

# Evaporators

## Tubular evaporators

- Boilers: Fuel directly fires tubular apparatus
- Vaporizing exchangers: Convert latent or sensible heat of one fluid to latent heat of another (also known as vaporizer) used for evaporation of water or aqueous solution  $\Rightarrow$  evaporator

\* Reboiler: exchanger used at the bottom of a distillation column to burn vapor

## Evaporators

### - Power plant evaporators

goal: generate pure water from raw/pre-treated water

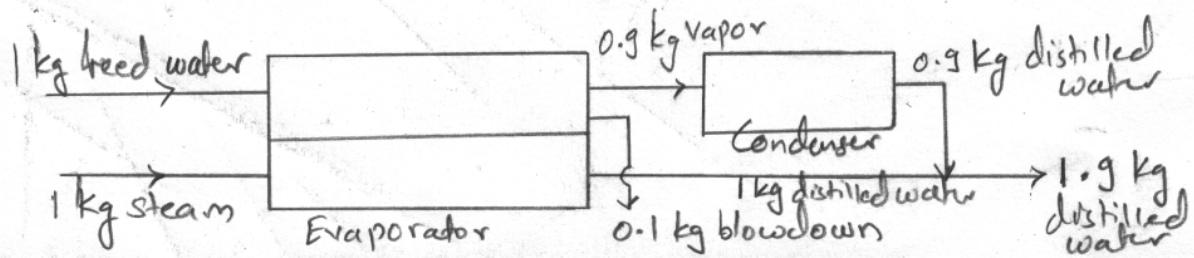
### - Chemical evaporators

goal: Water removal for concentrating a solution

## Multiple Effect Evaporation (in parallel)

### Eg. Power plant evaporator

Goal: production of distilled water



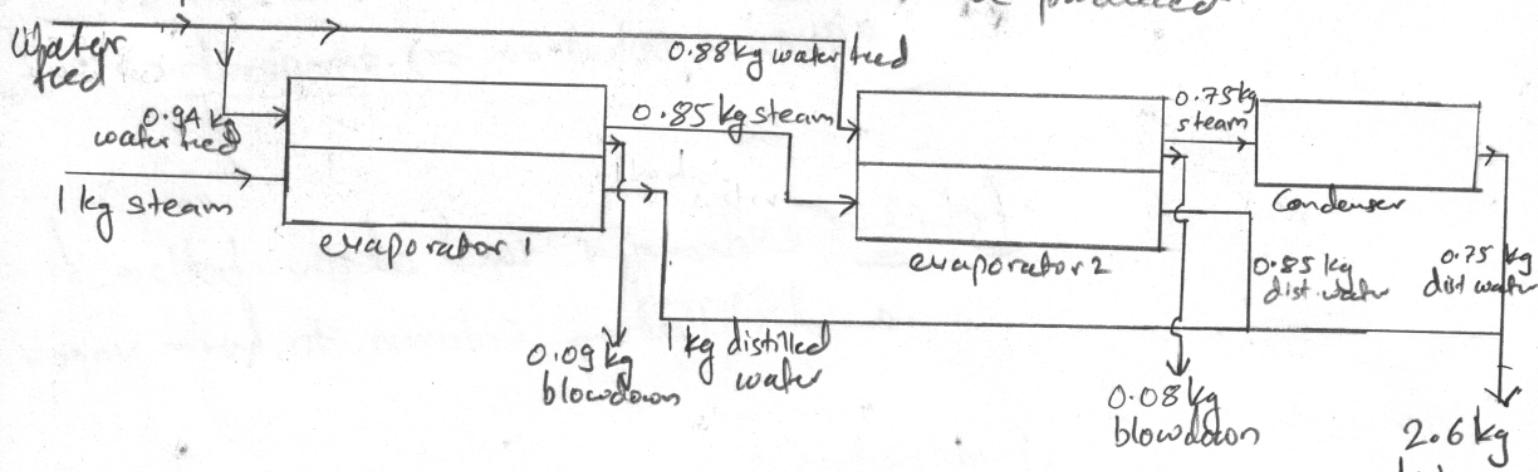
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Blowdown: Water drained from evaporator to reduce fouling (scale-formation)

Single effect evaporator: 1 kg steam produces 1.9 kg distilled water.

