§1-2

- 1. (a) 30.75
 - (b) 161.5
- 2. (a) 7
 - (b) 6
- 3. (a) i. 10001 ii. 10010
 - (b) i. 10110011 ii. 101011111

§1-3 & 1-4

- 4. (a) $(19.5)_{10} = (10011.1)_2 = (23.4)_8 = (13.8)_{16}$ $(63.75)_8 = (51.953125)_{10} = (110011.111101)_2 = (33.F4)_{16}$
 - (b) $(237.875)_{10} = (11101101.111)_2 = (355.7)_8 = (ED.E)_{16}$ $(156.375)_8 = (110.494140625)_{10} = (1101110.011111101)_2 = (6E.7E8)_{16}$

§1**-**5

- 5. (a) i. 10111001, 10111010 ii. 00100101, 00100110
 - (b) i. 10101100, 10101101 ii. 01100111, 01101000
- 6. (a) i. 01100, -01111 ii. 01100, -01111
 - (b) i. 01101000, -01101000 ii. 01101000, -01101000

§1**-**6

- 7. (a) i. 110001 ii. Overflow
 - (b) i. overflow ii. 00000010

§1-7

- 8. (a) 000100010010 _{BCD}
 - (b) 0001001000011001_{BCD}

§2-5

- 11. (a) XZ+YZ', 4 literals
 - (b) Y + X'Z', 3 literals
 - (c) A'B + AC + B'C'D, 7 literals
- 12. (a) (X'+Y')(X'+Z')(X+Y'+Z)
 - (b) (X'+Y'+Z)(XZ'+Y'Z)

§2-6

- 13. (a) X'YZ' + XY'Z + XYZ' + XYZ, (X+Y+Z)(X+Y+Z')(X+Y+Z')(X'+Y+Z)
 - (b) X'Y'Z'+X'YZ'+X'YZ+XYZ'+XYZ', (X+Y+Z')(X'+Y+Z)(X'+Y+Z')

Technology Parameters

- 14. (a) 0.312ns
 - (b) 0.312ns
- 15. (a) 2 buffers
 - (b) 3 buffers

§3-2

16. (a) i.
$$X + Z$$
, $GIC_{after} = 2$
ii. $XZ + YZ'$, $GIC_{before} = 12$, $GIC_{after} = 7$

(b)
$$Y + X'Z'$$
, $GIC_{before} = 13$, $GIC_{after} = 6$

§3-3

- 17. (a) PIs: BD, AB, BC, ACD, A'C'D; EPIs: AB, BC, ACD, A'C'D F=AB+BC+ACD+A'C'D
 - PIs: A'B, AC, BC, A'C'D, AB'D, B'C'D; EPIs: A'B, AC (b) F = A'B + AC + B'C'D

§3-4

18. (a)
$$F = AB+BC+ACD+A'C'D$$
, $GIC = 16$; $F = (B+D)(A'+B+C)(A+B+C')(A+C+D)$, $GIC = 17$

(b)
$$F = F = A'B + AC + B'C'D$$
, $GIC = 13$
 $F = (A' + B' + C) (A + B + C') (B + C + D)$, $GIC = 15$

§3-5

(b) i.
$$F = X'Z' + XZ + \begin{cases} WXY \\ WYZ' \end{cases} = \Sigma m(0, 2, 5, 7, 8, 10, 13, 14, 15), GIC = 12$$

ii. $F = (X + Z') \lceil (W' + X' + Y) \rceil \lceil (W + X' + Z) \rceil$ * 4 possible solutions

Quine-McCluskey Method

20. (a)
$$F = Y'Z + \begin{cases} YZ' \\ XY \end{cases}$$

(b) i.
$$F = WYZ + XZ + \begin{cases} XY \\ WX \end{cases}$$

ii. $F = X'Z' + XZ + \begin{cases} WXY \\ WYZ' \end{cases}$

Multiple-Level Circuit Optimization

21. (a)
$$F = (B + D) (AC' + A'C)$$
, $GIC_{before} = 18$, $GIC_{after} = 12$

(b)
$$F = (A + B) (C + D) (C + A' + B')$$
, $GIC_{before} = 16$, $GIC_{after} = 12$

