

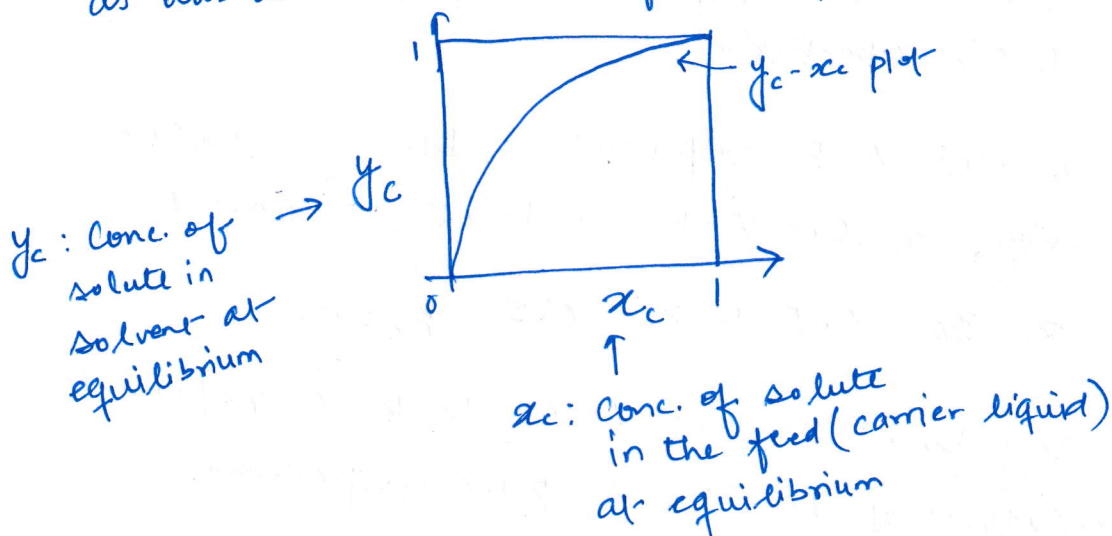
Liquid-liquid extraction: Ternary Diagrams

In LLE, three components are involved. To represent their concentrations, ternary diagrams are often used.

{ A: Carrier liquid
B: Solvent
C: Solute

Depending on the miscibility of components A, B & C, different ternary diagrams/concentration-distribution can be observed.

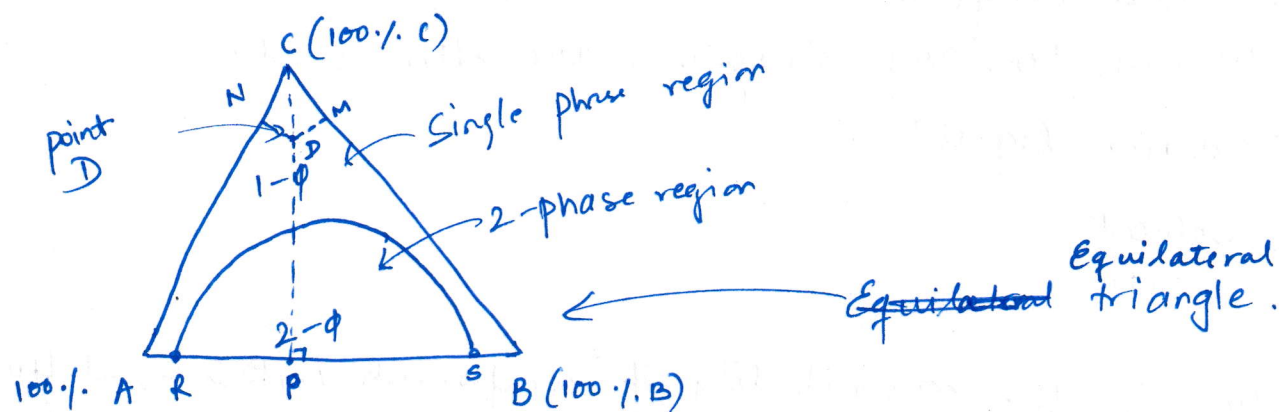
(i) Case 1: A & B are completely immiscible: This case is similar to what was observed in absorption (air/gas & liquid were completely immiscible). Concentration of solute C in ∞ feed (with carrier liquid) & solvent can be expressed on $y-x$ plot as was done in the case of absorption.