Note: Condensing can be used to partially preheat the feed to the evaporator or in other parts of the plant.

Instead, if it is used as a heat source in a second evaporator, more distilled water can be produced



Double effect evaporator: 1 kg steam produces 2.6 kg distilled water

Note: To maintain temperature difference between vapor and liquid in subsequent effects, pressure on succeeding effects must be decreasing

Blowdown quantity wastes sensible heat, but is necessary to prevent scale formation.

⇒ Limit on justifiable number of effects (fixed costs increase)

## Chemical Evaporation

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- No blowdown
- can be operated as forward feed or backward feed with multiple-effect systems in series
  - forward-feed: liquid and vapor flow in same direction
  - backward-feed: liquid and vapor flow in opposite direction
  - forward is preferred, unless other considerations such as a viscous liquid is present
- Concentrated aqueous solutions undergo a boiling point rise.  
 $\Rightarrow$  Boiling point is above that for pure water, at a given pressure.

For solutions with significant boiling point rise ( $\sim 2^\circ\text{C}$  and above), their latent heat of vaporization also differs from the pure water latent heat.

Two relations are available (valid for dilute solutions only)

with  $T_{\text{sat},\text{sol}}$  = boiling point of the solution in absolute  
scale  
at a  
given pressure  
 $T_{\text{sat},\text{wat}}$  = boiling point of pure water in absolute  
scale  
at a  
given pressure

and  $\Delta T_{\text{sol}}$  = rate of change of boiling curve for solution over a pressure range

$\Delta T_{\text{wat}}$  = rate of change of solution's boiling curve over the same pressure range

$P_{\text{sol}}, P_{\text{wat}}$  = absolute vapor pressures of solution, water at same  $T$ .

$$\frac{h_{fg,\text{sol}}}{h_{fg,\text{wat}}} = \frac{\Delta T_{\text{wat}}}{\Delta T_{\text{sol}}} \left( \frac{T_{\text{sat},\text{wat}}}{T_{\text{sat},\text{sol}}} \right)^2 \quad \text{--- Duhring's rule}$$

or

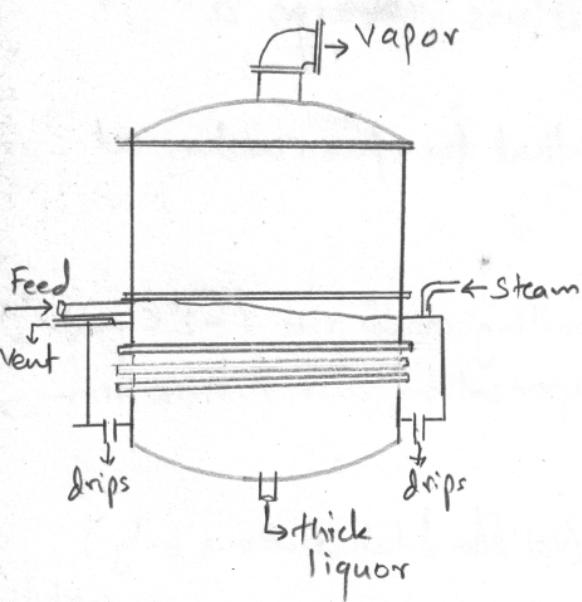
$$\frac{h_{fg,\text{sol}}}{h_{fg,\text{wat}}} = \frac{d \log P_s}{d \log P_w} \quad \text{--- Othmer's method}$$

## Types of Chemical Evaporators

- Either natural circulation based or forced circulation based
- Forced one typically used for scale forming or viscous solutions

### • Natural

Horizontal tube, Calandria vertical tube, Basket vertical tube, Long tube vertical



Horizontal tube evaporator

### Horizontal Tube Evaporator

- Oldest design
- Do not take advantage of natural flow currents (convection currents)
- Steam is in the tube
- Advantages
  - Small headroom
  - Any air entering with steam does not reduce heat transfer area

