

# Deep Learning Applications for collider physics

## Lecture 5

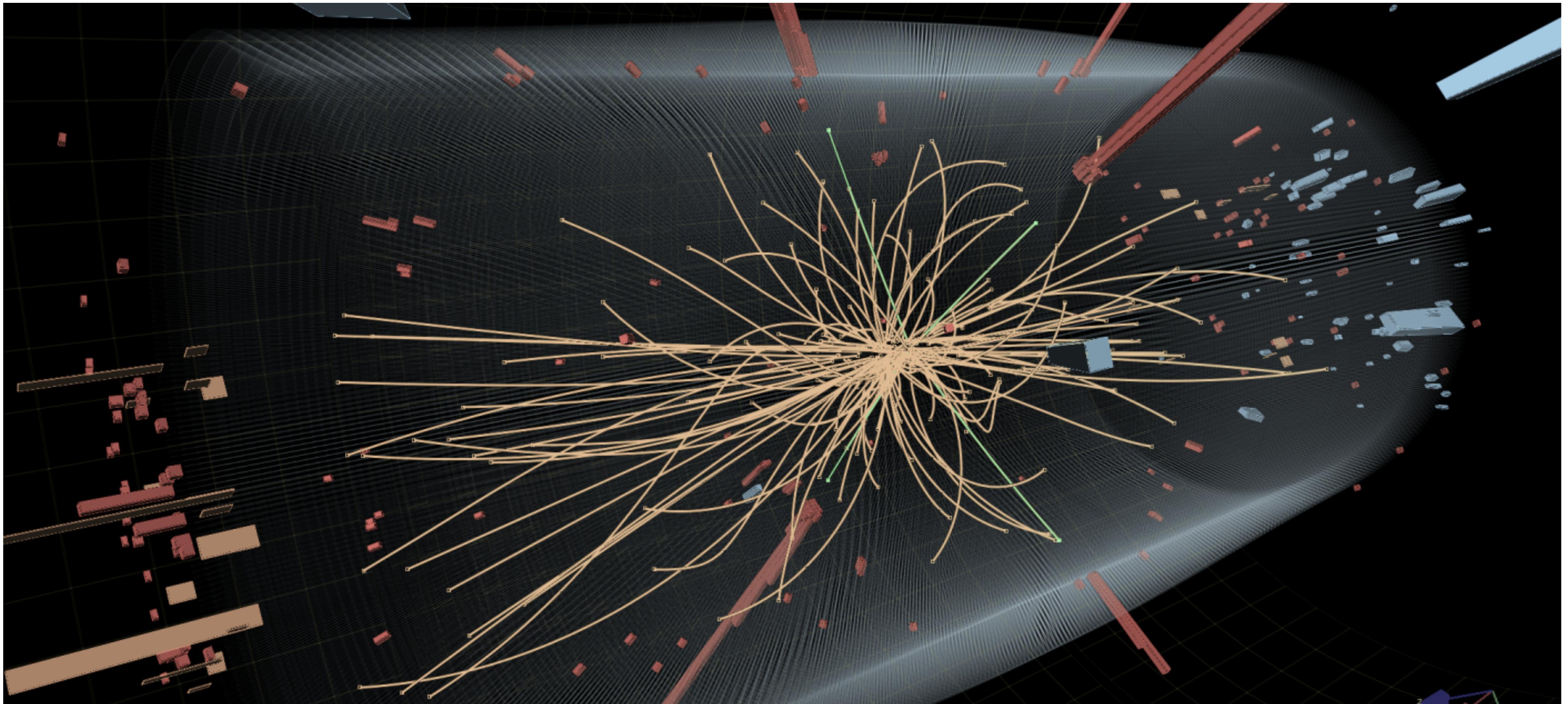
maurizio Pierini





# Plan for these lectures

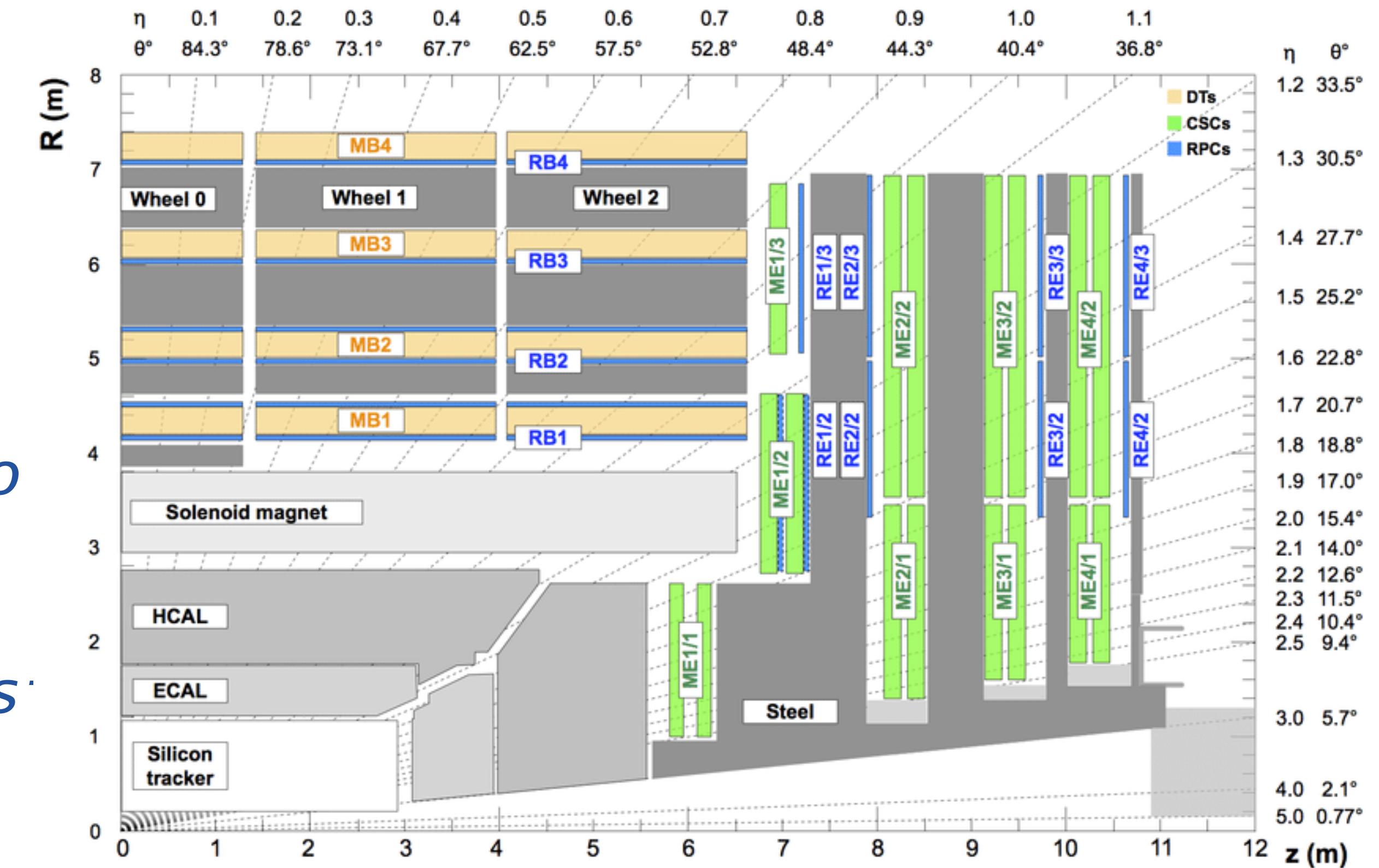
	Day1	Day2	Day3	Day4	Day5
1st hour	Introduction	ConvNN	LHC & fast Inference	Autoencoders	Graphs
2nd hour	Dense NNNs	GANs	RNNs	Anomaly Detection	Graphs
Tutorial	Dense NNNs	ConvNN	RNNs	Autoencoders	Graphs



A (particle)physics friendly  
architecture

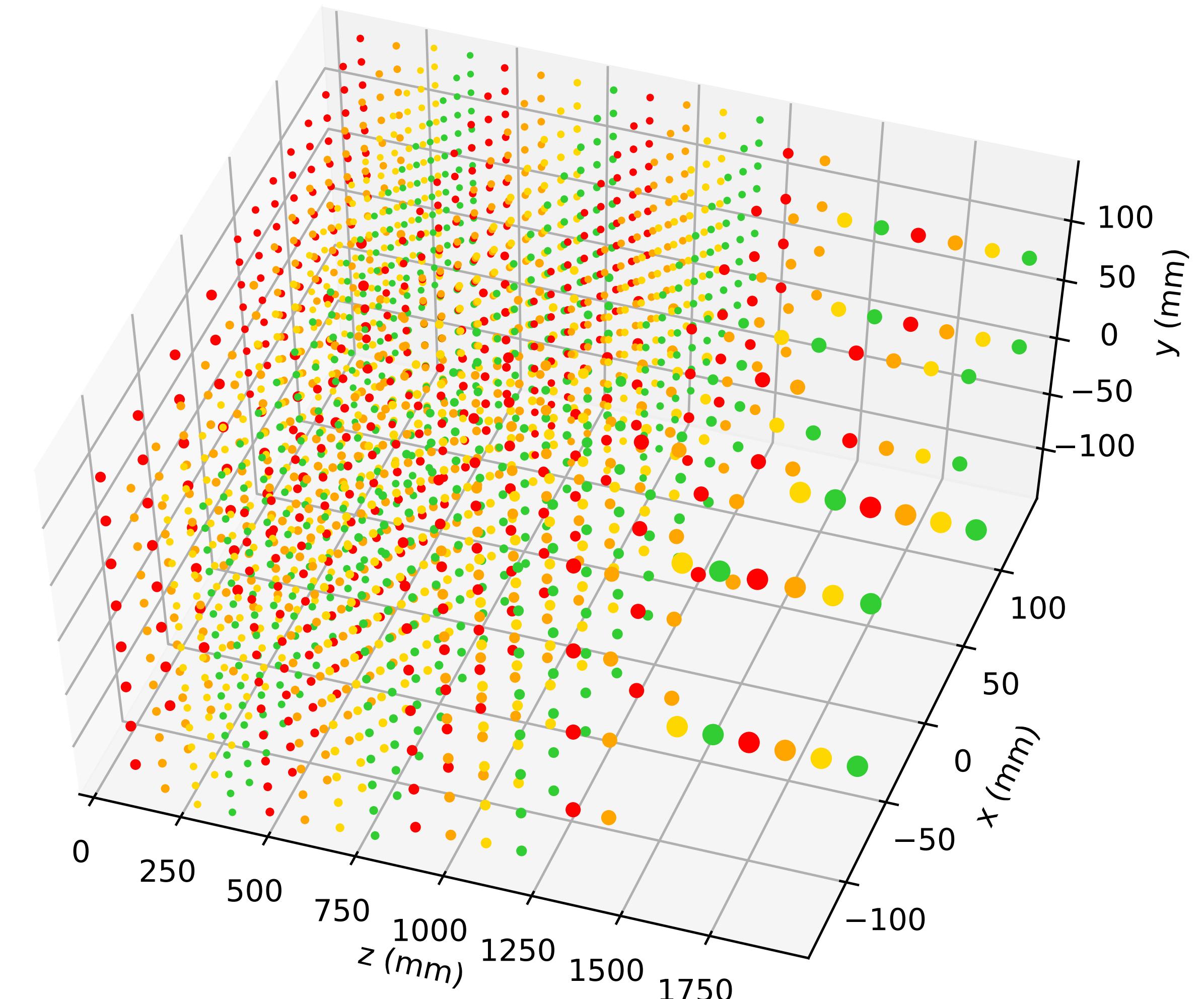
# CNN and Collider Detectors

- CNNs assume that our detectors are regular arrays of sensors
- Our detectors are not
  - different components with different technologies
  - some particle visible only to some part of the detector
- CNNs don't really fit the sparseness of the collision data
- Instead, we think graph networks can work better



# Pros & Cons of RNN

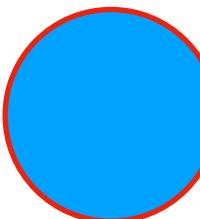
- Pros: With RNN, one doesn't need to assume anything about the underlying geometry while still reaching good performance
- Cons: a few...
  - Need to specify an ordering
  - Works ok on particles (to be reconstructed) but not easy to generalise top detector hits (the real RAW data)
  - Sequential operations in inference -> might be problematic for low-latency applications



# Graph networks

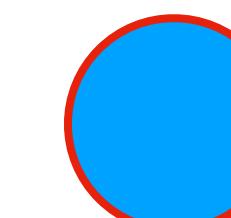
- Graphs Nets are architectures based on an abstract representation of a given dataset

$$\mathbf{v}_3 = (f_3^1, f_3^2, \dots, f_3^k)$$

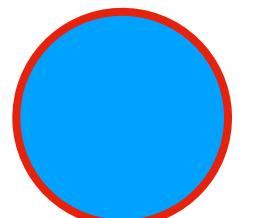


- Each example in a dataset is represented as a set of vertices

$$\mathbf{v}_1 = (f_1^1, f_1^2, \dots, f_1^k)$$

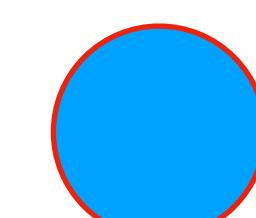


$$\mathbf{v}_4 = (f_4^1, f_4^2, \dots, f_4^k)$$

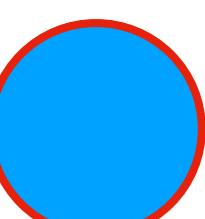


- Each vertex is embedded in the graph as a vector of features

$$\mathbf{v}_2 = (f_2^1, f_2^2, \dots, f_2^k)$$



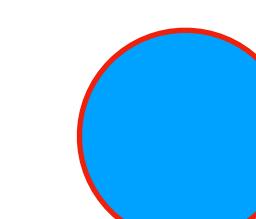
- Vertices are connected through links



- Messages are passed through links and aggregated on the vertices

$$\mathbf{v}_5 = (f_5^1, f_5^2, \dots, f_5^k)$$

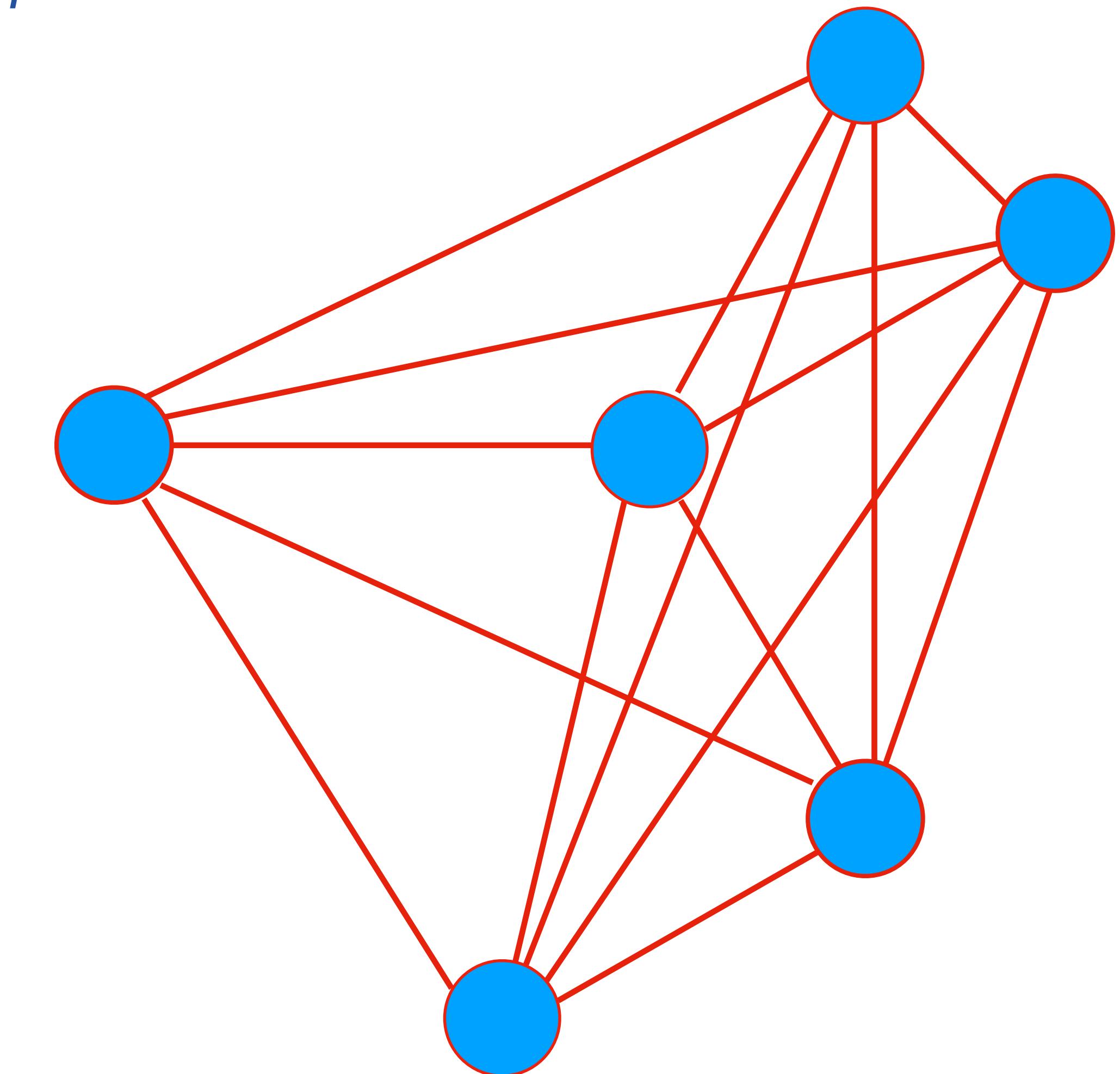
- A new representation of each node is created, based on the information gathered across the graph



