

4.) Pseudocode.

```

q4 (A, a, b, c) {
    l ← 0;
    r ← m-1; flag ← 0; / (m = size of array A)
    while (l < r) {
        if (a² == bA[l] + cA[r]) {
            flag ← 1; break;
        } else if (a² > bA[l] + cA[r]) {
            l++;
        } else if (a² < bA[l] + cA[r]) {
            r--;
        }
    }
    return flag;
}

```

algo: l is left pointer r is right pointer  
at each iteration until  $l < r$  we check  
if ~~at~~ the given condition holds, if it  
holds we return ~~flag~~ 1 else we check  
the value of  $a^2$  and  $bA[l] + cA[r]$  if  
 $a^2$  is greater we increment l else we  
~~decrement l~~ decrement r by 1.  
we increment l to ↑ the value of  $bA[l] + cA[r]$   
as all other parameters are fixed, similarly  
we decrement r to ↓ the value of  $bA[l] + cA[r]$   
as all other parameters are fixed.

time complexity :  $O(m)$

### Proof of correctness:

lets suppose we haven't find the solution and  
we are running  $i^{\text{th}}$  iteration

$$b A[l+i] + c A[r-i] \neq a^2$$

lets see  $(i+1)^{\text{st}}$  iteration, we can have 3 cases

C I :  $b A[l+i] + c A[r-i] > a^2$

$\therefore$  we need to decrease the value of LHS

this could be done by only decrementing  $(r-i)$  to  $(r-i-1)$  as we have already checked left of  $l$  & right of  $r$  for no sol<sup>n</sup> and value can only be decreased by taking a number left of  $(r-i)$

C II :  $b A[l+i] + c A[r-i] < a^2$

by similar analogy we need to  $\uparrow$  the value of LHS by  $\uparrow (l+i)$  to  $(l+i+1)$

after this if we find  $LHS = RHS$  then we can say we got the sol<sup>n</sup> else ~~not need~~ the algo will search further.