

Modeling Optimal Compression Settings on Spatiotemporal Climate Datasets

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TODOS: Add images of datasets in training, testing, validation. Fix or redo the classification report csv so accuracy isn't repeated several times.

1 Introduction

Lossy compression is a vital tool for reducing the enormous datasizes produced by climate simulation codes. In previous work [1], [2], [3], we have determined certain metrics that relate the similarity of a compressed dataset to the original dataset. If a compressed dataset passes these metrics the dataset is considered statistically indistinguishable from the original dataset. If, in addition, the compressed dataset is smallest in storage size among all datasets that pass these metrics, we consider the dataset to be optimally compressed. Here, we shift focus to prediction of compression algorithm settings that will result in an optimally compressed dataset.

2 Data

We restrict our focus to the 47 spatiotemporal variables with daily output frequency from the CESM Large Ensemble Project (LENS) dataset. These variables include: bc_a1_SRF, dst_a1_SRF, dst_a3_SRF, FLNS, FLNSC, FLUT, FSNS, FSNSC, FSNTOA, ICEFRAC, LHFLX, pom_a1_SRF, PRECL, PRECSC, PRECSL, PRECT, PRECTMX, PSL, Q200, Q500, Q850, QBOT, SHFLX, so4_a1_SRF, so4_a2_SRF, so4_a3_SRF, soa_a1_SRF, soa_a2_SRF, T010, T200, T500, T850, TAUX, TAUY, TMQ, TREFHT, TREFHTMN, TREFHTMX, TS, U010, U200, U500, U850, VBOT, WSPDSRFAV, Z050, and Z500. More information about these variables, including their units and long form names, can be found at <https://www.cesm.ucar.edu/projects/community-projects/LENS/data-sets.html>. From these datasets, we extract the first 730 timesteps of each variable to use for prediction modeling.

3 Modeling

3.1 Features

Using the LDCPY software package [4], we compute single-value features on each of the uncompressed datasets, including mean, variance, north-south contrast variance, first differences (west-east), probability of a point being positive, number of zeroes, range, and median. Each of these values are aggregated over the whole dataset and averaged together, if applicable. In addition, other single-value features including autocorrelation and entropy, percent of unique values, and mode, which will be added when time permits. At this time, feature selection and standardization are not being performed, we are simply using all of the available features in the model. This will be addressed at a later time.

The next step is to introduce spatial features into the fitting and prediction algorithm. The implementation details are not yet clear, one option is to train a convolutional neural network on the entire 192x288 input datasets, or subsample before feeding the images to a neural network.

3.2 Models

We are primarily interested in the ability of our algorithm to predict the optimal compression settings of a previously unseen variable, which may have similar behavior to an existing variable or may exhibit completely different characteristics. For this reason, we split each variables into one of the training, testing, and validation datasets,

as seen in table 1. This partitioning of the variable prevents data leakage, and makes prediction a more difficult problem (note that there is intra-variable variability in the optimal compression settings, so even if we train, validate and test on the same variable we would not reach 100% accuracy. Predicting the optimal compression of a subsequent timestep for a previously-seen variable is a related but slightly different problem).

| TRAIN | VALIDATE | TEST |
|------------|-----------|------------|
| bc_a1_SRF | ICEFRAC | dst_a3_SRF |
| dst_a1_SRF | LHFLX | FSNS |
| FLNS | PRECT | FSNTOA |
| FLNSC | Q500 | Q850 |
| FLUT | TREFHTMN | TREFHTMX |
| pom_a1_SRF | TS | Z050 |
| PRECL | U850 | U010 |
| PRECSC | WSPDSRFAV | PRECTMX |
| PRECSL | Z500 | |
| PSL | FSNSC | |
| Q200 | | |
| QBOT | | |
| SHFLX | | |
| so4_a1_SRF | | |
| soa_a1_SRF | | |
| soa_a1_SRF | | |
| T010 | | |
| T200 | | |
| T500 | | |
| T5850 | | |
| TAUX | | |
| TAUY | | |
| TMQ | | |
| TREFHT | | |
| U200 | | |
| U500 | | |
| VBOT | | |

Table 1: Assignment of each daily CESM-LENS2 variable to training, validation, and testing groups. The validation variables are selected so that there is similarity between what some of the variables in the training dataset represent, and some which represent entirely different types of variable. This is likewise done for the testing dataset, with some of the variables conceptually similar to those in the training dataset and some which are unlike anything in the training dataset.

Once the data is partitioned, we evaluate the performance of standard statistical models on the training, validation and testing data. Table 2 Lists each of the models that we used. The first column lists the type of model, the second lists the parameters attempted for each model, and the final column lists the best-performing parameters for the model. Table 3 lists the accuracy of each model. Currently, we restrict the modeling to only focus on predicting the optimal compression level or the variables for which the compression algorithm ZFP is ideal. Ultimately, we will also need to be able to discriminate between datasets where BG and ZFP are optimal, but at this initial stage we only test the model on the simpler problem of just predicting the optimal level for one algorithm.

The majority of these models are widely used and discussion of them can be found in a standard statistical text, for example, [5]. Here I will note relevant attributes of each model that explain their performance on the data, but some details will be glossed over.

For each statistical model, we include a classification matrix indicating the true optimal compression level ("target class") and the prediction from the model ("output class"). Datasets which are categorized correctly will fall on the diagonal of this matrix. We also include a classification report. This report lists measures of performance within each class including precision (of the datasets identified as a certain class, the proportion that were correct), recall (of the datasets that are truly a certain class, how many were identified as such), and f1-score (the harmonic mean of the precision and recall scores). Also included are the number of datasets that truly fall in the class under

| Model Name | Parameter Sweep | Best Parameters |
|---------------------|-----------------------------------------------|---------------------------------------------|
| Random Forest | max_depth = [2 5] random state = 0 | max_depth = , random state = 0 |
| AdaBoost | n_estimators = 50, learning rate = 0.1 | n_estimators = 50, learning rate = 0.1 |
| Neural Network | 2 dense 10-node ReLu layers, adam optimizer | 2 dense 10-node ReLu layers, adam optimizer |
| k-Nearest Neighbors | n_neighbors = [1 2 3 4 5 10 20 50] | |
| SVM | C: [1e-5 1e-4 1e-3 1e-2 1e-1 1, 1e2, 1e3, 1e4 | |
| LDA | n_components = 1 | n_components = 1 |
| QDA | | |
| Aggregate | | |

Table 2: List of statistical models applied to the data, the list of parameters tried and the parameters for the best performing model.

| Model Name | Accuracy |
|---------------------|----------|
| Random Forest | 0.446 |
| AdaBoost | 0.108 |
| Neural Network | 0.277 |
| k-Nearest Neighbors | 0.0120 |
| SVM | 0.446 |
| LDA | 0.337 |
| QDA | 0.265 |
| Aggregate | 0.446 |

Table 3: Statistical models with their corresponding accuracy using the best model parameters.

the "support" column. Below the list of classes, the accuracy of the model is listed, and two types of averages are presented. The first is the macro average, which weights each class equally, and the second is an average that weights the performance measures according to the support size of each class.

3.2.1 Random Forest

| | | | | | | |
|--------------|----------|-------------|------------|-------------|-----------|----------|
| Output Class | zfp-p-18 | 730 100% | 209 15% | 1233 53% | 0 0% | 0 0% |
| | zfp-p-20 | 0 0% | 339 24% | 156 7% | 0 0% | 0 0% |
| | zfp-p-22 | 0 0% | 831 59% | 200 9% | 1 100% | 0 0% |
| | zfp-p-24 | 0 0% | 39 3% | 20 1% | 0 0% | 0 0% |
| | lossless | 0 0% | 0 0% | 703 30% | 0 0% | 0 0% |
| | | zfp-p-18 | zfp-p-20 | zfp-p-22 | zfp-p-24 | lossless |
| Target Class | | | | | | |

Figure 1: Classification Matrix for the Random tree statistical model.

| class | precision | recall | f1-score | support |
|--------------|-----------|--------|----------|----------|
| zfp_p_18 | 1.000 | 0.336 | 0.503 | 2172.000 |
| zfp_p_20 | 0.239 | 0.685 | 0.354 | 495.000 |
| zfp_p_22 | 0.087 | 0.194 | 0.120 | 1031.000 |
| zfp_p_24 | 0.000 | 0.000 | 0.000 | 59.000 |
| lossless | 0.000 | 0.000 | 0.000 | 703.000 |
| accuracy | 0.285 | 0.285 | 0.285 | 0.285 |
| macro avg | 0.265 | 0.243 | 0.195 | 4460.000 |
| weighted avg | 0.534 | 0.285 | 0.312 | 4460.000 |

Table 4: Evaluation of Random Forest performance. Each class has an associated precision, recall, and f1-score associated with it. Below the classes the accuracy is listed, along with averages of the precision, recall, and f1-score over the entire dataset.

3.2.2 AdaBoost

| | | | | | | |
|--------------|----------|----------|----------|-------------|-----------|----------|
| Output Class | zfp-p-18 | 0 0% | 0 0% | 2172 49% | 0 0% | 0 0% |
| | zfp-p-20 | 0 0% | 0 0% | 495 11% | 0 0% | 0 0% |
| | zfp-p-22 | 0 0% | 0 0% | 1031 23% | 1 100% | 0 0% |
| | zfp-p-24 | 0 0% | 0 0% | 59 1% | 0 0% | 0 0% |
| | lossless | 0 0% | 0 0% | 703 16% | 0 0% | 0 0% |
| | | zfp-p-18 | zfp-p-20 | zfp-p-22 | zfp-p-24 | lossless |
| Target Class | | | | | | |

Figure 2: Classification Matrix for the AdaBoost tree statistical model.

| class | precision | recall | f1-score | support |
|--------------|-----------|--------|----------|----------|
| zfp_p_18 | 0.000 | 0.000 | 0.000 | 2172.000 |
| zfp_p_20 | 0.000 | 0.000 | 0.000 | 495.000 |
| zfp_p_22 | 0.231 | 1.000 | 0.376 | 1031.000 |
| zfp_p_24 | 0.000 | 0.000 | 0.000 | 59.000 |
| lossless | 0.000 | 0.000 | 0.000 | 703.000 |
| accuracy | 0.231 | 0.231 | 0.231 | 0.231 |
| macro avg | 0.046 | 0.200 | 0.075 | 4460.000 |
| weighted avg | 0.053 | 0.231 | 0.087 | 4460.000 |

Table 5: Evaluation of AdaBoost performance. Each class has an associated precision, recall, and f1-score associated with it. Below the classes the accuracy is listed, along with averages of the precision, recall, and f1-score over the entire dataset.

3.2.3 Neural Network

| | | | | | | |
|--------------|----------|----------|------------|-------------|-----------|----------|
| Output Class | zfp-p-18 | 0 0% | 938 33% | 1233 75% | 0 0% | 0 0% |
| | zfp-p-20 | 0 0% | 339 12% | 156 10% | 0 0% | 0 0% |
| | zfp-p-22 | 0 0% | 767 27% | 243 15% | 1 100% | 0 0% |
| | zfp-p-24 | 0 0% | 59 2% | 0 0% | 0 0% | 0 0% |
| | lossless | 0 0% | 700 25% | 3 0% | 0 0% | 0 0% |
| | | zfp-p-18 | zfp-p-20 | zfp-p-22 | zfp-p-24 | lossless |
| Target Class | | | | | | |

Figure 3: Classification Matrix for the Neural Network statistical model.

| class | precision | recall | f1-score | support |
|--------------|-----------|--------|----------|----------|
| zfp_p_18 | 0.948 | 0.623 | 0.752 | 2172.000 |
| zfp_p_20 | 0.157 | 0.685 | 0.255 | 495.000 |
| zfp_p_22 | 0.948 | 0.176 | 0.296 | 1031.000 |
| zfp_p_24 | 0.000 | 0.000 | 0.000 | 59.000 |
| lossless | 0.000 | 0.000 | 0.000 | 703.000 |
| accuracy | 0.420 | 0.420 | 0.420 | 0.420 |
| macro avg | 0.410 | 0.297 | 0.261 | 4460.000 |
| weighted avg | 0.698 | 0.420 | 0.463 | 4460.000 |

Table 6: Evaluation of Neural Network performance. Each class has an associated precision, recall, and f1-score associated with it. Below the classes the accuracy is listed, along with averages of the precision, recall, and f1-score over the entire dataset.

3.2.4 k-Nearest Neighbors

| | | | | | | |
|--------------|----------|-----------|------------|-------------|----------|----------|
| Output Class | zfp_p_18 | 6 100% | 209 11% | 1957 76% | 0 0% | 0 0% |
| | zfp_p_20 | 0 0% | 339 18% | 156 6% | 0 0% | 0 0% |
| | zfp_p_22 | 0 0% | 869 46% | 162 6% | 0 0% | 0 0% |
| | zfp_p_24 | 0 0% | 51 3% | 8 0% | 0 0% | 0 0% |
| | lossless | 0 0% | 411 22% | 292 11% | 0 0% | 0 0% |
| | | zfp_p_18 | zfp_p_20 | zfp_p_22 | zfp_p_24 | lossless |
| Target Class | | | | | | |

Figure 4: Classification Matrix for the k-Nearest Neighbors statistical model.

| | precision | recall | f1-score | support |
|--------------|-----------|--------|----------|----------|
| zfp_p_18 | 1.000 | 0.003 | 0.006 | 2172.000 |
| zfp_p_20 | 0.180 | 0.685 | 0.286 | 495.000 |
| zfp_p_22 | 0.063 | 0.157 | 0.090 | 1031.000 |
| zfp_p_24 | 0.000 | 0.000 | 0.000 | 59.000 |
| lossless | 0.000 | 0.000 | 0.000 | 703.000 |
| accuracy | 0.114 | 0.114 | 0.114 | 0.114 |
| macro avg | 0.249 | 0.169 | 0.076 | 4460.000 |
| weighted avg | 0.522 | 0.114 | 0.055 | 4460.000 |

Table 7: Evaluation of KNN performance. Each class has an associated precision, recall, and f1-score associated with it. Below the classes the accuracy is listed, along with averages of the precision, recall, and f1-score over the entire dataset.

3.2.5 SVM

The SVM runtime is prohibitively long on these large datasets, for now the SVM results are omitted and not included as part of the aggregate model.

3.2.6 LDA

| | | | | | | |
|--------------|----------|----------|--------------|-------------|----------|----------|
| Output Class | zfp-p-18 | 0 0% | 0 0% | 2172 63% | 0 0% | 0 0% |
| | zfp-p-20 | 0 0% | 0 0% | 495 14% | 0 0% | 0 0% |
| | zfp-p-22 | 0 0% | 1031 100% | 0 0% | 0 0% | 0 0% |
| | zfp-p-24 | 0 0% | 0 0% | 59 2% | 0 0% | 0 0% |
| | lossless | 0 0% | 0 0% | 703 21% | 0 0% | 0 0% |
| | | zfp-p-18 | zfp-p-20 | zfp-p-22 | zfp-p-24 | lossless |
| Target Class | | | | | | |

Figure 5: Classification Matrix for the LDA statistical model.

| class | precision | recall | f1-score | support |
|--------------|-----------|--------|----------|----------|
| zfp_p_18 | 0.000 | 0.000 | 0.000 | 2172.000 |
| zfp_p_20 | 0.000 | 0.000 | 0.000 | 495.000 |
| zfp_p_22 | 0.231 | 1.000 | 0.376 | 1031.000 |
| zfp_p_24 | 0.000 | 0.000 | 0.000 | 59.000 |
| lossless | 0.000 | 0.000 | 0.000 | 703.000 |
| accuracy | 0.231 | 0.231 | 0.231 | 0.231 |
| macro avg | 0.046 | 0.200 | 0.075 | 4460.000 |
| weighted avg | 0.053 | 0.231 | 0.087 | 4460.000 |

Table 8: Evaluation of LDA performance. Each class has an associated precision, recall, and f1-score associated with it. Below the classes the accuracy is listed, along with averages of the precision, recall, and f1-score over the entire dataset.

