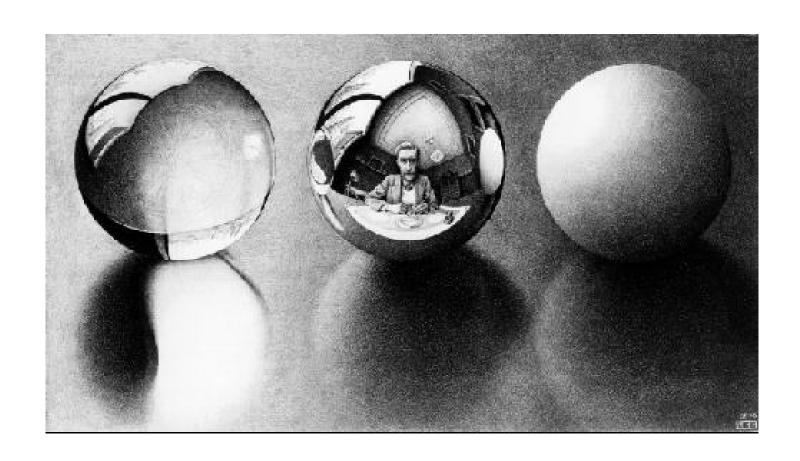
Surface Detail

Foley & Van Dam, Chapter 16

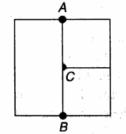


Surface Detail

- Problems with Interpolated Shading
- Surface Detail
 - Texture Mapping
 - Texture Synthesis
 - Bump Mapping

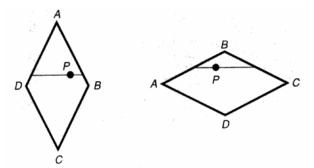
Issues with Interpolated Shading

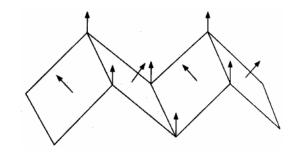
- Polygonal Silhouette
- Perspective Distortion
- Orientation Dependence
- Shared Vertices



Unrepresentative Normals







Surface Detail

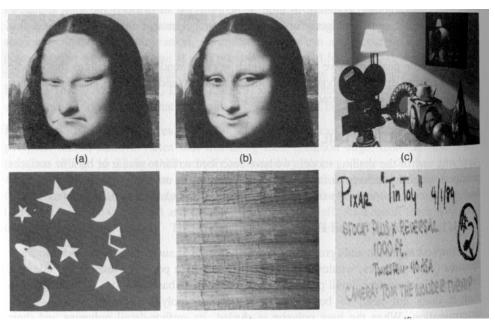
- Applying the shading models we have described, generates smooth, uniform surfaces
- To increase realism, we want to model surface details (changes in color and grain, for example)
- Common Techniques:
 - Surface-Detail Polygons
 - Texture Mapping
 - Bump Mapping

- Maps an image or a random pattern to a polygonal or free-form surface
- Generates a smooth surface that changes in color



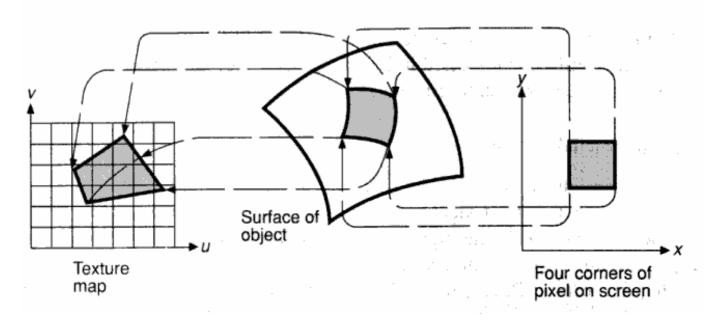


Textures used in the image





- Elements of the texture are called texels
- Two-step texture mapping:
 - 1. Mapping the pixel area on the surface
 - 2. Mapping the surface area to the texture map



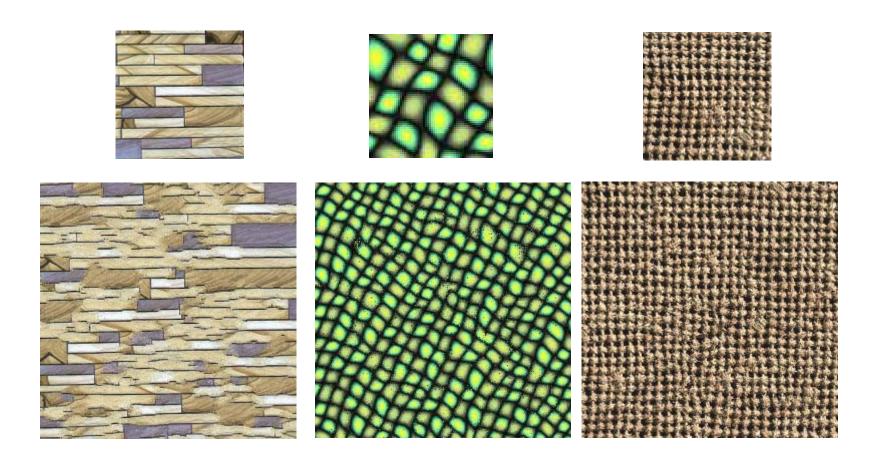
- Problem: Texture map may be smaller than the surface, if replicate the texture, the image will not look natural
- Solution: Texture Synthesis
- Only works for random looking textures

