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Ptd328
EE360C
Lab 3

Lab 3 Report

Part 1a:

The pseudocode for determining the maximum fun level: Implementing Knapsack Algorithm

$M[i, r]$ represent max fun level at activity i at a risk budget r

$f[i]$ represent fun level of activity i

$r[i]$ represent risk level of activity i

//Initializing fun level at all risk budget for no item to 0

for ($r = 0$ to $r = R$)

$M[0, r] = 0;$

//Knapsack algorithm

for ($i = 1$ to $i = n$)

for ($r = 0$ to $r = R$)

if ($r_i > r$)

$M[i, r] = M[i - 1, r];$

else

$M[i, r] = \max(M[i - 1, r], f_i + M[i - 1, r - r_i]);$

Return $M[n, R];$

The time complexity of the algorithm should be $O(nR)$ with n being the number of activities and R being the budget risk.

Part 1b:

$M[i, r]$ represent max fun level at activity i at a risk budget r

$Name[i, r]$ represent activities included in $M[i, r]$

$f[i]$ represent fun level of activity i

$r[i]$ represent risk level of activity i

//Initializing fun level at all risk budget for no item to 0

for ($r = 0$ to $r = R$)

$M[0, r] = 0$;

$Name[0, r] = ""$;

//KnapSack algorithm

for ($i = 1$ to $i = n$)

 for ($r = 0$ to $r = R$)

 if ($r_i > r$)

$M[i, r] = M[i - 1, r]$;

$Name[i, r] = Name[i - 1, r]$;

 else

 if not select item i

$Name[i, r] = Name[i - 1, r]$;

$M[i, r] = M[i - 1, r]$;

 If select item i

$Name[i, r] = nameList[i - 1, r - r_i] + \text{item } i$;

$M[i, r] = f_i + M[i - 1, r - r_i]$;

Set = $Name[n, R]$;

Return $M[n, R]$;

For part 1b, I added a small modification which is having a 2d string array to keep track of what activities is included. The run time complexity should not changed because updating the array will only take $O(1)$. I need to use a string split at the end, and the time complexity for the string split should be $O(n)$ with n being the item. So the time complexity shouldn't change.

Part 2:

result[] is the schedule

M[i] is the min cost of staying in Maui at ith day

O[i] is the min cost of staying in Oahu in ith day

costM[i] = cost to stay at Maui in day i

costO[i] = cost to stay at Oahu in day i

fee is the transfer cost

//Initialize

stM[n] = true; //last day at Maui

stO[n] = false; //last day at Oahu

M[0] = N[0] = 0;

M[1] = costM[1]; //1st day at Maui

O[1] = costO[1]; //1st day at Oahu

for i = 2 to n

M[i] = costM[i] + min(M[i - 1], fee + O[i - 1]);

O[i] = costO[i] + min(O[i - 1], fee + M[i - 1]);

if O[n] > M[n] then result[n] = staying at Maui else result[n] = staying at Oahu;

for i = n - 1 to 1

if day i + 1 staying in Maui

if cost at day i + 1 = cost staying in Maui at day i + 1 + cost at day i

then day i Fruitcake staying at Maui

else day i Fruitcake staying at Oahu

if day i + 1 staying at Oahu

if cost at day i + 1 = cost staying at Oahu at day i + 1 + cost at day i

then day i Fruitcake staying at Oahu

else day I Fruitcake staying at Maui

return result;

The run time of this algorithm is O(n) with n being the total day