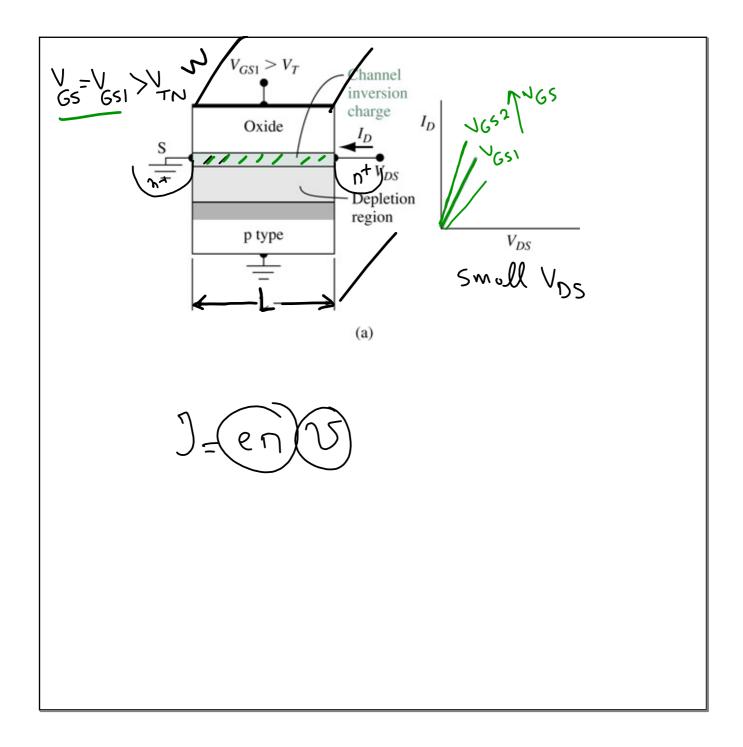
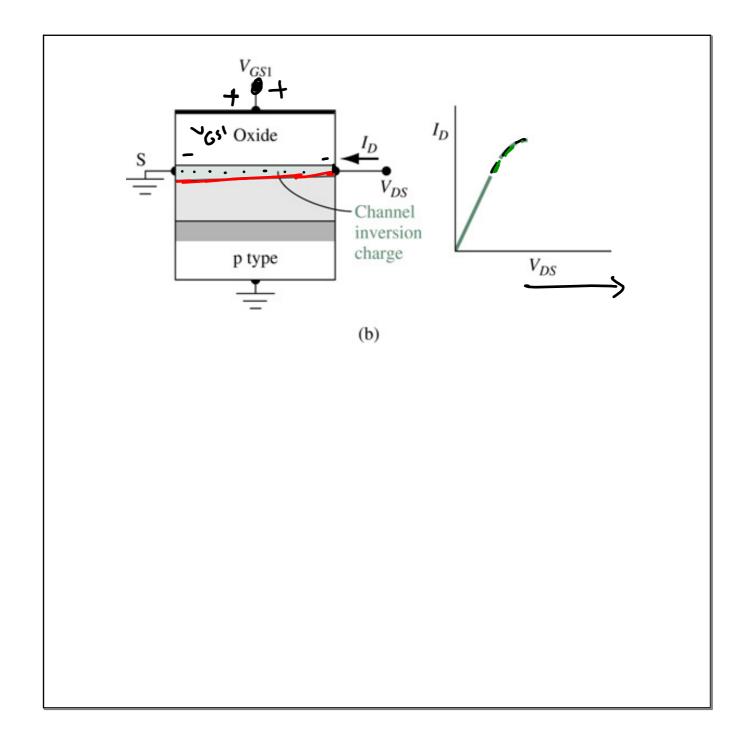
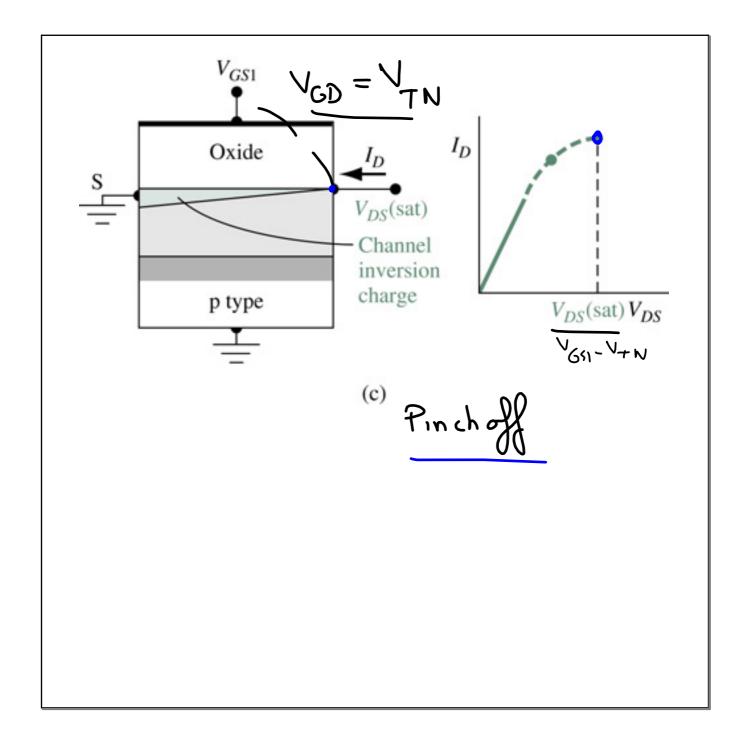
$$\frac{|\nabla_{SD}(max)|}{|\nabla_{N}|} + |\nabla_{FB}| + |\nabla_{A}| + |\nabla_{FP}| + |\nabla_{A}| + |\nabla_{FP}| + |\nabla_{A}| + |\nabla$$