§3-6

22. (a) i.
$$F = A'C + AC' + \begin{cases} AB' \\ B'C \end{cases}$$

$$= ((A'C)'(AC')' \begin{cases} (AB')' \\ (B'C)' \end{cases})'$$

ii.
$$F = (A+C)(A'+B'+C')$$

= $((A+C)' + (A'+B'+C')')'$

(b) i.
$$F = AB + BC + ACD + A'C'D$$

= $((AB)'(BC)'(ACD)'(A'C'D)')'$

ii.
$$F = (B+D) (A'+B+C) (A+B+C') (A+C+D)$$

= $((B+D)'+(A'+B+C)'+(A+B+C')'+(A+C+D)')'$

§3-7

$$F'=A'C'+ABC$$

$$F = (A'C')' (ABC)'$$

OR-NAND, NOR-OR: OAI

$$F' = (A'+C)(A+C') \left\{ (A'+B) \right\}$$

$$\left\{ (B+C') \right\}$$

$$F = (A'+C)' + (A+C')' + \left\{ (A'+B)' \right\}$$

$$\left\{ (B+C')' \right\}$$

(b) AND-NOR, NAND-AND: AOI

$$F' = B'D' + AB'C' + A'B'C + A'C'D'$$

$$F = (B'D')' (AB'C')' (A'B'C)' (A'C'D')'$$

OR-NAND, NOR-OR: OAI

$$F' = (A'+B')(B'+C')(A'+C'+D')(A+C+D')$$

$$F = (A'+B')' + (B'+C')' + (A'+C'+D')' + (A+C+D')'$$

§3-8

24.
$$P = (x \oplus y \oplus z)'$$
, $C = (x \oplus y \oplus z \oplus P)'$

§4-3

25. (a)
$$F = A'D + BC' + B'D$$

(b)
$$F = 0$$

§4-4

26. (a) ii. SOP:
$$F = w'x'y' + w'x'z' + wxz + wxy$$
, $GIC = 20$
POS: $F = (w + x')(w' + x)(w' + y + z)(w + y' + z')$, $GIC = 18$

iii. SOP:
$$F = w'x' (y' + z') + wx (z + y)$$
, GIC = 16

POS: No multiple-level optimization.

POS:
$$P3 = A1A0B1B0$$

 $P2 = A1B1 (A0' + B0')$
 $P1 = (B1 + B0) (A1 + A0) (A0 + B0) (A1 + B1) (A1' + A0' + B1' + B0')$
 $P0 = A0B0$
 $GIC = 32$

iii. SOP:
$$w = A0B0$$
, $x = A1B1$, $y = A0B1$, $z = A1B0$

$$P3 = wx, P2 = xw', P1 = yz' + zy', P0 = w$$

$$GIC = 21$$

$$POS: w = A0B0, x = A1B1$$

$$P3 = wx, P2 = xw', P1 = (B1 + B0) (A1 + A0) w x (w' + x'), P0 = w$$

§4-5

27. (a) ii.
$$Di = Xi'Yi + XiYi'$$
, $Bi+1 = Xi'Yi$

GIC = 21

iii.
$$Di = Xi \oplus Yi$$
, $Bi+1 = Xi'Yi$

(b) ii.
$$Di = Xi'Yi'Bi + Xi'YiBi' + XiYi'Bi' + XiYiBi$$
, $Bi+1 = Xi'Bi + Xi'Yi + YiBi$
iii. $Di = Xi \oplus Yi \oplus Bi$, $Bi+1 = Bi (Xi \oplus Yi)' + Xi'Yi = Yi (Xi \oplus Bi)' + Xi'Bi$

(c) ii.
$$20*n + 20$$
 (ns)

§4**-**9

29. (a) i.
$$f1 = \sum m(1,4,5)$$
, $f2' = \sum m(1,5)$

ii.
$$f1' = \Pi M(1,4,5) = f2 \cdot M4$$
, $f2 = \Pi M(1,5)$

(b) i.
$$f1' = \sum m(1,4,6)$$
, $f2 = \sum m(1,2,6)$

ii. f1 =
$$\Pi M(1,4,6)$$
, f2' = $\Pi M(1,2,4)$

§4-10

30. (a) ii.
$$A1 = D0'D1'$$
, $A0 = D0'D1 + D0'D2'$, $V = D3 + D2 + D1 + D0$

(b) ii.
$$A2 = D6 + D5 + D4$$

$$A1 = D6 + D5'D4'D3 + D5'D4'D2$$

$$A0 = D6'D5 + D6'D4'D3 + D6'D4'D2'D1$$

$$V = D6 + D5 + D4 + D3 + D2 + D1 + D0$$

§4-11

- $31. \ (a) \ i. \ 0, z, z', 1, 1, 1, z, z'$
 - ii. yz , y+z' , 1, y'z+yz' (or y \oplus z)
 - (b) i. 0, z', z, z', 1, 0, 1, z'
 - ii. $yz', y \oplus z, y', y'+z'$