3.2.7 QDA

| | | | | | | |
|--------------|----------|-----------|-----------|------------|-------------|----------|
| Output Class | zfp-p-18 | 91 90% | 0 0% | 0 0% | 2081 60% | 0 0% |
| | zfp-p-20 | 10 10% | 0 0% | 5 1% | 480 14% | 0 0% |
| | zfp-p-22 | 0 0% | 11 58% | 216 25% | 804 23% | 0 0% |
| | zfp-p-24 | 0 0% | 0 0% | 17 2% | 42 1% | 0 0% |
| | lossless | 0 0% | 8 42% | 622 72% | 73 2% | 0 0% |
| | | zfp-p-18 | zfp-p-20 | zfp-p-22 | zfp-p-24 | lossless |
| Target Class | | | | | | |

Figure 6: Classification Matrix for the QDA statistical model.

| class | precision | recall | f1-score | support |
|--------------|-----------|--------|----------|----------|
| zfp_p_18 | 0.901 | 0.042 | 0.080 | 2172.000 |
| zfp_p_20 | 0.000 | 0.000 | 0.000 | 495.000 |
| zfp_p_22 | 0.251 | 0.210 | 0.228 | 1031.000 |
| zfp_p_24 | 0.012 | 0.712 | 0.024 | 59.000 |
| lossless | 0.000 | 0.000 | 0.000 | 703.000 |
| accuracy | 0.078 | 0.078 | 0.078 | 0.078 |
| macro avg | 0.233 | 0.193 | 0.066 | 4460.000 |
| weighted avg | 0.497 | 0.078 | 0.092 | 4460.000 |

Table 9: Evaluation of QDA performance. Each class has an associated precision, recall, and f1-score associated with it. Below the classes the accuracy is listed, along with averages of the precision, recall, and f1-score over the entire dataset.

3.2.8 Aggregate Model

| | | | | | | |
|--------------|----------|-------------|------------|-------------|------------|----------|
| Output Class | zfp_p-18 | 730 100% | 209 15% | 1233 53% | 0 0% | 0 0% |
| | zfp_p-20 | 0 0% | 339 24% | 156 7% | 0 0% | 0 0% |
| | zfp_p-22 | 0 0% | 831 60% | 200 9% | 0 0% | 0 0% |
| | zfp_p-24 | 0 0% | 0 0% | 39 2% | 20 100% | 0 0% |
| | lossless | 0 0% | 8 1% | 695 30% | 0 0% | 0 0% |
| | | zfp_p-18 | zfp_p-20 | zfp_p-22 | zfp_p-24 | lossless |
| Target Class | | | | | | |

Figure 7: Classification Matrix for the aggregate model.

| class | precision | recall | f1-score | support |
|--------------|-----------|--------|----------|----------|
| zfp_p_18 | 1.000 | 0.336 | 0.503 | 2172.000 |
| zfp_p_20 | 0.238 | 0.685 | 0.353 | 495.000 |
| zfp_p_22 | 0.087 | 0.194 | 0.120 | 1031.000 |
| zfp_p_24 | 0.000 | 0.000 | 0.000 | 59.000 |
| lossless | 0.000 | 0.000 | 0.000 | 703.000 |
| accuracy | 0.285 | 0.285 | 0.285 | 0.285 |
| macro avg | 0.265 | 0.243 | 0.195 | 4460.000 |
| weighted avg | 0.533 | 0.285 | 0.312 | 4460.000 |

Table 10: Evaluation of aggregate model performance. Each class has an associated precision, recall, and f1-score associated with it. Below the classes the accuracy is listed, along with averages of the precision, recall, and f1-score over the entire dataset.

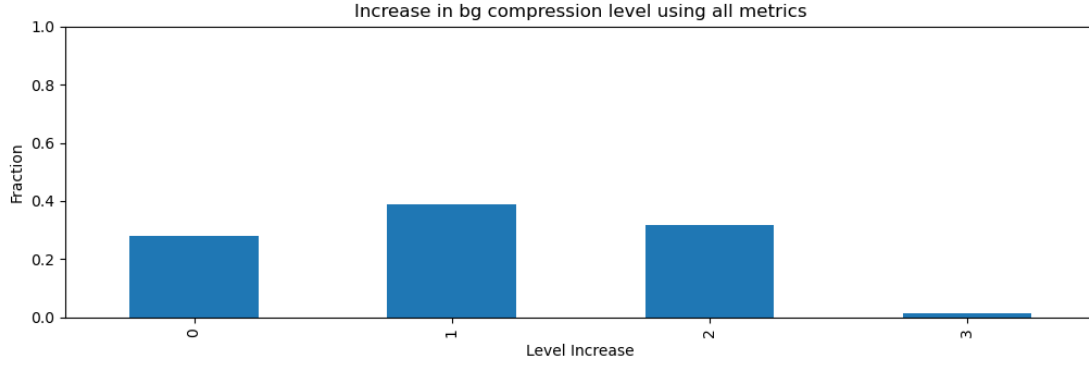


Figure 8: Fraction of all time slices where the compression level (e.g. bg_2 to bg_3 would count as a one-level increase) increased by the given amount when using all metrics instead of just the DSSIM. Note that bg_7 to lossless also counts as a single level increase.

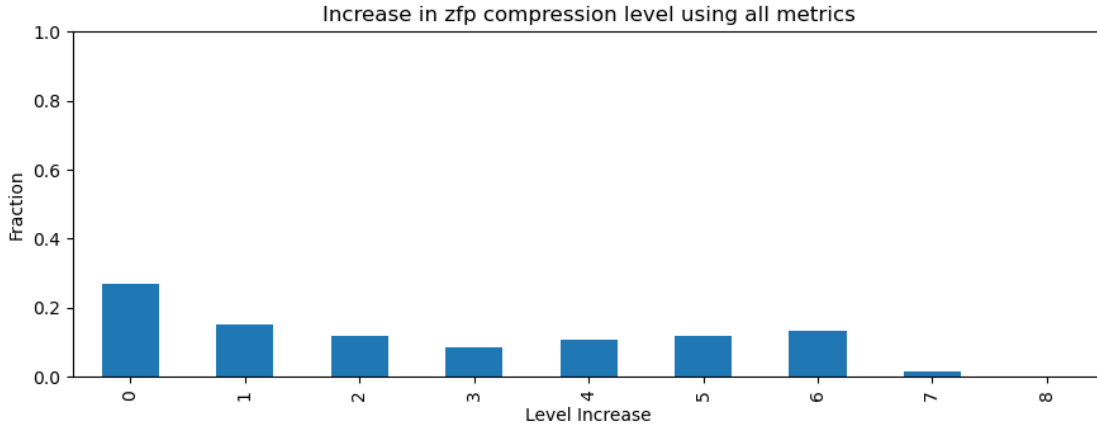


Figure 9: Fraction of all time slices where the compression level (e.g. zfp_14 to zfp_16 would count as a one-level increase) increased by the given amount when using all metrics instead of just the DSSIM. Note that zfp_24 to lossless also counts as a single level increase.

4 Using multiple metrics vs. just DSSIM

The initial metric used for comparison is the DSSIM. We introduce other metrics to capture artifacts we have found that the DSSIM is not always able to capture. The below plots show how much the optimal compression level increases when including the other metrics. The thresholds used here are less than 5% of points showing a spatial relative error of at least 0.0001, a Kolmogorov-Smirnov p-value of at least 0.05, a pearson correlation coefficient of at least 0.99999, and a DSSIM of at least 0.9995, and a maximum spatial relative error of less than 0.1.

Shown in Figures 4, 4 are the increase in compression level compared to just using the DSSIM metric. In Figures 4, 4 the fraction of time each metric is considered the "hardest" or "easiest" metric to pass is displayed, and in Figures 4, 4 are the fraction of time slices where the optimal compression level increased by at least two levels.

5 Alternate Thresholds

This analysis is repeated with alternate thresholds: For the spatial relative error, less than 1% of points showing an error of at least 0.0001, a Kolmogorov-Smirnov p-value of at least 0.01, a pearson correlation coefficient of at least 0.9999, and a DSSIM of at least 0.9995, and a maximum spatial relative error of less than 0.05.

Shown in Figures 5, 5 are the increase in compression level compared to just using the DSSIM metric. In Figures 5, 5 the fraction of time each metric is considered the "hardest" or "easiest" metric to pass is displayed, and in

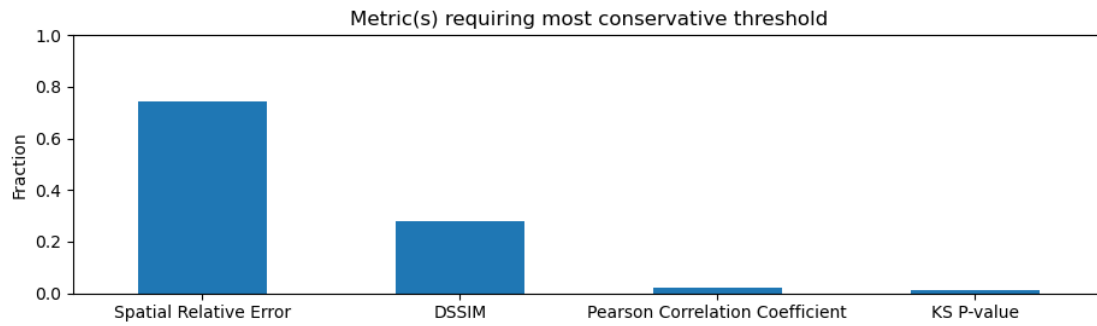


Figure 10: Fraction of all time slices where each metric is the "most selective", requiring the least-compressed compression level. In the case of ties, both metrics are counted (summing the fractions will add to over 100 percent).

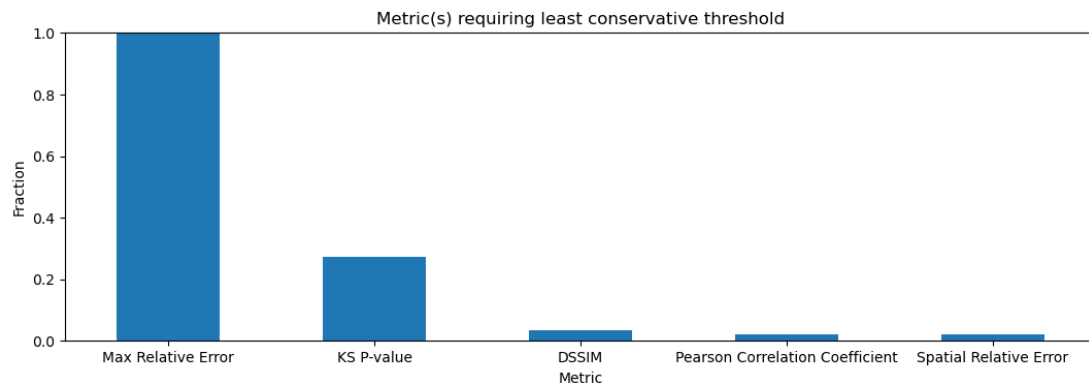


Figure 11: Fraction of all time slices where each metric is the "least selective". In the case of ties, both metrics are counted (summing the fractions will add to over 100 percent).

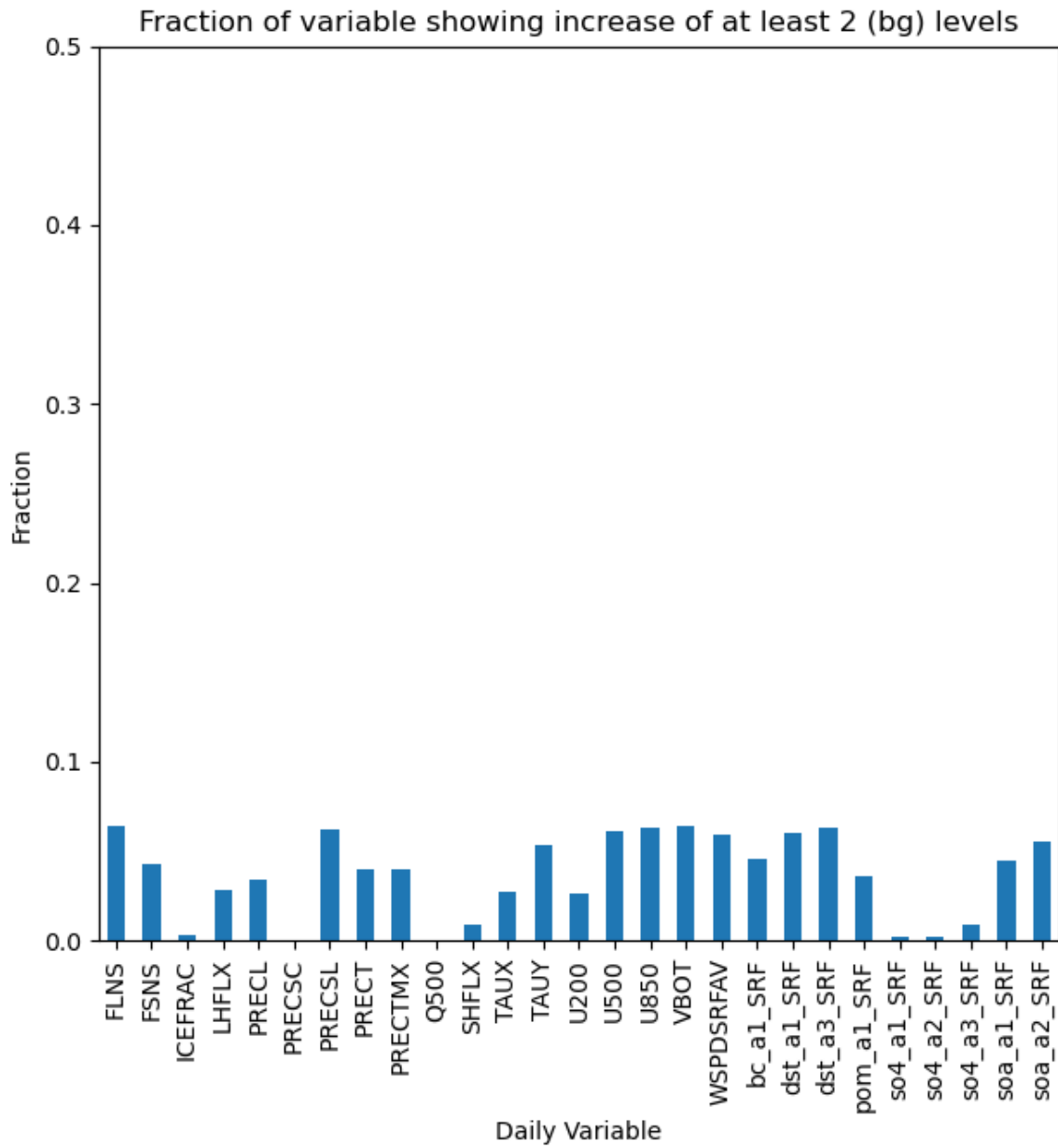


Figure 12: Counts of the number of increases for each daily variable showing an increase of over 2 (bg) levels when using all metrics, compared to just the DSSIM.

