

November 24, 2020 at 13:24

1. Intro. This program was written (somewhat hastily) in order to experiment with sandpiles.

The first command line argument is the name of a file that specifies an undirected graph in Stanford GraphBase SAVE_GRAPH format; the graph may have repeated edges, but it must not contain loops. It should be connected. It shouldn't have more than 100 vertices. I don't check these assumptions.

An optional second argument is the number of the root vertex.

```
#include "gb_graph.h"
#include "gb_save.h"
<Preprocessor definitions>
int vec[1000][1000];
int x[1000], d[1000], t[1000];
int n, r;
<Subroutines 4>
main(int argc, char *argv[])
{
    register int j, k;
    Vertex *v;
    Arc *a;
    Graph *g;
    <Input the graph 2>;
    <Prepare the vec table 3>;
    <Reduce the vector d 5>;
}
```

2. <Input the graph 2> \equiv

```
if (argc < 2) {
    fprintf(stderr, "Usage: %s foo.gb[r]\n", argv[0]);
    exit(1);
}
g = restore_graph(argv[1]);
if (!g) {
    fprintf(stderr, "Sorry, can't create the graph from file %s! (error code %d)\n", argv[1],
        panic_code);
    exit(-1);
}
n = g->n;
if (argc > 2) sscanf(argv[2], "%d", &r);
```

This code is used in section 1.

3. $\langle \text{Prepare the } \textit{vec} \text{ table } 3 \rangle \equiv$

```

for ( $j = 0; j < n; j++$ ) {
   $v = g\text{-vertices} + j$ ;
  for ( $a = v\text{-arcs}; a; a = a\text{-next}$ ) {
     $k = a\text{-tip} - g\text{-vertices}$ ;
     $d[j]++$ ;
     $\textit{vec}[j][k]--$ ;
  }
   $\textit{vec}[j][j] = d[j]$ ;
}
if ( $r$ ) {
  for ( $j = 0; j < n; j++$ )  $k = \textit{vec}[0][j], \textit{vec}[0][j] = \textit{vec}[r][j], \textit{vec}[r][j] = k$ ;
  for ( $j = 0; j < n; j++$ )  $k = \textit{vec}[j][0], \textit{vec}[j][0] = \textit{vec}[j][r], \textit{vec}[j][r] = k$ ;
   $k = d[0], d[0] = d[r], d[r] = k$ ;
}

```

This code is used in section 1.

4. The *reduce* subroutine topples a given vector x until it is stable.

$\langle \text{Subroutines } 4 \rangle \equiv$

```

void reduce()
{
  register int  $j, k, h$ ;
  while (1) {
     $h = 0$ ;
    for ( $j = 1; j < n; j++$ )
      if ( $x[j] \geq d[j]$ ) {
         $h = 1$ ;
        for ( $k = 1; k < n; k++$ )  $x[k] -= \textit{vec}[j][k]$ ;
      }
    if ( $h \equiv 0$ ) break;
  }
}

```

This code is used in section 1.

5. $\langle \text{Reduce the vector } d \text{ 5} \rangle \equiv$

```

printf("The_d_vector_is");
for (j = 1; j < n; j++) {
    x[j] = d[j];
    printf("%d", x[j]);
}
printf("\nand_it_reduces_to");
reduce();
for (j = 1; j < n; j++) {
    printf("%d", x[j]);
    x[j] = d[j] - x[j];
}
printf("\nThe_t_vector_is");
reduce();
for (j = 1; j < n; j++) {
    printf("%d", x[j]);
    x[j] = d[j] + d[j];
}
reduce();
printf("\nThe_double-d_vector_reduces_to");
for (j = 1; j < n; j++) {
    printf("%d", x[j]);
    x[j] = d[j] + d[j] - x[j];
}
reduce();
printf("\nand_the_zero_vector_is");
for (j = 1; j < n; j++) {
    printf("%d", x[j]);
}
printf("\n");

```

This code is used in section 1.

6. Index.

Arc: [1](#).
arcs: [3](#).
argc: [1](#), [2](#).
argv: [1](#), [2](#).
d: [1](#).
exit: [2](#).
fprintf: [2](#).
Graph: [1](#).
h: [4](#).
j: [1](#), [4](#).
k: [1](#), [4](#).
main: [1](#).
n: [1](#).
next: [3](#).
panic_code: [2](#).
printf: [5](#).
r: [1](#).
reduce: [4](#), [5](#).
restore_graph: [2](#).
sscanf: [2](#).
stderr: [2](#).
t: [1](#).
tip: [3](#).
vec: [1](#), [3](#), [4](#).
Vertex: [1](#).
vertices: [3](#).
x: [1](#).

- ⟨Input the graph 2⟩ Used in section 1.
- ⟨Prepare the *vec* table 3⟩ Used in section 1.
- ⟨Reduce the vector d 5⟩ Used in section 1.
- ⟨Subroutines 4⟩ Used in section 1.

SAND

	Section	Page
Intro	1	1
Index	6	4