$$\mathbf{v}_6 = (f_6^1, f_6^2, \dots, f_6^k)$$

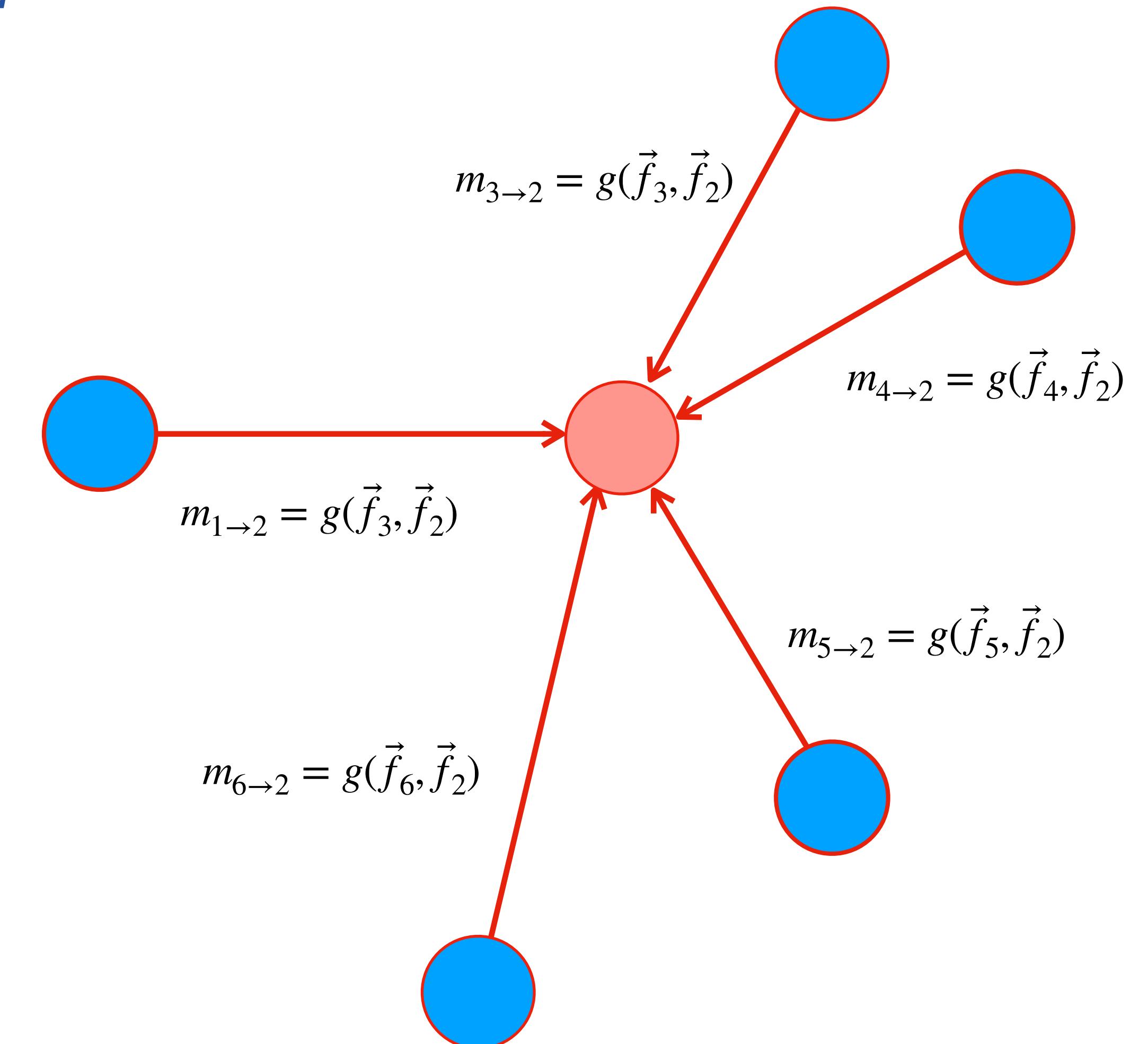
# Graph networks

- Graphs Nets are architectures based on an abstract representation of a given dataset
- Each example in a dataset is represented as a set of vertices
- Each vertex is embedded in the graph as a vector of features
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# Graph networks

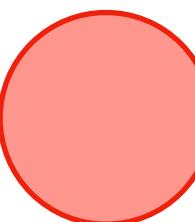
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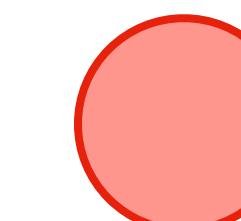
# Graph networks

- Graphs Nets are architectures based on an abstract representation of a given dataset
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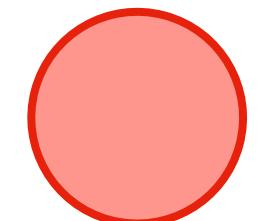
$$\mathbf{v}'_3 = \vec{f}'_3(m_{1 \rightarrow 3}, \dots, m_{6 \rightarrow 3})$$



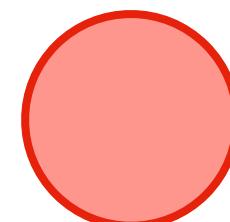
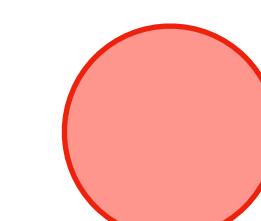
$$\mathbf{v}'_1 = \vec{f}'_1(m_{2 \rightarrow 1}, \dots, m_{6 \rightarrow 1})$$



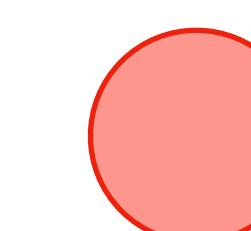
$$\mathbf{v}'_4 = \vec{f}'_4(m_{1 \rightarrow 4}, \dots, m_{6 \rightarrow 4})$$



$$\mathbf{v}'_2 = \vec{f}'_2(m_{1 \rightarrow 2}, \dots, m_{6 \rightarrow 2})$$



$$\mathbf{v}'_5 = \vec{f}'_5(m_{1 \rightarrow 5}, \dots, m_{6 \rightarrow 5})$$

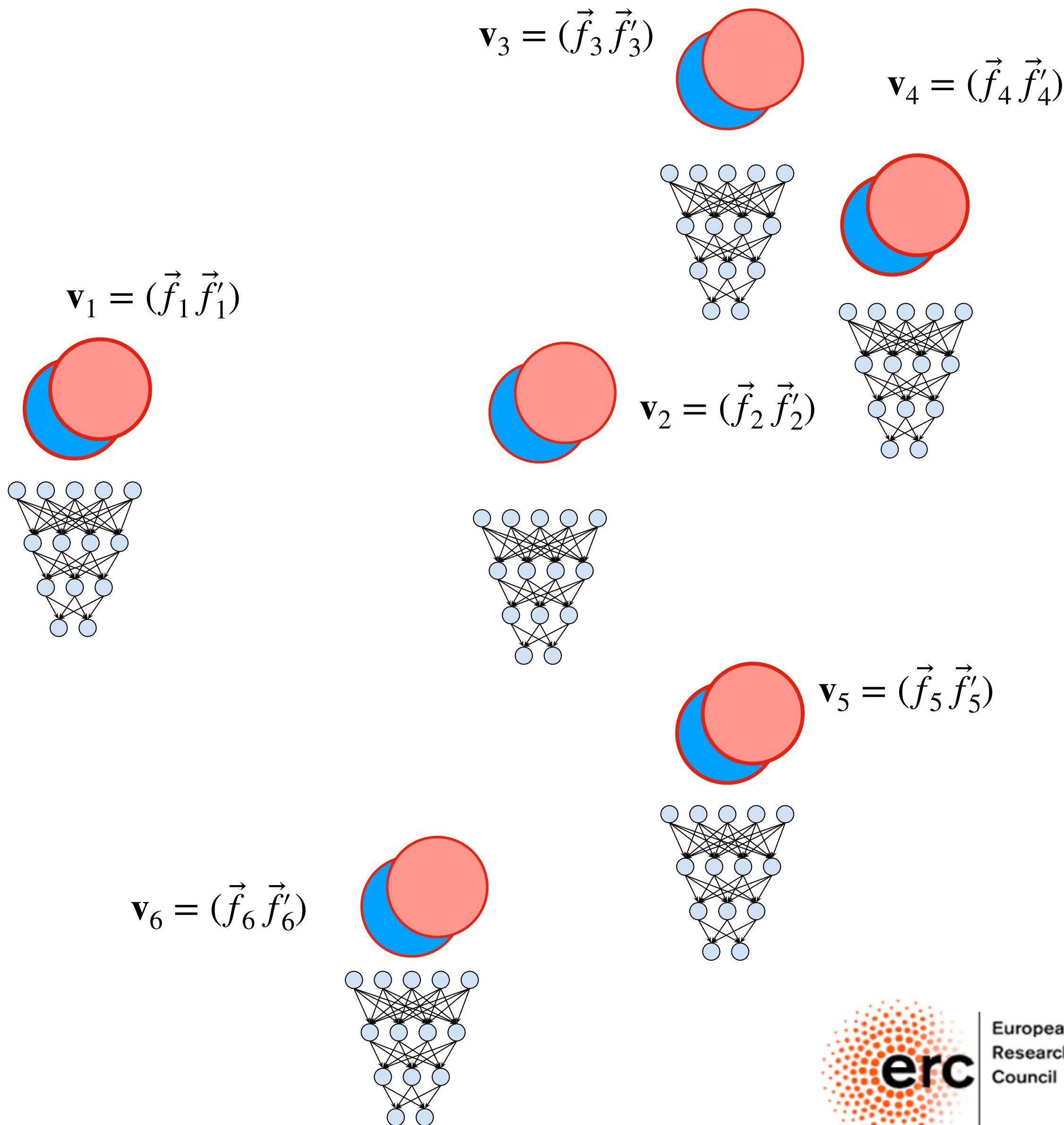


$$\mathbf{v}'_6 = \vec{f}'_6(m_{1 \rightarrow 6}, \dots, m_{5 \rightarrow 6})$$

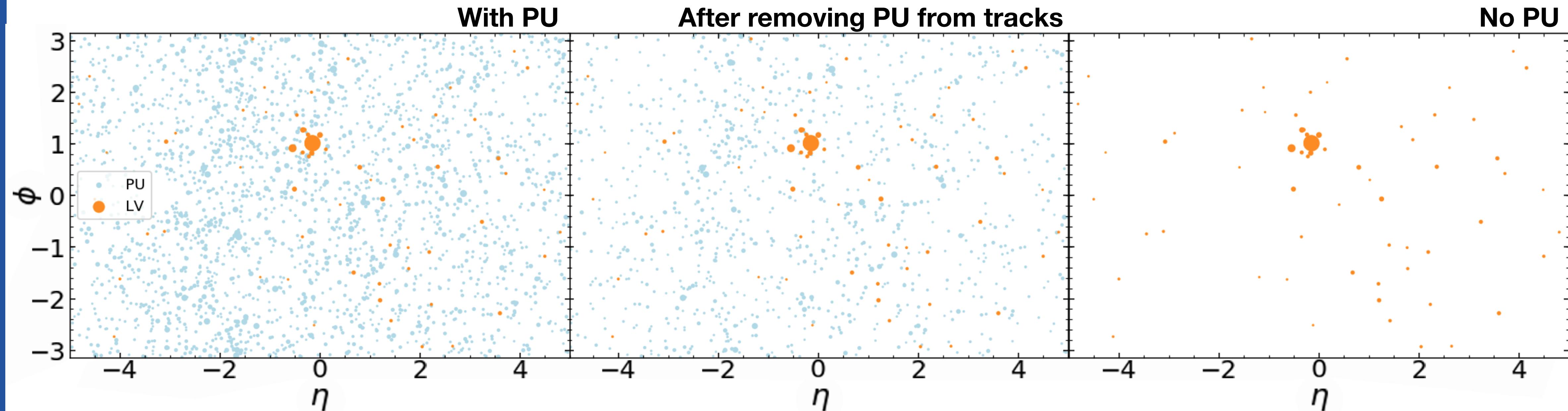
<https://arxiv.org/pdf/1704.01212.pdf>

# The inference step

- *The inference step usually happens on each vertex*
- *But, depending on the problem, it might happen across the graph*
- *Usually, this is done with a DNN taking*
  - *the initial features  $f_i$*
  - *the learned representation  $f_i'$*
  - *[optional] some ground-truth label (for classifiers)*



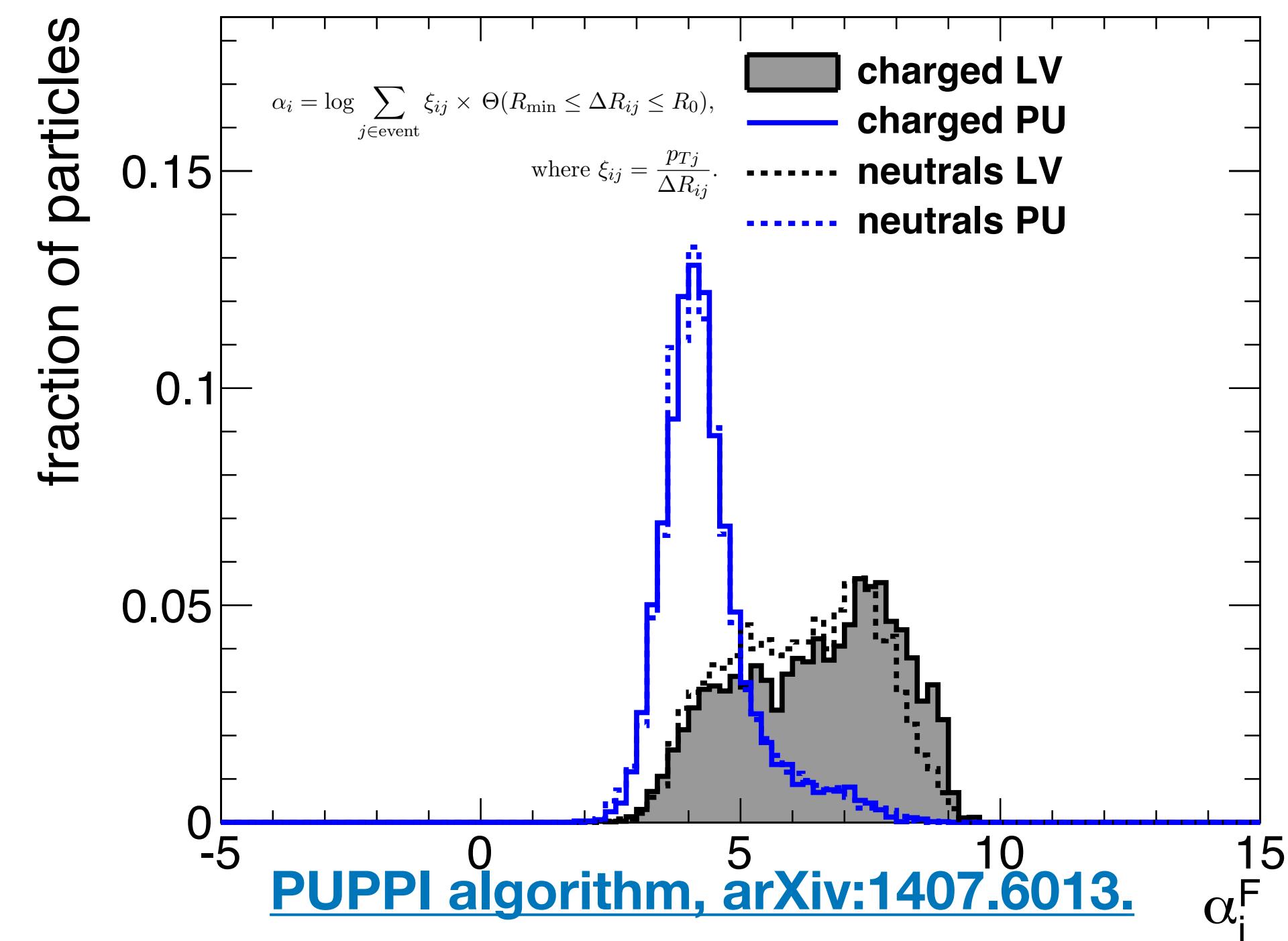
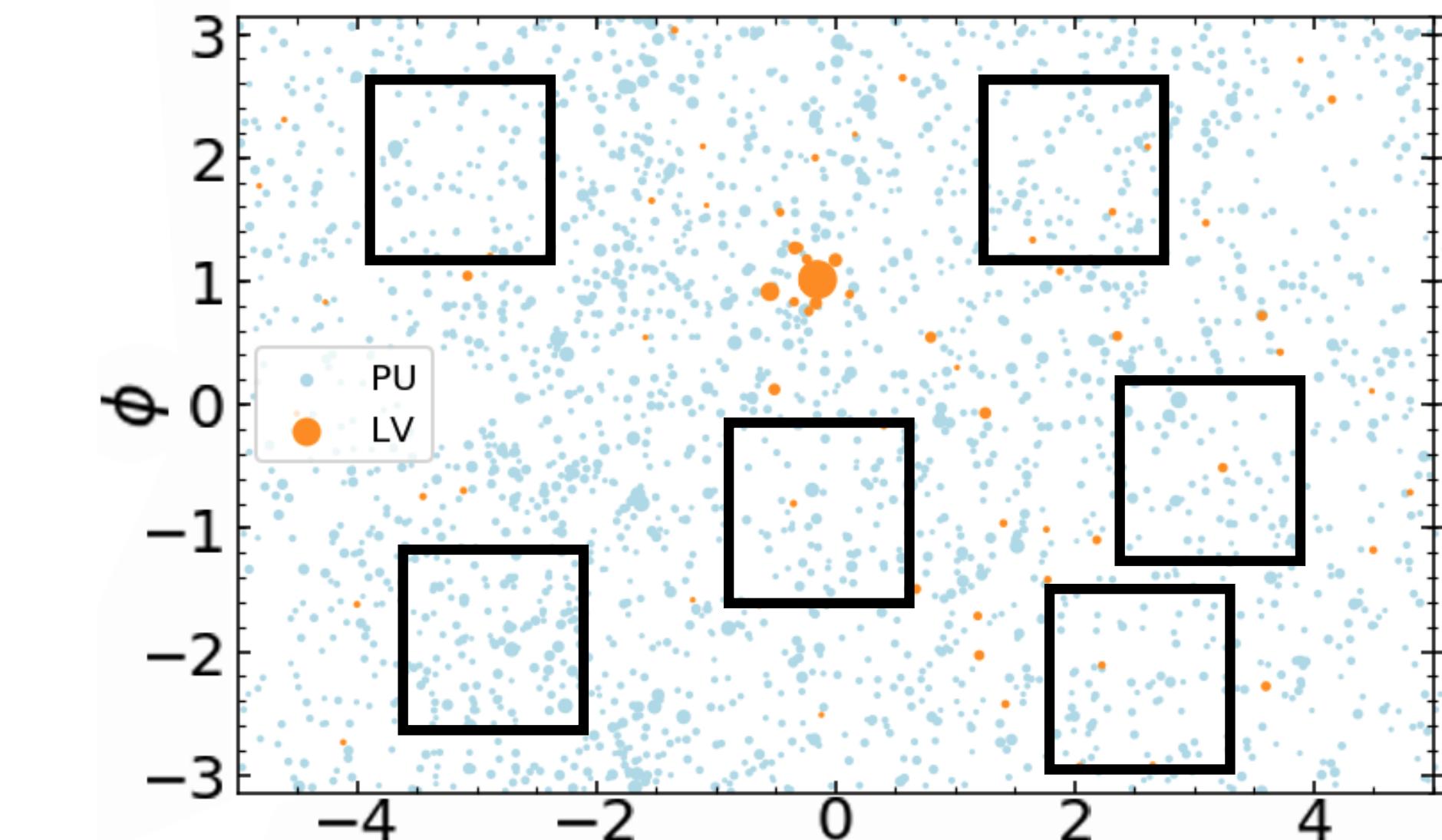
# Applications: pileup removal



