

# Magnetic dichroism in darkfield UV photoemission electron microscopy

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Photoemission electron microscopy (PEEM) has evolved into an indispensable tool for structural and magnetic characterization of surfaces at the nanometer scale. Particularly, synchrotron-radiation-based X-ray PEEM has emerged as a leading method for probing element-specific magnetic properties via magnetic circular dichroism (MCD) in core level photoemission. In laboratory settings, UV radiation is utilized for near-threshold PEEM, which, when combined with femtosecond lasers, offers the potential for ultrafast time resolution. However, the characterization of magnetic properties, such as local magnetic domain structures, has seen limited application in UV-PEEM, with studies reporting only weak magnetic dichroism effects for in-plane magnetization. In this letter, we introduce the concept of darkfield PEEM for MCD in threshold photoemission. This method enables efficient MCD imaging with a significantly enhanced MCD contrast—by an order of magnitude—for in-plane magnetization, as demonstrated for Fe(001). This advancement paves the way for MCD imaging on femtosecond timescales using modern lasers. Darkfield PEEM imaging employs an aperture for photoelectron momentum selection in the back focal plane of the electron imaging column before forming the real-space image. While the general momentum dependence of the MCD contrast will be explained through symmetry considerations, the experimental results for Fe(001) will be quantitatively compared with state-of-the-art full-relativistic photoemission calculations.

*Introduction.* Ultrafast spin and magnetization dynamics are exciting and rapidly growing fields in condensed matter physics with promising implications for both future research and device applications. Ultrafast imaging of magnetic domains on the micrometer scale is well established based on all-optical methods, as e.g. Kerr microscopy. On the nanometer scale, however, electron microscopy is the method of choice due to electrons short de Broglie wavelength. For imaging magnetic domains the magnetic circular dichroism (MCD) contrast is used in photoelectron emission microscopy (PEEM). The intensity recorded for a particular domain changes with the helicity of the incident radiation, thereby producing magnetic contrast without the need for an explicit electron spin detection. By tuning the incident X-ray radiation to a magnetic core level absorption edge, substantial and element-specific MCD asymmetries have been reported. With the wide availability of tunable synchrotron radiation, this technique of XMCD-PEEM is well established for magnetic domain imaging on the nanometer scale and for slow dynamics. However, the pulse length of synchrotron radiation of typically 30-50 ps renders XMCD-PEEM unsuitable on ultrafast timescales. Replacing the incident X-ray radiation by ultrashort laser pulses solves this issue straightforwardly and allows for pump-probe experiments on a few femtoseconds timescale. In addition, experiments can be performed in the laboratory with UV laser sources. With UV light, electrons close to the Fermi level are excited to energies slightly above the escape threshold. However, the reported MCD contrasts are quit small in threshold photoemission, especially for in-plane magnetization.

In this letter we introduce the concept of darkfield

PEEM for MCD in threshold photoemission. It allows efficient MCD imaging with an order-of-magnitude enhanced MCD contrast for in-plane magnetization as is demonstrated for Fe(001). It paves the way for MCD imaging on femtosecond timescales using modern lasers. Darkfield PEEM imaging uses an aperture for photoelectron momentum selection in the back focal plane of the electron imaging column prior to forming the real space image. While the general momentum dependence of the MCD contrast will be rationalized by pure symmetry considerations, the experimental results for Fe(001) will be quantitatively compared with state-of-the-art full-relativistic photoemission calculations.

Review existing literature, not ready

The first experimental evidence of magnetic dichroism in threshold PEEM was reported by Marx *et al.* in 2000 [1]. Their investigation of polycrystalline Fe revealed a linear asymmetry of 0.37%. After that, many spectroscopic studies followed, showing the existence of circular and linear dichroism in several ferromagnetic materials [2–6]. Nakagawa *et al.* built on the first experimental work of Marx. They chose Ni films adsorbed with Cs, which showed large asymmetries up to 12% in circular dichroism PEEM for out-of-plane oriented domains [7–9]. This also proved the applicability of pulsed laser light for dichroism imaging. Due to the limited photon energy of commonly available optical laser setups, Cs is still needed in most photoemission experiments to reduce the work function [10, 11]. Notably, domains at the FePt surface were investigated utilizing a pulsed deep-UV laser with a photon energy of 7 eV [12] and the combination with a high-order harmonic generation (HHG) chamber was