#### Notes:

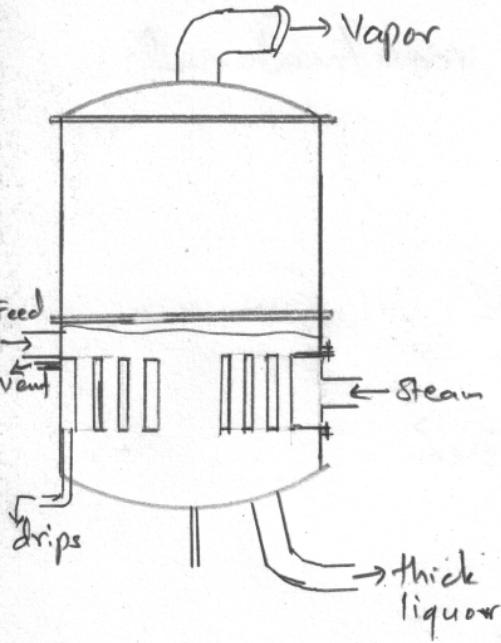
- Used to make thick liquor (not solids/crystals)
- Tube length & evaporator size

#### • Disadvantage:

- Scaling around (outside) tube

## Calandria Evaporator

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Calandria evaporator

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Note:

- Common in industry
- Also known as "standard" evaporators

• Basket type evaporators are similar, except that they have a removable bundle of tubes that can be cleaned easily and has no issues due to differential expansion. Used for scale forming liquids, but not for viscous liquids.

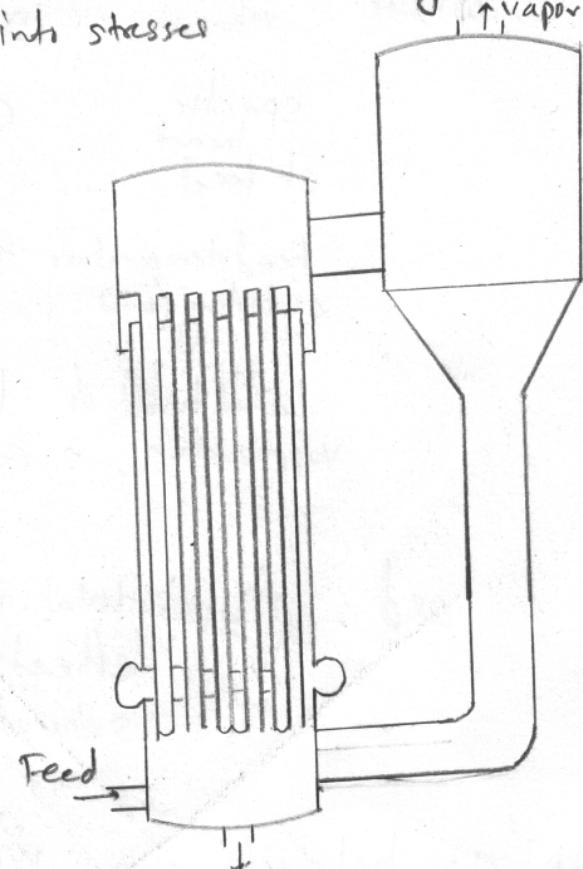
- Short vertical-tube bundle
- Steam flows outside tubes in the Steam chest
- Liquid rises through tubes and circulates back to the bottom through large space close to the centre (typically 0.5-1 times area of the tubes).

Advantages:

- Scaling occurs inside tubes
- Can be used for handling thick fluids, with optional propeller at the bottom.