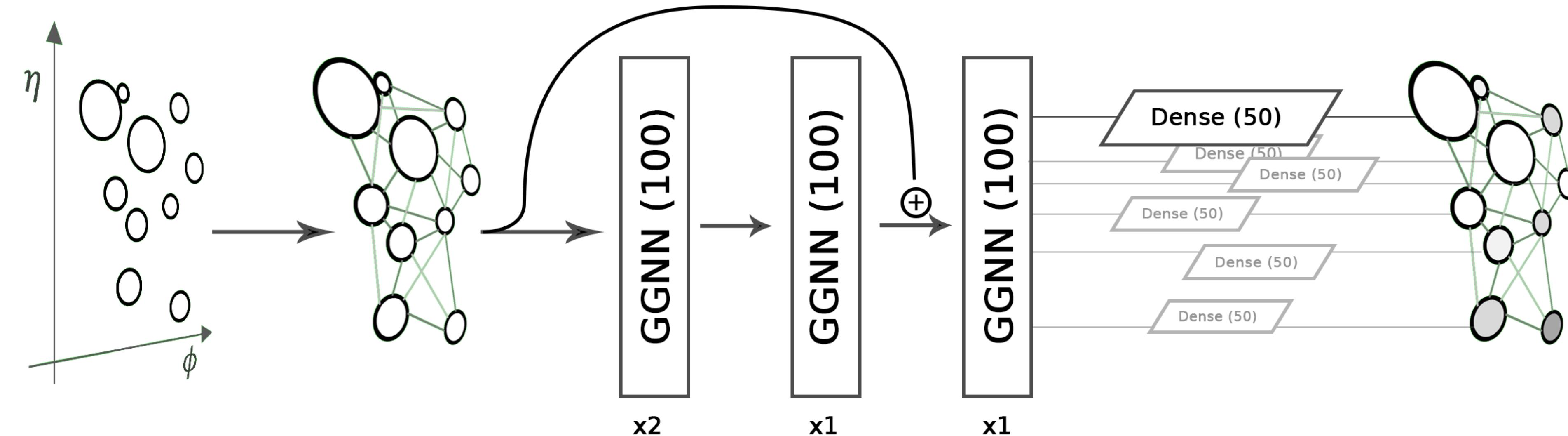
- Pileup particles tend to spread across the full detector
- Pileup introduces noise to any reconstruction algorithm, so we want to remove it
- Easy for charged particles, since we can be tracked back to the vertex
- What about the neutrals?

# Applications: pileup removal

- Interesting event will produce localised clusters of particles
- This difference is normally exploited to remove pileup
  - by computing the average energy density and subtracting it
  - by computing high-level features to select on



# Graph Networks for PU removal



- Use Gated Graph Neural Network (GGNN), a special kind of message-passing architecture
- Start from a set of particles, each represented as a set of features  $h$
- Build the graph
- Use the GRU sequential processing to “pass” the message and evolve it, depending on the next inputs

# Building the graph

- Start with one particle (the red one)

- Connect it to the closest ones ( $R < R_0$ ) with one kind of link

- Connect it to the next-to-closest ones with a different kind of link

- ...

- Each link comes with a message

gathered  
information

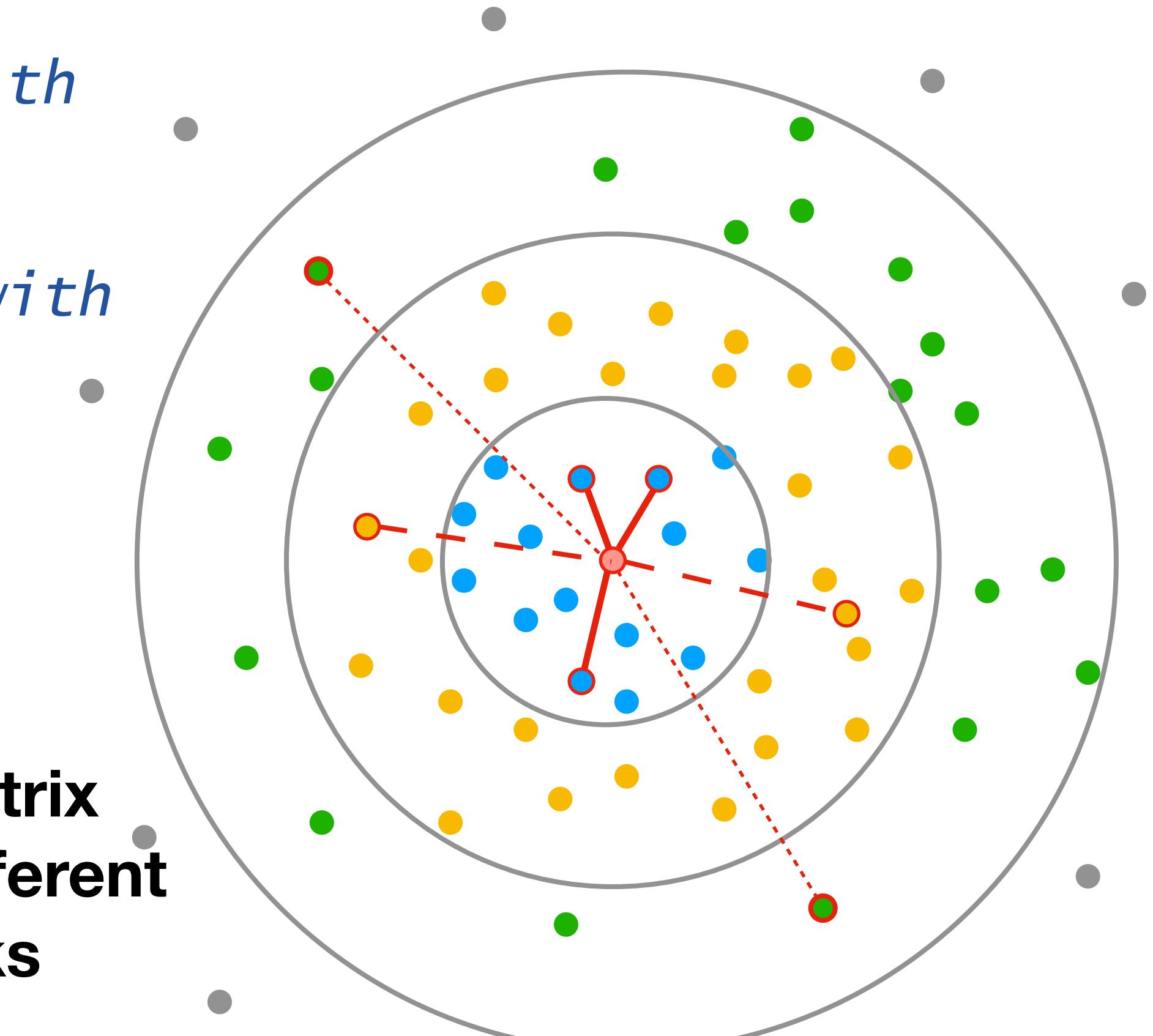
$$m_j = \frac{1}{N} \sum_i^N m_{v_i, v_j}$$

Learnable matrix  
(different for different  
kinds of links)

14

*j*

*i*

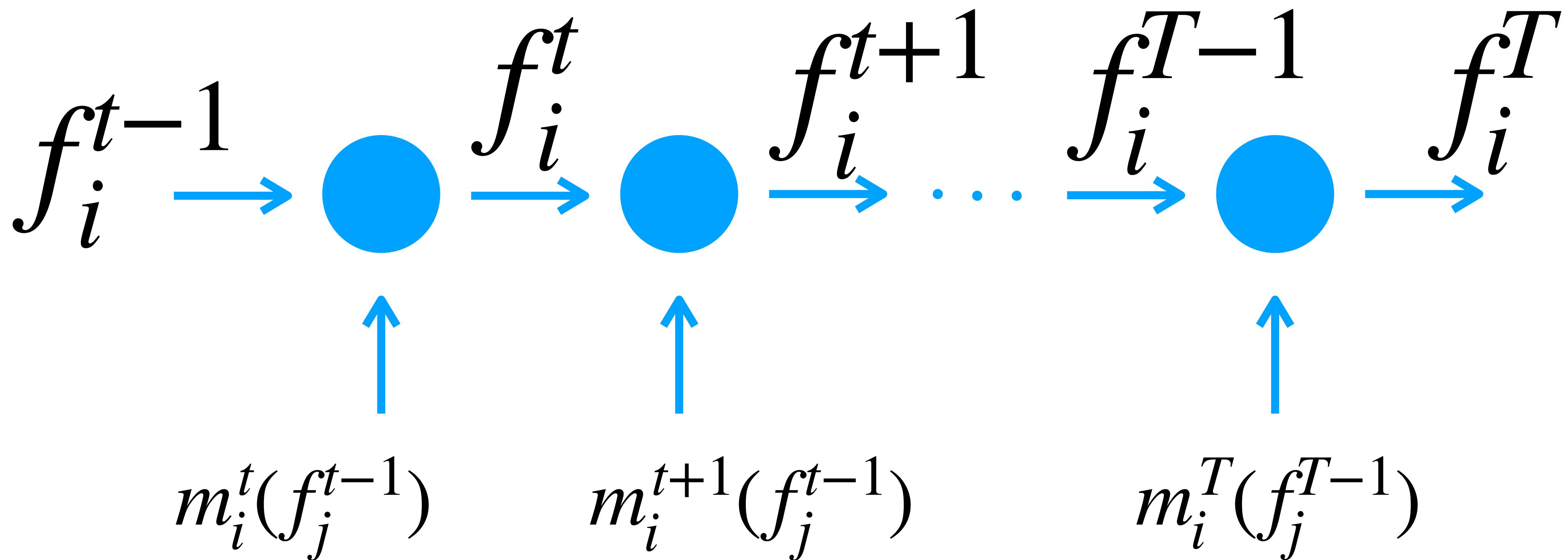


features of  
the j-th vertex

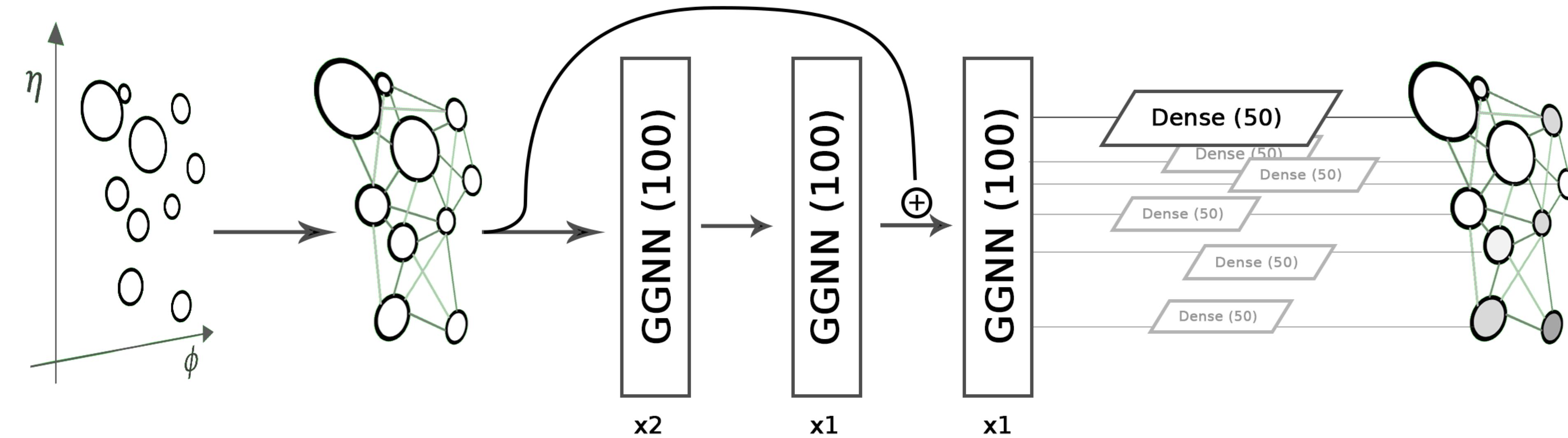


# multiple message passing

- The procedure is repeated  $T$  times (back and forth) using a GRU with  $n$  steps



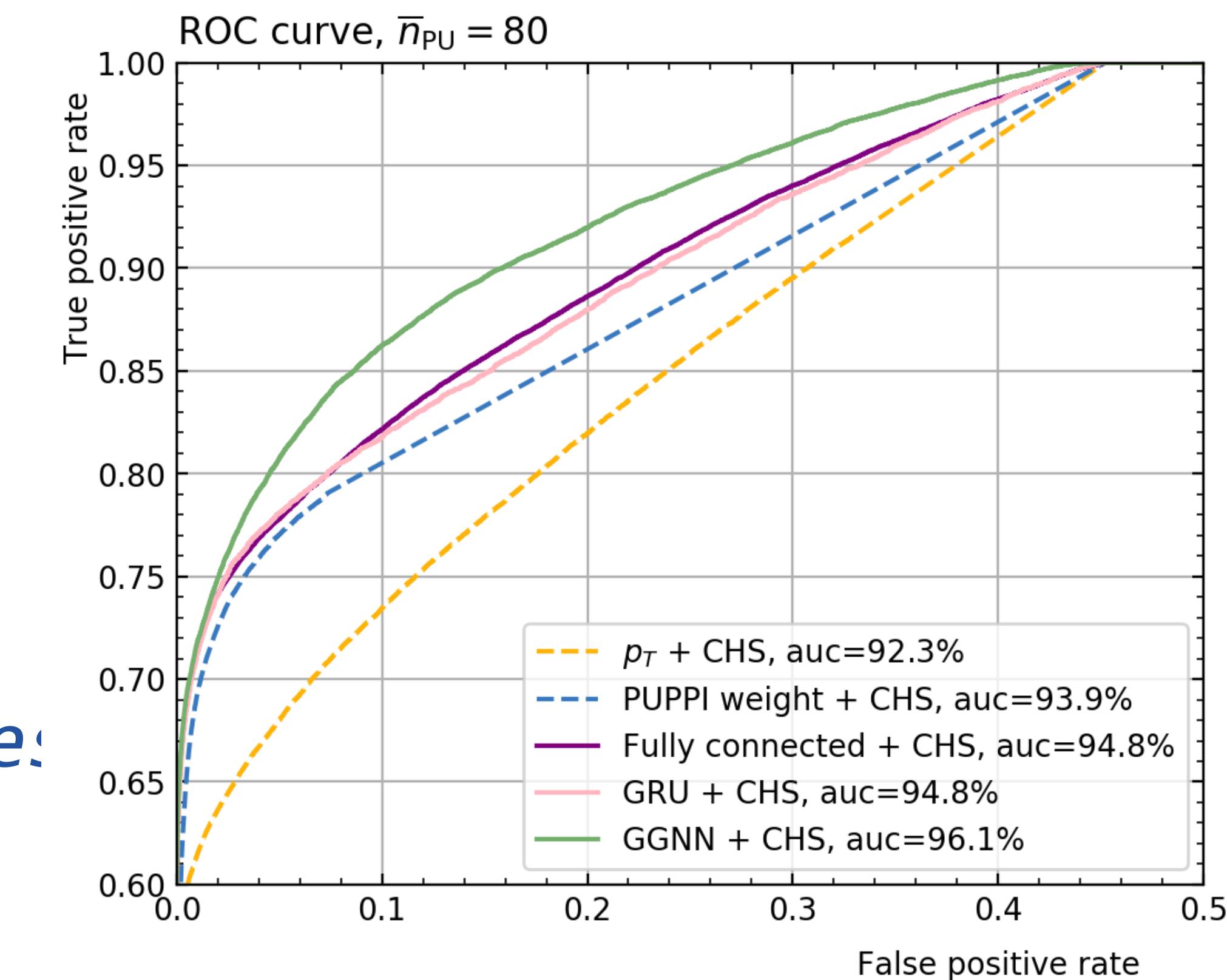
# Done 3 times (for 3 GRU layers)