(ii) Case 2: A & B are partially miscible. However, C is completely miscible with A. Similarly, C is completely miscible with B. [A-C & B-C are miscible in all proportions]. In this case, type-I ternary diagram is observed.

Type I ternary diagram :

(2)



Type-I Ternary diagram

Let us discuss ternary diagram, in general, first. Note, in the ternary diagram, the concentrations of solute, solvent & carrier liquid are specified.

→ * 100% A, 100% B & 100% c represent concentrations of pure A, B & c, respectively.

* Any point on line A-B represent a binary mixture of A & B. Say, on line A-B, a point at 50% A represent $x_A = 0.5$ & $x_B = 0.5$, $x_c = 0$.

Similarly, any point on line A-c & B-c represent binary mixtures of A & c and B & c, respectively.

* Any point within the ternary diagram (other than lines A-B, A-c, B-c & vertices A, B & c) represent a ternary mixture. For example, consider point D,

length DM = Concentration of A

" DN = Concentration of B

" DP = Concentration of c

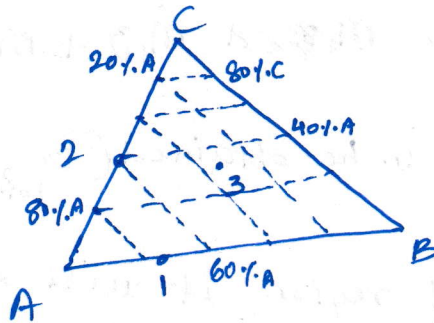
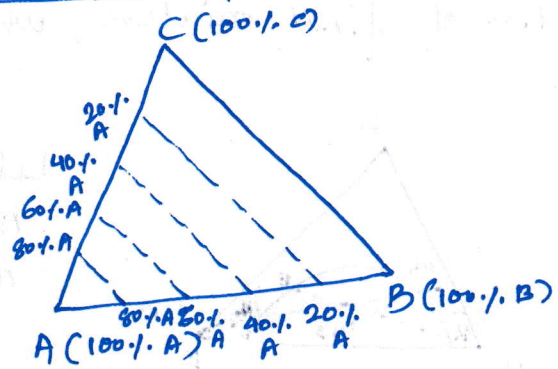
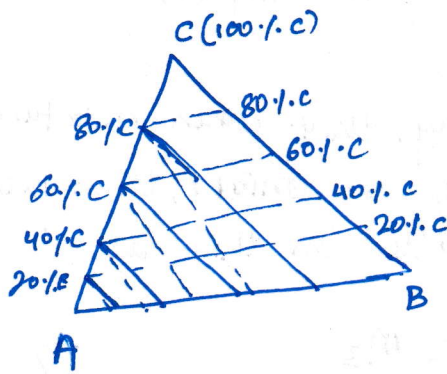
For any point D,

$$DM + DN + DP = CP$$

for an equilateral triangle.
Equilateral triangle.

For example, consider the following example:

③



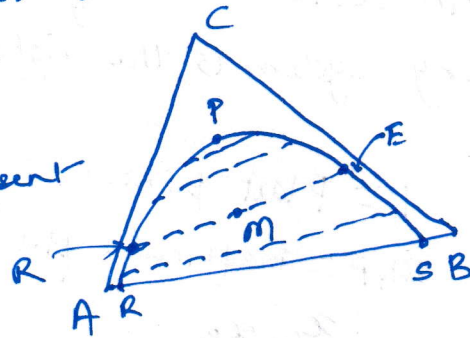
Point 1 \approx 75% A, 25% B

Point 2 \approx 60% A, 40% C

Point 3 \approx 30% A, 30% C, 40% B

Now, in the case of type I ternary diagram, any mixture in the 2- ϕ mixture separates into raffinate & extract phases when allowed to stay undisturbed.