Disadvantages:

- Differential expansion between shell and tubes may result in stresses



## Long Tube Evaporator

- Long heating element
- Liquor passage through tubes (only once)
- Steam enters through a vapor belt

Advantages / Use

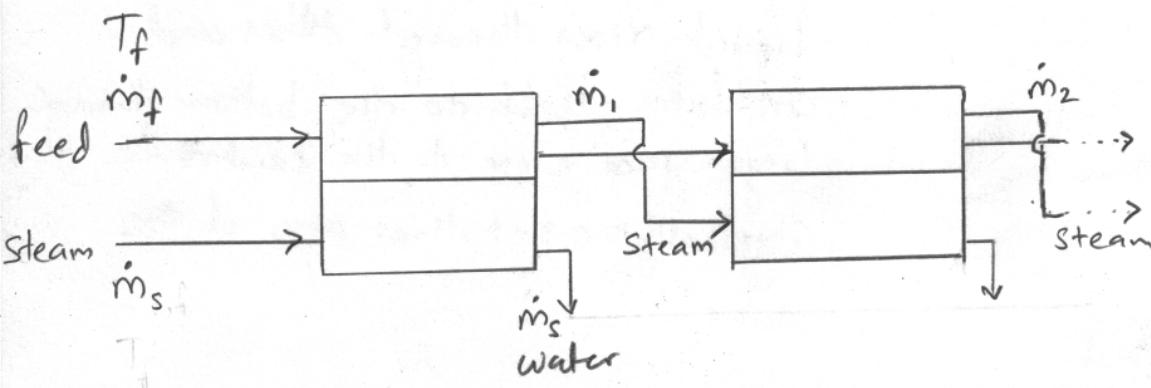
- Foramy and foamy liquids

Disadvantage: • Not for scaling liquids

long tube recirculation evaporator

## Analysis of Multiple Effect Evaporators

Simple analysis: Involve energy and mass/material balance



For a forward feed multiple-effect evaporator, energy balance

$$\text{First effect: } \dot{m}_s h_{fg,s} + \dot{m}_f C_f (T_f - T_1) = \dot{m}_1 h_{fg,1}$$

$$\text{Second effect: } \dot{m}_1 h_{fg,1} + (\dot{m}_f - \dot{m}_1) C_1 (T_1 - T_2) = \dot{m}_2 h_{fg,2}$$

$$\text{Third effect: } \dot{m}_2 h_{fg,2} + (\dot{m}_f - \dot{m}_1 - \dot{m}_2) C_2 (T_2 - T_3) = \dot{m}_3 h_{fg,3}$$

where      ~~effected~~      inlet      effect-1      effect-2      ...

specific heat of feed	$C_f$	$C_1$	$C_2$
Feed temperature $T_f$ or boiling point		$T_1$	$T_2$
Latent heat of vaporization	$h_{fg,s}$ (steam)	$h_{fg,1}$ (liquor)	$h_{fg,2}$ (liquor)

and  $\dot{m}_{\Sigma i}$  = total rate of water removed across all effects

$T_s$  = saturation temperature of inlet steam

Mass balance  $\dot{m}_{\Sigma i} = \dot{m}_1 + \dot{m}_2 + \dot{m}_3 + \dots$

Then, the surface area requirements are

$$A_1 = \frac{Q}{U\Delta T} = \frac{\dot{m}_s h_{fg,s}}{U_1(T_s - T_1)}$$

$$A_2 = \frac{\dot{m}_1 h_{fg,1}}{U_2(T_1 - T_2)}$$

$$A_3 = \frac{\dot{m}_2 h_{fg,2}}{U_3(T_2 - T_3)} \dots$$

Similar balance can be performed for backward feed.

Example: Triple effect evaporator

It is desired to concentrate 22679 kg/hr of a chemical solution at 37.77°C and 10% solids to a product that contains 50% solids. Steam is available at 184062 Pa (12 psig) and the last effect of a triple-effect evaporator with equal heat transfer surface in each effect will be assumed to operate at a vacuum with pressure at 13445 Pa (1.95 psia). Water is available at 29.44°C for use in a barometric condenser. Calculate steam consumption, heating surface requirement and condenser water required.