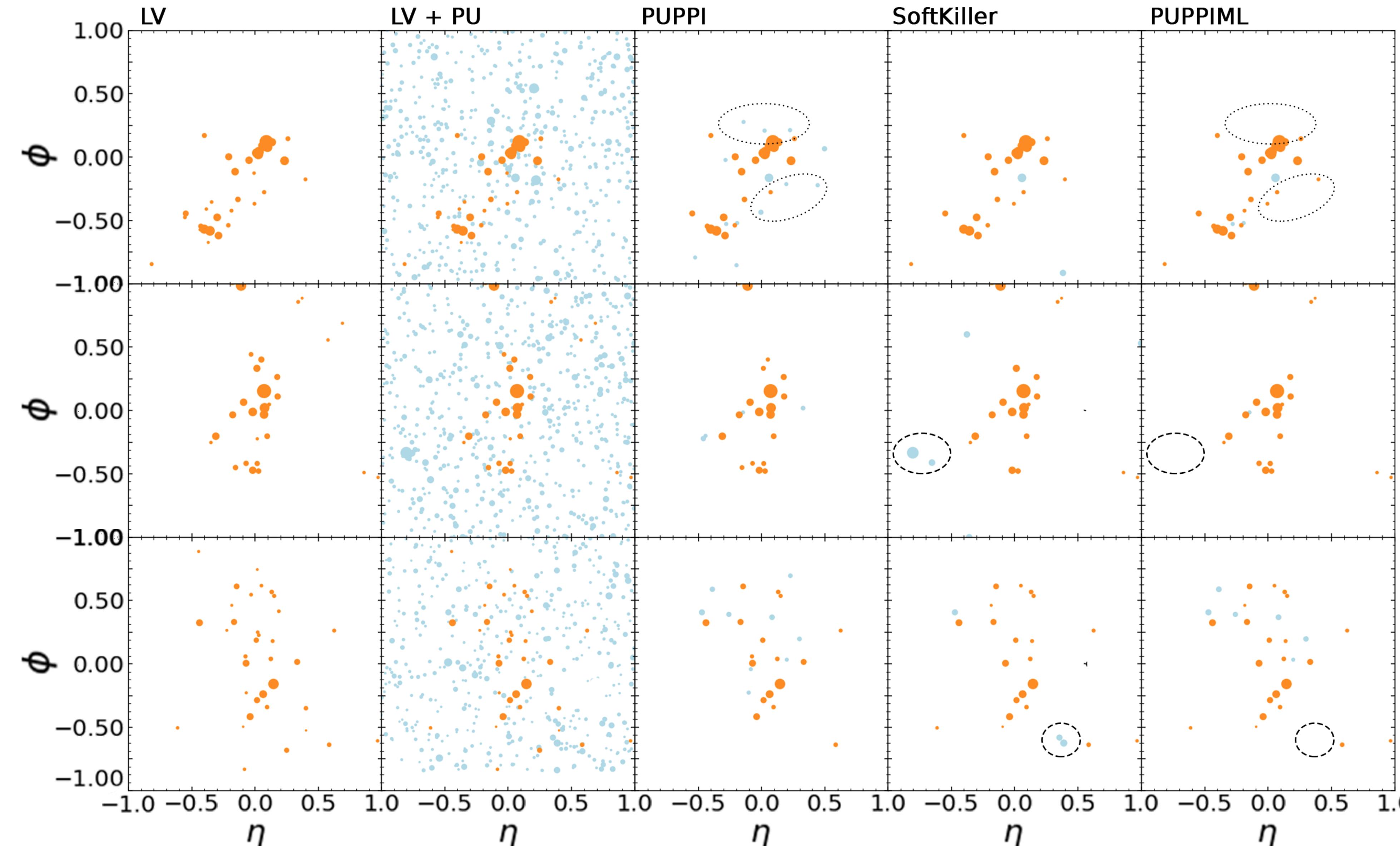
- The representation created by each layer is passed to the next
- A ResNet-like skip connection is implemented (input  $\rightarrow$  last layer)
- The per-particle outcome set of features (function of the features of the connected particles) is used to train a dense classifier: PU vs interesting particle?

- *Improve state-of-the-art algorithms substantially*
- *Little dependence of algorithm tuning on pileup conditions*
- *Small/No performance loss with average number of PU collisions*
- *Outperforms alternative particle-based architectures (DNNN, simple GRU)*

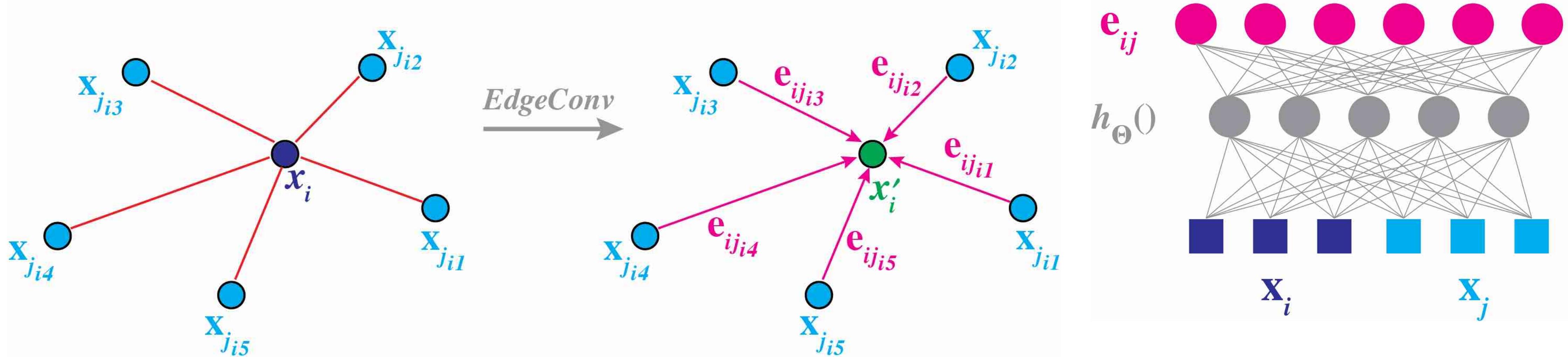
$\bar{n}_{\text{PU}}$	20 (CHS)	80 (CHS)	140 (CHS)	80 (No CHS)
$p_T$	92.3%	92.3%	92.5%	64.9%
PUPPI weight	94.1%	93.9%	94.4%	65.1%
Fully-connected	95.0%	94.8%	94.8%	68.5%
GRU	94.8%	94.8%	94.7%	68.8%
GGNN	96.1%	96.1%	96.0%	70.1%



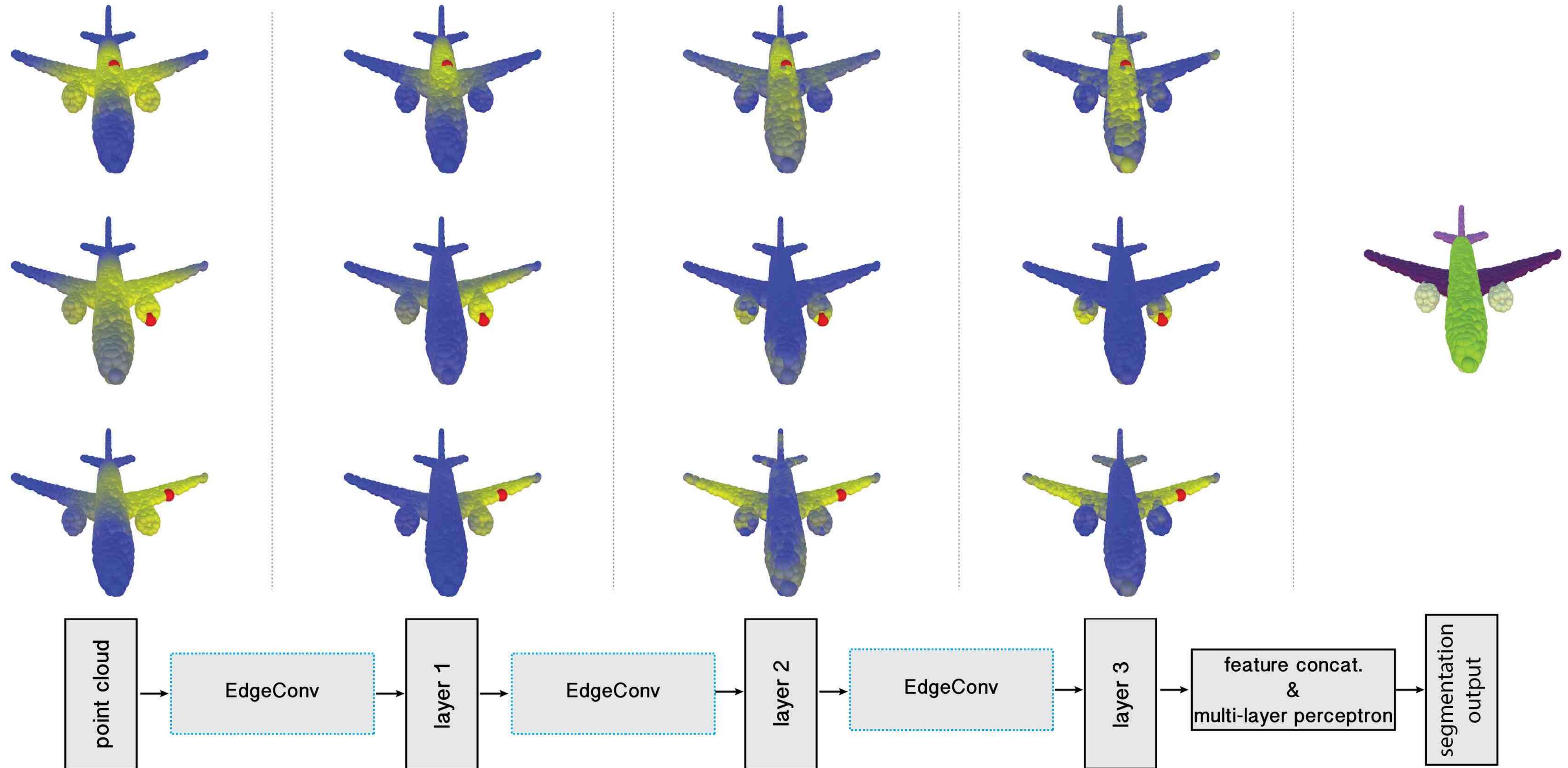
<https://arxiv.org/pdf/1810.07988.pdf>



- The EdgeConv is a generalization of the ConvNN to an irregular set of vertices (the equivalent of the image pixels)
- It starts from a graph connecting each point to its  $k$  nearest neighbours
- A trainable DNN is used to learn the optimal message function

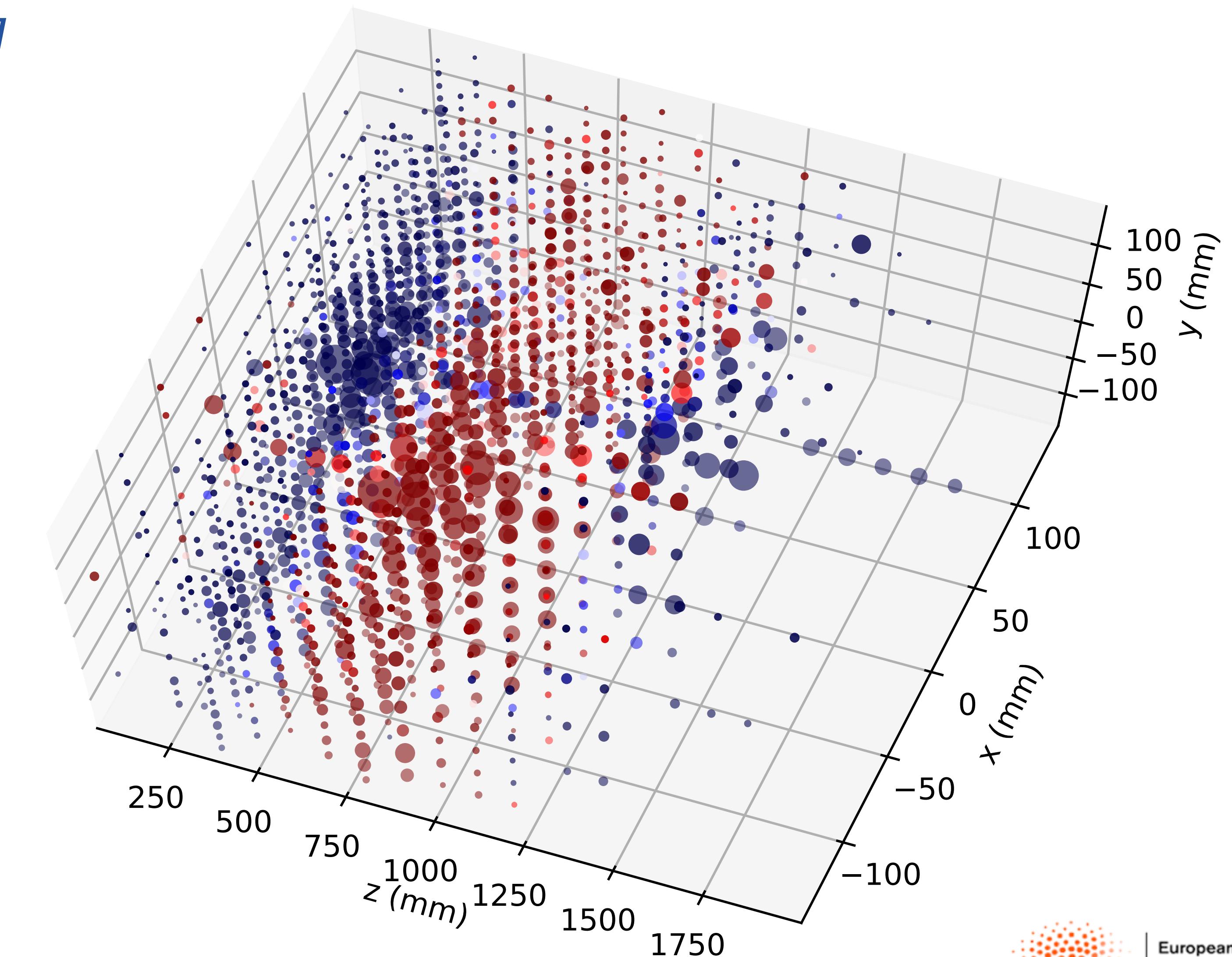


# EdgeConv



# EdgeConv for Particle Physics

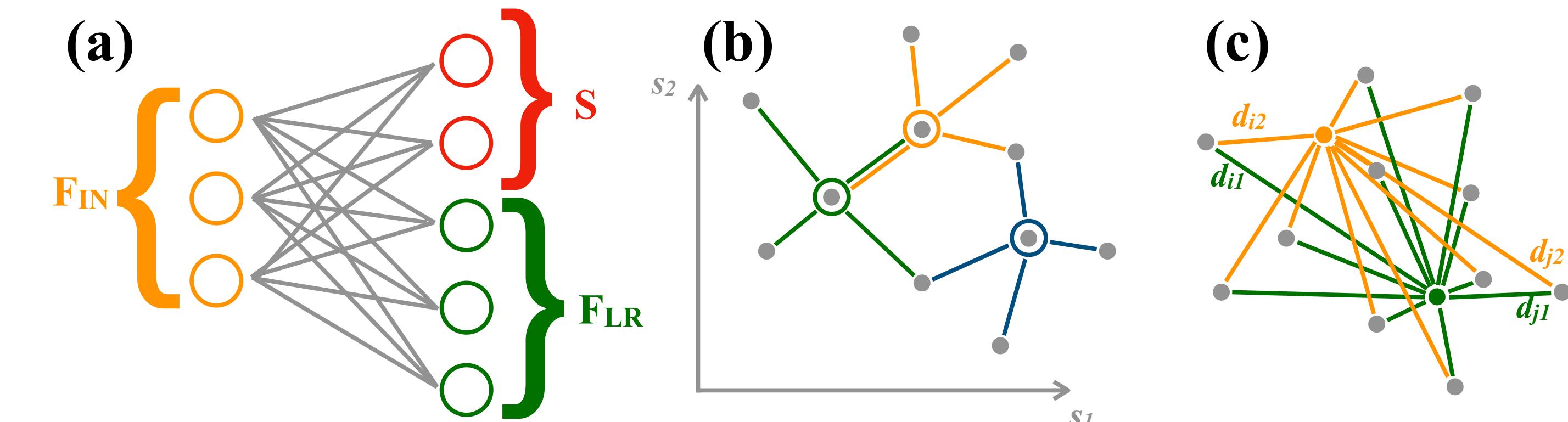
- This architecture fits well our raw data: a collection of hits
  - each hit represented as coordinates + energy
- EdgeConv used to learn representation
- Pros: no assumption on the underlying geometry
- Cons: large memory consumption (large number of connections)