§5-3

- 32. (a) C: $1 \rightarrow 1 \rightarrow 0 \rightarrow 0 \rightarrow ...$, D: $0 \rightarrow 1 \rightarrow 1 \rightarrow 1 \rightarrow ...$; 20 ns
 - (b) i. C: $0 \rightarrow 1 \rightarrow 1 \rightarrow 1 \rightarrow 1 \rightarrow \dots$, D: $1 \rightarrow 1 \rightarrow 0 \rightarrow 0 \rightarrow \dots$; 20 ns
 - ii. C: $0 \rightarrow 1 \rightarrow 1 \rightarrow \dots$, D: $1 \rightarrow 1 \rightarrow 1 \rightarrow \dots$; 10 ns
 - iii. C: $1 \rightarrow 0 \rightarrow 1 \rightarrow 0 \rightarrow ...$, D: $1 \rightarrow 0 \rightarrow 1 \rightarrow 0 \rightarrow ...$; isolated

§5-5

- 34. (b) A(t+1) = x'A + xy, B(t+1) = x'A + xB
 - (e) AB: 00 00 10 10 11 01 00 10 00 Z: 0 0 1 1 0 0 0 1 0
- 35. (a) $J_A = Bx'$, $K_A = Bx$, $J_B = x$, $K_B = Ax + A'x'$, Z = Bx'
 - (b) $A^+ = Bx' + AB'$, $B^+ = A'x + B'x + ABx'$

Sequential Circuit Timing

36. (a) 4 ns (b) 3.5 ns (c) 6 ns (d) 5.5 ns (e) 167 MHz

§5-7 & 5-8

- 37. (a) 7 states
- 40. $D_A = B$, $D_B = A + B'x$, Z = Bx + Ax'
- 41. $J_A = B$, $K_A = 1$, $J_B = A + x$, $K_B = 1$

State Reduction

- 38. (a) None.
 - (b) (0, 3, 4); (1, 5)

State Assignment

39. (a) Highest: ACE, BCE; Medium: AB, CD, AD×2, DE; Lowest: ABCE, ABCD

§6-2

$$42. \ \ D_1 = S_1{'}S_0{'}A_1 + S_1{'}S_0I_1 + S_1S_0{'}A_0 \,, \quad \ D_0 = S_1{'}S_0{'}A_0 + S_1{'}S_0I_0 + S_1S_0{'}SI$$

§6-3

43. FF₀:
$$C_0$$
: CLOCK, $D_0 = Q_0'$
FF₁: C_1 : $Q_0 \uparrow \Rightarrow Q_0' \downarrow$, $D_1 = Q_1'$

§6-4

44.
$$D_1 = Q_1^+ = Q_1 \oplus Q_0'$$
, $D_0 = Q_0^+ = Q_0'$

§7-3

- 46. (a) Decoder: one 13×2^{13} decoder; #AND gates: 2^{13} ; #inputs/gate: 13
 - (b) Decoders: one 7-to- 2^7 decoder and one 6-to- 2^6 decoder; 2^7 7-input & 2^6 6-input AND gates

§7-5

- 48. (a) ii. $8 \times 4 \text{ ROM}$ iii. $8 \times 3 \text{ ROM}$
 - (b) ii. 8×3 ROM iii. 8×2 ROM

§7-6

- 49. (a) i. A = xy'z + x'y + x'z' + yz', A' = xy'z' + x'y'z + xyz B = xy' + xz + y'z, B' = x'y + yz' + x'z'
 - ii. $3\times4\times2$ PLA
 - (b) i. A = wy' + wz' + w'x'y, A' = w'x + w'y' + wyz B = x'y'z' + w'y' + w'z', B' = wx + wy + wz + yz
 - ii. 4×5×2 PLA

§7-7

- 50. (a) i. A = xy'z + x'y + x'z' + yz' = C + x'z' + yz' * One of the possible solutions! B = xy' + xz + y'z
 - (b) i. A = wy' + wz' + w'x'y, B = x'y'z' + w'y' + w'z'