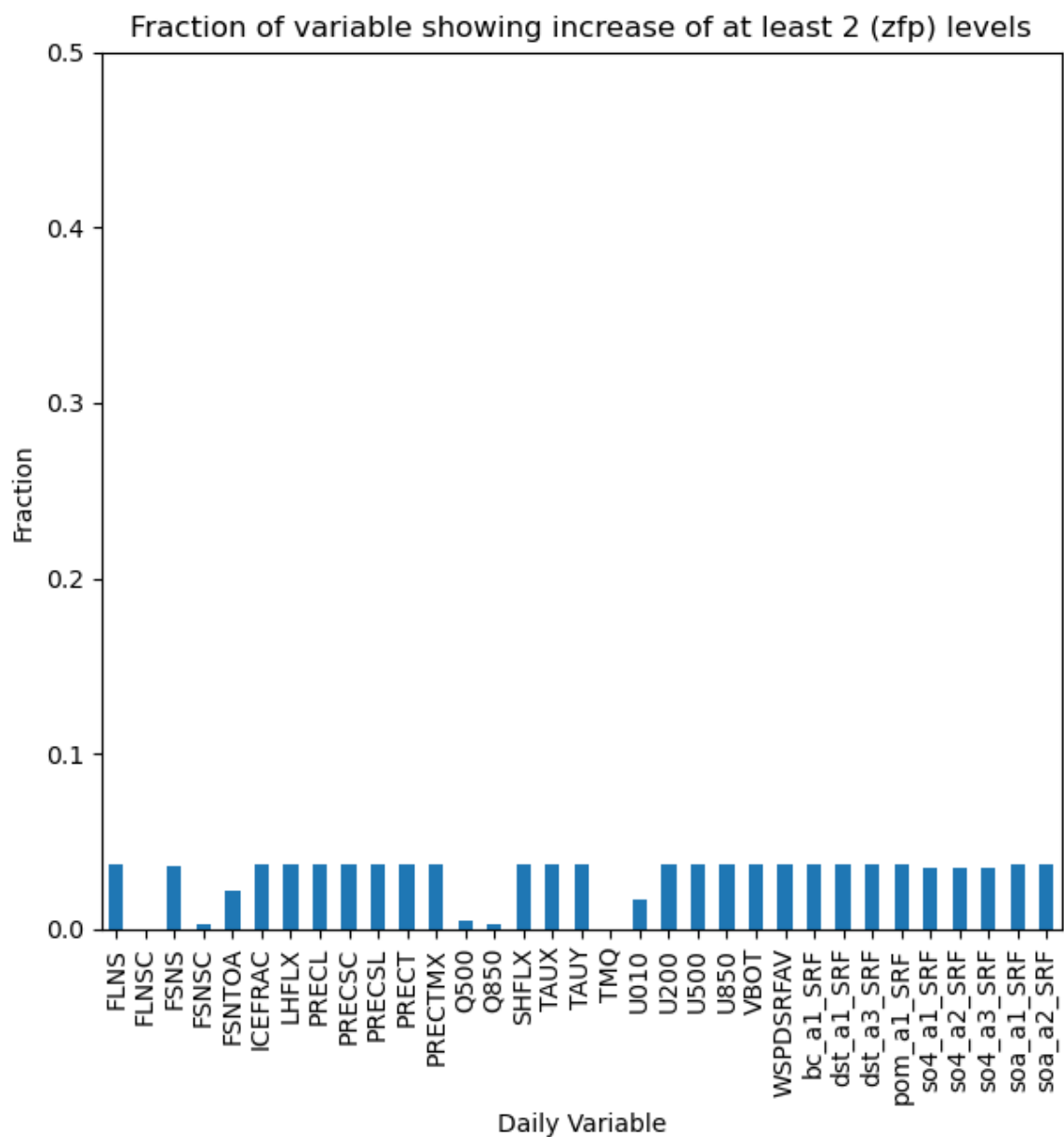


Figure 13: Counts of the number of increases for each daily variable showing an increase of over 2 (zfp) levels when using all metrics, compared to just the DSSIM.

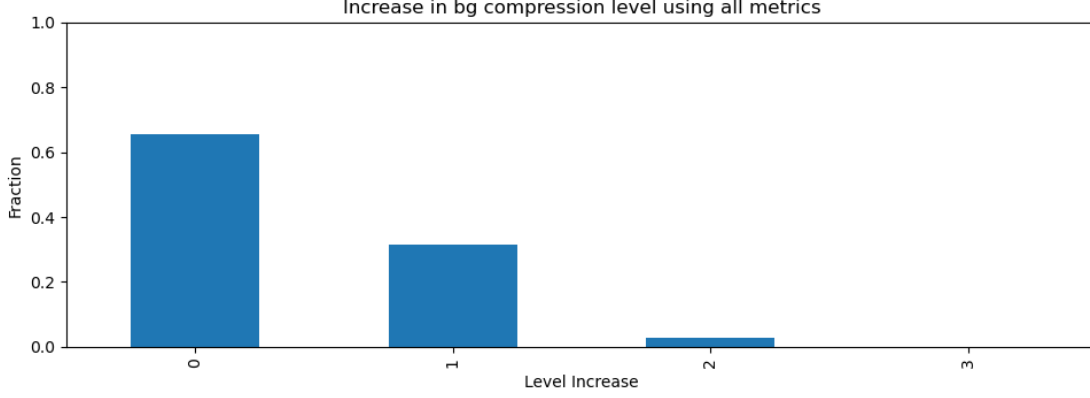


Figure 14: Fraction of all time slices where the compression level (e.g. bg_2 to bg_3 would count as a one-level increase) increased by the given amount when using all metrics instead of just the DSSIM. Note that bg_7 to lossless also counts as a single level increase.

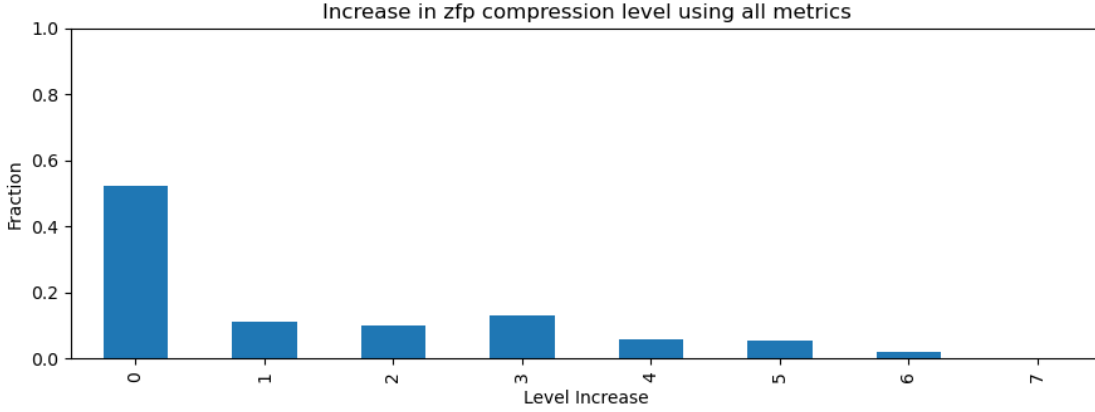


Figure 15: Fraction of all time slices where the compression level (e.g. zfp_14 to zfp_16 would count as a one-level increase) increased by the given amount when using all metrics instead of just the DSSIM. Note that zfp_24 to lossless also counts as a single level increase.

Figures 5, 5 are the fraction of time slices where the optimal compression level increased by at least two levels.

6 Histograms of Optimal Slices

References

- [1] A. H. Baker, H. Xu, D. M. Hammerling, S. Li, and J. P. Clyne, “Toward a multi-method approach: Lossy data compression for climate simulation data,” in *International Conference on High Performance Computing*. Springer, 2017, pp. 30–42.
- [2] A. Pinard, A. H. Baker, and D. M. Hammerling, “A statistical approach to obtaining a data structural similarity index cutoff threshold,” National Center for Atmospheric Research, Tech. Rep. NCAR/TN-568+STR, 2021.
- [3] —, “Examining variations in the optimal compression level of spatiotemporal datasets determined using the data structural similarity index measure (dssim),” National Center for Atmospheric Research, Tech. Rep. NCAR/TN-570+STR, 2021.

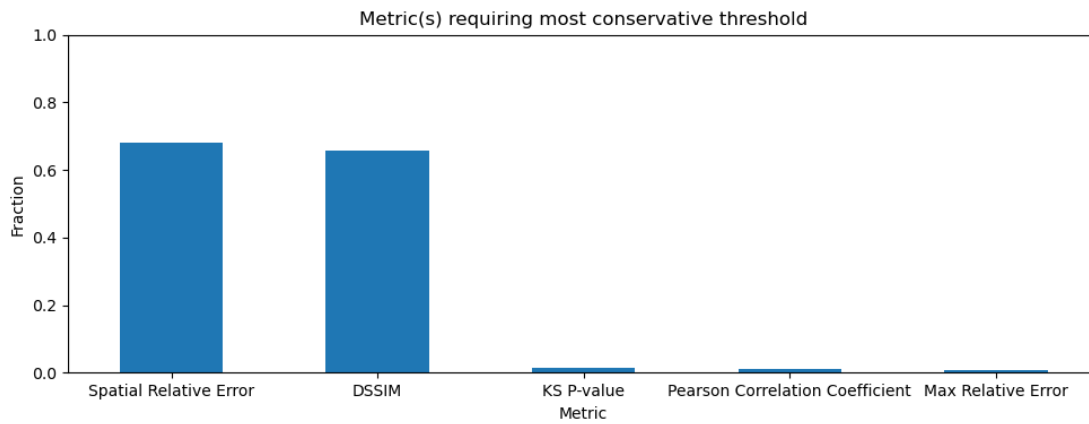


Figure 16: Fraction of all time slices where each metric is the "most selective", requiring the least-compressed compression level. In the case of ties, both metrics are counted (summing the fractions will add to over 100 percent).

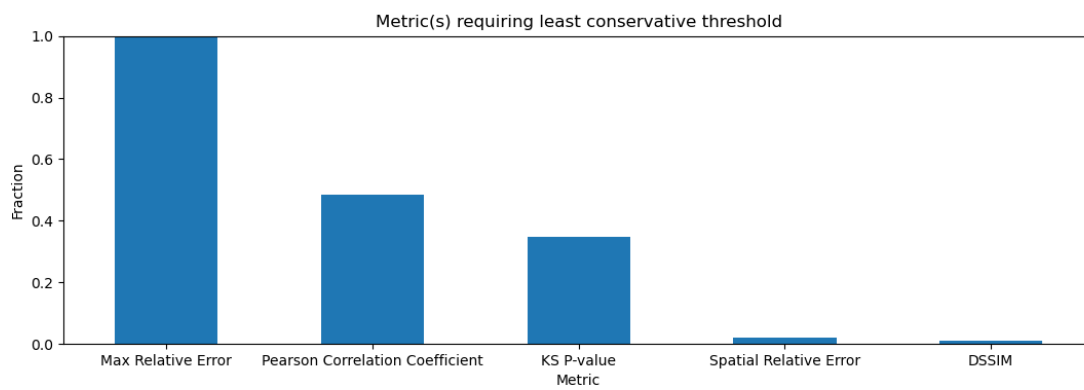


Figure 17: Fraction of all time slices where each metric is the "least selective". In the case of ties, both metrics are counted (summing the fractions will add to over 100 percent).

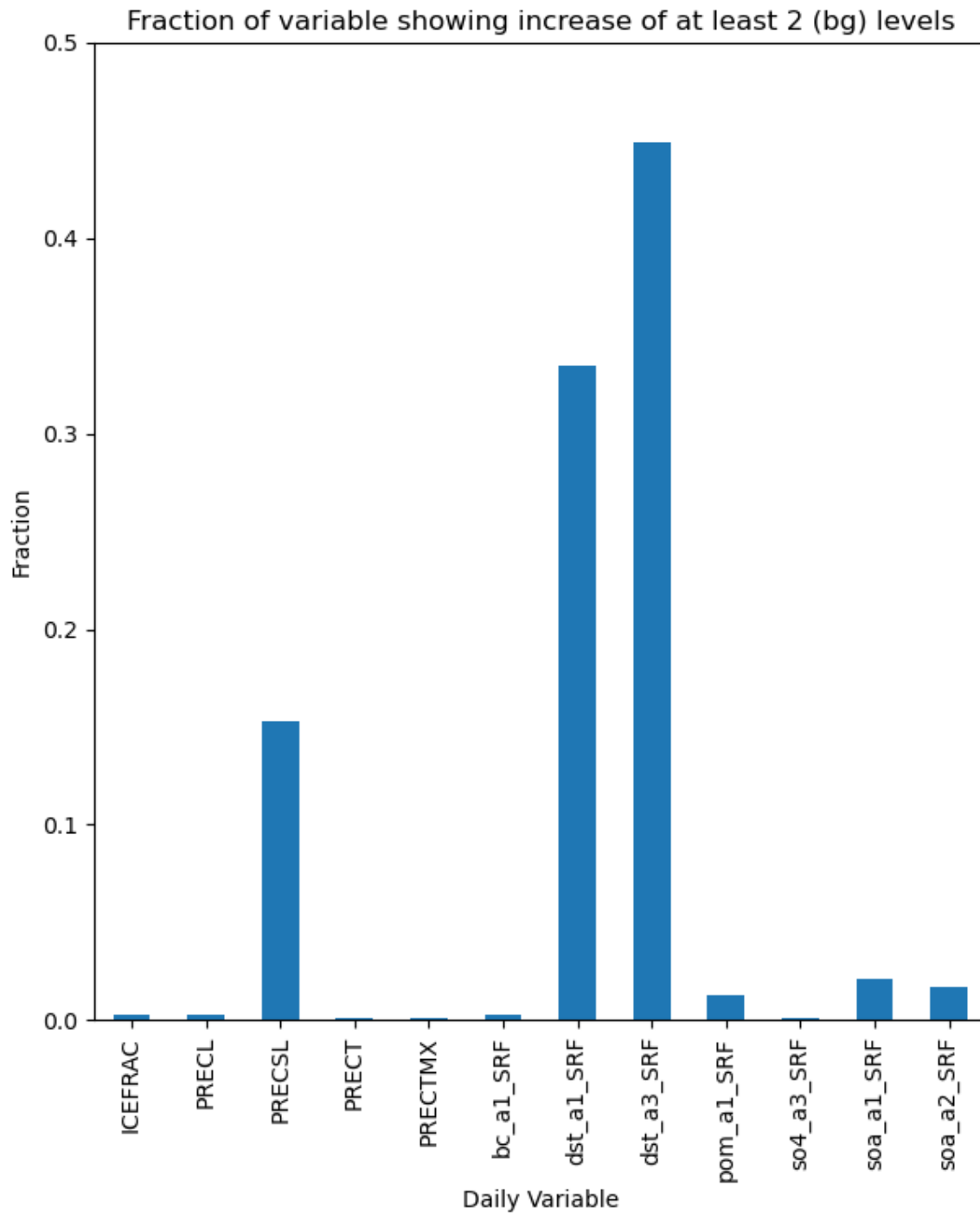


Figure 18: Counts of the number of increases for each daily variable showing an increase of over 2 (bg) levels when using all metrics, compared to just the DSSIM.