Dotted lines represent tie lines.



Note: Here R = solubility of B in pure A

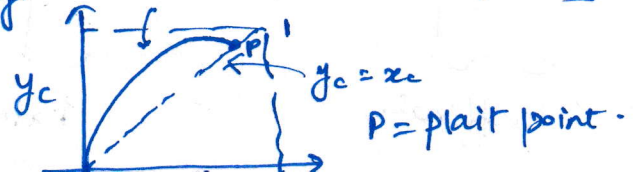
Similarly, S = solubility of A in pure B.

Any point M in the 2- ϕ region separates into an extract phase (point E) & a raffinate phase (point R).

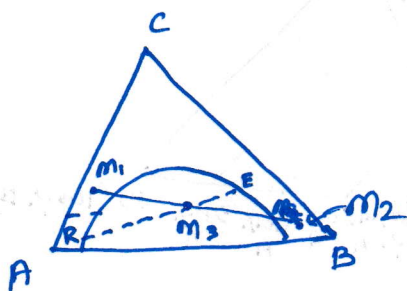
Note: E is extract as one can see that the concentration of C (solute) at point E is higher than that for point R (raffinate).

Point P = plait point. At P : $y_C = x_C$ [conc. of solute in extract = conc. of solute in raffinate]

One can plot y_C vs x_C , by noting their conc. from various tie-lines.



- Concentration of final mixture, when mixing two separate mixture.



Let us say, that when mixtures M_1 & M_2 are mixed, then point M_3 results. In this case:

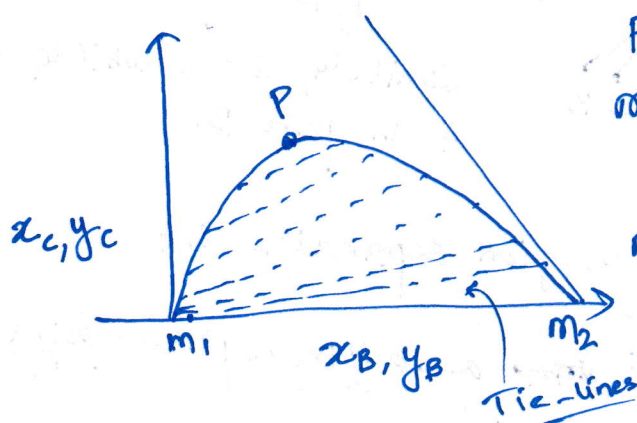
$$M_1 + M_2 = M_3$$

$$\& \cancel{M_1} + \cancel{M_2} + M_1 z_1 + M_2 z_2 = M_3 z_3$$

$\Rightarrow z_c$ can be obtained (z_c lies on the line joining M_1 & M_2)

- Note, since z_3 is in 2- ϕ region, it will separate into extract & raffinate depending on the tie line on which it lies.

Right Angle coordinate: An alternate way to represent the concentration of ternary system is the right-angle coordinate.



P = Plait point.

$M_1 P$ = Raffinate plot, that is, x_c, x_B

$M_2 P$ = Extract plot, that is, y_c vs y_B

Data:

x_B | x_c

Raffinate

y_B | y_c

Extract

note \rightarrow mole or mass fraction \rightarrow $x_B = \frac{b}{a+b+c}$ in raffinate.
 $x_c = \frac{c}{a+b+c}$ in raffinate.

Similarly:

$y_B = \frac{b}{a+b+c}$ in extract

$y_c = \frac{c}{a+b+c}$ in extract

At plait point: $y_c = x_c$