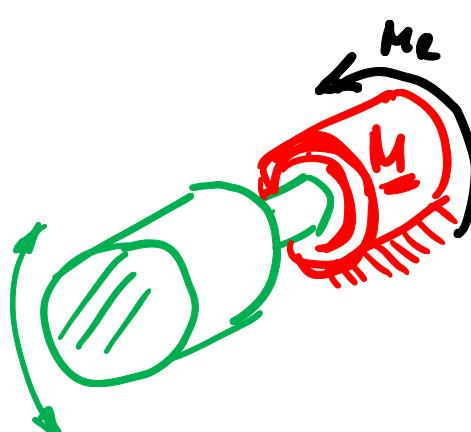


$$\ddot{\varphi} = \frac{1}{J} [M_{ff} - d\dot{\varphi} - b \operatorname{sign}(\dot{\varphi})\dot{\varphi}] \dots \text{complete model}$$

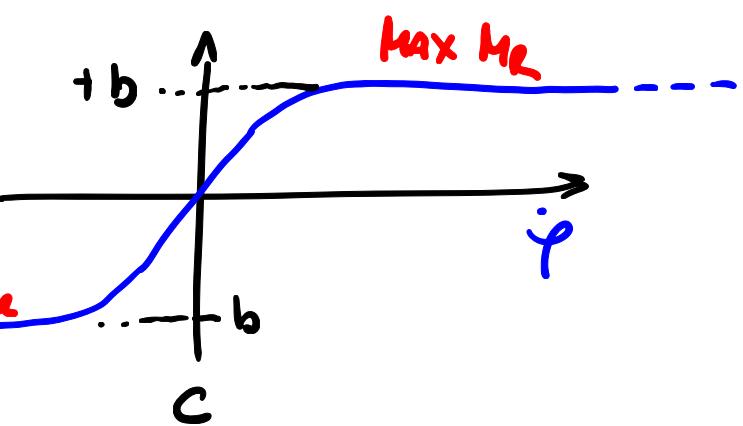
$$\ddot{\varphi} = \frac{1}{J} [M_{ff} - d\dot{\varphi}] \dots \text{reduced Model ①}$$

$$\ddot{\varphi} = \frac{1}{J} [M_{ff} - b \operatorname{sign}(\dot{\varphi})\dot{\varphi}] \dots \text{reduced Model ②}$$



for stick-slip

$$b \left[ \frac{2}{1 + e^{-\alpha(\dot{\varphi} - c)}} - 1 \right] \quad \text{Sigmoid}$$



Hysterese???

$$\ddot{\varphi} = \frac{1}{J} \left[ M_{ff} - b \left[ \frac{2}{1 + e^{-a\dot{\varphi}}} - 1 \right] \right]$$

Modell ①

$$= \frac{1}{J} \left[ M_{ff} + b - \frac{2b}{1 + e^{-a\dot{\varphi}}} \right] \quad !! \quad \Theta = [J, b, a]$$


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$$\ddot{\varphi} = \frac{1}{J} \left[ M_{ff} - b - d\dot{\varphi} - \frac{2b}{1 + e^{-a\dot{\varphi}}} \right]$$

Modell ②

$$\Theta = [J, b, a, d]$$

$$e^{-Ts} = \frac{T}{1+0,5Ts} \Rightarrow \text{PADE-APPROXIMATION}$$

! OHNE  
EINMAL  
PROBIEREN

$$M_{FFsys} (1+0,5Ts) = T M_{FFin}$$

$$M_{FFsys} + 0,5T \cdot \dot{M}_{FFsys} = TM_{FFin} \Rightarrow M_{FFsys} \rightarrow$$

Other signum Fkt.

$$\frac{2}{\pi} \arctan(a\dot{\varphi}) \rightarrow \begin{array}{c} +1 \\ -1 \end{array} \dots$$

$$\rightarrow \left[ \frac{4}{\pi} \arctan(a\dot{\varphi}) - 1 \right] b$$