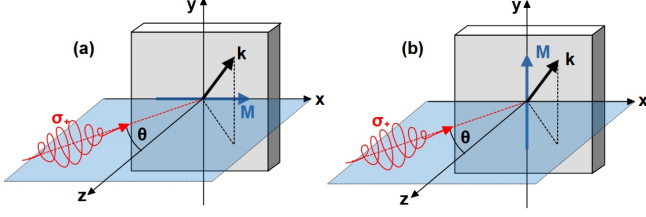


FIG. 1. Symmetry analysis. A circular polarized laser pulse (orange, with helicity  $\sigma_+$  impinges onto a magnetic domain (rectangular solid, with magnetization direction  $\mathbf{M}$ ). The pulse's incidence direction and the surface normal ( $z$ -axis) span the scattering plane (blue;  $xz$ -plane). The off-normal detection of photoelectrons with wavevector  $\mathbf{k}$  results in a chiral setup. If the scattering plane is a mirror plane of the lattice, the photoemission intensities for fixed  $\mathbf{k}$  obey  $I(\sigma_+, +\mathbf{M}) = I(\sigma_-, -\mathbf{M})$  (panel a) or  $I(\sigma_+, +\mathbf{M}) = I(\sigma_-, +\mathbf{M})$  (panel b).

Should we exchange the figure by normal incidence and electron in scattering plane?

tested recently [13].

The theory of valence-band dichroism was predominately developed in the 90s and early 2000s by Feder, Henk, Kuch, Schneider and Venus [14–19] and supported by pioneering experiments of Tamura, Schmiedekamp and Hild [3–5, 20, 21]. It is based on calculating the relativistic band structure in combination with a theoretical description of the photoemission process.

*Conceptual basis.* For a simplified conceptual approach we consider a surface with fourfold symmetry, as e.g. the (001) fcc or bcc surfaces with magnetic easy axes along the four [100] directions. Let's assume light incidence along the surface normal (Fig. 1 for  $\theta = 0$ ). The photoemission intensity of electrons detected with off-normal wavevector  $\mathbf{k}$  depends then on the helicity,  $\sigma_+$  or  $\sigma_-$ , of the incident circular polarized laser radiation and on the two orientations  $\pm M$  of the in-plane magnetization in a selected domain, yielding four intensities  $I_{\mathbf{k}}(\sigma_{\pm}, \pm M)$  (shortened  $I_{\pm\pm}$ ). The latter intensities are combined into the total intensity

$$I \equiv I_{++} + I_{+-} + I_{-+} + I_{--}. \quad (1)$$

In order to disentangle the two main contrast mechanisms we define appropriate asymmetries:

$$A_{\text{pol}} \equiv [(I_{++} + I_{+-}) - (I_{-+} + I_{--})] / I, \quad (2a)$$

$$A_{\text{ex}} \equiv [(I_{++} + I_{--}) - (I_{+-} + I_{-+})] / I. \quad (2b)$$

In the polarization asymmetry  $A_{\text{pol}}$  the magnetization's orientation is averaged out; it thus encodes contrast due to the light's helicity (as if the domain were nonmagnetic). Contrast due to the exchange splitting is quantified by the exchange asymmetry  $A_{\text{ex}}$ , in which one averages over the mutual orientations of helicity and magnetization. Note that the *chiral geometry* for photoelec-

trons with *off-normal* wavevector  $\mathbf{k}$  outside the scattering plane results in magnetic dichroism and, hence, in magnetic contrast.

Check here the aspect:  $\mathbf{k}$  within scattering plane

If the scattering plane is a mirror plane of the lattice, the photoemission intensities for fixed  $\mathbf{k}$  within the scattering plane obey the symmetry relation  $I(\sigma_+, +\mathbf{M}) = I(\sigma_-, -\mathbf{M})$  for a magnetization within the scattering plane (Fig. 1(a)). This results into a finite  $A_{\text{ex}}$ , but vanishing  $A_{\text{pol}}$ . For perpendicular magnetization,  $I(\sigma_+, +\mathbf{M}) = I(\sigma_-, +\mathbf{M})$  holds that leads here to vanishing  $A_{\text{pol}}$  and vanishing  $A_{\text{ex}}$ .