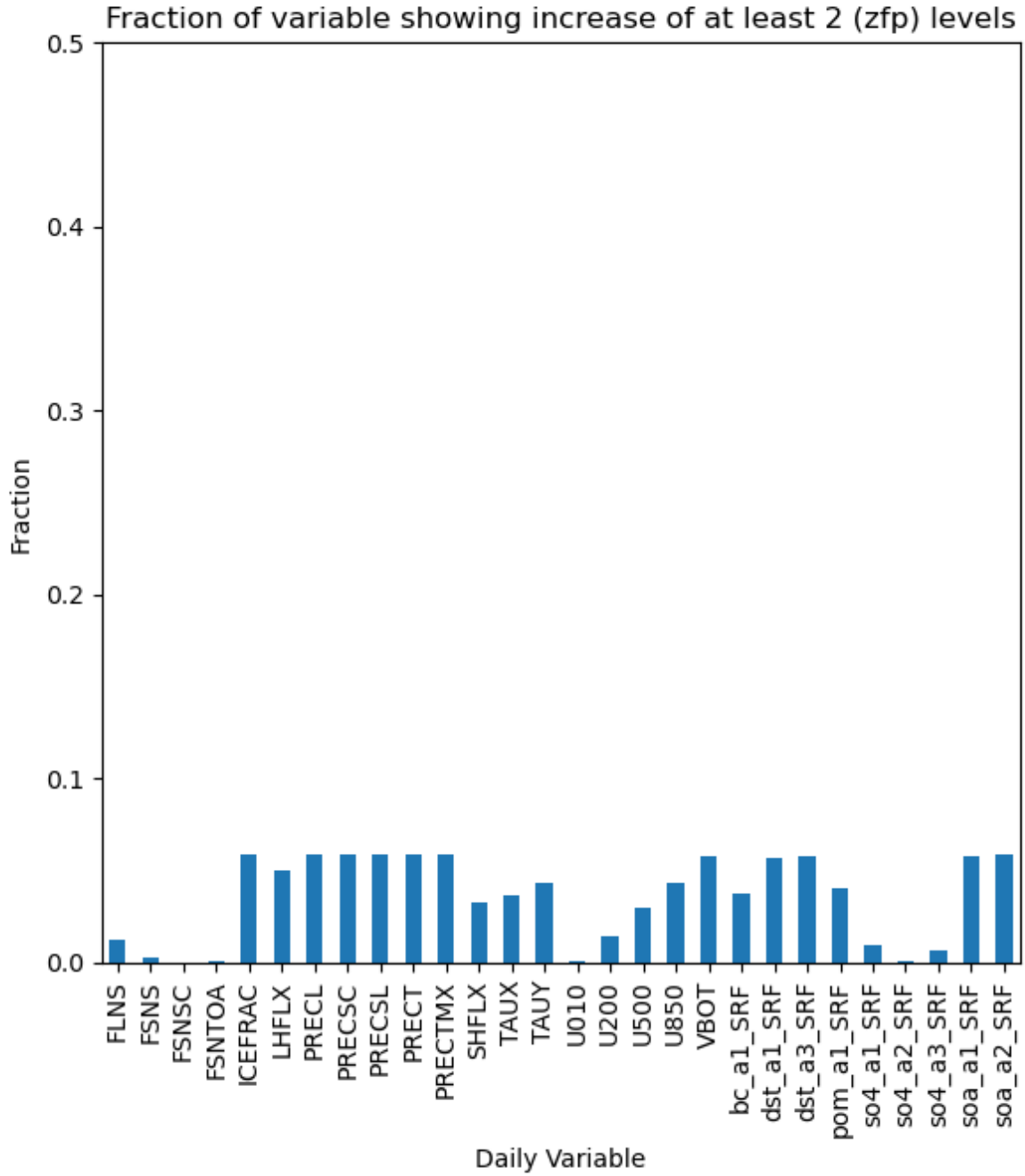
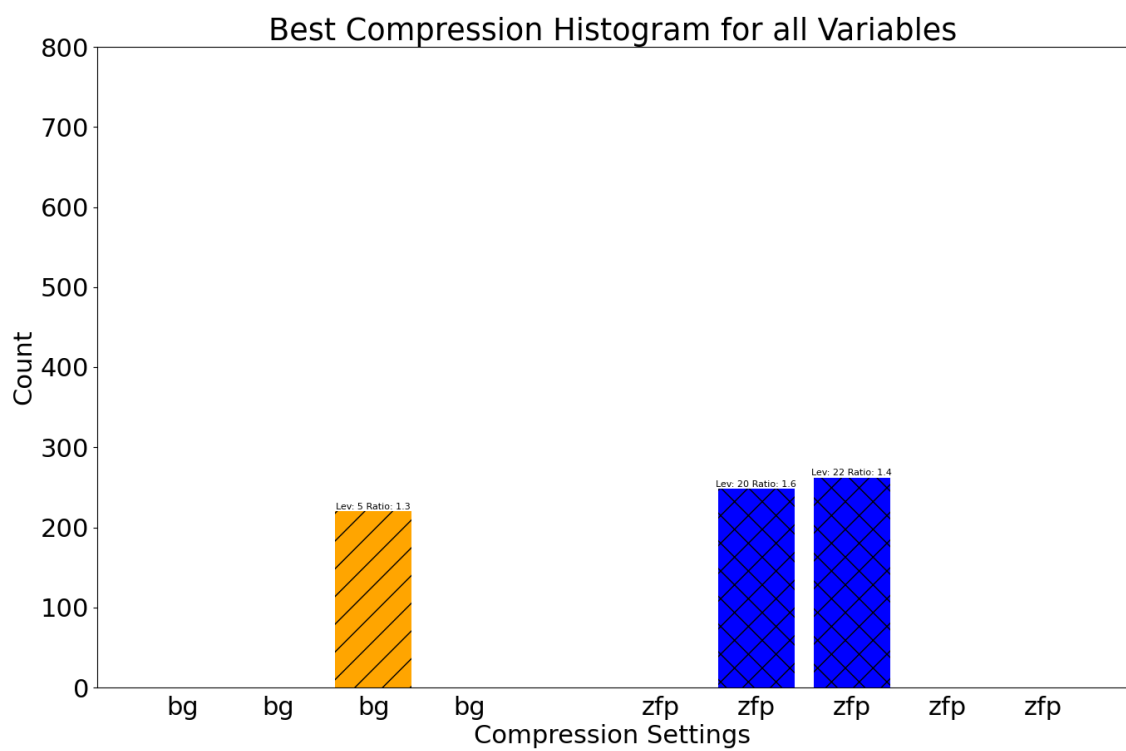
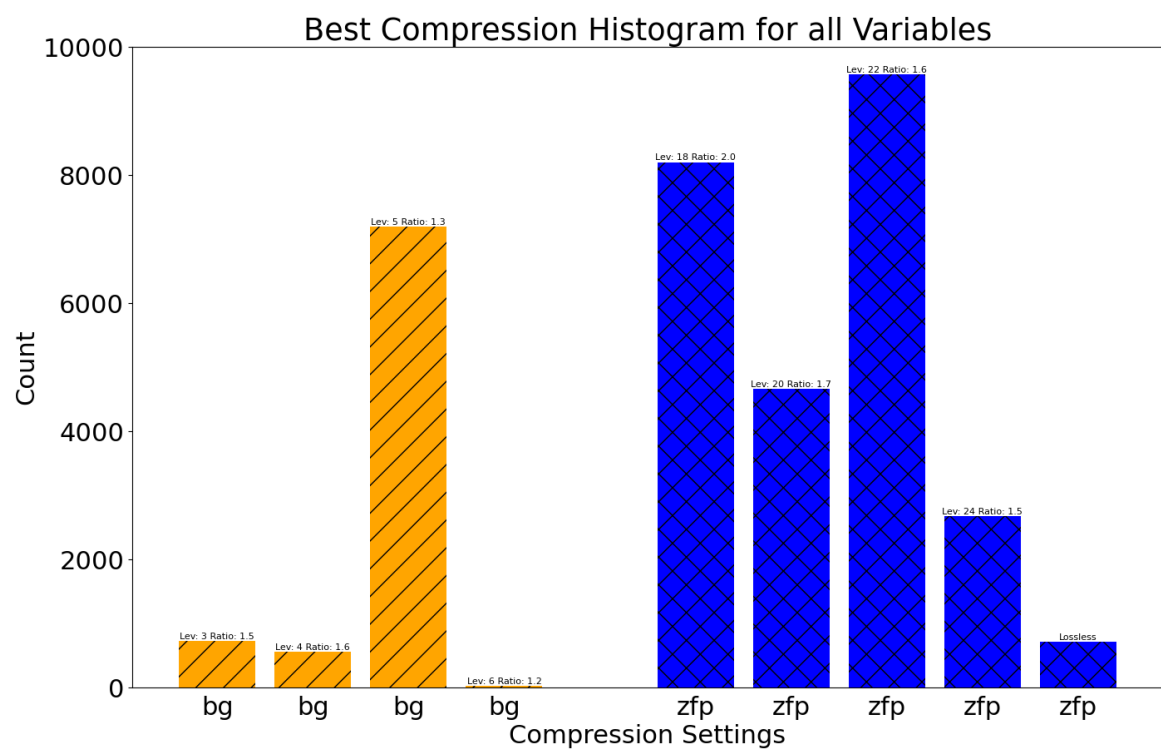
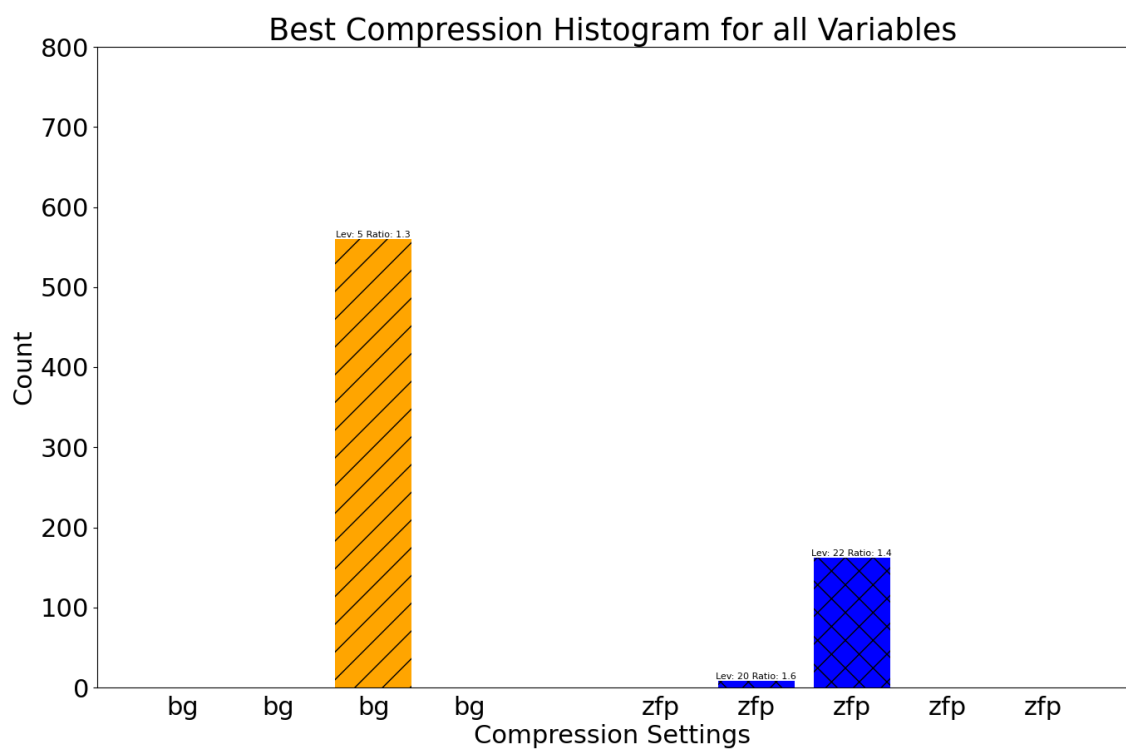
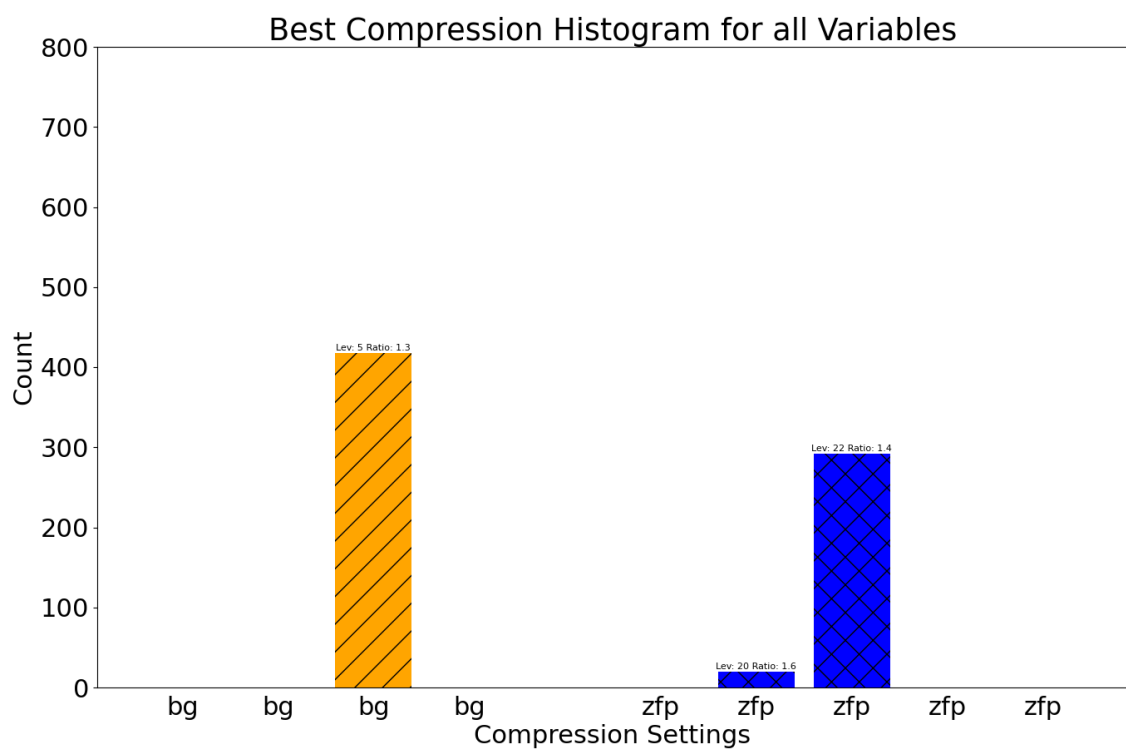
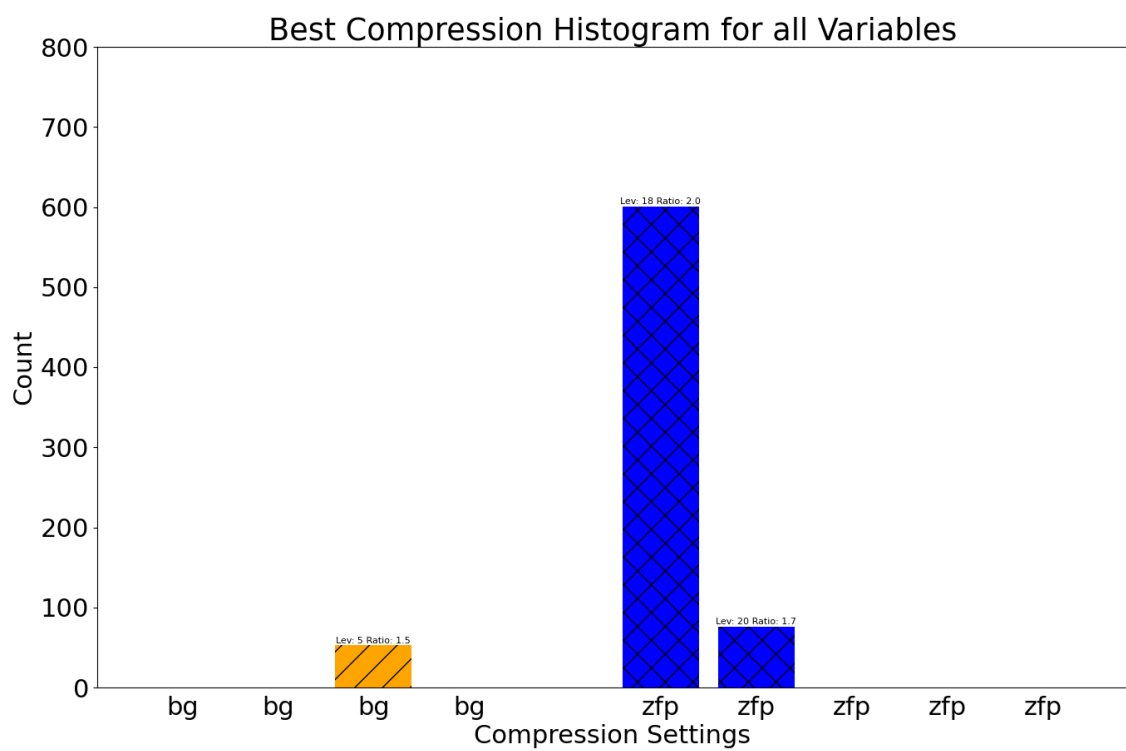
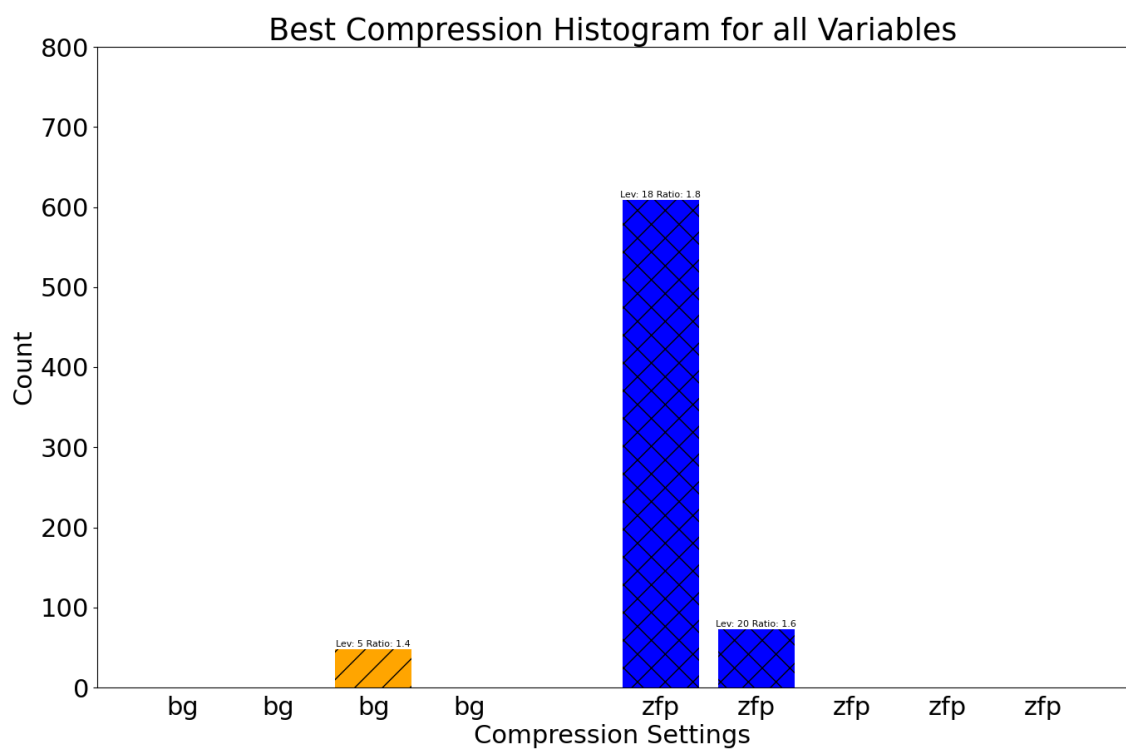
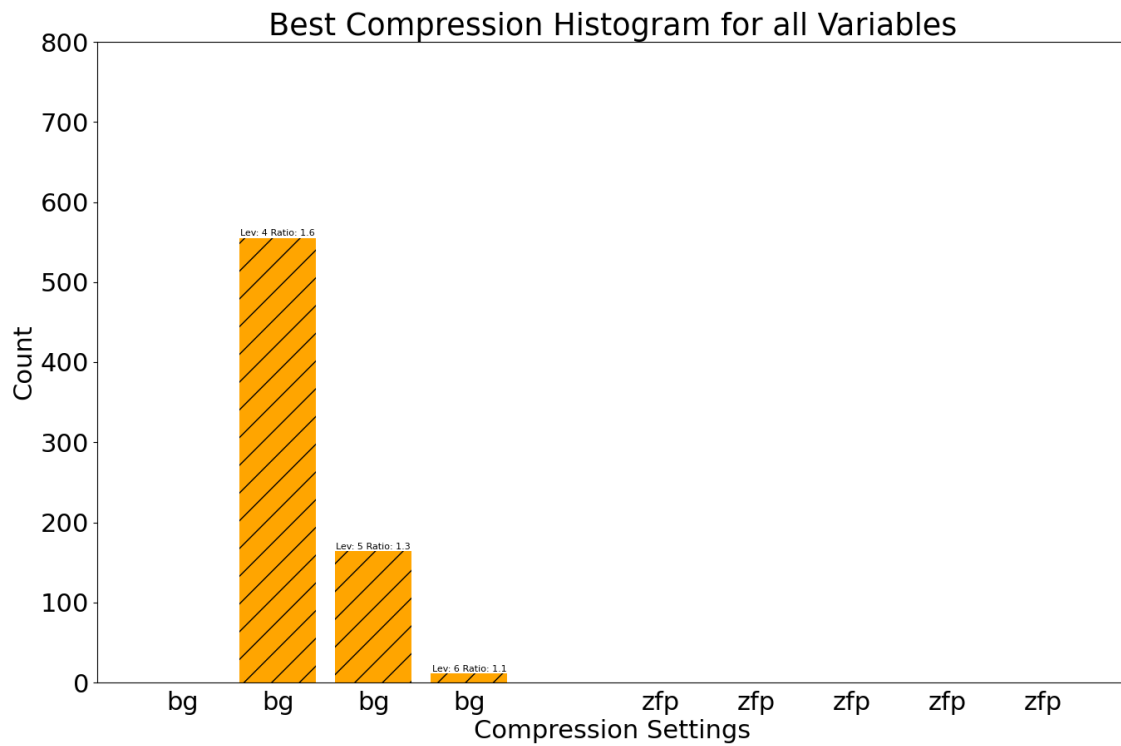
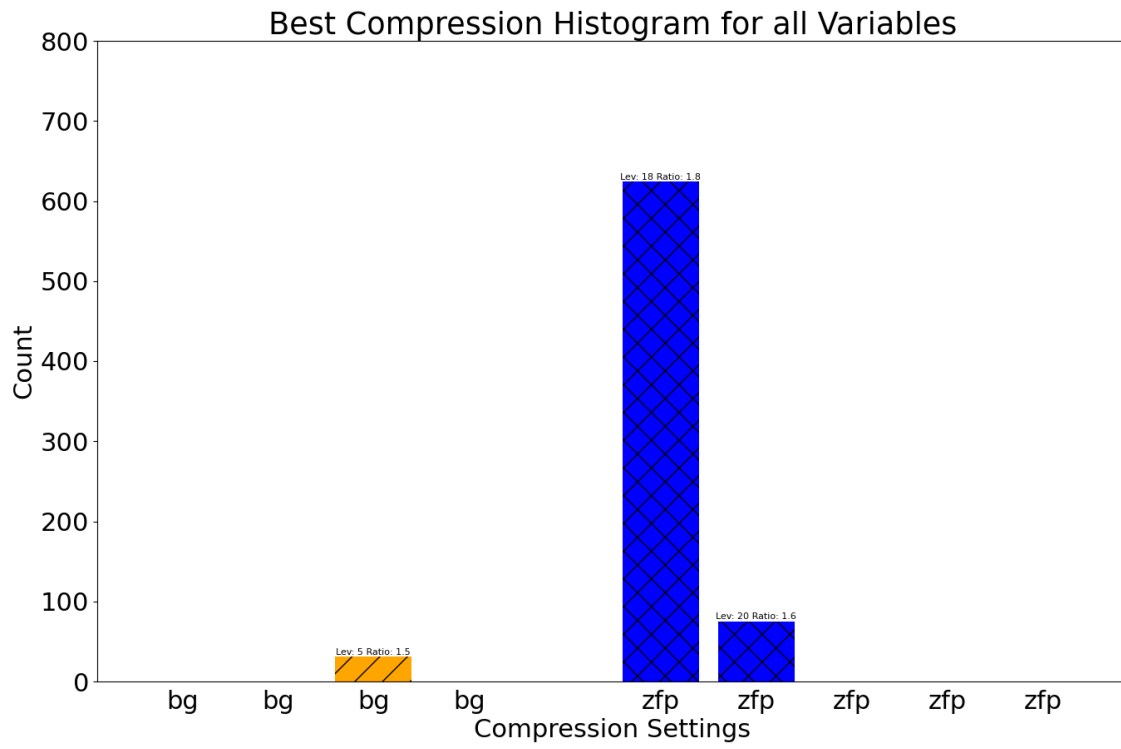