# Reducing memory consumption

- Introduce step to learn an optimized spatial distribution

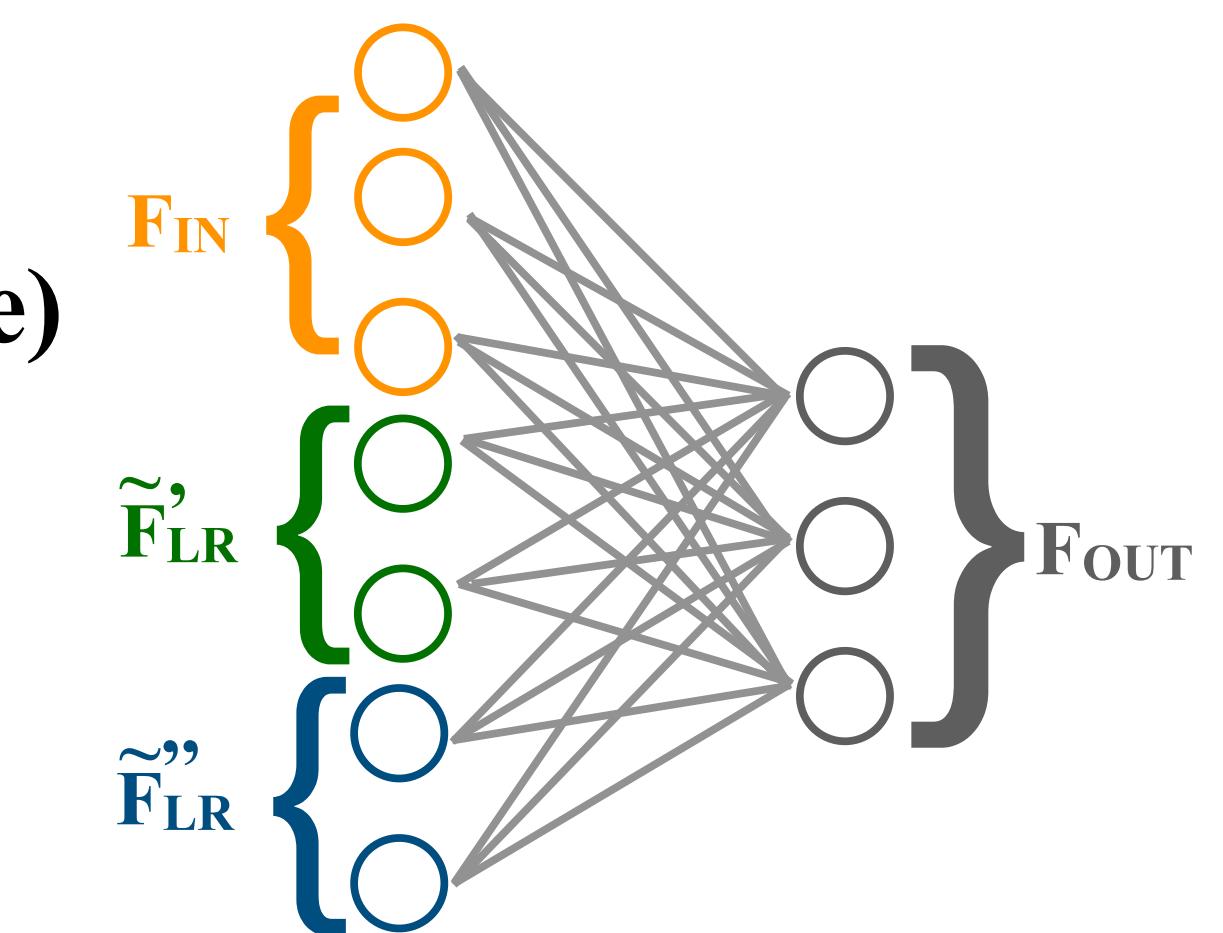
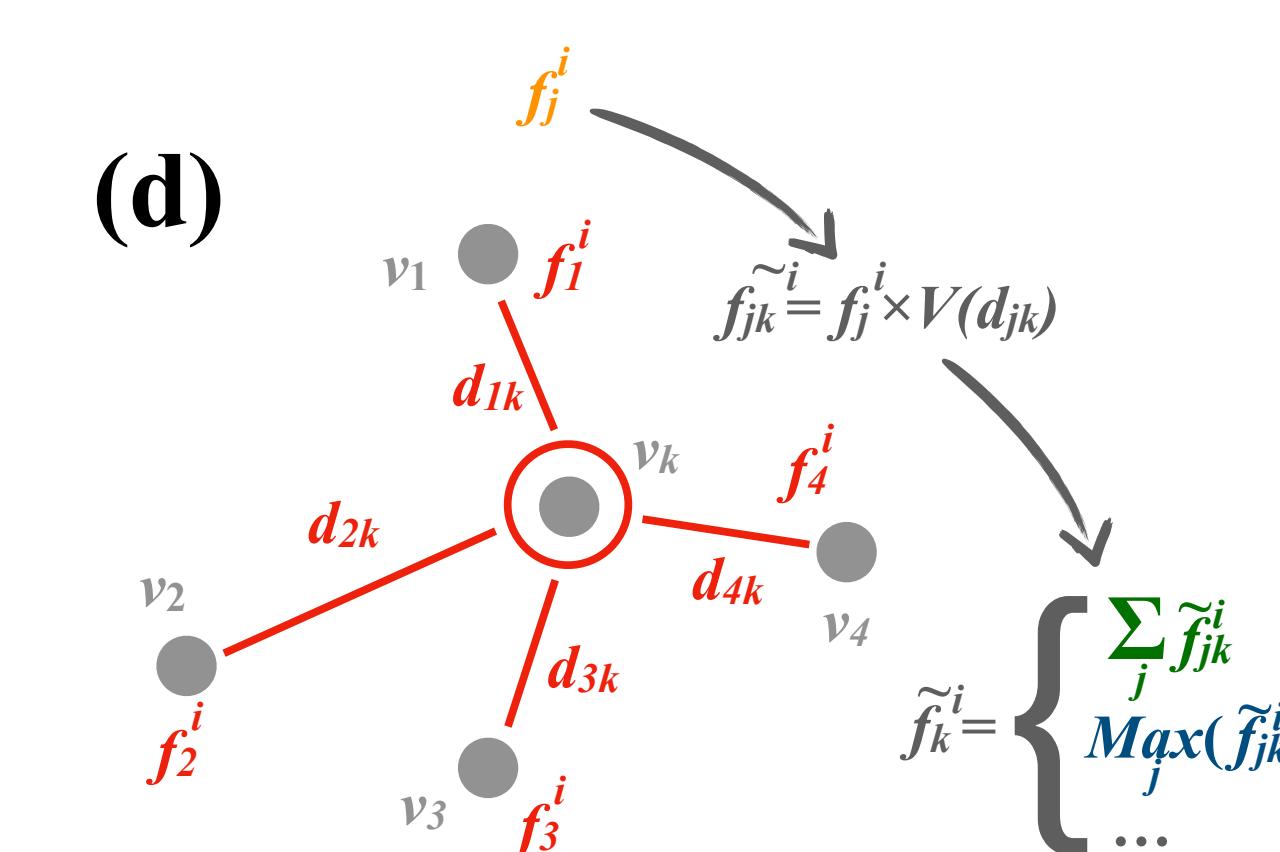
- as coordinates of a new space (b)
- as distances from a fixed number of aggregators (c)



- Use customised architectures to keep resources under control

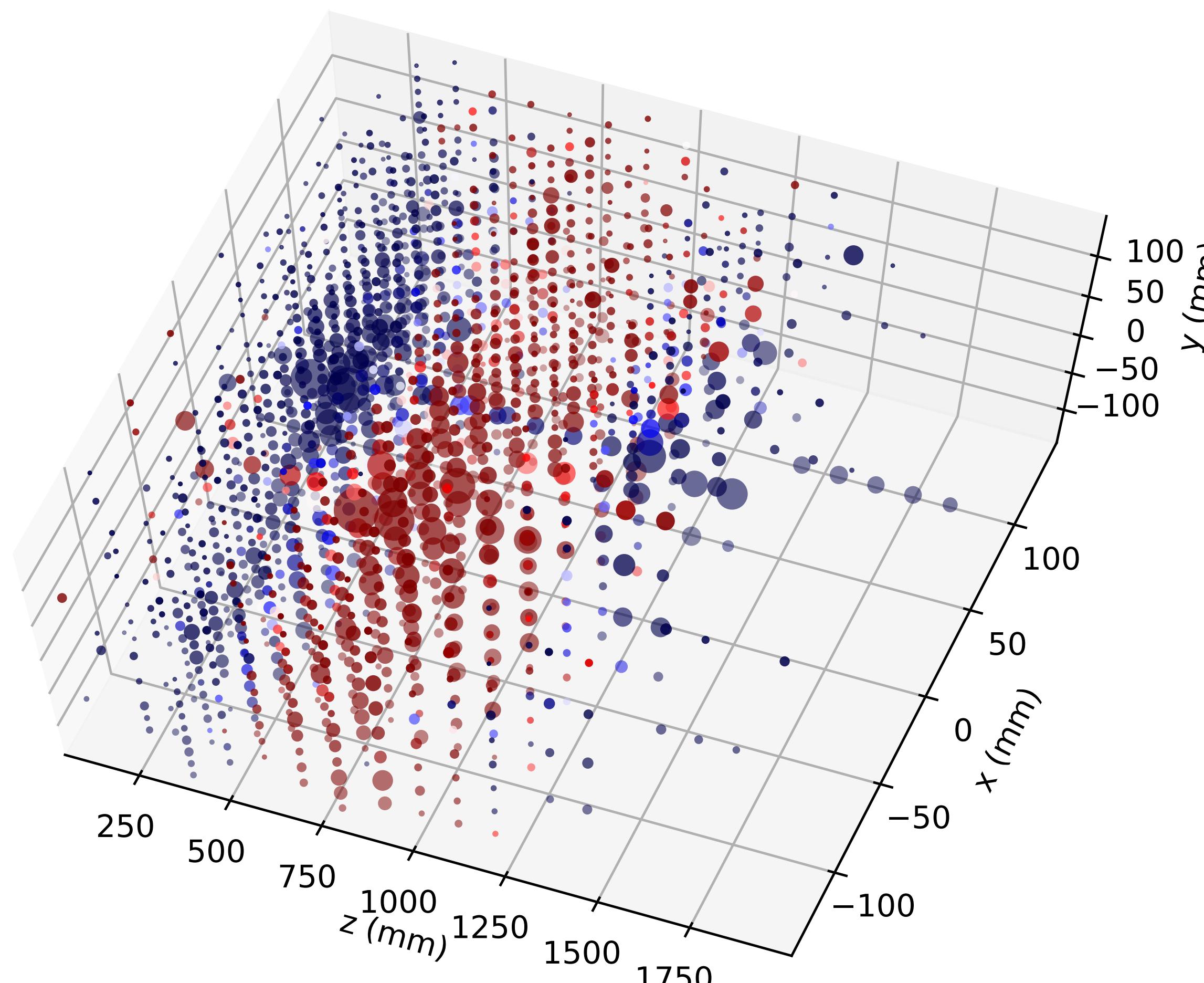
- Gravnet: weight connection by potential of euclidean distance

- Garnet: keep number of connections small through small number of aggregators

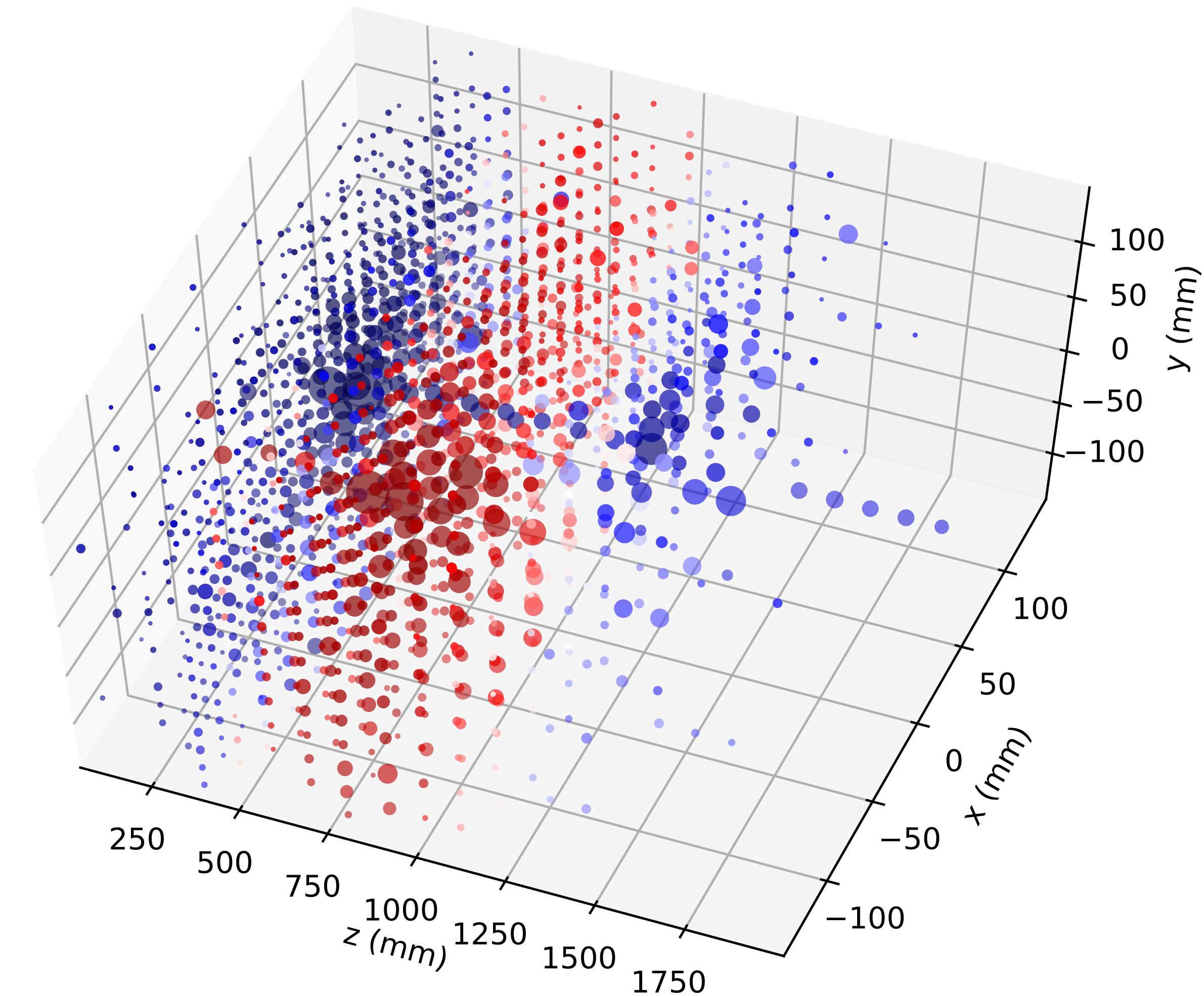


<https://arxiv.org/abs/1902.07987>

# Separating overlapping showers



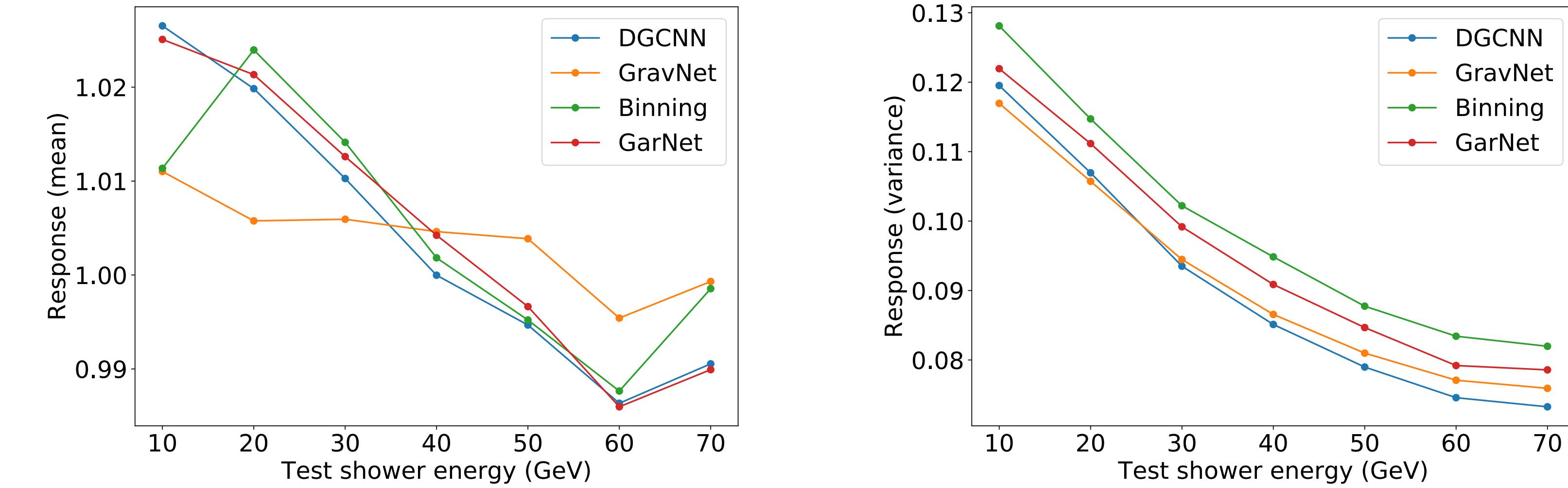
(a) Truth



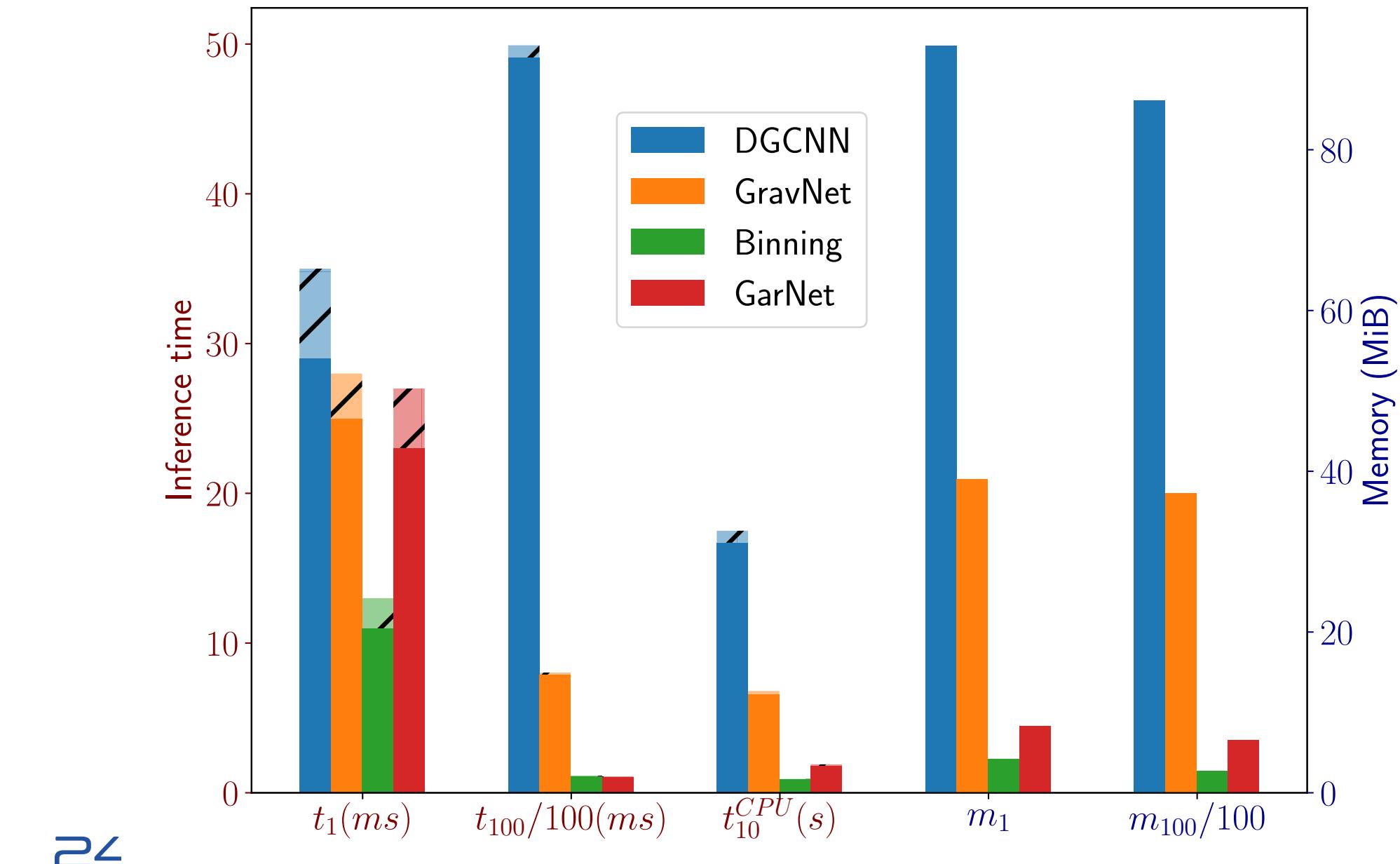
(b) Reconstructed

# GraphNets for Calorimetry

- Good performance achieved, comparable to more traditional approaches



- Using a potential ( $V(d)$ ) to weight up the near neighbours allows to keep memory footprint under control (with respect to other graph approaches)