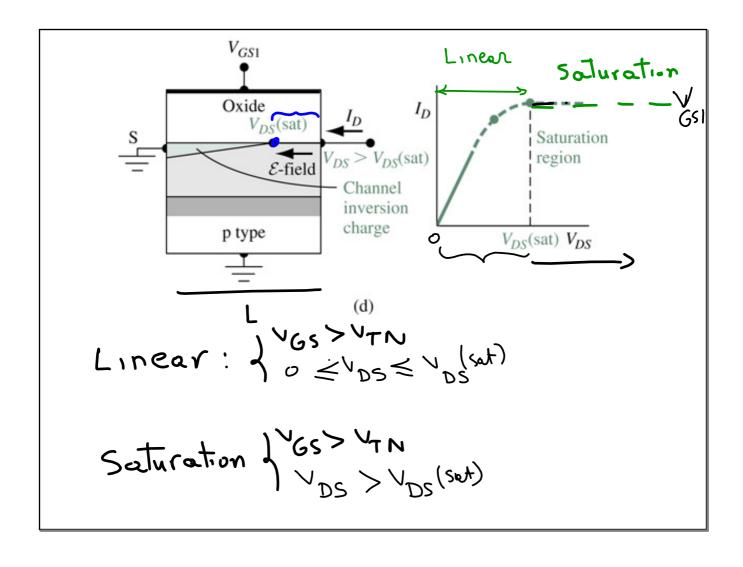


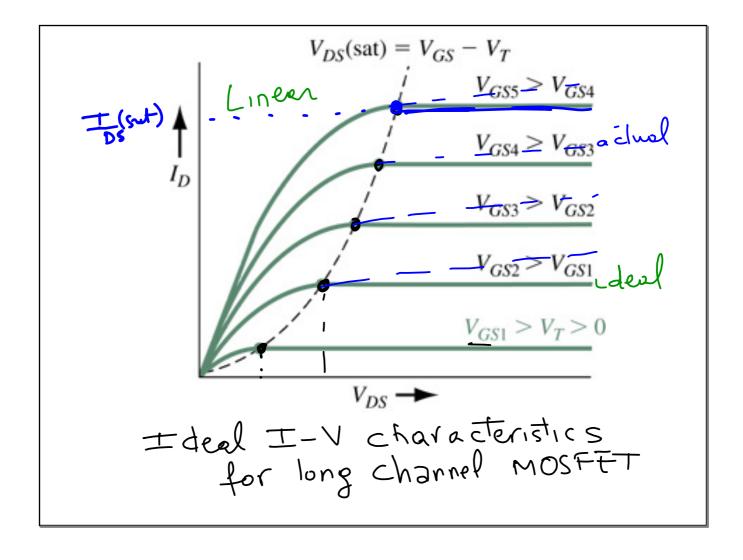


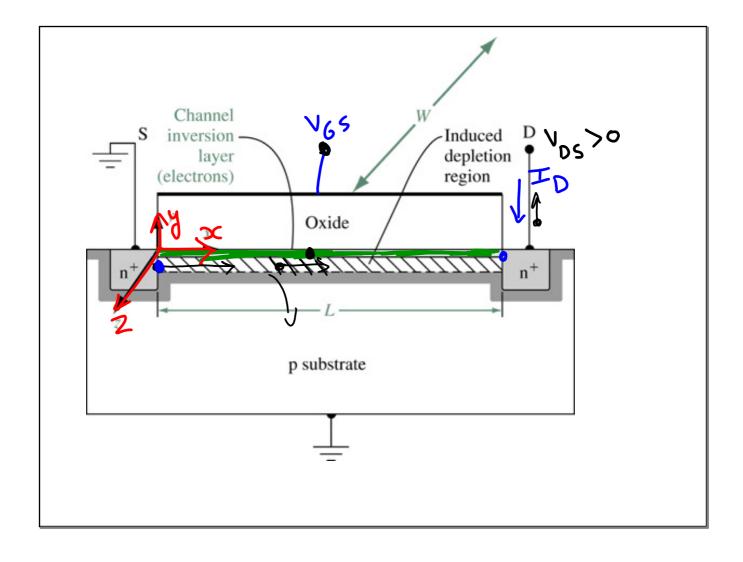


At punchoff,
$$V_{GD} = V_{TN} V_{DS} = V_{SM}$$

 $V_{GD} = V_{TN}$
 $V_{GS} + V_{SD} = V_{TN}$
 $V_{GS} - V_{DS} = V_{TN}$
 $V_{GS} - V_{DS}(Sub) = V_{TN}$
 $V_{DS}(Sub) = V_{GS} - V_{TN}$







$$\int_{x}^{2} = \int_{x}^{2} \int_{x}^{2} \int_{x}^{2} dy dz = \int_{z}^{2} \int_{y}^{2} en M_{n} \mathcal{E}_{x}^{2} dy dz$$

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$$\int_{n}^{2} \int_{z}^{2} en M_{n} \mathcal{E}_{x}^{2} dy dz$$

$$\int_{n}^{$$

$$\int_{\Omega} = -C_{0X} \left[(V_{GS}^{-V_{X}}) - V_{N} \right]$$

$$\pm_{x} = -W_{N} C_{0X} \left[(V_{GS}^{-V_{X}}) - V_{N} \right] \frac{dV_{X}}{dx}$$

$$\int_{0}^{L} \pm_{x} dx = -W_{N} C_{0X} \left[(V_{GS}^{-V_{X}}) - V_{N} \right] dV_{X}$$

$$\pm_{D} = -T_{x}$$

$$-T_{D} L = -W_{N} C_{0X} \left[(V_{GS}^{-V_{X}}) - V_{N} \right] V_{X} - \frac{V_{X}^{-V_{X}}}{2} \right] C_{DS}$$

$$Line$$

$$\pm_{D} = \frac{W_{N} C_{0X}}{2 L} \left[\frac{2(V_{GS}^{-V_{X}}) - V_{N} V_{X}}{2} - \frac{V_{DS}^{-V_{X}}}{2} \right] C_{DS}$$