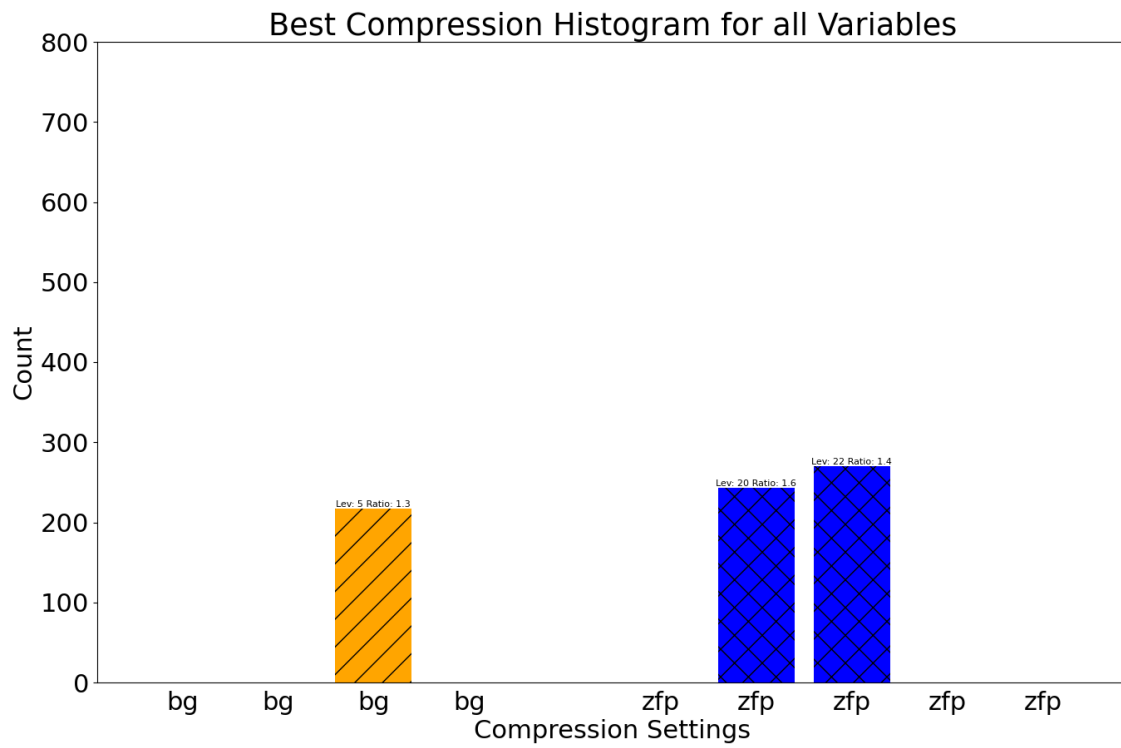
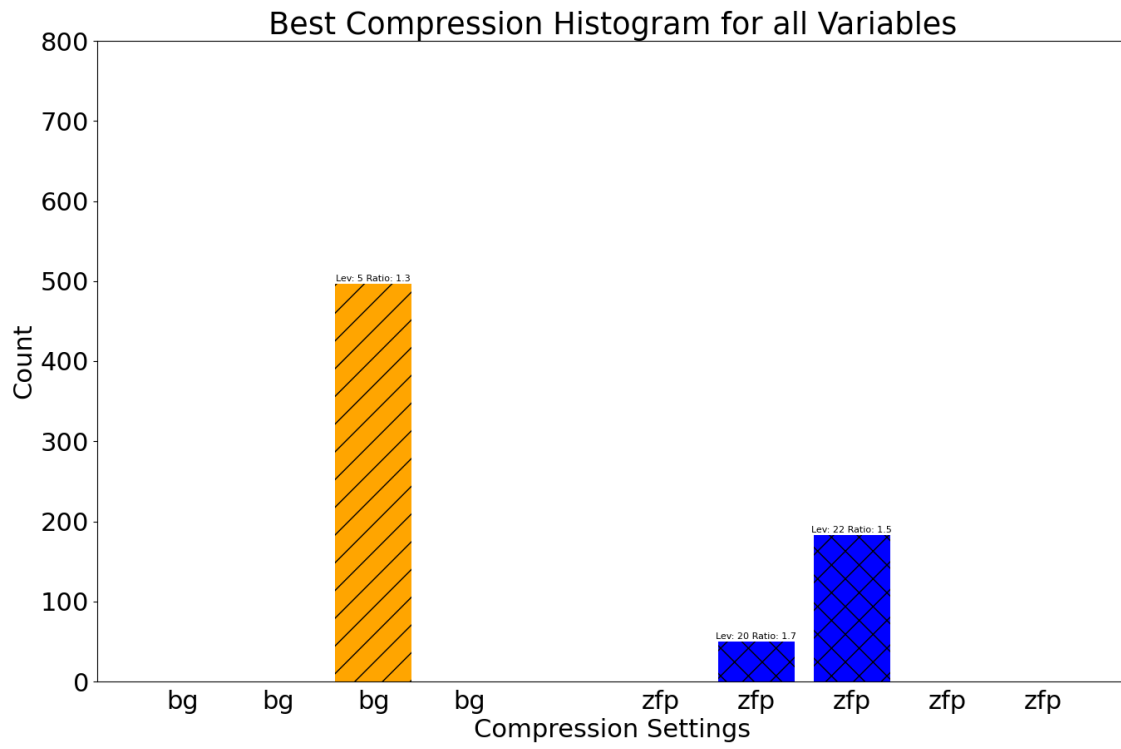
Figure 19: Counts of the number of increases for each daily variable showing an increase of over 2 (zfp) levels when using all metrics, compared to just the DSSIM.

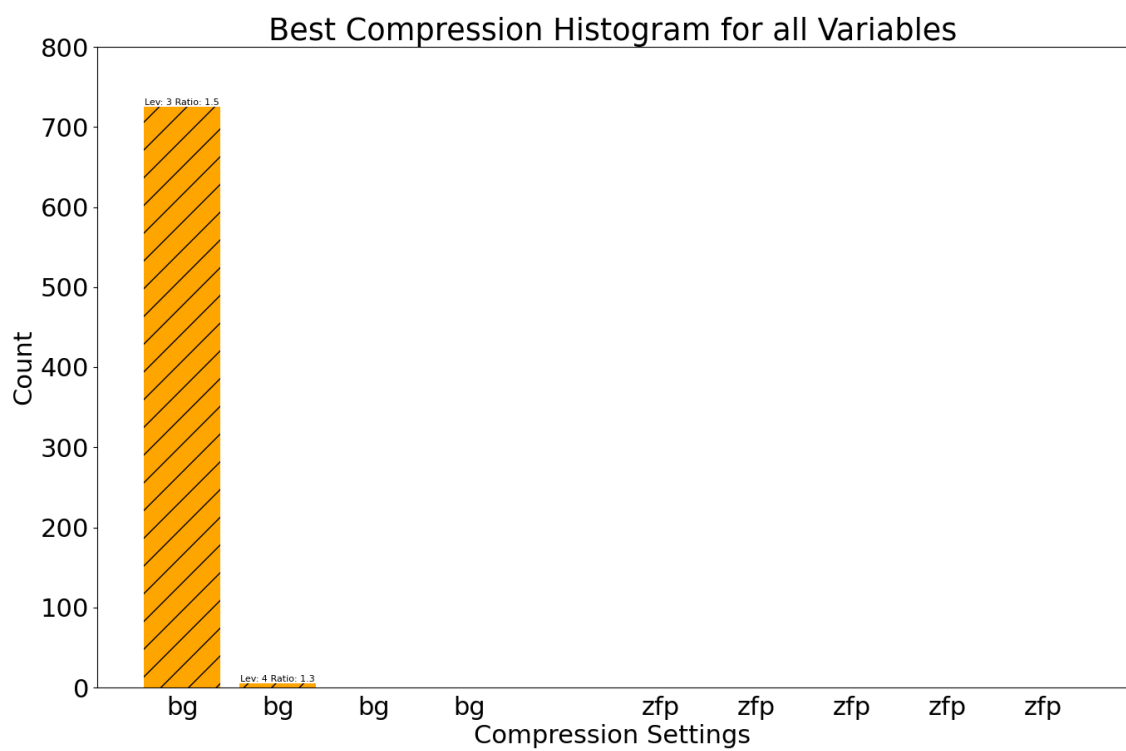
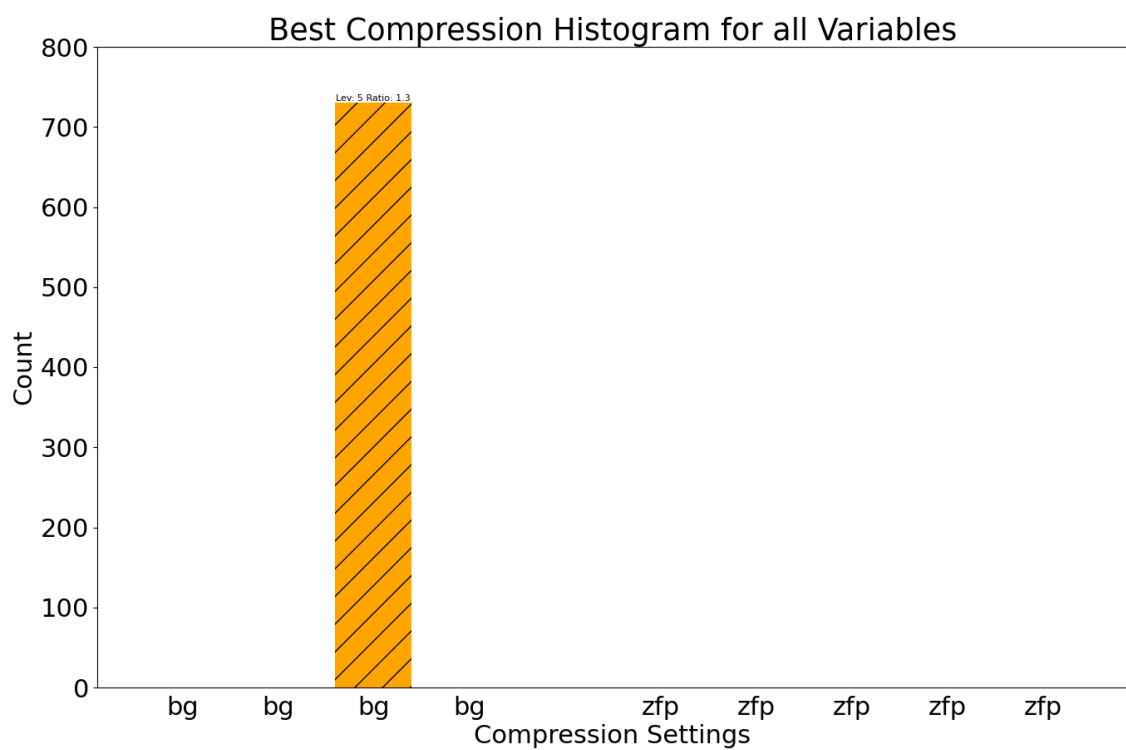