# Interaction Networks

Interaction Networks  
for Learning about Objects, Relations and Physics

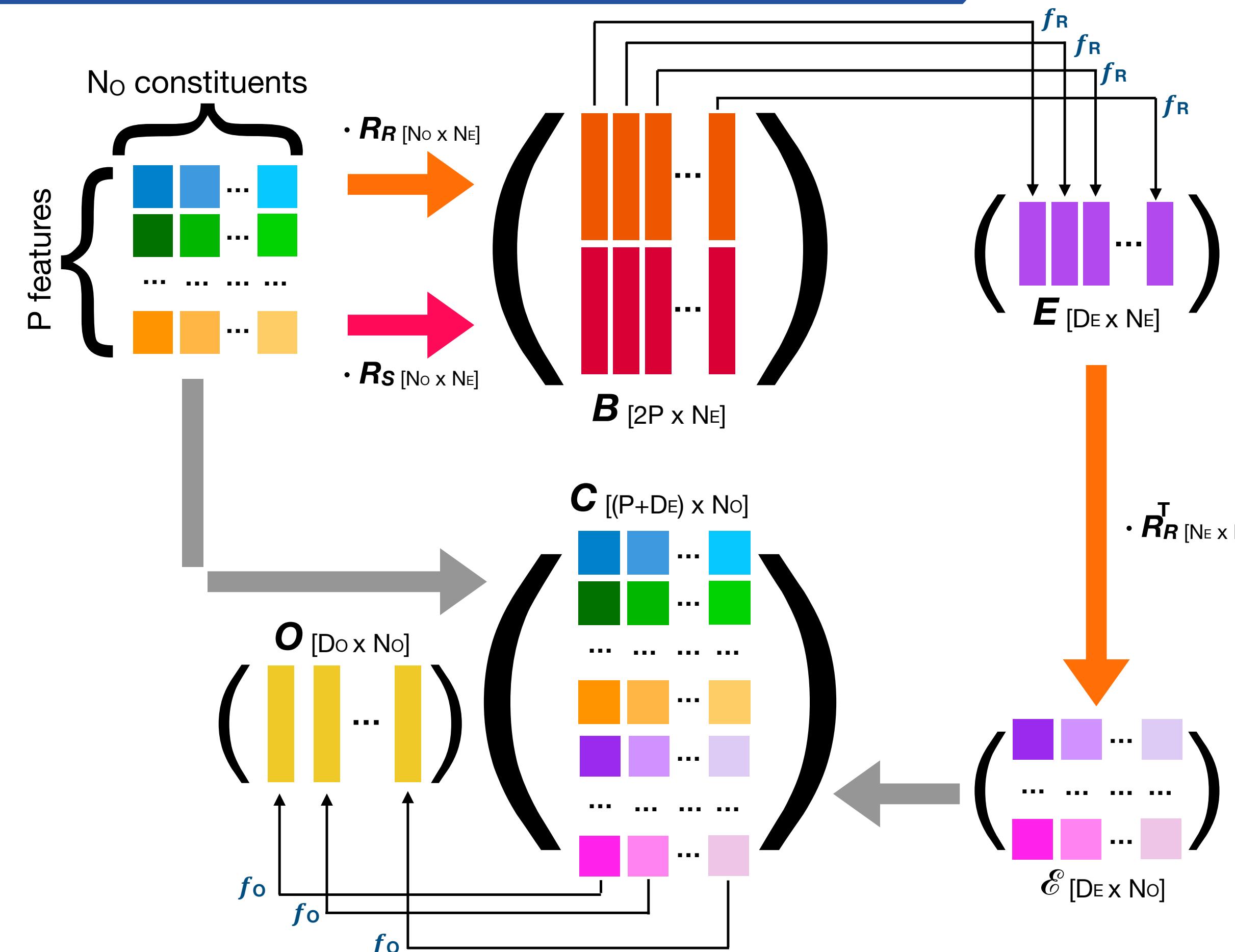
Peter Battaglia, Razvan Pascanu  
Matthew Lai, Danilo Rezende, Koray Kavukcuoglu

DeepMind

<https://arxiv.org/abs/1612.00222>

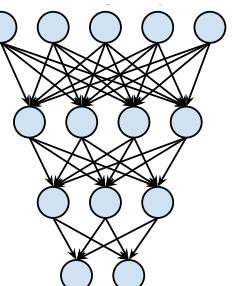
# Interaction Networks

- INs process a list of  $No \times P$  inputs in pairs, through Receiving and Sending matrices



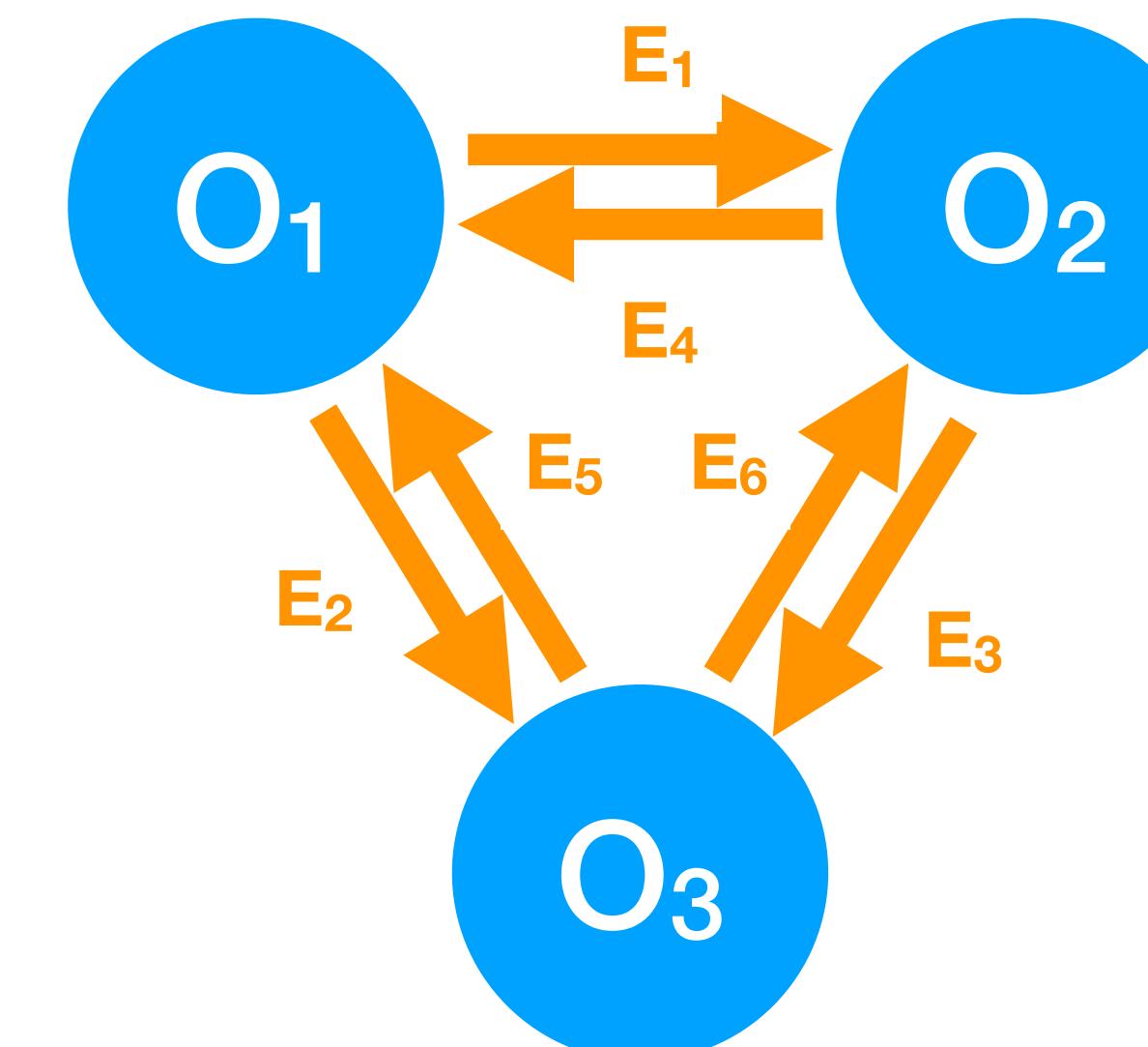
- No: # of constituents
- P: # of features
- $N_E = No(No-1)$ : # of edges
- $D_E$ : size of internal representations
- $D_o$ : size of post-interaction internal representation

$\phi_C, f_O, f_R$   
parameterized as  
neural networks



# Interaction Networks

- INs process a list of  $No \times P$  inputs in pairs, through Receiving and Sending matrices
- The effect of the interaction is learned by fR and combined with the input to learn (through fo) a post-interaction representation

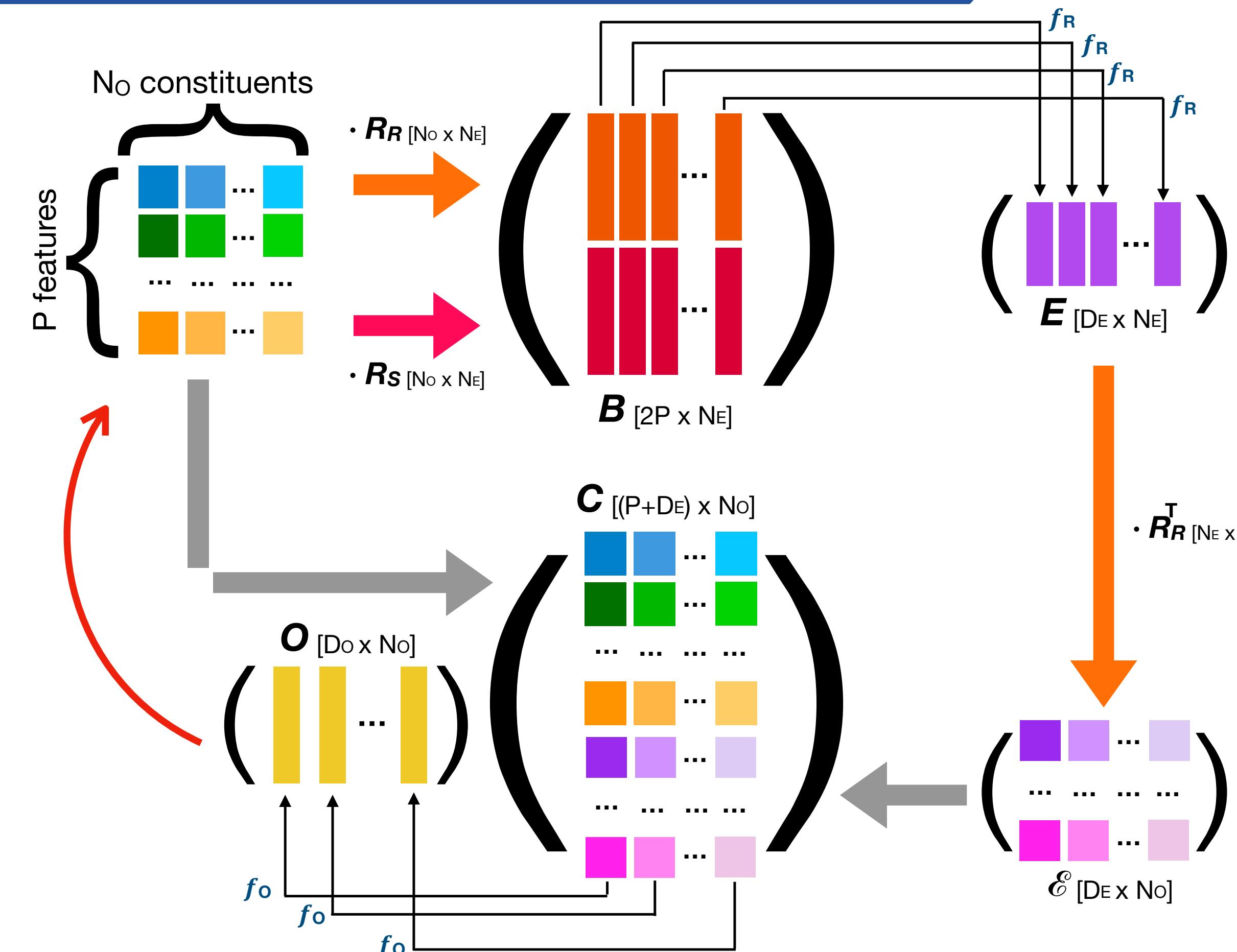


$$R_R = \begin{matrix} & E_1 & E_2 & E_3 & E_4 & E_5 & E_6 \\ O_1 & 0 & 0 & 0 & 1 & 1 & 0 \\ O_2 & 1 & 0 & 0 & 0 & 0 & 1 \\ O_3 & 0 & 1 & 1 & 0 & 0 & 0 \end{matrix}$$

$$R_S = \begin{matrix} & E_1 & E_2 & E_3 & E_4 & E_5 & E_6 \\ O_1 & 1 & 1 & 0 & 0 & 0 & 0 \\ O_2 & 0 & 0 & 1 & 1 & 0 & 0 \\ O_3 & 0 & 0 & 0 & 0 & 1 & 1 \end{matrix}.$$

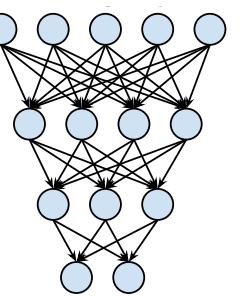
# Interaction Networks

- INs process a list of  $No \times P$  inputs in pairs, through Receiving and Sending matrices
- The effect of the interaction is learned by  $f_R$  and combined with the input to learn (through  $f_O$ ) a post-interaction representation
- The procedure can then be *iterated* to produce further steps in the interactions



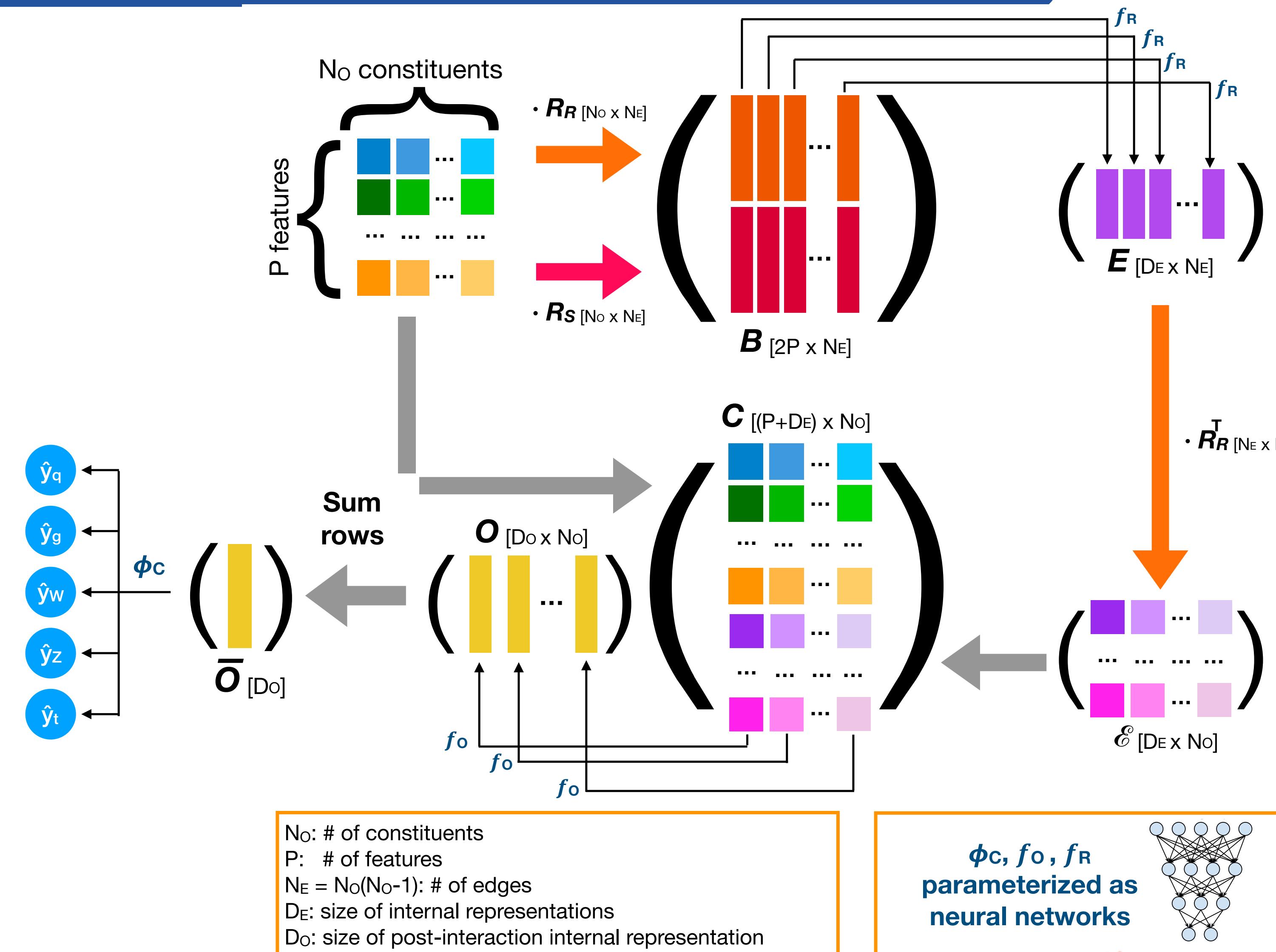
No: # of constituents  
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 $Ne = No(No-1)$ : # of edges  
 $De$ : size of internal representations  
 $Do$ : size of post-interaction internal representation

