$$\frac{\partial y'}{\partial y} = 0$$
 avec  $a = 2$  et  $b = 3$ 

Solutions: 
$$y_0(x) = Ke^{-\frac{1}{2}x} = Ke^{-\frac{3}{2}x}$$

2) 
$$y' + 2y = 0 => y_a(x) = Ke^{-\frac{2}{1}x} = Ke^{-2x}$$

1) 
$$4y' + 5y = 0 \Rightarrow y_{\alpha}(x) = Ke^{-\frac{5}{4}x}$$

2) 
$$2y' - 3y = 0 = y_0(x) = Ke^{\frac{-3}{2}x} = Ke^{\frac{3}{2}x}$$

$$y' + \lambda y = 6$$
  $f(x) = 3$ 

$$f(x) = 3 \Rightarrow f'(x) = 0$$

$$\frac{E \times 6}{y' + 3y = 5}$$

1. 
$$f(x) = \alpha$$
 solution de l'eq diff.  
Donc  $f' + 3f = 5$   
 $f(x) = \alpha = \beta$   $f'(x) = 0$   
 $f(x) = \alpha = \beta$   $f'(x) = 0$ 

2. 
$$y'+3y=5$$

$$f(x) = \frac{5}{3} \text{ est one solution}$$

$$y(x) = y_0(x) + f(x)$$

$$y_0(x) = \text{ solution de } y'+3y=0$$

$$= y_0(x) = \text{Ke}^{\frac{3}{4}x} = \text{Ke}^{\frac{3}{4}x}$$

$$\text{Danc} \quad y(x) = \text{Ke}^{\frac{-3}{4}x} + \frac{5}{3}$$

$$\frac{E \times 7}{y' - 2y} = 0 \qquad f(0) = 2$$

$$y_0(x) = K e^{-\frac{2}{7}x} = K e^{2x}$$

Déterminer la fonction fla) solution de l'éq. diff. t.q. f(0) = 2.

$$f(x)$$
 est solution =>  $f = y_0$   
 $f(x) = Ke^{2x} \Rightarrow f(0) = Ke^{2x0} = Ke^0 = K$ 

$$\frac{E \times 8}{y' + y = 0}$$

$$y' + y = 0$$

$$f(-1) = 3$$

$$\Rightarrow f(-1) = Ke^{-(-1)} = Ke$$

$$f(-1) = 3 \Rightarrow Ke = 3 \Rightarrow K = \frac{3}{e}$$

$$\text{Danc} \quad f(x) = \frac{3}{e}e^{-x} = 3e^{-x-1}$$

$$\frac{E \times 9}{5y' - y = x}$$

1. La fonction  $x \rightarrow -x-5$  est une solution. Te dois vérifier que: 5(-x-5)'-(-x-5)=x  $(-x-5)'=-1=>5\times(-1)+x+5=$ =-5+x+5=x Vrai

2. 
$$g(x) = y_0(x) + (-x-5) = Ke^{\frac{1}{5}x} - x-5$$

$$g(0) = 1 \quad g(0) = Ke^0 - 0 - 5 = K - 5$$

$$=> K - 5 = 1 \quad => K = 6$$
Donc  $g(x) = 6e^{\frac{1}{5}x} - x - 5$