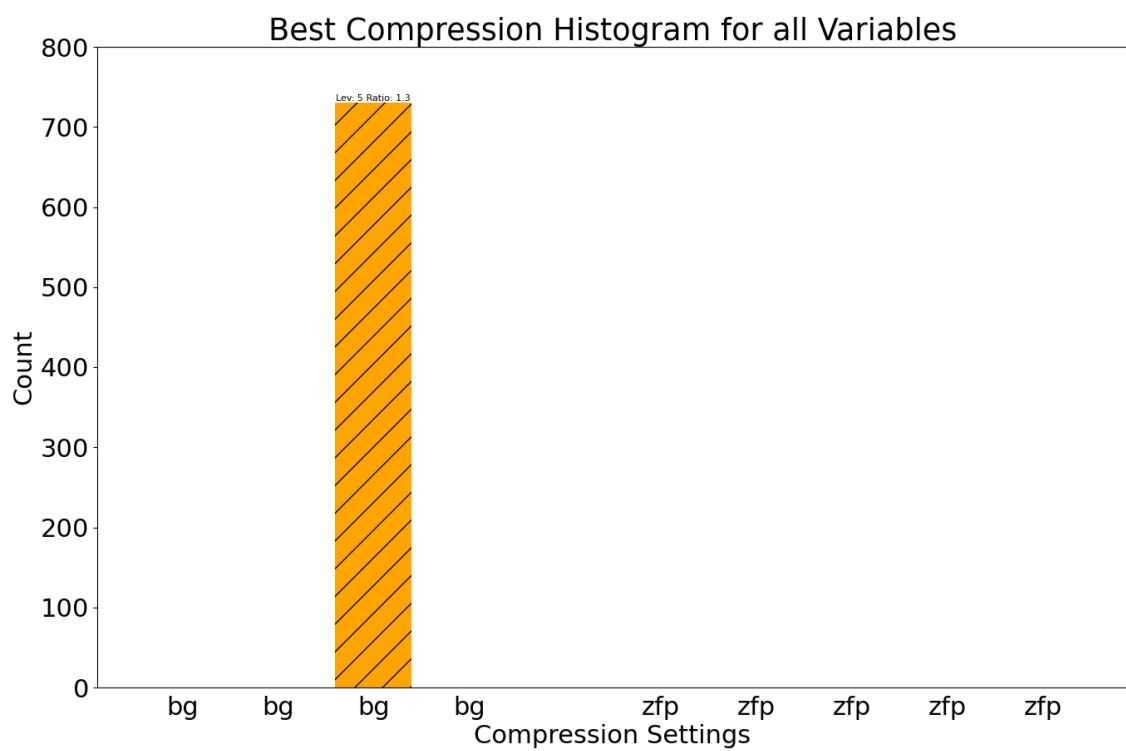
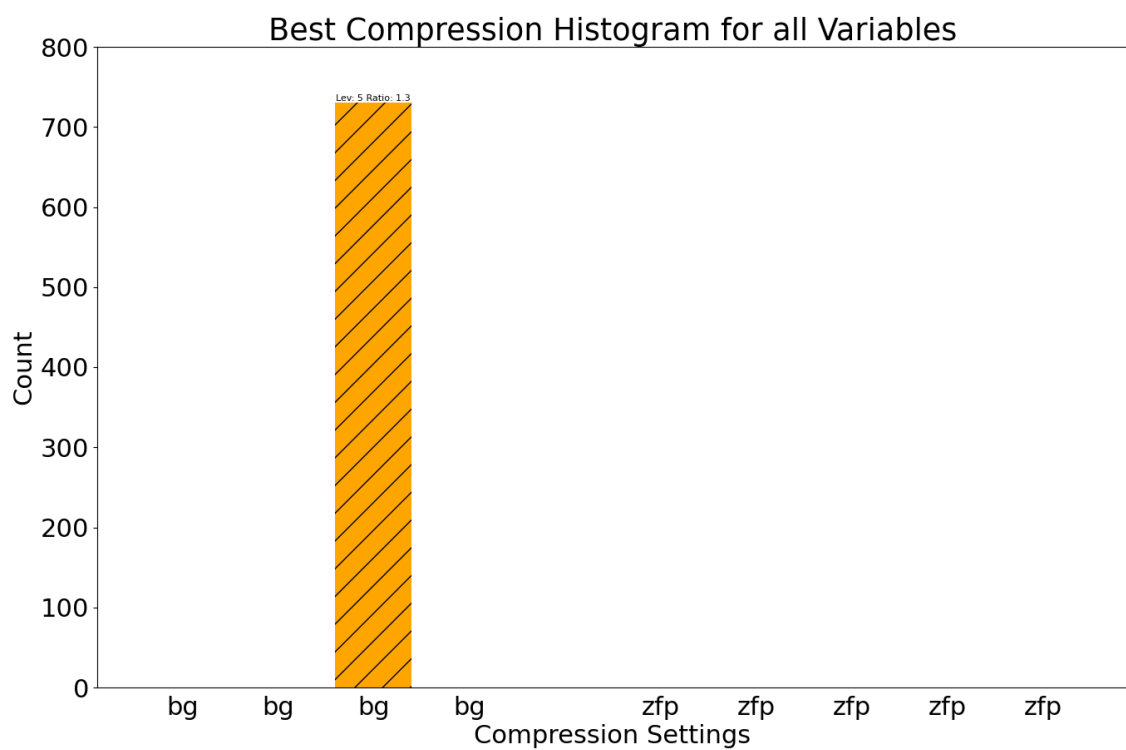


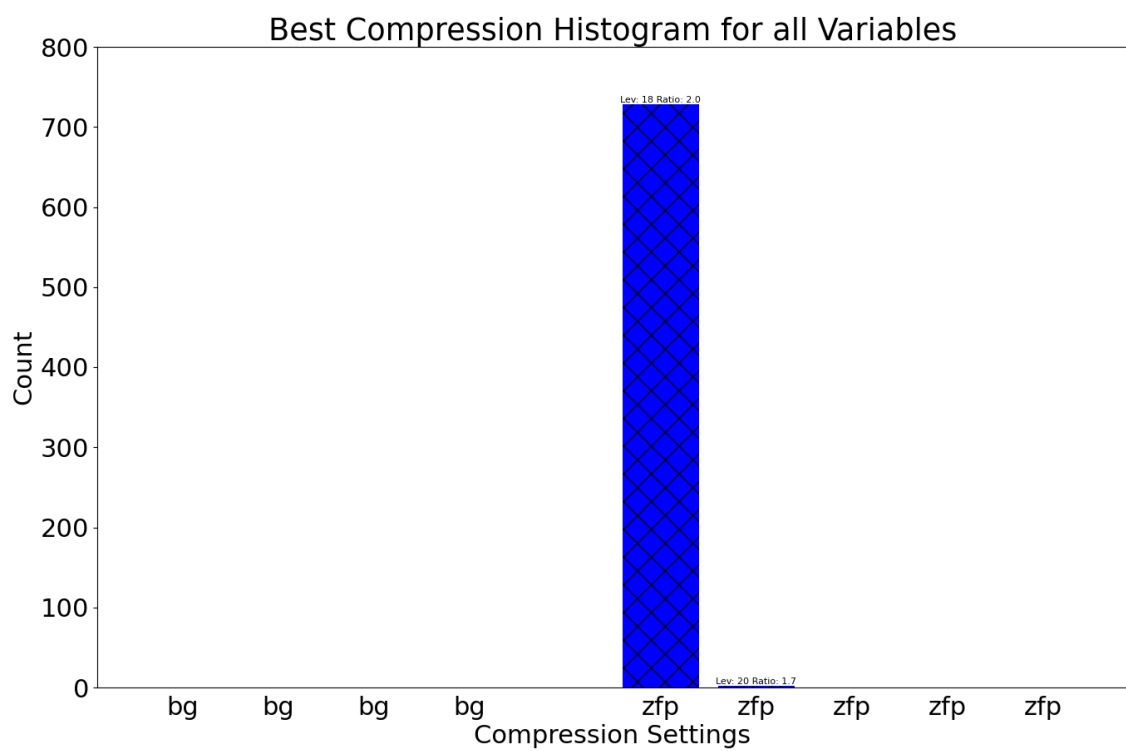
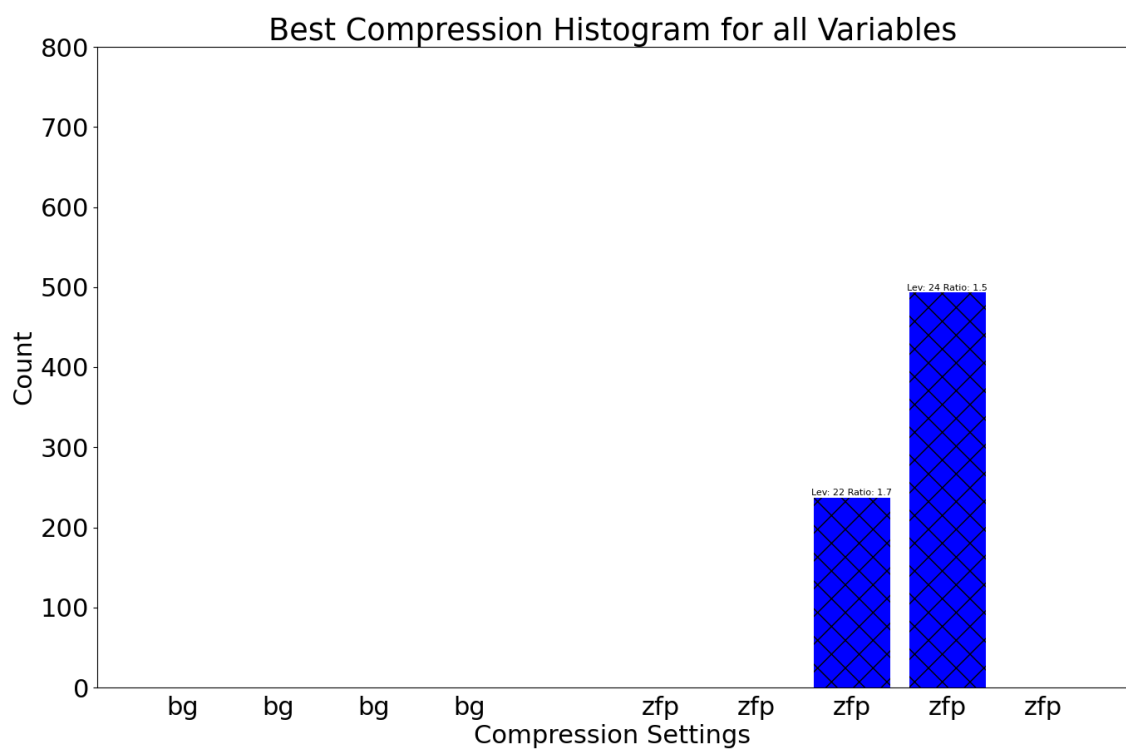


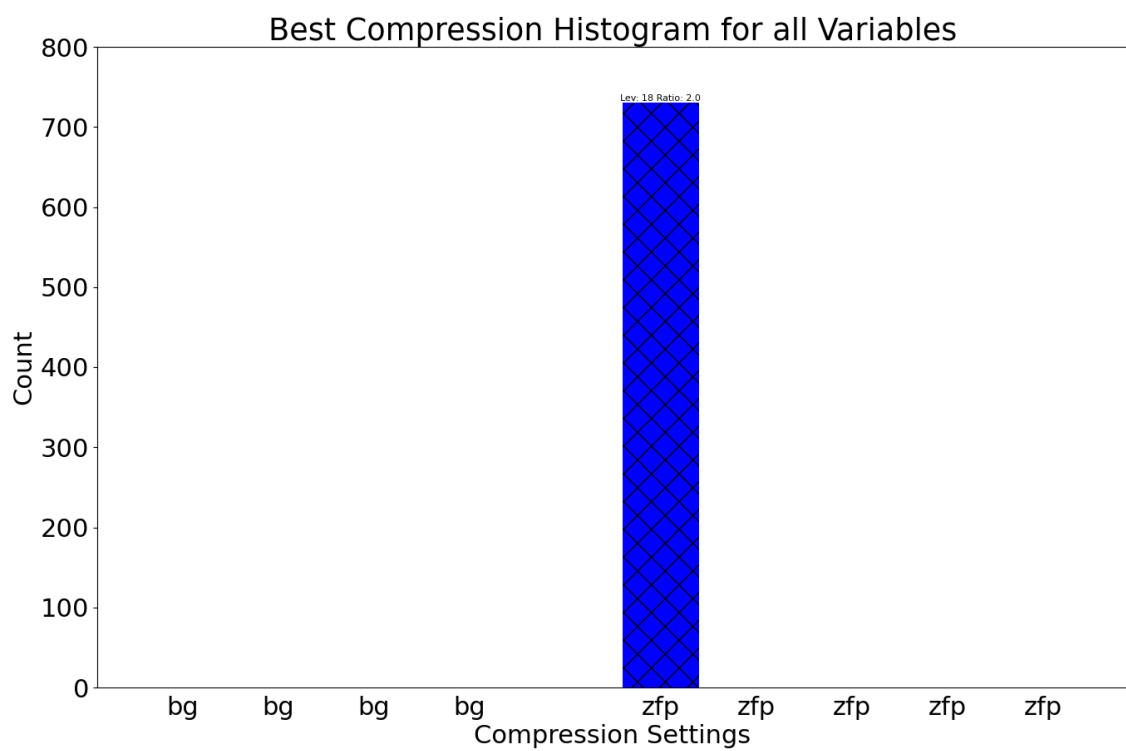
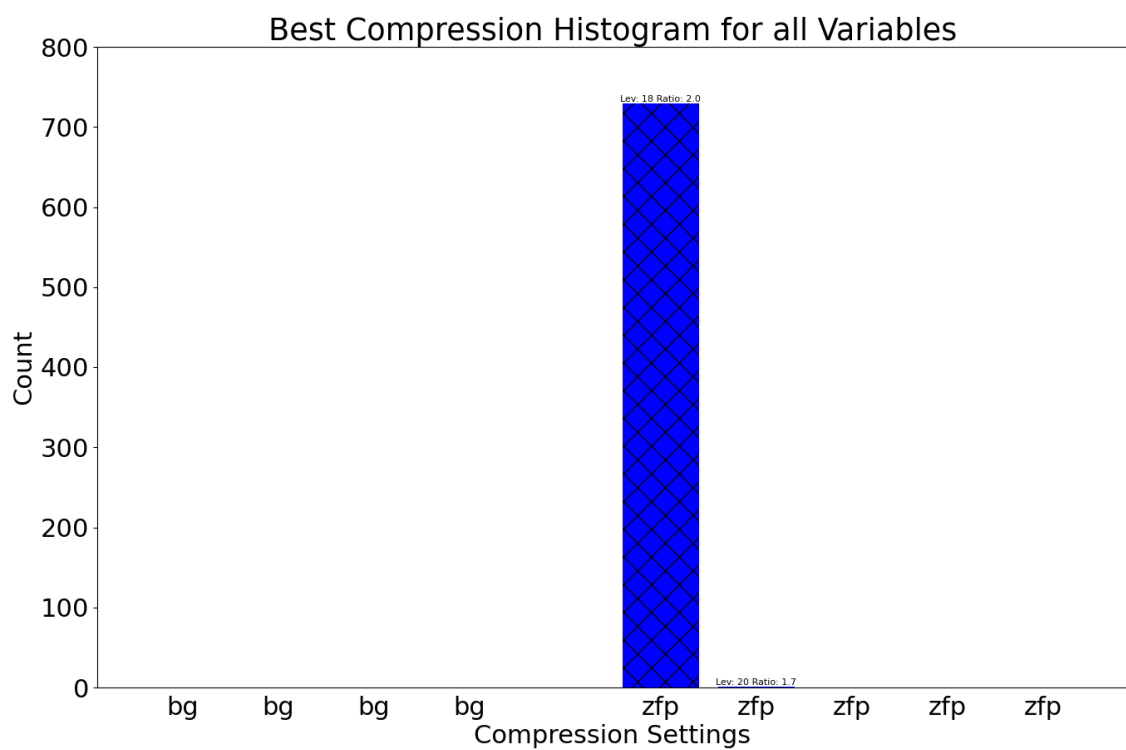


