

Algorithm **Function BST_from_PostOrder**(POSTWALK, BEG, END)

Given the postorder walk of a binary search tree, this function creates a BST out of it. The postorder walk is denoted by a list [implemented as arrays], POSTWALK. BEG and END are the lower and the upper indices of the walk array. The function returns a tree pointer. NEWW denotes a local tree pointer. POS is a local variable. Array indices start at 0.

1. Check validity of array bounds

If BEG > END

Return NULL

2. Create and initialize a tree node

 NEWW <= TNODE

 LCHILD(NEWW) = RCHILD(NEWW) = NULL

 DATA(NEWW) = POSTWALK[END]

3. Is this the only node in current context

If BEG = END

Return NEWW;

4. Initialize POS

 POS = END - 1

5.

Repeat While POSTWALK[POS] > POSTWALK[END]

```
    POS = POS - 1
```

```
    If POS = BEG
```

```
        Break
```

```
6. Set up recursion
```

```
    LCHILD(NEWW) = Call BST_from_PostOrder(POSTWALK, BEG, POS)
```

```
    RCHILD(NEWW) = Call BST_from_PostOrder(POSTWALK, POS+1, END-1)
```

```
7. Return the tree
```

```
    Return NEWW
```

Algorithm **Function BST_from_PreOrder**(PREWALK, PRL, BEG, END)

Given the preorder walk of a binary search tree, this function creates a BST out of it. The preorder walk is denoted by a list [implemtned as arrays], PREWALK. BEG and END are the lower and the upper indices of the walk array. The functions returns a tree pointer. NEWW denotes a local tree pointer. PRL is the input-output parameter indicating current index in PREWALK. LEN is a local variables that holds length(PREWALK). J is a counter variable. Array indices starts at 0.

```
1. Check validity of array bounds (Base Case)
```

```
    If PRL > LEN Or BEG > END
```

```
        Return NULL
```

2. Create and initialize a tree node and increment PRL

 NEWW <== tNODE

 LCHILD(NEWW) = RCHILD(NEWW) = NULL

 DATA(NEWW) = PREWALK[PRL]

 PRL = PRL + 1

3. Is this the only node in current context

If BEG = END

Return NEWW;

4. Locate the first key > root

 J = BEG

Repeat While J <= END **Step** 1

If PREWALK[J] > DATA(NEWW)

Break

5. Set up recursion

 LCHILD(NEWW) = **Call** BST_from_PreOrder(PREWALK, PRL, (PRL), J-1)

 RCHILD(NEWW) = **Call** BST_from_PreOrder(PREWALK, PRL, J, END)

6. Return the tree

Return NEWW

```
tree BST_from_PostOrder(int postWalk[], int beg, int end){
    tree neww;
    if(beg > end)
        return NULL;
    neww = (tree) calloc(1, sizeof(tNode));
    neww->data = postWalk[end];
    neww->lchild = neww->rchild = NULL;

    if(beg == end)
        return neww;
    int pos = end - 1;
    while(postWalk[pos] > postWalk[end]){
        pos = pos - 1;
        if(pos == beg)
            break;
    }
    neww->lchild = BST_from_PostOrder(postWalk, beg, pos);
    neww->rchild = BST_from_PostOrder(postWalk, pos+1, end-1);
    return neww;
}
```



```

tree BST_from_PreOrder(int preWalk[], int *prl,
                        int beg, int end, int len){
    tree neww;
    int j;
    if (*prl > len || beg > end)
        return NULL;
    neww = (tree) calloc(1, sizeof(tNode));
    neww->lchild = neww->rchild = NULL;
    neww->data = preWalk[*prl];
    *prl = *prl + 1;
    if(beg == end)
        return neww;
    /*Locate the first key > root */
    for(j = beg; j <= end; ++j )
        if(preWalk[j] > neww->data )
            break;
    neww->lchild = BST_from_PreOrder(preWalk, prl, *prl, j-1, len);
    neww->rchild = BST_from_PreOrder(preWalk, prl, j, end, len);
    return neww;
}

```

Algorithm **Function BinTreeFromIn_Pre_Order**(INWALK, PREWALK, BEG, END)

Given the inorder walk and the preorder walk of a binary tree, this function creates a Binary tree from them. The inorder and preorder walks are denoted by lists [implemented as arrays], INWALK and PREWALK respectively. BEG and END are the lower and the upper indices of the walk arrays. The function returns a tree pointer. NEWW denotes a local tree pointer. INL and PRL are local variables representing walk indices. J is the counter variable. Array indices starts at 0.