In the following, we compare the theoretical asymmetries based on relativistic photoemission computations for Fe(001), briefly described in the Supplemental Material [22], with corresponding experimental results for a photon energy of 5.2 eV. The latter have been recorded at room temperature for either normal or 70° grazing light incidence within the [100] high-symmetry direction in a standard PEEM setup (Focus GmbH, Hünstetten). As light source either a mercury discharge lamp or the frequency-doubled output of a non-collinear optical amplifier (NOPA) with circular polarization optics is used [23–25].

*Contrast mechanisms.* The polarization asymmetry  $A_{\text{pol}}$  as defined in Eq. (2a) and depicted in Fig. 2, depends on the binding energy of the initial states. Both theoretical (top row) and experimental data (bottom row) show that this contrast mechanism is sizable (with absolute values up to about 40 % in theory and 20 % in experiment) and thus cannot be ignored. The theoretical patterns (top row in Fig. 2) exhibit two nodal lines ( $k_x = 0$  and  $k_y = 0$ ). Moreover, one finds changes of sign if either  $k_x$  or  $k_y$  is reversed. These features are imposed by the symmetry of the setup. The experimental counterparts (bottom row) display the same features but slightly oblique or off-center, most clearly for binding energies with comparably small asymmetry (cf. 0.15 eV and 0.25 eV). We attribute these deviations to imperfections in experiment, for example a small misalignment of the light incidence with respect to a crystal mirror plane. Moreover, we assume an electron self-energy that is independent of  $k_{\parallel}$  (see [22]). Nevertheless, the agreement of experiment and theory is remarkable over the full range of electron binding energies. Note that the experimental asymmetries have been determined from two 2D momentum maps for magnetization directions  $+\mathbf{M}$  and  $-\mathbf{M}$  with respect to the [100] direction via selection of appropriate single magnetic domains.

The energy-dependent exchange asymmetry  $A_{\text{ex}}$ , defined in Eq. (2b) and shown in Fig. 3, exhibits absolute values up to 10 % in theory and 6 % in experiment. It exhibits a clear odd symmetry upon reversal of  $k_x$ , whereas it does not change sign upon reversal of  $k_y$ , in contrast to  $A_{\text{pol}}$ . Both features are dictated by the symmetry of

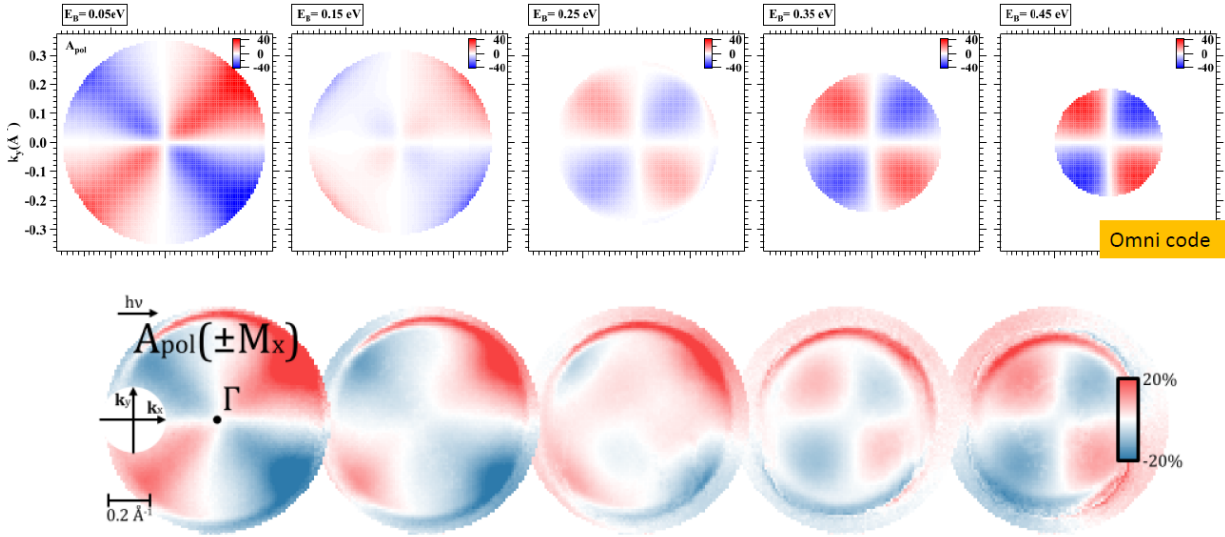


FIG. 2. Polarization asymmetry  $A_{\text{pol}}$  of Fe(001) at selected binding energies versus wave vector  $\mathbf{k}_{\parallel}$  of the photoelectrons for grazing light incidence. Top row: theoretical results obtained from photoemission calculations. The binding energy is indicated at each panel. The color scale, showing  $A_{\text{pol}}$  as defined in Eq. (2a) in percent, is identical for all panels in this row. Bottom row: respective experimental results. The arrow marked  $h\nu$  indicates the light incidence direction.  $\Gamma$  is the center of the surface Brillouin zone ( $\mathbf{k}_{\parallel} = 0$ ).

the setup (see [22]), while the absolute value and the sign depend on the initial state binding energy via the band structure.

