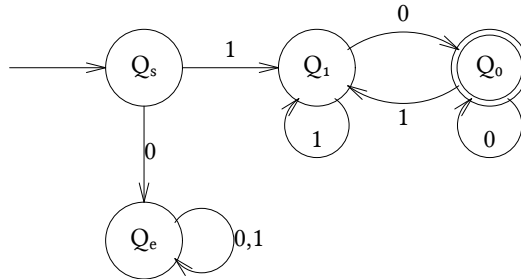


# automata.pic

Seninha

Given the alphabet  $\Sigma$  composed by the symbols "0" and "1", the finite state machine below recognizes the language of strings on that alphabet which begin with 1 and end with 0 (and can have some optionally empty substring  $s$  between both).



**Figure 1:**  $[w: \text{String}(\Sigma) \mid \exists s: \text{String}(\Sigma), w = (1 \ s \ 0)]$

This figure was created by the following code:

```

.PS

# include automata.pic
copy "automata.pic"

# draw the arrow to the initial state
arrow

# draw, and name, the states, I have to "move" between them
# The final state is created with the macro Final()
QS: State("Qs")
move
Q1: State("Q1")
move
Q0: Final("Q0")
move down from QS .s
QE: State("Qe")

# Now I draw the transitions/edges/arrows/arcs.
#
# The arguments of Arcabove, Arcbelow, Arrowvert and Arrowhorz
# are:
#     1st: direction of the arrow
#     2nd: State at the left (or top)
#     3th: State at the right (or bottom)
#     4th: Symbol of the transition
#
# Selfabove, Selfbelow, Selfleft and Selfright draw an arc from
# an state to itself. Their arguments are:
#     1st: State
#     2nd: Symbol of the transition
#
Arrowhorz(->, QS, Q1, "1")
Arrowvert(->, QS, QE, "0")
Arcabove(->, Q1, Q0, "0")
Selfbelow(Q1, "1")
Arcbelow(<-, Q1, Q0, "1")
Selfbelow(Q0, "0")
Selfright(QE, "0,1")

.PE

```

**Figure 2:** Code of figure 1