$\phi_C, f_O, f_R$   
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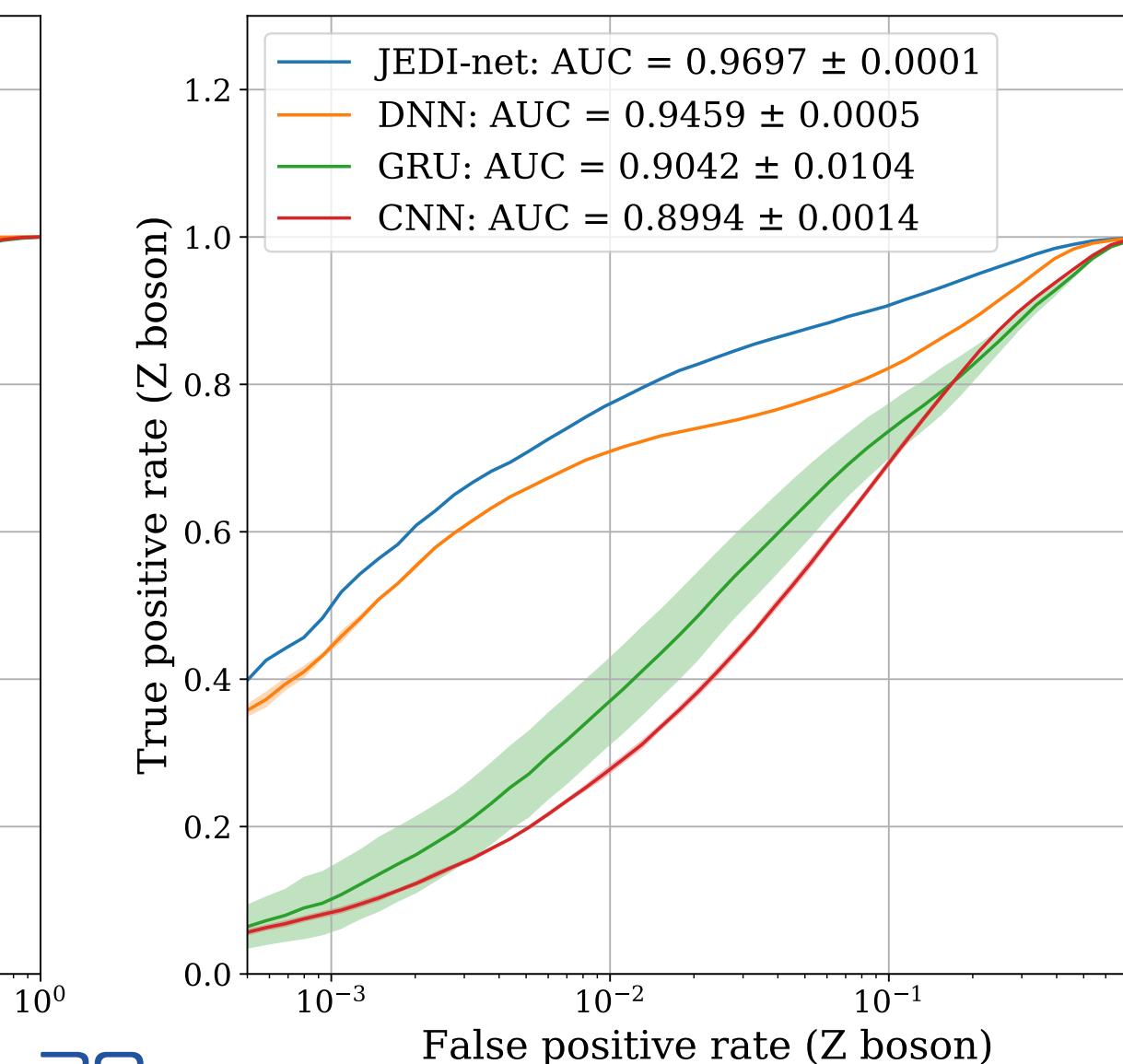
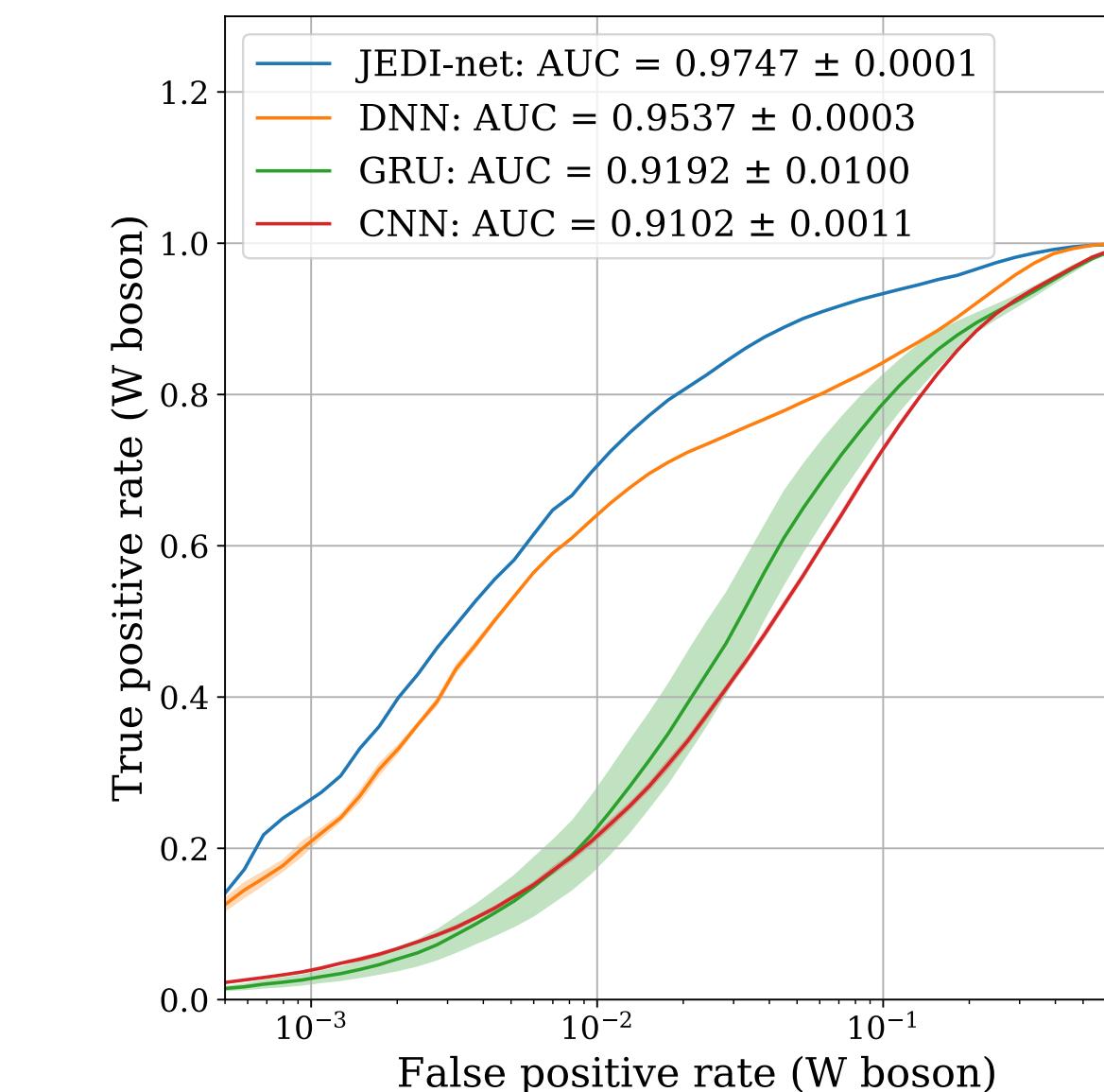
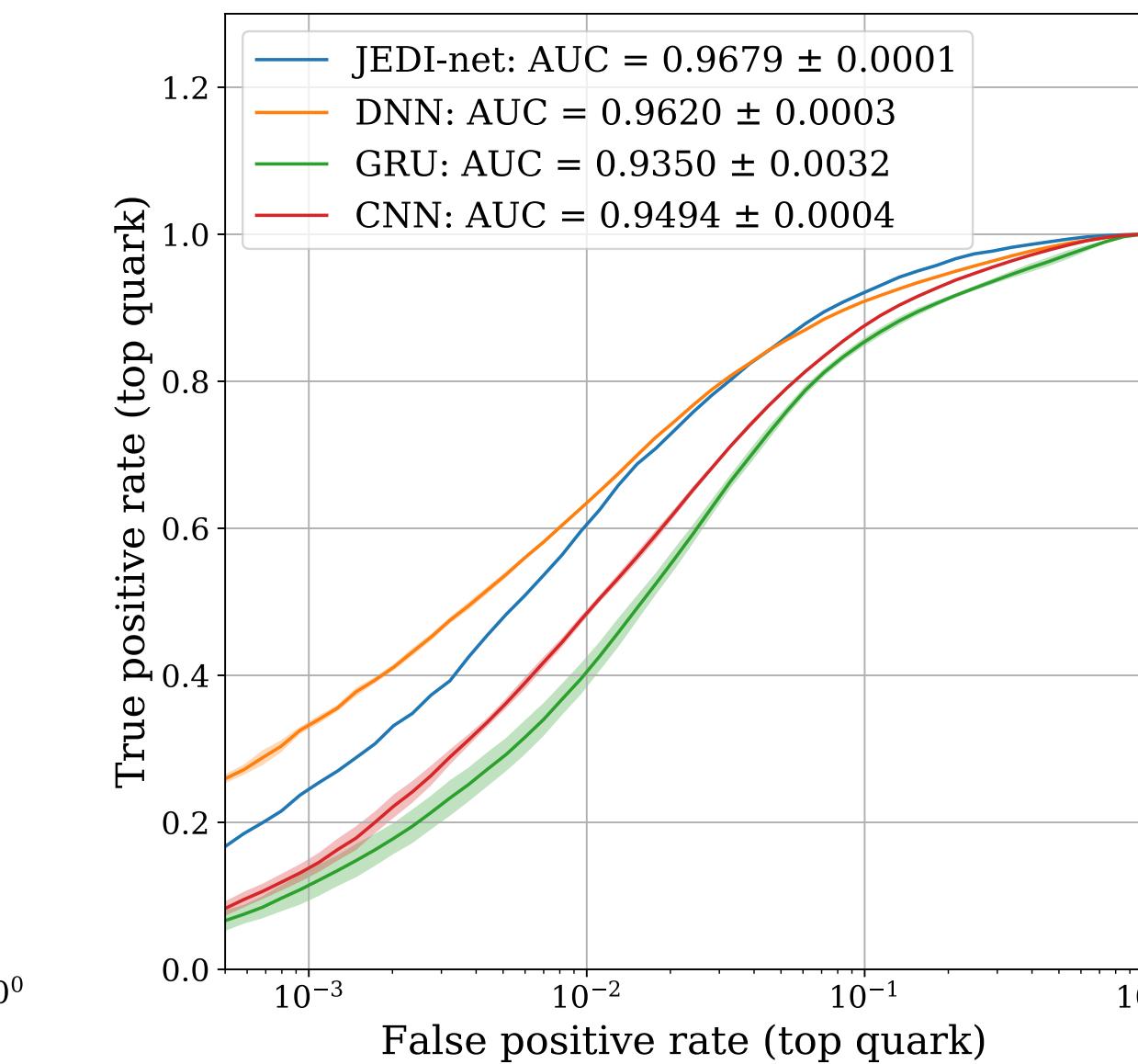
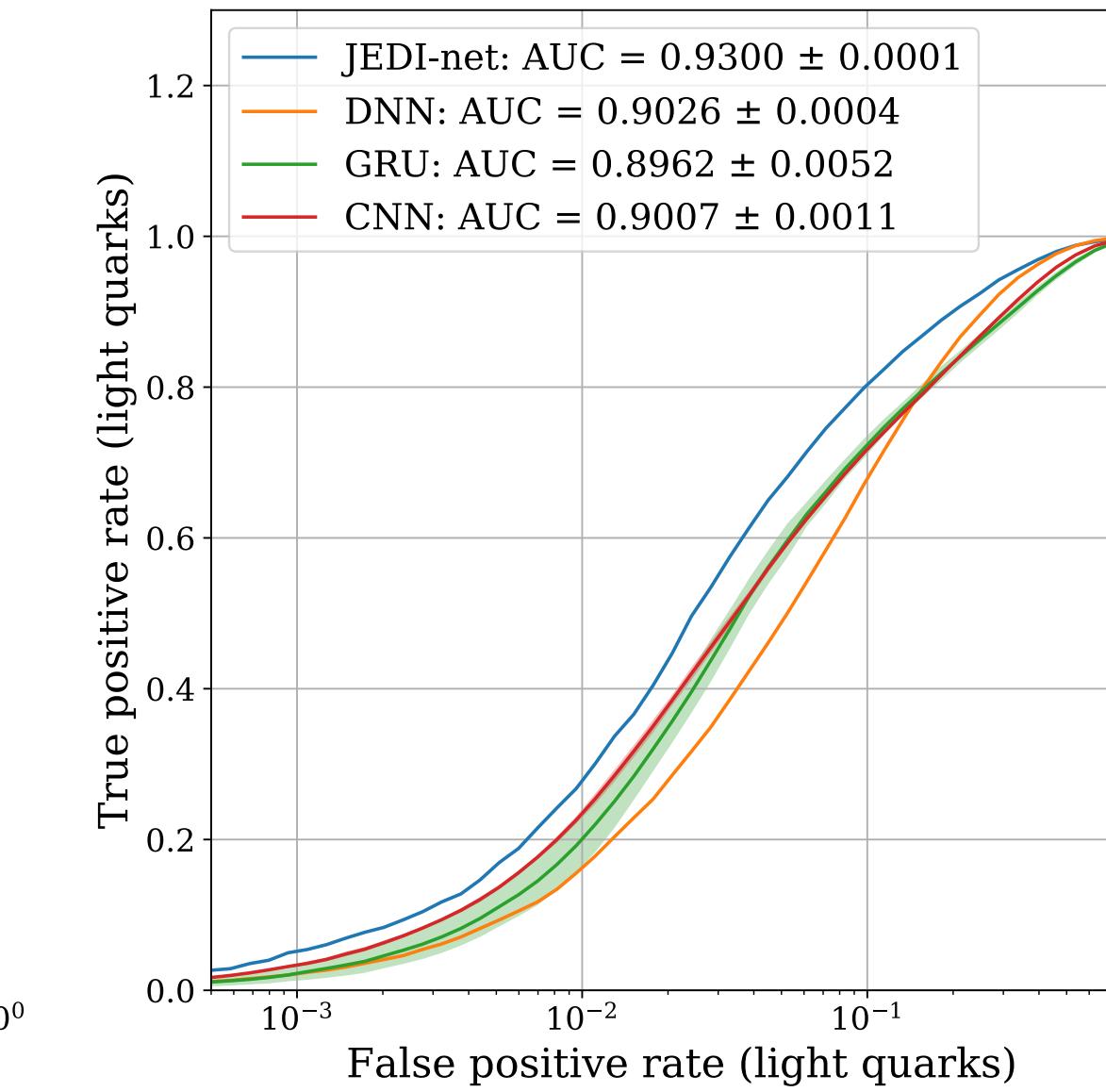
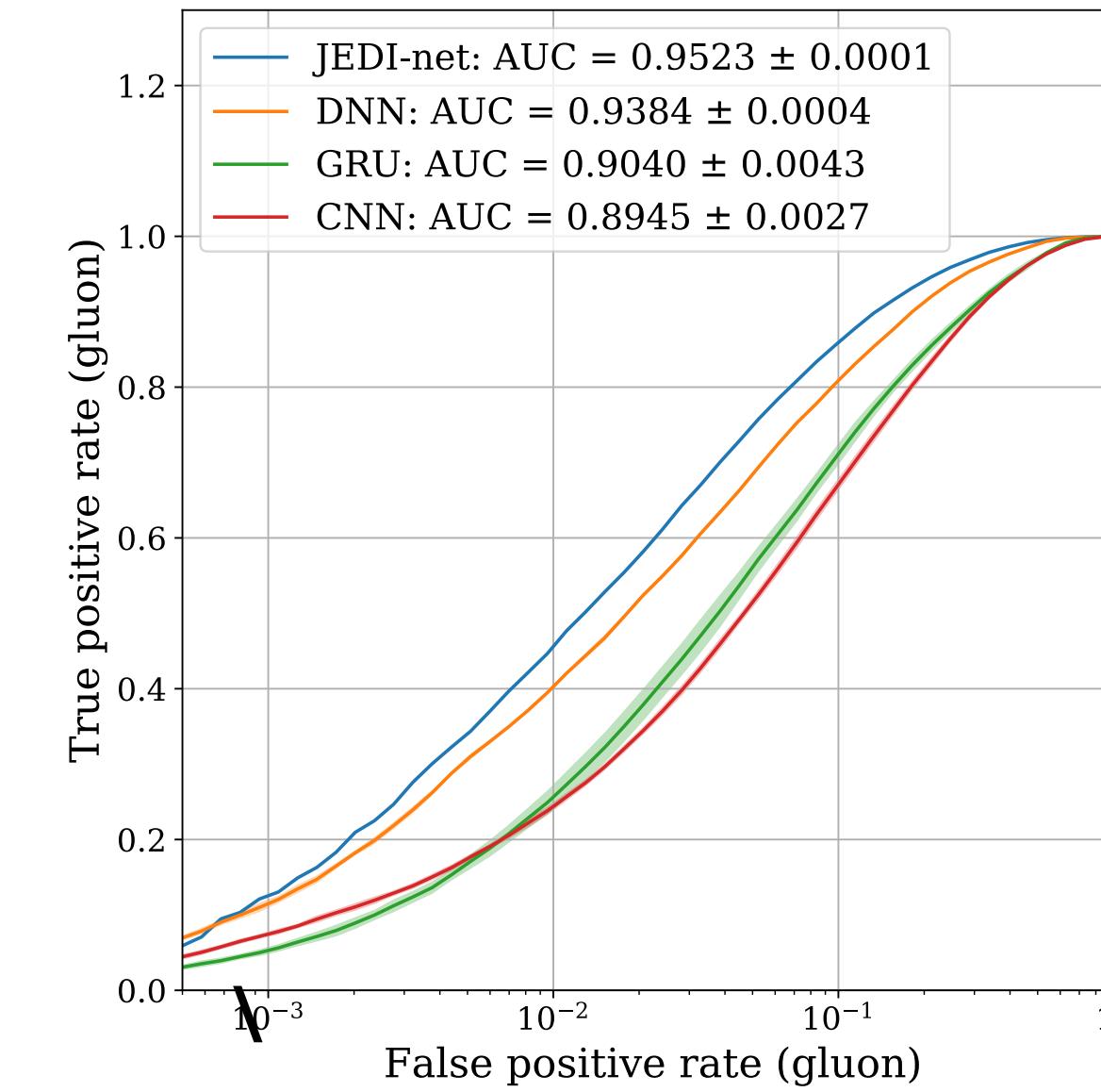