The above findings support that the asymmetries  $A_{\text{pol}}$  and  $A_{\text{ex}}$  are suitable tools to disentangle and to quantify the main contrast mechanisms for domain imaging.

*Domain imaging.* From the momentum-resolved  $A_{\text{ex}}$  pattern in Fig. 3, it follows directly that MCD imaging might reveal strong contrast in case of electron momentum selection. On the other hand, the different momentum contributions will largely cancel without momentum selection or with a momentum selection centered at  $k_x = k_y = 0$ . The latter has been usually applied, which explains small and vanishing asymmetries for in-plane magnetic domains reported so far [1].

To enhance the magnetic contrast, we therefore place a circular contrast aperture in an area of high exchange asymmetry, practically reducing the area of interest in  $k$ -space to a "high-exchange" region. This procedure is known as dark-field imaging in optics. Figure 4 (top) shows the different contrast aperture positions, which result in the corresponding MCD PEEM images shown below. For the centred aperture, the MCD contrast almost vanishes, while the aperture in  $+x$  direction results in a drastically increased contrast of 6% matching the result of the  $k$ -space measurements in Fig. 3(b). As expected, the contrast switches from sensitivity in  $x$ -direction to  $y$ -direction when positioning the aperture in  $+y$ . The upper-right measurement shows a diagonal position, where the different contributions to the MCD signal mix, resulting in a different asymmetry value for all four

magnetization directions.

Check binding energy in caption of Fig. 4

*Band structure effects.* The size of  $A_{\text{ex}}$  and of the MCD effect for near-threshold photoemission depend on the initial state energy as is demonstrated in Fig. 3. It reverses sign from about 6% at the Fermi level to  $-5.5\%$  at  $E_B = 0.44 \text{ eV}$ . This material specific behavior can be understood based on the spin-dependent band structure as depicted in Fig. ??.

Elaborate on theory and band structure

*Prospects.* The present investigation proves that magnetic domains can be imaged with a laser-equipped photoelectron emission microscope with high contrast using a momentum-selection of the detected photoelectrons. The common belief that a such PEEM provides only weak contrast is thereby refuted.

For a proof of principle we applied the proposed improvement to in-plane magnetized Fe(001) surfaces. However, the approach is general so that it can easily be applied to other ferromagnets, even to those with out-of-plane magnetization. Thus, it well suited for studying magnetic reorientation transitions, as for example observed for Ni/Cu(001). We see its main capabilities in investigations of ultrafast magnetization dynamics using femtosecond laser pulses. As applications one might think of ultrafast motion of domain walls or of large skyrmions.

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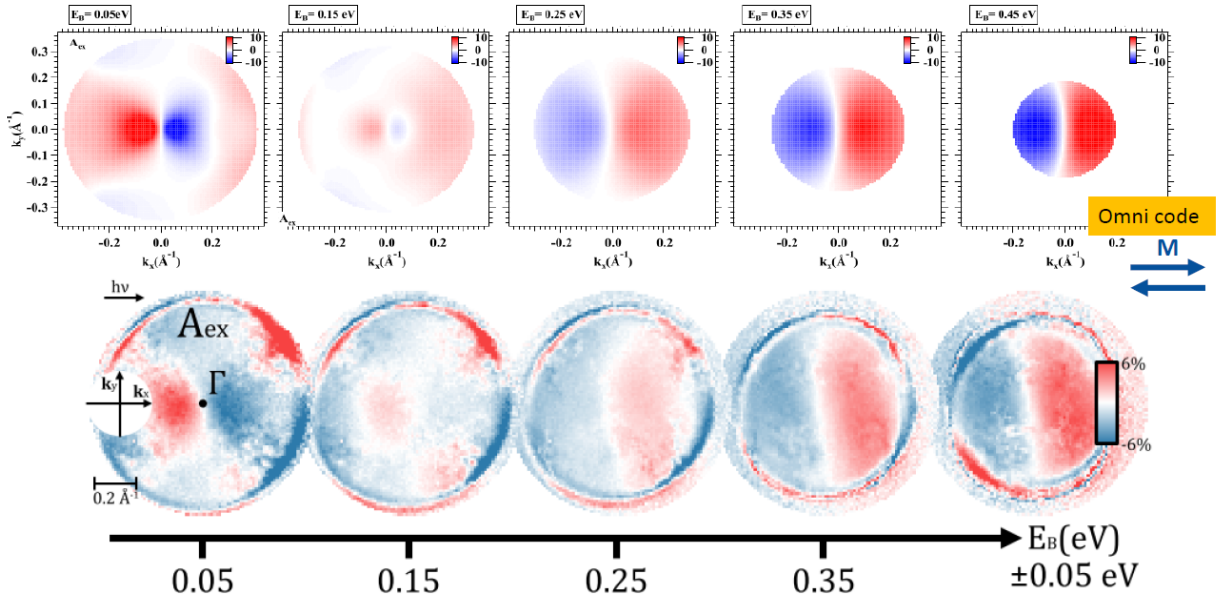


