# Homework 12

Pascal Pilz, k12111234

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### Exercise 30

#### Partial correlation

## r\_xy: 0.968, r\_xu: 0.993, r\_yu: 0.958, r\_xy.u: 0.490

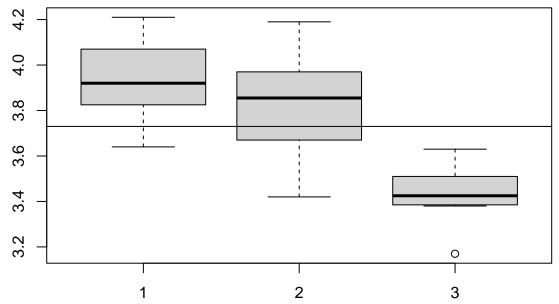
#### Statistical test

## test statistic: 0.974; critical value: 3.182
## We can see that we cannot reject the null hypothesis.

## Exercise 31

```
A <- c(3.64, 3.77, 4.18, 4.21, 3.88, 3.93, 3.91, 3.96)
B <- c(3.42, 3.96, 3.87, 4.19, 3.58, 3.76, 3.84, 3.98)
C <- c(3.17, 3.63, 3.38, 3.47, 3.39, 3.41, 3.55, 3.44)

boxplot(A, B, C)
abline(h=mean(c(A, B, C)))
```



### Formulation of a statistical hypothesis

Since we are comparing three different groups, we choose the following:

- $H_0$ :  $\mu_A = \mu_B = \mu_C$
- $H_1$ :  $\mu_A \neq \mu_B$  or  $\mu_A \neq \mu_C$  or  $\mu_B \neq \mu_C$

#### Statistical test

The obvious choice would be an analysis of variance (ANOVA). But first, we check the assumptions.

#### Normality

```
library(nortest)
lillie.test(A)

##

## Lilliefors (Kolmogorov-Smirnov) normality test

##

## data: A

## D = 0.19781, p-value = 0.4714

lillie.test(B)

##

##

Lilliefors (Kolmogorov-Smirnov) normality test

##

##
```

```
## data: B
## D = 0.14983, p-value = 0.861

lillie.test(C)

##
## Lilliefors (Kolmogorov-Smirnov) normality test
##
## data: C
## D = 0.23089, p-value = 0.238
As we can see, the data is normally distributed.
```

#### Homoscedasticity

For this we perform a Levene test.

```
library(car)

## Loading required package: carData

dv <- c(A, B, C)
  iv <- as.factor(c(rep("A", length(A)), rep("B", length(B)), rep("C", length(C))))

leveneTest(dv~iv, center="mean")

## Levene's Test for Homogeneity of Variance (center = "mean")

## Df F value Pr(>F)

## group 2 0.9894 0.3885

## 21
```

As we can see, the data can be assumed to be homoscedatic. Thus, we can proceed with ANOVA.

#### **ANOVA**

## Verifying