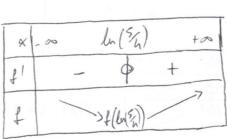
$$\frac{E \times 95}{f(x) = 2e^{2x} - 5e^{x} + 2} \qquad I = \mathbb{R}$$

$$f'(x) = 4e^{2x} - 5e^{x} \qquad \text{Signe de } f'; \quad 4e^{2x} - 5e^{x} > 0 \implies e^{x}(4e^{x} - 5) > 0$$

Tablear de



$$f(\ln(\frac{5}{4})) = 2e^{2\ln(\frac{5}{4})} - 5e^{\ln(\frac{5}{4})} + 2$$

$$= 2e^{\ln(\frac{5}{4})^{2}} - 5 \times \frac{5}{4} + 2$$

$$= 2 \times \frac{25}{16} - \frac{25}{4} + 2 = \frac{25 - 50 + 16}{8} = -\frac{9}{8}$$

×	10		50/3		40
×		+		+	
-3×+	50	+	ф	_	

Tableau de variations:

×	0		50/9	3		40
g1		+	0		_	
D		7	, +(50	3)~	\	
7	1					77

$$f\left(\frac{50}{7}\right) = 45 \times \frac{2500}{9} - \frac{125000}{27} = \frac{337500 - 125000}{27} = \frac{212500}{27}$$

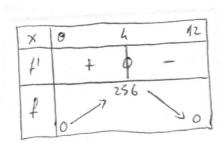
$$\approx 7870.37$$

$$f(x) = x^3 - 2hx^2 + 14hx$$
  $I = [0; 12]$ 

$$f'(x) = 3x^{2} - 48x + 144$$
 Signe de  $f'$ :  $3x^{2} - 48x + 144 > 0 = > \Delta = (-48)^{2} - 4x^{3} \times 144 = 576$ 

$$=> x_{1} = \frac{48 - 24}{6} = 4$$
  $x_{2} = \frac{48 + 24}{6} = 12$ 

Tablesu de



$$f(4) = 4^3 - 2h \times h^2 + 1hh \times h = 256$$
  
 $f(0) = 0$   
 $f(12) = 0$