1. Initialize PRL and INL. PRL is a static variable

PRL = 0

INL = -1 /**denoting non existing position */

2. Check validity of array bounds

If BEG > END

Return NULL

3. Create a tree node

NEWW <= TNODE

4. Initialize the node to data pointed by PRL and update PRL

LCHILD(NEWW) = RCHILD(NEWW) = NULL

DATA(NEWW) = PREWALK[PRL]

PRL = PRL + 1

5. Find the index of DATA(NEWW) in INWALK

J = BEG;

Repeat While J <= END

If INWALK[J] = DATA[NEWW]

INL = J

J = J + 1

6. Set up the recursion on Left and Right Subtree

LCHILD(NEWW) =

Call BinTreeFromIn_Pre_Order(INWALK, PREWALK, BEG, INL-1)

RLCHILD(NEWW) =

Call BinTreeFromIn_Pre_Order(INWALK, PREWALK, INL+1, END)

7. Return the tree

Return NEWW

Algorithm **Function BinTreeFromIn_Post_Order**

(INWALK, POSTWALK, IBEG, IEND, BEGP, ENDP)

Given the inorder walk and the postorder walk of a binary tree, this function creates a Binary tree from them. The inorder and postorder walks are denoted by lists [implemented as arrays], INWALK and POSTWALK respectively. IBEG and IEND are the lower and the upper indices of the inWalk array whereas BEGP and ENDP denotes lower and upper indices of PostWalk array. The functions returns a tree pointer. NEWW denotes a local tree pointer. INL is a local variable representing walk index. J is a counter variable. Array indices starts at 0.

1. Initialize INL.

INL = -1 **/*denoting non existing position */**

2. Check validity of array bounds

If IBEG > IEND **Or** ENDP < BEGP

Return NULL

3. Create a tree node

NEWW <= TNODE

4. Initialize the node

LCHILD(NEWW) = RCHILD(NEWW) = NULL

DATA(NEWW) = POSTWALK[ENDP]

5. If its the only node of current subtree
 If IBEG = IEND
 Return NEWW
6. Find the index of DATA(NEWW) in INWALK
 J = IBEG;
 Repeat While J <= IEND
 If INWALK[J] = DATA[NEWW]
 INL = J
 J = J + 1
7. Set up the recursion on Left and Right Subtree
 LCHILD(NEWW) = **Call BinTreeFromIn_Post_Order**(INWALK, POSTWALK,
 IBEG, INL-1, BEGP, BEGP+INL-IBEG-1)
 RCHILD(NEWW) = **Call BinTreeFromIn_Post_Order**(INWALK, POSTWALK,
 INL+1, IEND, BEGP+INL+IBEG, ENDP-1)
8. Return the tree
 Return NEWW

```
tree createTreeInPre(int inWalk[], int preWalk[], int beg, int end){
    static int prl = 0; int inl = -1, j;
    tree neww;

    if(beg > end)
        return NULL;
    neww = (tree) calloc(1, sizeof(tNode));

    neww->data = preWalk[prl];
    neww->rchild = neww->lchild = NULL;
    prl += 1;

    for(j = beg; j <= end; j++)
        if(inWalk[j] == neww->data)
            inl = j;
    neww->lchild = createTreeInPre2(inWalk, preWalk, beg, inl-1);
    neww->rchild = createTreeInPre2(inWalk, preWalk, inl+1, end);
    return neww;
}
```

```

tree createTreeInPost(int inWalk[], int postWalk[],
                      int ibeg, int iend, int begp, int endp){
    int inl = -1, j;
    tree neww;
    if(ibeg > iend || endp < begp)
        return NULL;
    neww = (tree) calloc(1, sizeof(tNode));
    neww->data = postWalk[endp];
    neww->rchild = neww->lchild = NULL;
    if(ibeg == iend)
        return neww;
    for(j = ibeg; j <= iend; j++)
        if(inWalk[j] == neww->data)
            inl = j;
    neww->lchild = createTreeInPost(inWalk, postWalk, ibeg, inl-1,
                                   begp, begp+ndx-ibeg-1);
    neww->rchild = createTreeInPost(inWalk, postWalk, ndx+1, iend,
                                   begp+inl-ibeg, endp-1);
    return neww;
}

```