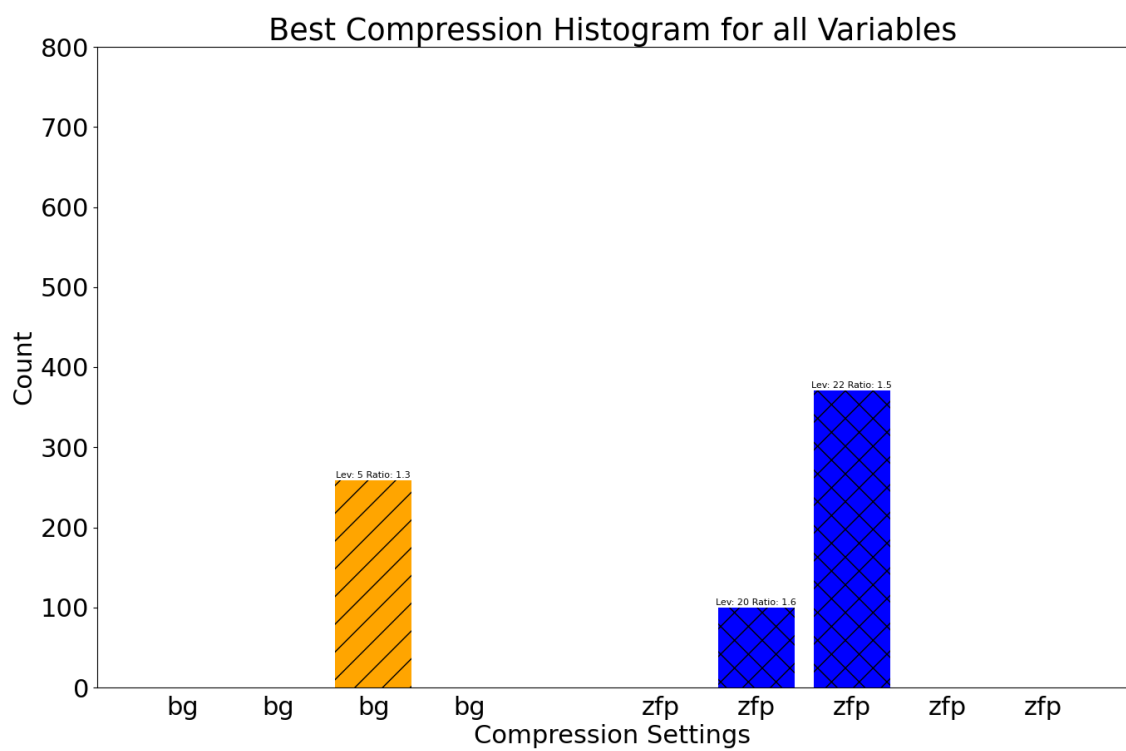
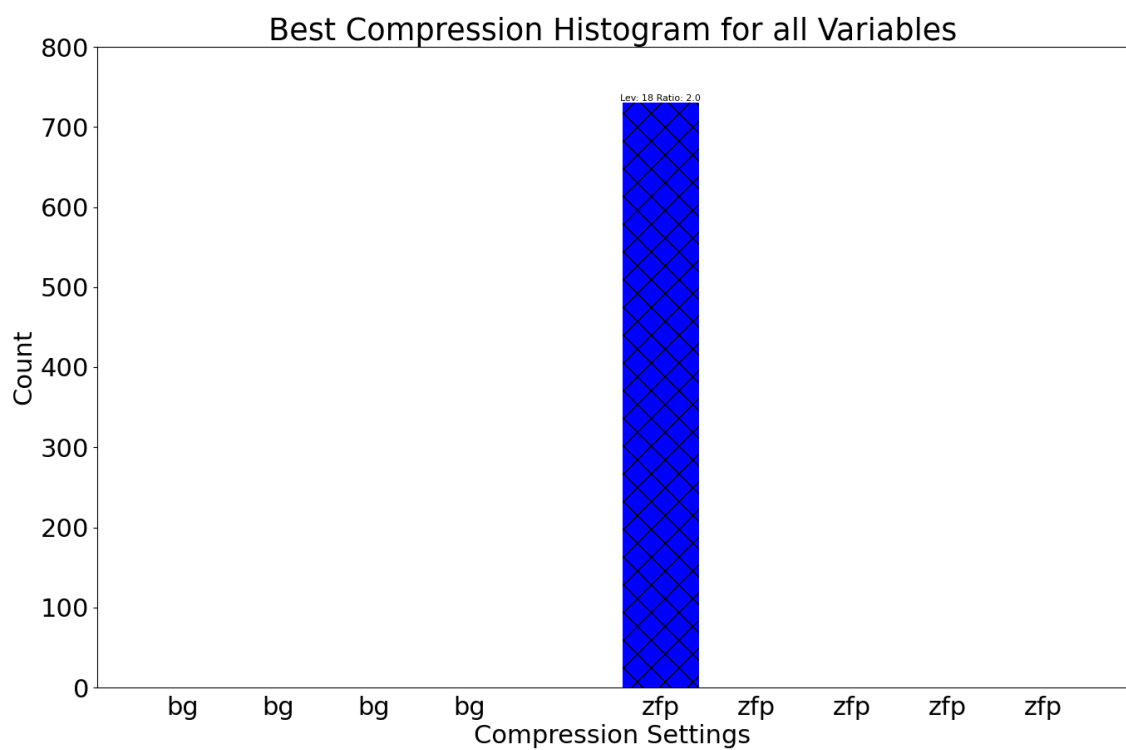


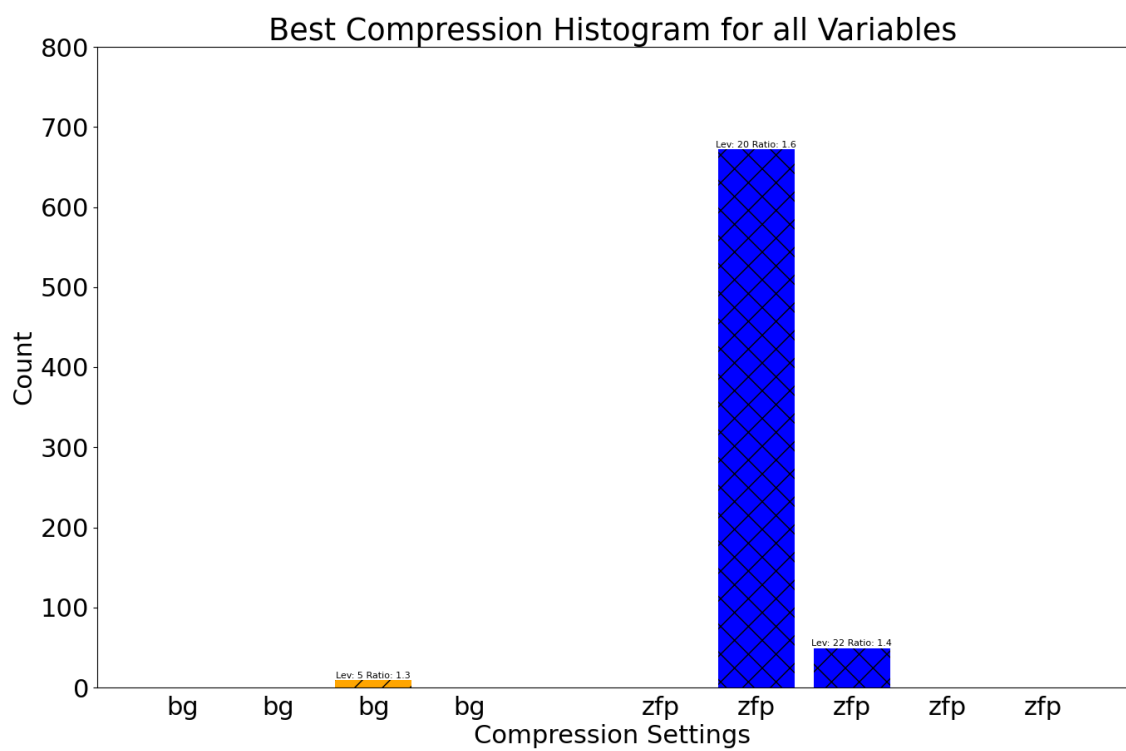
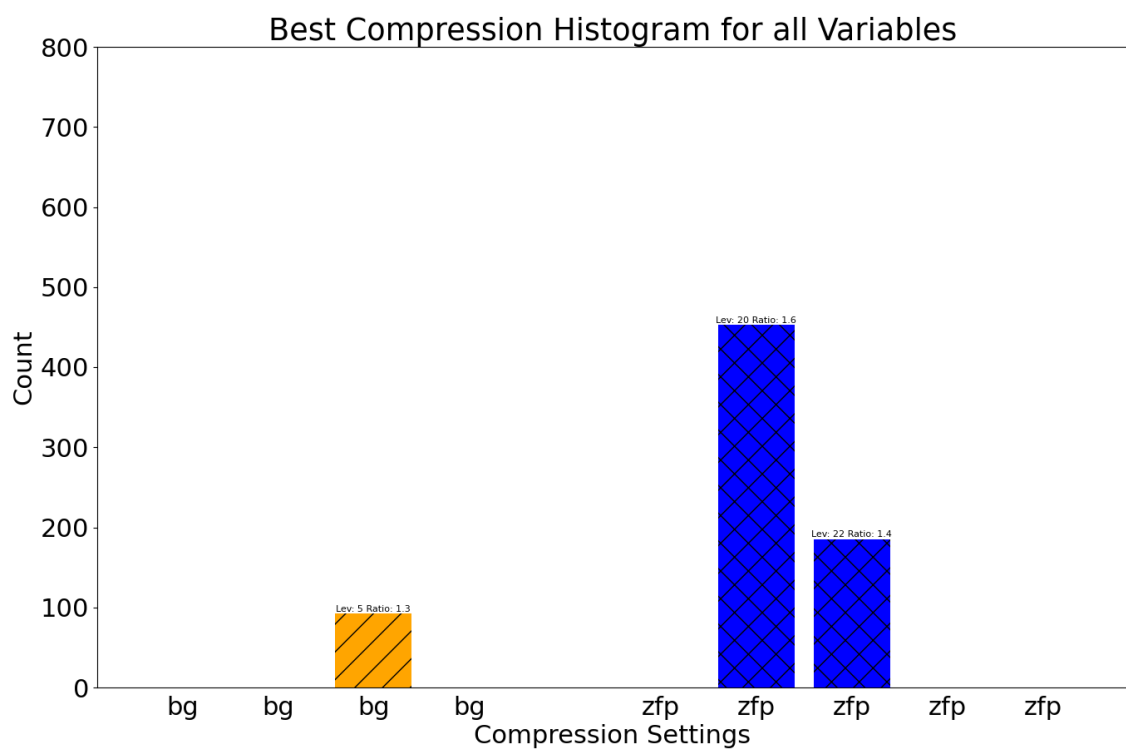


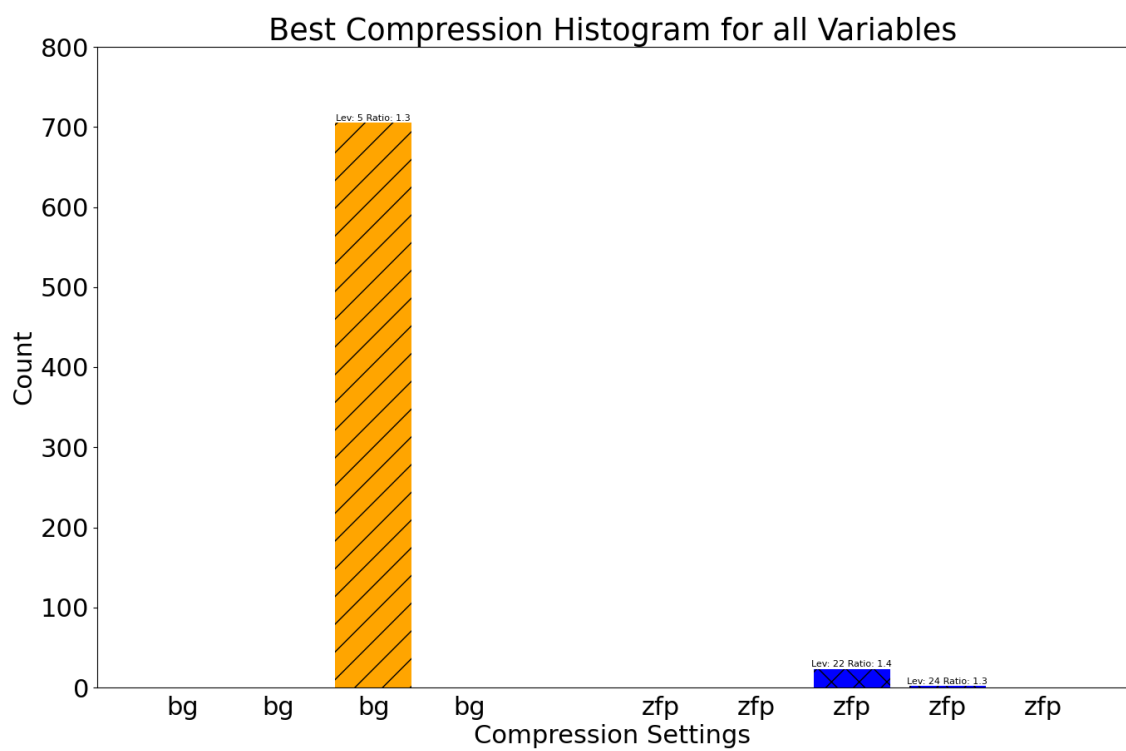
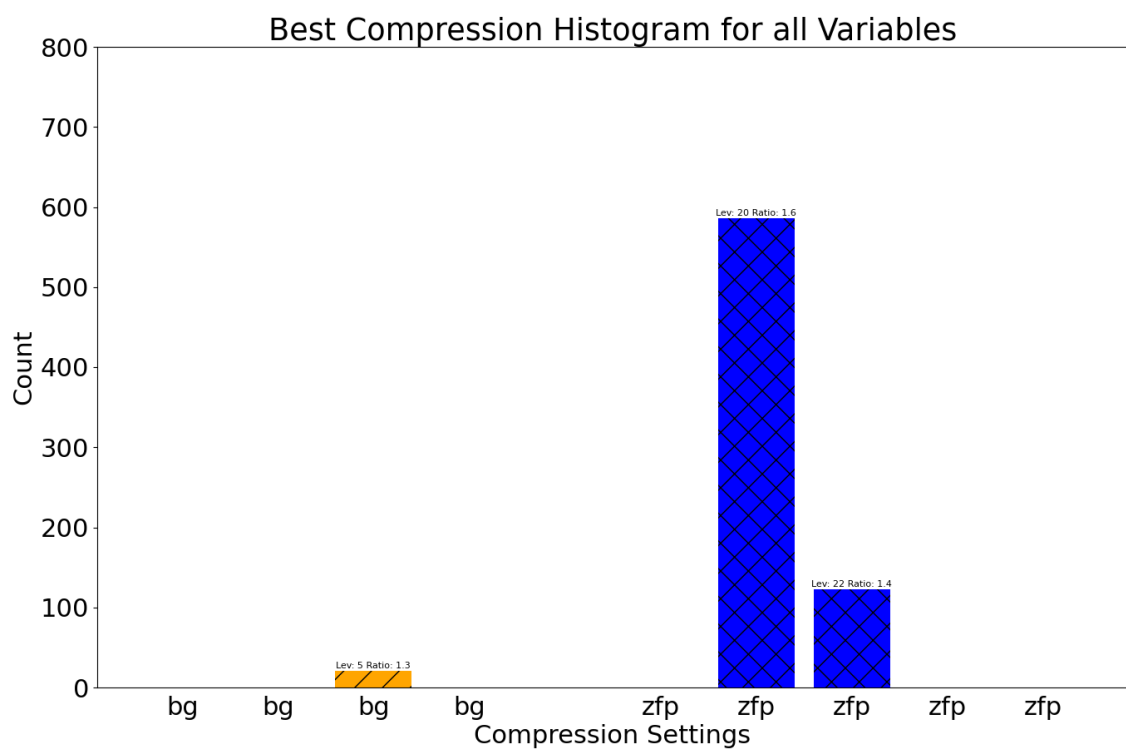