Texture Synthesis

- Input: a small texture map
- Find a "description" of the random process that generates the texture sample
- Use the description to generate synthetic textures of arbitrary size

Texture Synthesis

Examples: from <u>www.vision.ee.ethz.ch/~rpaget</u>
Samples (top) vs. synthetic (bottom)

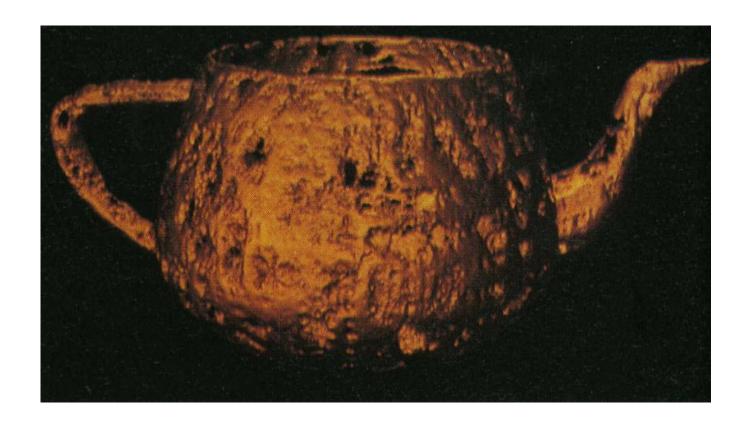


Texture Synthesis

Examples: from <u>www.vision.ee.ethz.ch/~rpaget</u>
Samples (top) vs. synthetic (bottom)



- Used when we want to generate rough surfaces without increasing the polygons
- Bump maps affect lighting



The surface is represented by points P(s,t):

$$P(s,t) = [x(s,t), y(s,t), z(s,t)]$$

The bump map is an array of displacements:

• The normal N(s,t) to the point P(s,t) is given by the cross product of the partial derivatives (each tangent to the surface in the direction s and t): $\partial P(s,t) = \partial P(s,t)$

 $N(s,t) = \frac{\partial P(s,t)}{\partial s} \times \frac{\partial P(s,t)}{\partial t}$

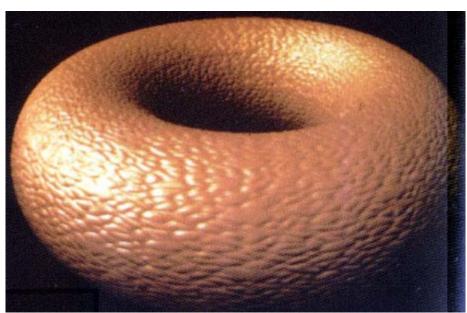
 We can displace P(s,t) in the direction of the normal by a quantity B(u,v):

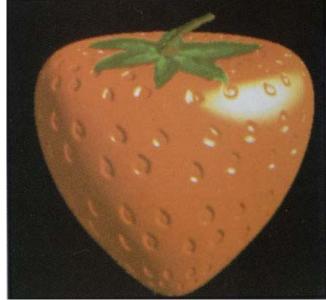
$$P'(s,t) = P(s,t) + \frac{B(u,v)N(s,t)}{|N(s,t)|}$$

 It can be proved that a good approximation of the new (unnormalized) normal N'(s,t) is:

$$N'(s,t) = N(s,t) + \frac{\partial B(u,v)}{\partial u} \left(N(s,t) \times \frac{\partial P(s,t)}{\partial t} \right) - \frac{\partial B(u,v)}{\partial v} \left(N(s,t) \times \frac{\partial P(s,t)}{\partial s} \right) - \frac{\partial B(u,v)}{\partial v} \left(N(s,t) \times \frac{\partial P(s,t)}{\partial s} \right)$$

- The new normals N'(s,t) are used in the illumination model
- Question: how can you spot an image obtained via bump mapping?





- Example: texture vs. bump mapping
 - Texture mapping: color that varies across a surface
 - Bump mapping: normals that varies across a surface