$$Line$$

In saturation,
$$\pm_D = \pm_D(set)$$

set $V_{DS} = V_{DS}(set) = V_{GS} - V_{TN}$

$$\pm_D(set) = \frac{W_{J} N_D Cox}{2L} \left[V_{GS} - V_{TN} \right]^2$$
saturation
$$K_n = \frac{W_{J} N_D Cox}{2L} : conduction pavameter$$

$$k_n = M_D Cox : process conduction pavameter$$

$$K_n = k_n(\frac{N}{2L})$$

$$V_{GS} - V_{GS} = V_{SG}$$

$$V_{DS} - V_{DS} = V_{SD}$$

$$V_{TN} - V_{TP}$$

$$\Upsilon$$

PMO)
Linear
$$V_{SG} > -V_{TP}$$

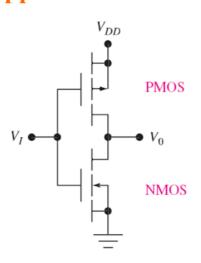
 $0 \le V_{SD} \le V_{SD}(sat)$
 $V_{SG} > -V_{TP}$
Saturation $V_{SD} > V_{SD}(sat)$
 $V_{SD} > V_{SD}(sat) = V_{SG} + V_{TP}$
 $V_{DS}(sat) = V_{GS} - V_{TN} \longrightarrow V_{SD}(sat) = V_{SG} + V_{TP}$

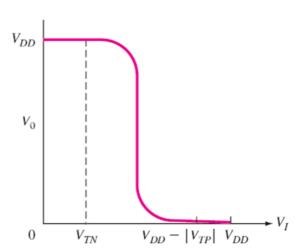
Summary Ideal Long-Channel MOSFET

NMOS	PMOS
Transition point	Transition point
$V_{DS}(\text{sat}) = V_{GS} - V_{TN}$	$V_{SD}(\text{sat}) = V_{SG} + V_{TP}$
Nonsaturation bias	Nonsaturation bias
$[V_{DS} \le V_{DS}(\text{sat})];$	$[V_{SD} \leq V_{SD}(\text{sat})];$
$I_D = K_n \left[2(V_{GS} - V_{TN})V_{DS} - V_{DS}^2 \right]$	$I_D = K_p \left[2(V_{SG} + V_{TP})V_{SD} - V_{SD}^2 \right]$
Saturation bias	Saturation bias
$[V_{DS} \ge V_{DS}(\text{sat})];$	$[V_{SD} \geq V_{SD} \text{ (sat)}];$
$I_D = K_n (V_{GS} - V_{TN})^2$	$I_D = K_P (V_{SG} + V_{TP})^2$

4

Application: CMOS Inverter





For $V_{GS} < V_{TN}$, NMOS IS OFF, PMOS IS ON

For $V_{GS} > V_{DD} - |V_{TP}|$, NMOS IS ON, PMOS IS OFF

5

$$V_{TN} = \frac{|\varphi_{SD}(max)|}{(ox)} + V_{FB} + 2|\varphi_{FP}|$$

$$V_{TN} = \frac{eNA \times aT}{(ox)} + (\varphi_{ms} - \frac{\varphi_{ss}}{(ox)}) + 2|\varphi_{FP}|$$

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$$V_{TN} = \frac{eNA \times aT}{(ox)} + (\varphi_{ms} - \frac{\varphi_{ss}}{(ox)}) + 2|\varphi_{ss}|$$

$$D_{\pm}: \text{ ion implantation dose } \frac{\# \text{ atoms}}{\text{Cm}^2}$$

$$O_{\pm} = \begin{cases} +e D_{\pm} & \text{acceptors} \\ -e D_{\pm} & \text{acceptors} \end{cases}$$

$$\Delta V_{TN} = \begin{cases} -\frac{e D_{\pm}}{\cos x} & \text{donors} \\ +\frac{e D_{\pm}}{\cos x} & \text{acceptors} \end{cases}$$