

paper06_model_best

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1 Timeseries Testing and Modeling

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	temperature	pressure	...	wind_speed	wind_deg
datetime			...		
2021-02-12 06:00:00	21.530000	777.410000	...	2.565310	109.799270
2021-02-12 06:05:00	21.689773	777.389432	...	2.456273	105.132299

[2 rows x 20 columns]

1.1 Timeseries

We use the `timeseries_dataset_from_array` function from Keras Timeseries modeling functions. This function creates dataframes with sliding windows over time as an array.

This function work as follow:

```
tf.keras.utils.timeseries_dataset_from_array(  
    X, Y,                # our dataset  
    sequence_length,     # Length of the output sequences (in number of timesteps): we need to text different s  
    sequence_stride=1,   # 1 is the default value for s, data[i], data[i + s], data[i + 2 * s]  
    sampling_rate=1,     # 1 is the default value for timesteps data[i], data[i + r], ... data[i + sequence_leng  
    shuffle=False,       # shuffle the records sorting, we set it in the default false value as the original ord  
    seed=None,           # we set a fixed seed to have repeatable experiments  
    #...  
)
```

On our research it is relevant to have an adequate sequence length. Then we can focus a brief research on empiric good times. Our proposal are:

1.1.1 1 Minute Resampling

- 2 days before: i.e. on our resampling for every 5 min we'd have 2880 records. This is because $2 \text{ days} \times 24 \text{ hours} \times 60 \text{ min} \div 5 \text{ min}$
- 7 days before: i.e. on our resampling for every 5 min we'd have 10,080 records. This is because $7 \text{ days} \times 24 \text{ hours} \times 60 \text{ min} \div 5 \text{ min}$
- 15 days before: i.e. on our resampling for every 5 min we'd have 21600 records. This is because $15 \text{ days} \times 24 \text{ hours} \times 60 \text{ min} \div 5 \text{ min}$

1.1.2 2 Minute Resampling

- 2 days before: i.e. on our resampling for every 5 min we'd have 1,440 records. This is because $2 \text{ days} \times 24 \text{ hours} \times 60 \text{ min} \div 10 \text{ min}$
- 7 days before: i.e. on our resampling for every 5 min we'd have 5040 records. This is because $7 \text{ days} \times 24 \text{ hours} \times 60 \text{ min} \div 10 \text{ min}$
- 15 days before: i.e. on our resampling for every 5 min we'd have 10,080 records. This is because $15 \text{ days} \times 24 \text{ hours} \times 60 \text{ min} \div 10 \text{ min}$

