AP/GLC

- $\widehat{U} \quad \zeta_{,=} \quad \{a^{m}b^{n}c^{\kappa} \mid \kappa \geq m+n\beta$
- @ Ly = {a m b n c k | n = m+k9
- 9 as @ Igem, trocar = por <

- $\mathcal{E} \subseteq \{a^m b^n c^k \mid k \leq m + n\}$
- S L_= {a"b"c" | m = n+k1
- 1 { W \in \{a, b\} * | n (w) = n (w) + 1}

- 3 G= {a"b"c" | n > m+k]
- $O L_{\zeta} = \{a^m b^n c^k \mid m \leq n + k\}$
- (1) {w ∈ {a,b}* | n_a(w) = 2n_b(w) }

3 G= {a"b"c" | n = m+k)

- $\widehat{U} \quad \zeta_{,=} \quad \{a^{m}b^{n}c^{\kappa} \mid \kappa \geq m+n\beta$
 - S-> aSclbPclC
 - P- bPc1C
 - C-> Cc1X

- 2 $L_2 = \{a^m b^n c^k \mid K \leq m + n \}$
 - S-> aSc 1 b Pc | A 1 B
 - P-> bPclB
 - A-> aA/BIX

A-> αAblAblλ

S→ AB

B -> b Bc | bB / A

- B> bBIX
- - S-> AB
 - S > a Ab I a A | h
 - S-> bBc | Bc | X

- - S-> aSclaPblA
 - P -> aPblA
 - A → aAlλ

- - S-> asclaph BIC
 - P→ aPb/B
 - B -> bB/ (1)
 - C-> cC/)

- @ C,= {a"b"c" | K > m+n3
 - S -> asclbPclcC
 - P → bPclcC
 - C>cClx

- $8 \quad L_2 = \{a^m b^n c^k \mid k < m + n \}$
- S-> aSc| bPc | bB | cC
- P -> bPc/bB
- B -> 681 Cc 12
- C > CC/X

- 9 G= {a"b"c" | n > m+k)
 - S→ AC
 - A-s aAblbB
 - 6 -> bB/X
 - C-> bBc/B

- (1) C4 = {a b c | n < m+k9
- (1) L_s = {a b c | m > n+k]
- 1 Lg= {ambnck | m< n+k]

2->