16. Higher derivatives

$$\frac{d}{dx}\left(\frac{x}{x+s}\right) = \frac{1(x+s)-1\cdot x}{(x+s)^{2}} = \frac{5}{(x+s)^{2}}$$

$$\frac{\int^{\lambda} \left(\frac{x}{x+5}\right) = \frac{\int}{\int x} \left(\frac{5}{(x+5)^{2}}\right) = \frac{-10}{(x+5)^{3}}$$

$$\frac{d}{dx}\left(\frac{-5}{x+5}\right) = \frac{d}{dx}\left(-5(x+5)^{-1}\right) = 5(x+5)^{-3}$$

$$\frac{\int^{\lambda} \left(\frac{-5}{x+5}\right) = \int^{\infty} \left(5\left(x+5\right)^{-3}\right) = \frac{-10}{\left(x+5\right)^{3}}$$

$$5a$$
)
 $y = u(x) v(x) = uv$

$$y'' = u''v + u'v' + u'v' + uv'' = u''v + \lambda u'v' + uv''$$

$$y'''' = u'''v' + u''v'' + 2u'v'' + uv''''$$

$$= [u'''v' + 3u'v'' + 3u'v'' + uv''']$$