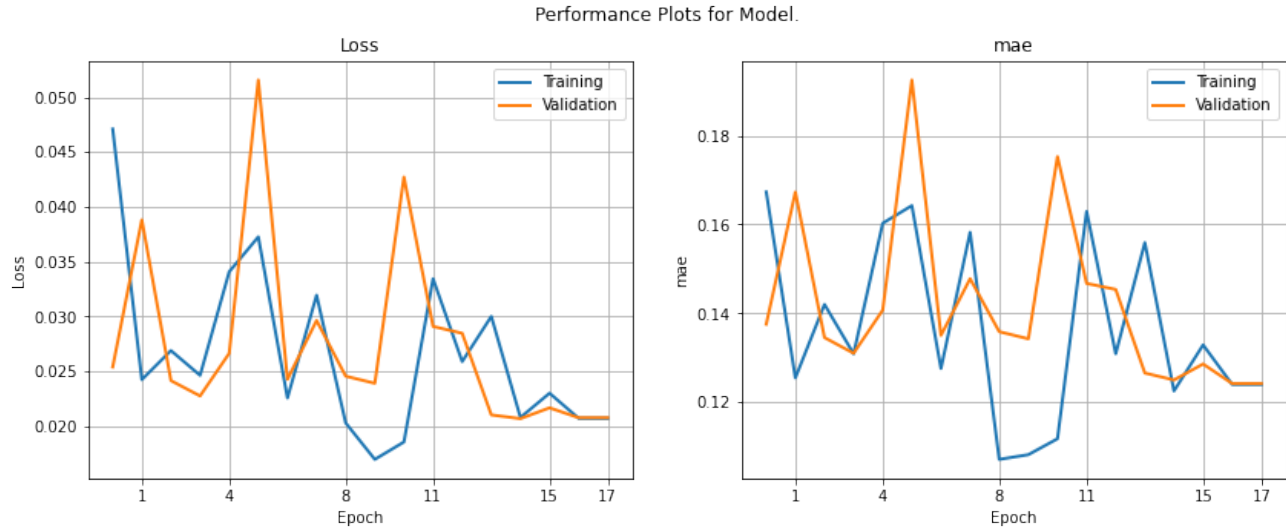
1.1.3 5 Minute Resampling

- 2 days before: i.e. on our resampling for every 5 min we'd have 576 records. This is because $2 \text{ days} \times 24 \text{ hours} \times 60 \text{ min} \div 5 \text{ min}$
- 7 days before: i.e. on our resampling for every 5 min we'd have 2016 records. This is because $7 \text{ days} \times 24 \text{ hours} \times 60 \text{ min} \div 5 \text{ min}$
- 15 days before: i.e. on our resampling for every 5 min we'd have 4320 records. This is because $15 \text{ days} \times 24 \text{ hours} \times 60 \text{ min} \div 5 \text{ min}$

We set this the number of days in a variable we set as **WINDOW_SIZE_DAYS**

1.2 5 Minute Resampling and 7 Days of History.

Processing Time: 228.97 segundos.

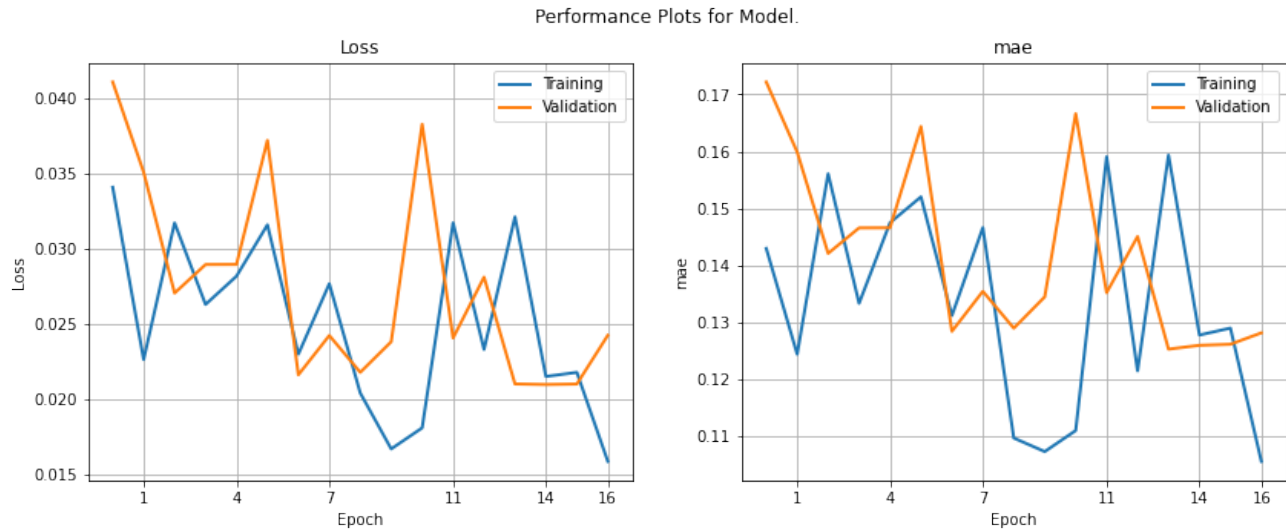


- Mean Absolute Error in Real Scale of the last Epoch: **61.5482 IAQ points**.

1.3 5 Minute Resampling and 2 Days of History with 2 Sampling Rate.

On our previous examples this quickly becomes unmanageable the we propose skipping some records and getting the previous hour by setting the **sampling_rate** parameter of 10 minute.

Processing Time: 220.42 segundos.



- Mean Absolute Error in Real Scale of the last Epoch: **63.5228 IAQ points**.