Given

$$\dot{m}_f = 22679 \text{ kg/hr}$$

$$\begin{aligned} \text{total} \\ \text{solids} &= 0.1 \times 22679 \\ \text{feed} &= 2267.9 \text{ kg/hr} \end{aligned}$$

$$\text{total product} = \frac{2267.9}{0.5} = 4535.8 \text{ kg/hr}$$

$$\dot{m}_{\sum i}^3 = \dot{m}_1 + \dot{m}_2 + \dot{m}_3 = \dot{m}_f - \text{total product} = 18143.2 \text{ kg/hr}$$

Assuming:

$$C_f = C_1 = C_2 = C_3 = 4.1868 \text{ kJ/kg K}$$

Also given,

$$U_1 = 1.23 \times 10^7 \text{ J/m}^2 \cdot \text{K} \quad U_2 = 5.11 \times 10^6 \text{ J/m}^2 \cdot \text{K} \quad U_3 = 2.55 \times 10^6 \text{ J/m}^2 \cdot \text{K}$$

Using energy balance and material balance above, with

$$T_f = 37.77^\circ C$$

$$T_s \text{ at } 12 \text{ psig} = 117.78^\circ C$$

$$T_3 \text{ at } 1.95 \text{ psia} = 51.67^\circ C$$

$$\text{Total temperature difference} = 66.1^\circ C$$

Assuming pressure difference to be nearly equal across each effect (due to area being equal), as a first approximation,

$$\text{Average pressure difference} = 8.25 \text{ psi} \\ (\text{per effect})$$

1 <sup>st</sup> effect	$T_s = 117.78^\circ C$	$h_{fg,1s} = 2207.37 \text{ kJ/kg}$
2 <sup>nd</sup> effect	$T_1 = 106.67^\circ C$	$h_{fg,1} = 2235.28 \text{ kJ/kg}$
3 <sup>rd</sup> effect	$T_2 = 90^\circ C$	$h_{fg,2} = 2281.80 \text{ kJ/kg}$
vap or to Condenser	$T_3 = 51.67^\circ C$	$h_{fg,3} = 2377.17 \text{ kJ/kg}$

Substituting in energy and material balance,

$$3973.27 \dot{m}_s + 22679 \times 1 \times (37.77 - 106.67) = A023.51 \dot{m}_1$$

$$A023.51 \dot{m}_1 + (22679 - \dot{m}_1) \times (106.67 - 90) = A107.28 \dot{m}_2$$

$$A107.28 \dot{m}_2 + (22679 - \dot{m}_1 - \dot{m}_2) \times (90 - 51.67) = A278.91 \dot{m}_3$$

$$\sum_{i=1}^3 \dot{m}_i = \dot{m}_1 + \dot{m}_2 + \dot{m}_3 = 18143.2 \text{ kg/hr}$$

Solving the above equations simultaneously,

$$\dot{m}_1 = 5607.5 \text{ kg/hr}$$

$$\dot{m}_2 = 6015.3 \text{ kg/hr}$$

$$\dot{m}_3 = 6520.4 \text{ kg/hr}$$

$$\dot{m}_s = 8642.2 \text{ kg/hr}$$

$$A_1 = \frac{\dot{m}_s h_{fgs}}{U_1(T_s - T_1)} = 140 \text{ m}^2$$

$$A_2 = \frac{\dot{m}_1 h_{fg,1}}{U_2(T_1 - T_2)} = 147 \text{ m}^2$$

$$A_3 = \frac{\dot{m}_2 h_{fg,2}}{U_3(T_2 - T_3)} = 140 \text{ m}^2$$

Heat transferred to condenser =  $\dot{m}_3 h_{fg,3} = 1.55 \times 10^{10} \text{ J/hr}$

Water requirement  $1.55 \times 10^{10} \text{ J/hr} = \dot{m}_w \times C_{p,w} (\Delta T_{\text{water}})$

assuming  $\Delta T_{\text{water}} = 19.5^\circ\text{C}$

$$\dot{m}_w = 1.8985 \times 10^5 \text{ kg/hr}$$

Notes:

- Assumption of equal pressure drop across subsequent effects may not be valid.  
e.g. due to scale formation (uneven)
- Thus, the evaporator calculations above might need to be adjusted for the new pressure profile.
- Similar calculation for backward-fed evaporator reveals that the total steam requirement is lower for backward-fed evaporator.
- Practical issues arise, however, in using backward fed evaporators. Also, pump requirements could add up substantially to the operating costs.