FIG. 3. As Figure 2, but for the exchange asymmetry  $A_{\text{ex}}$  of Fe(001). The orientations of the magnetization are indicated by arrows on the right-hand side. Note that small differences with respect to an odd symmetry upon reversal of  $k_x$  result from grazing light incidence. For normal incidence they are absent.

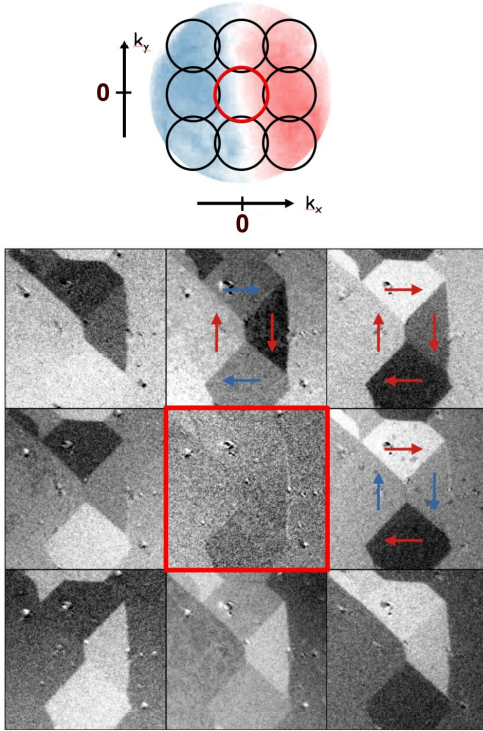
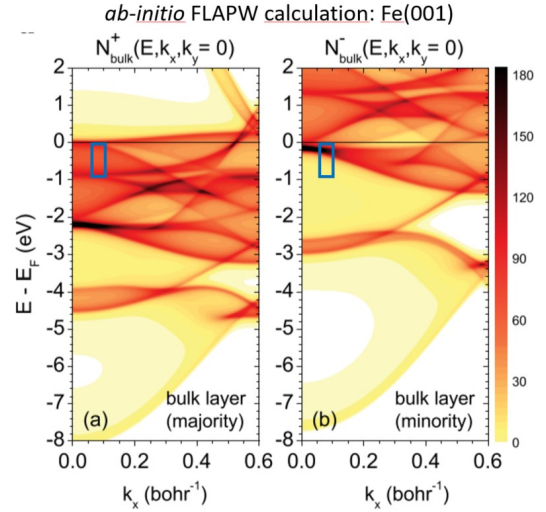


FIG. 4. Darkfield MCD imaging of Fe(100). Top: schematic, nine aperture positions in the momentum plane for imaging with the momentum-resolved  $A_{\text{ex}}$  pattern in the background. Bottom: domain imaging using the nine aperture positions shown above. Photon energy 5.2 eV, grazing light incidence, binding energy  $xx$  eV.



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FIG. 5. Spin-resolved band structure of Fe(001). Here we should show band structure from actual calculation.

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## TODO LIST

Review existing literature, not ready .....	1
Should we exchange the figure by normal incidence and electron in scattering plane? .....	2
Check here the aspect: k within scattering plane ...	2
Check binding energy in caption of Fig. 4 .....	3
Elaborate on theory and band structure .....	3
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