# INS for Jet Identification

- In our case, it is sufficient to use the post-interaction representation as input to a classifier that returns the jet category
- The three networks are simultaneously optimized: the learned representation is chosen to help the classification

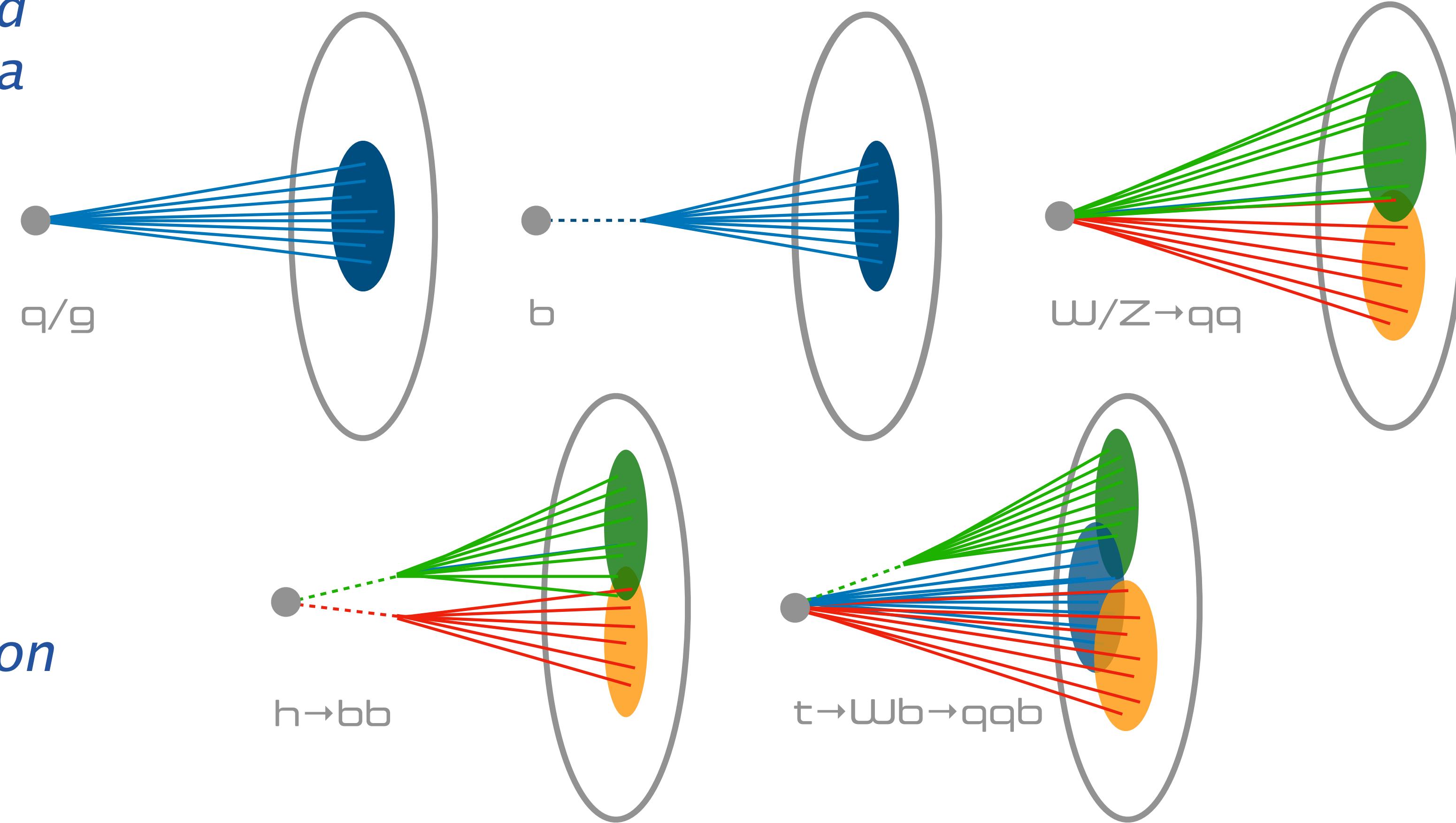


# A comparison



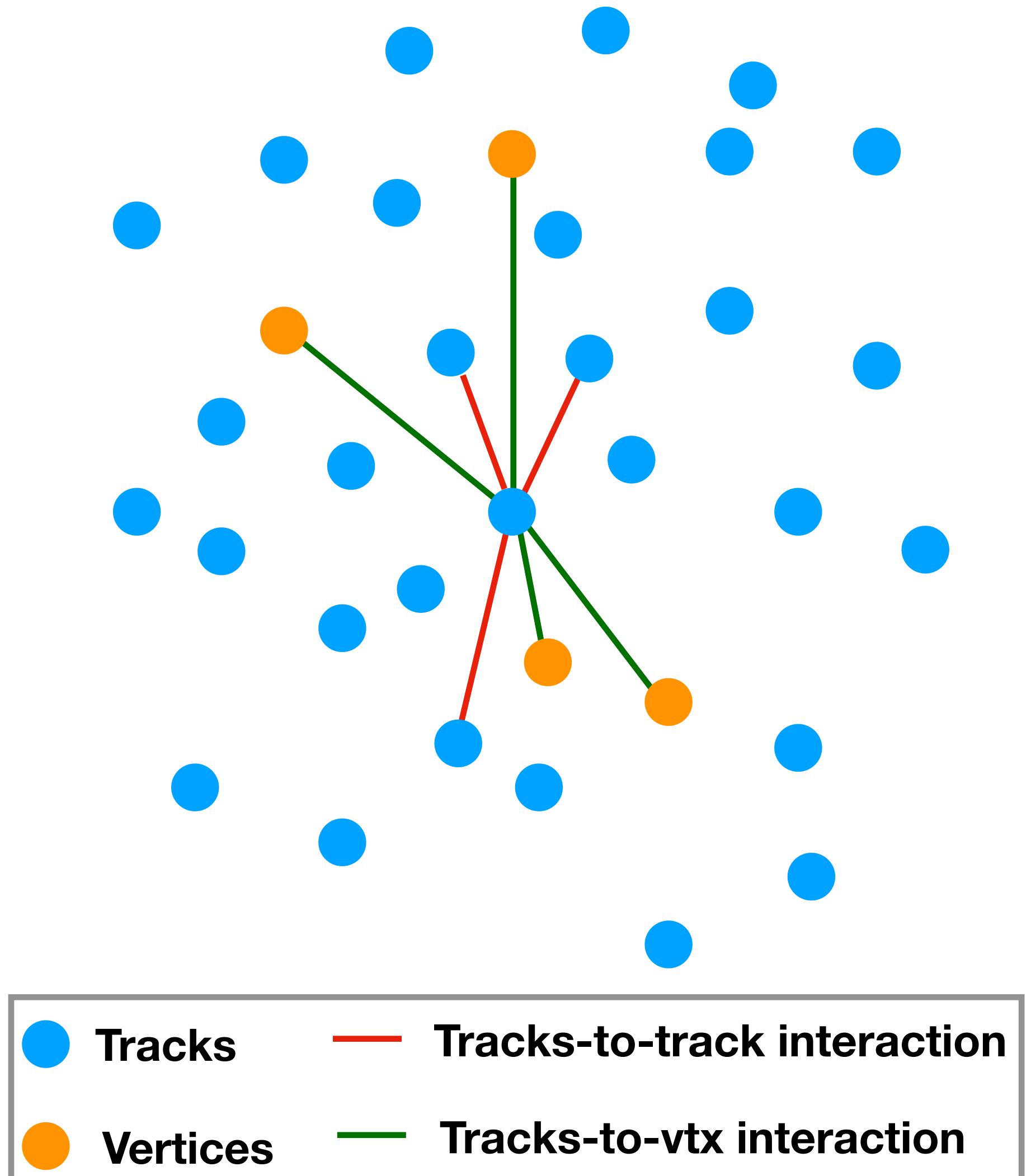
# Using it for Higgs bosons

- Boosted Higgs bosons are similar to  $W$ s and  $Z$ s, but have an extra handle
- It decays to  $b$ 's, which decay after displacement
- the displaced vertices provide extra discrimination handle
- The flexibility of the grapple setup allows to add this easily

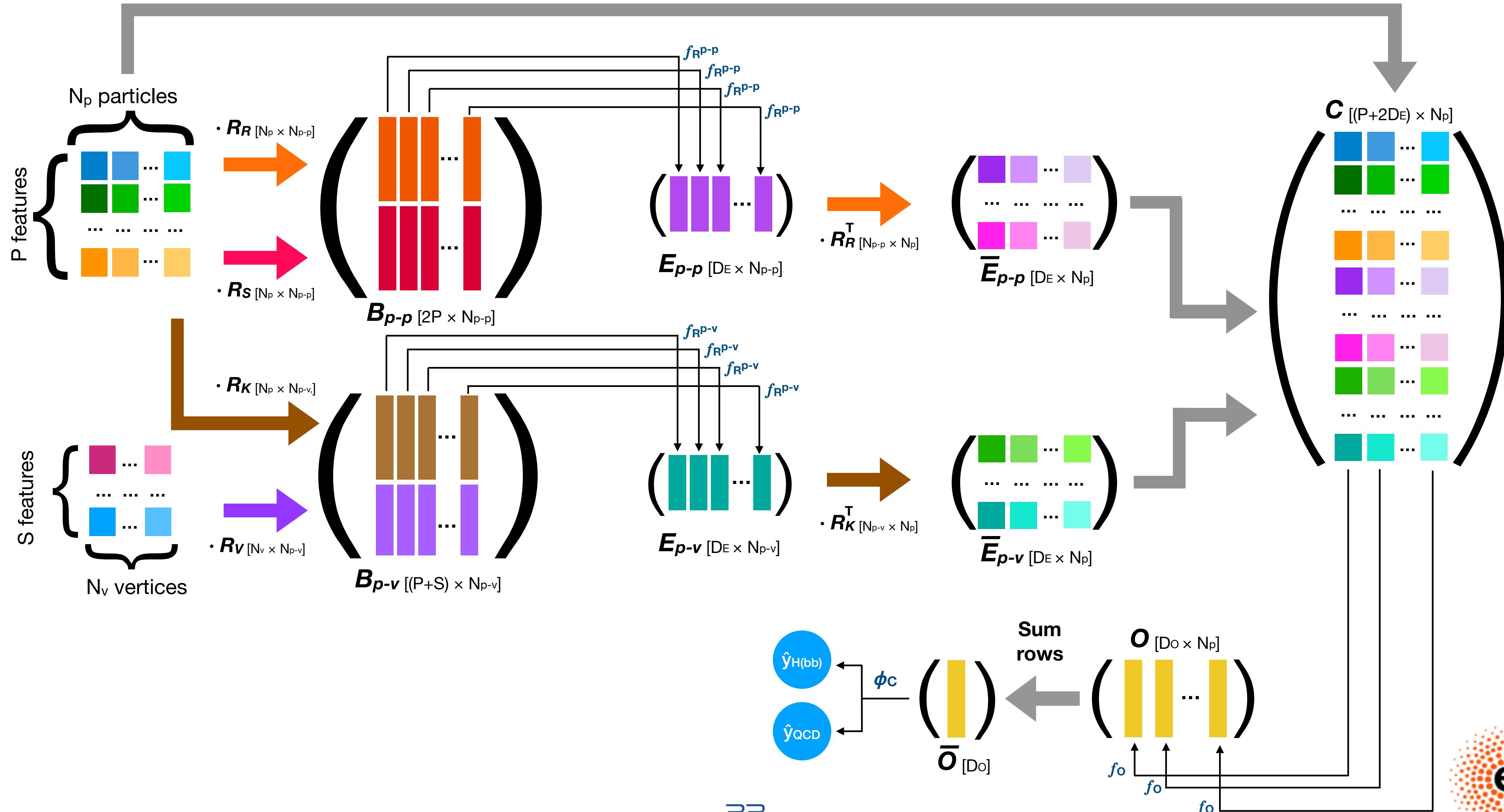


# Adding vertices

- Boosted Higgs bosons are similar to  $W$ s and  $Z$ s, but have an extra handle
- It decays to  $b$ 's, which decay after displacement
- the displaced vertices provide extra discrimination handle
- The flexibility of the grapnel setup allows to add this easily

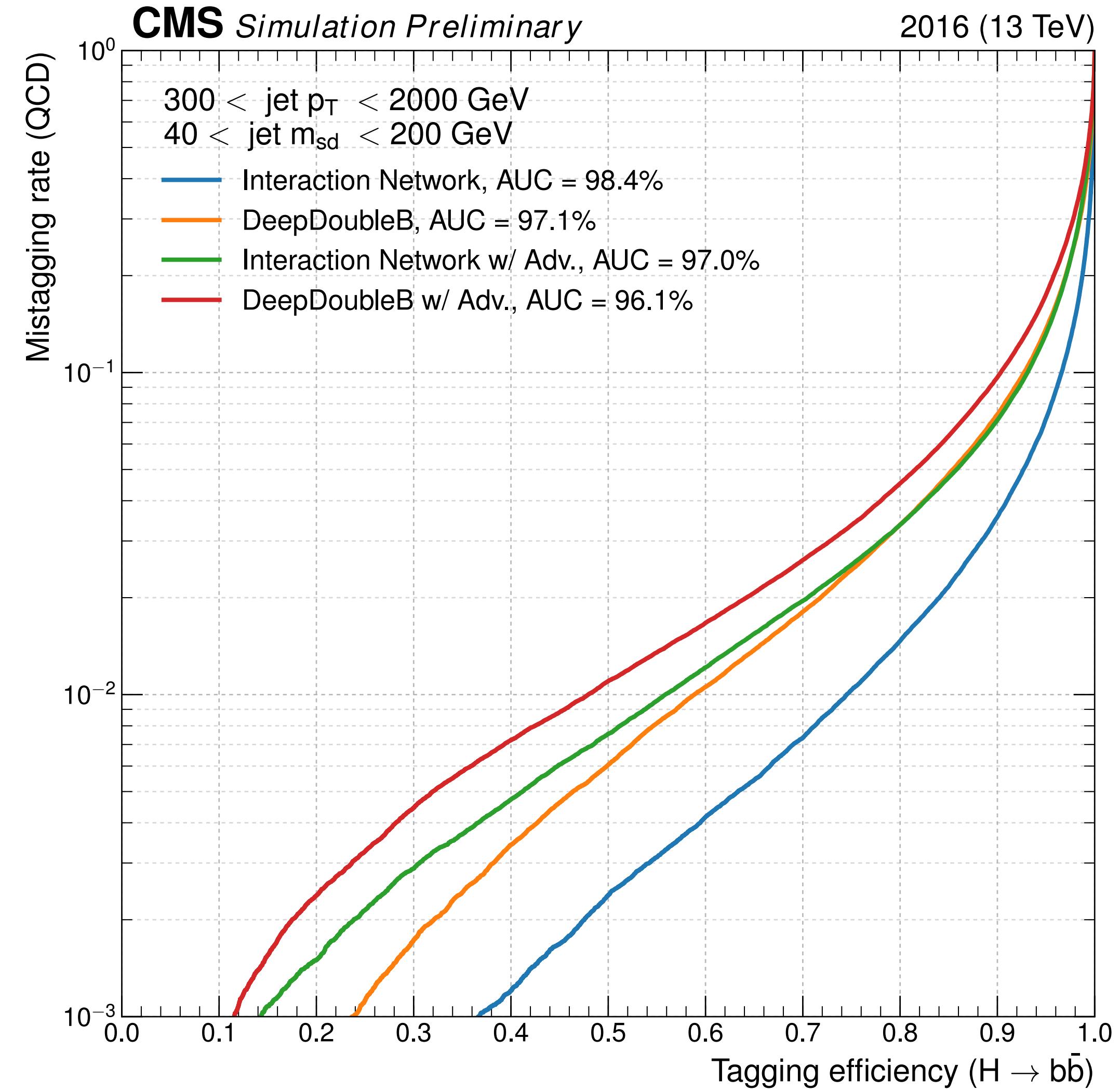


# Adding vertices



# Using it for Higgs bosons

- Algorithm trained on CMS simulation from 2016
- Performance compared to the algorithm used in CMS
  - RNN-based tagger exploiting also neutral particles
  - INs outperform the RNN algorithm despite using less information
  - Relying only on tracks make the algorithm even more robust (less dependence on pileup)
- Just one example of how GraphNets could become relevant for next runs



# Summary

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- We reviewed Graph Networks
- extend CNN concept beyond the case of physically proximity -> learned representation
- allows to abstract from the detector geometry
- can be used for basic reconstruction and on most abstract objects (particles, vertices, etc)
- In particular, we reviewed interaction networks as a candidate with interesting improvements in performance