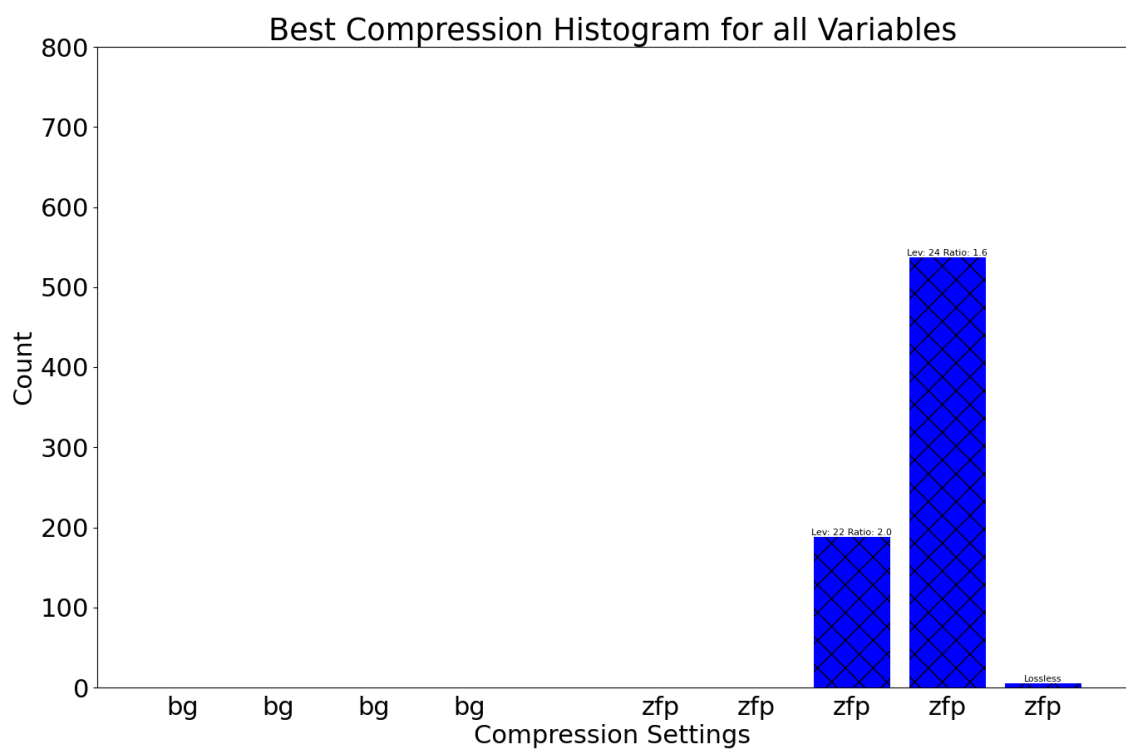
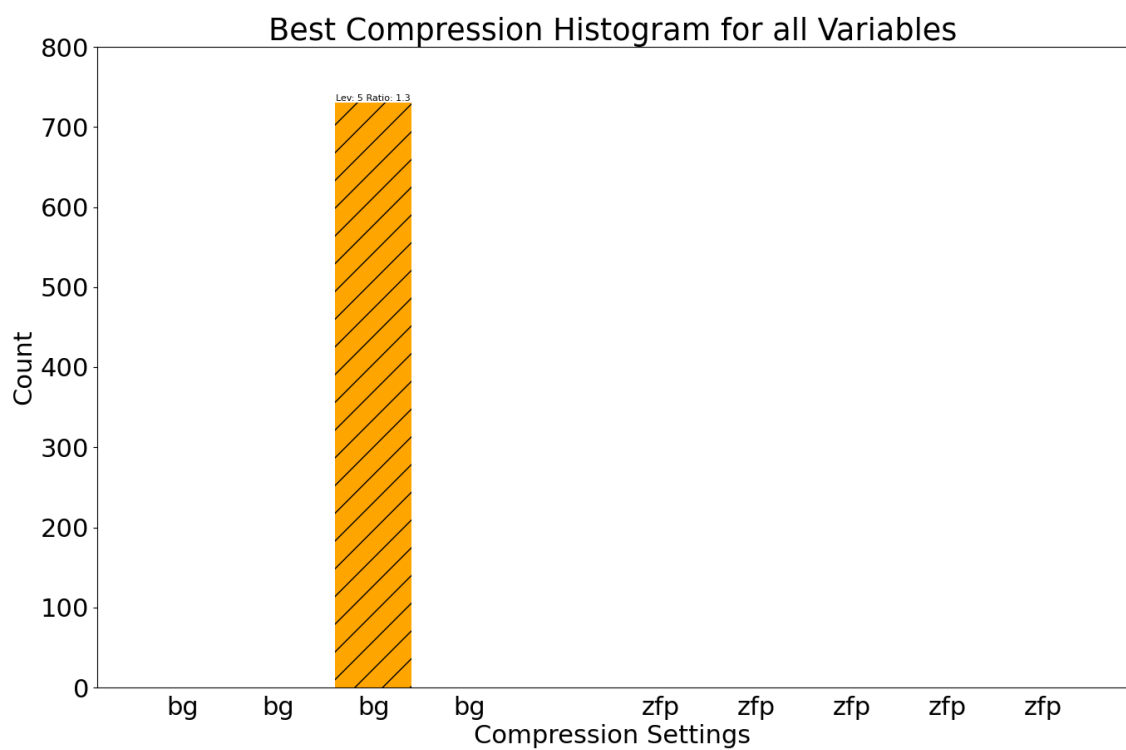


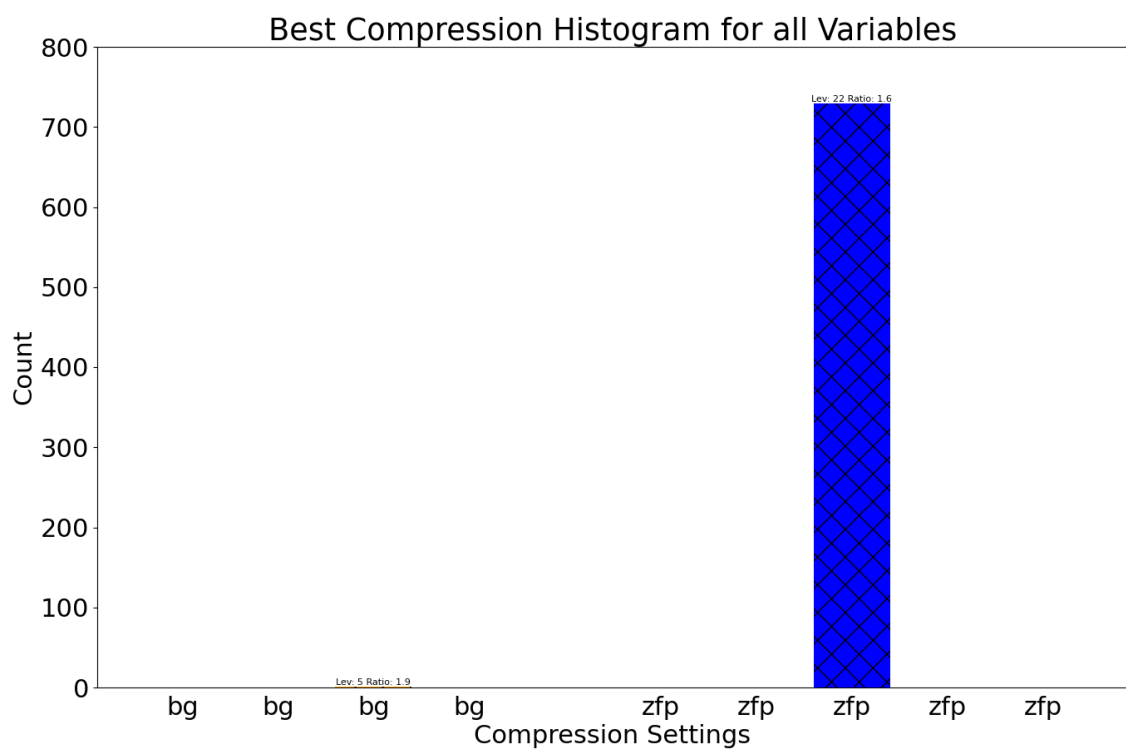
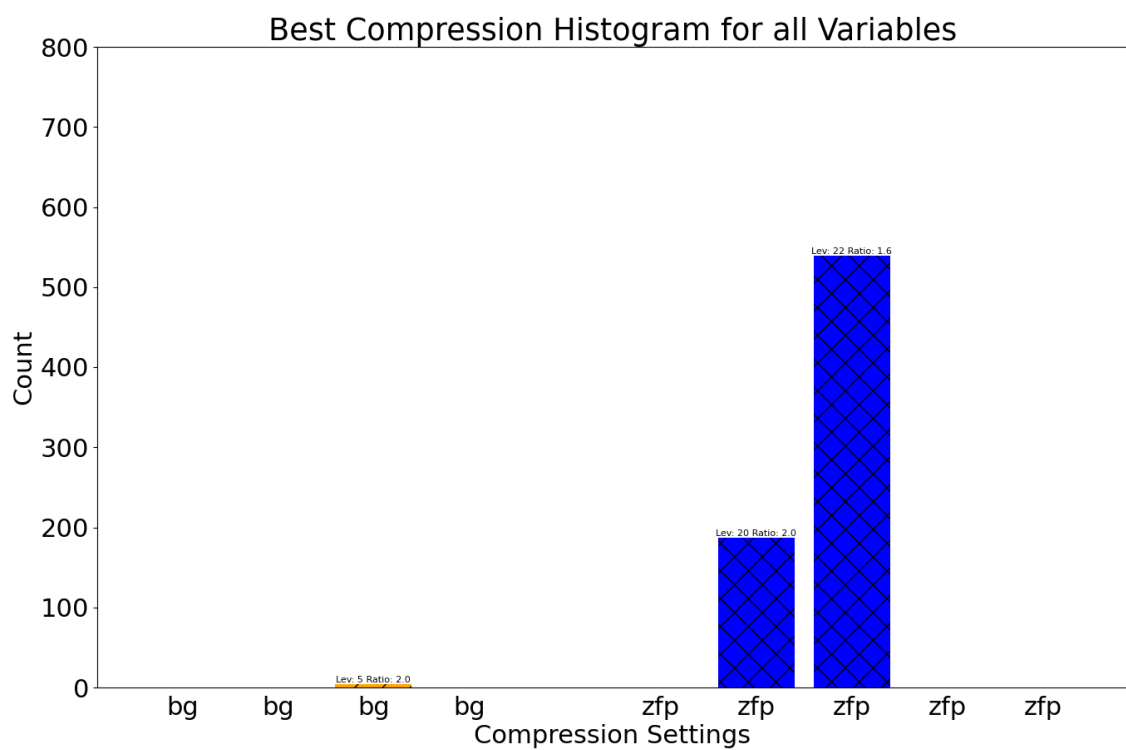


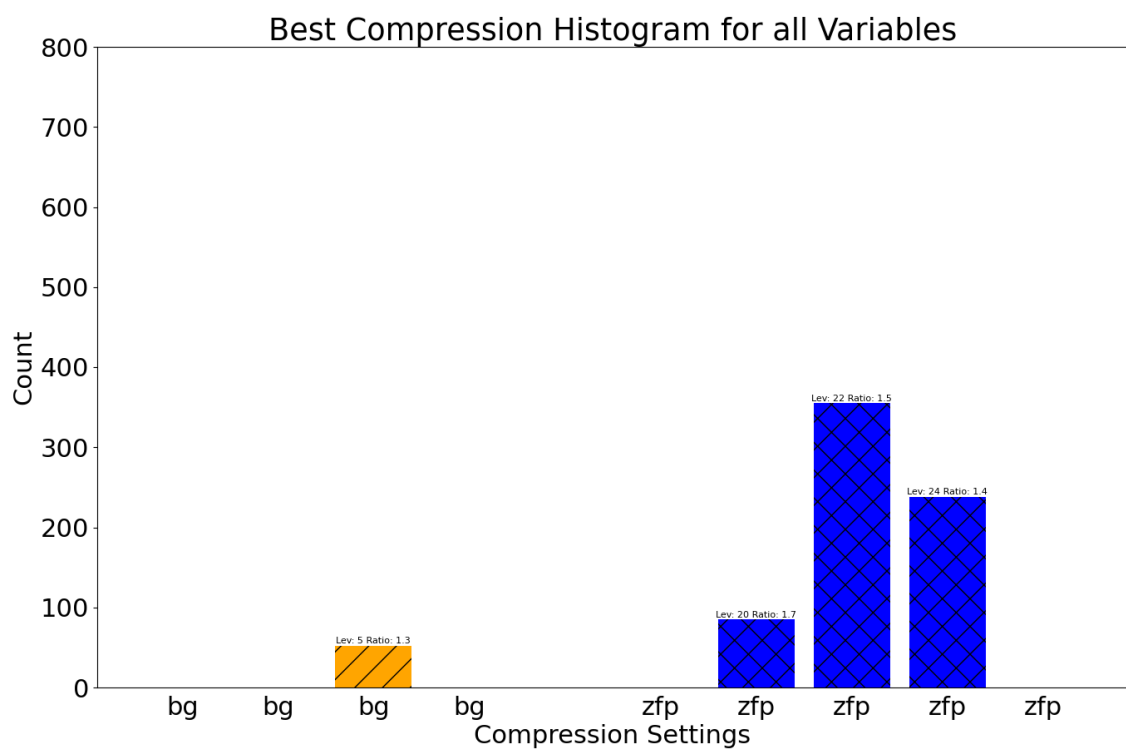
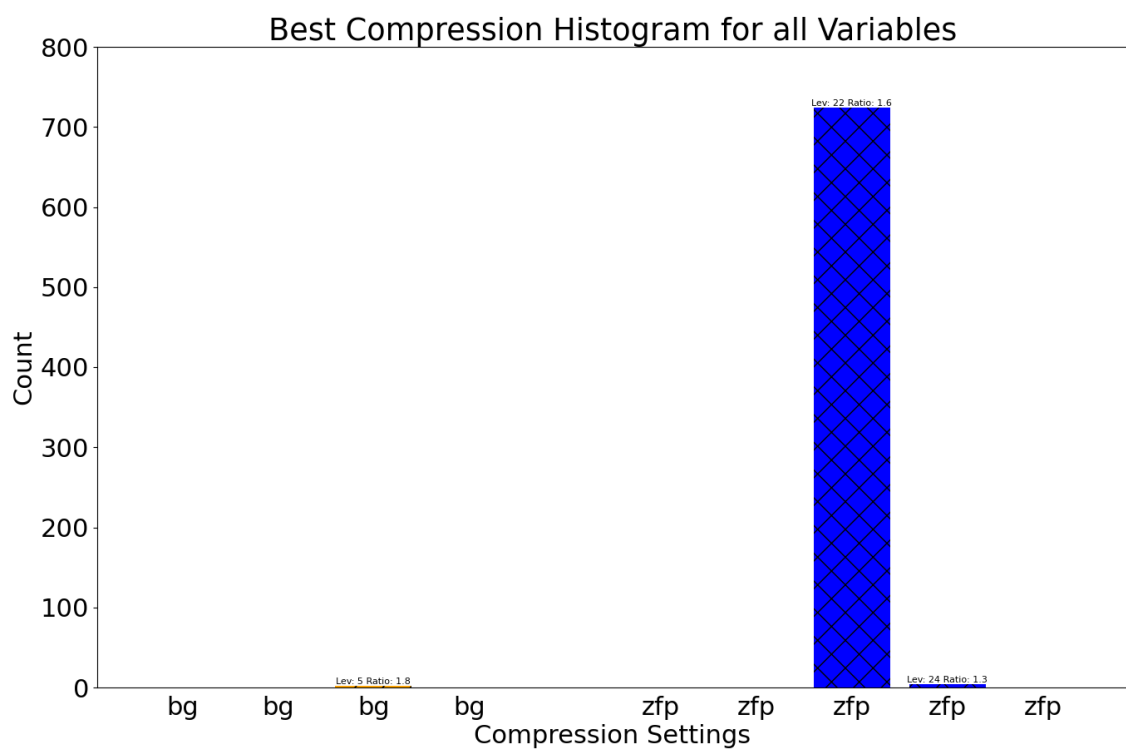


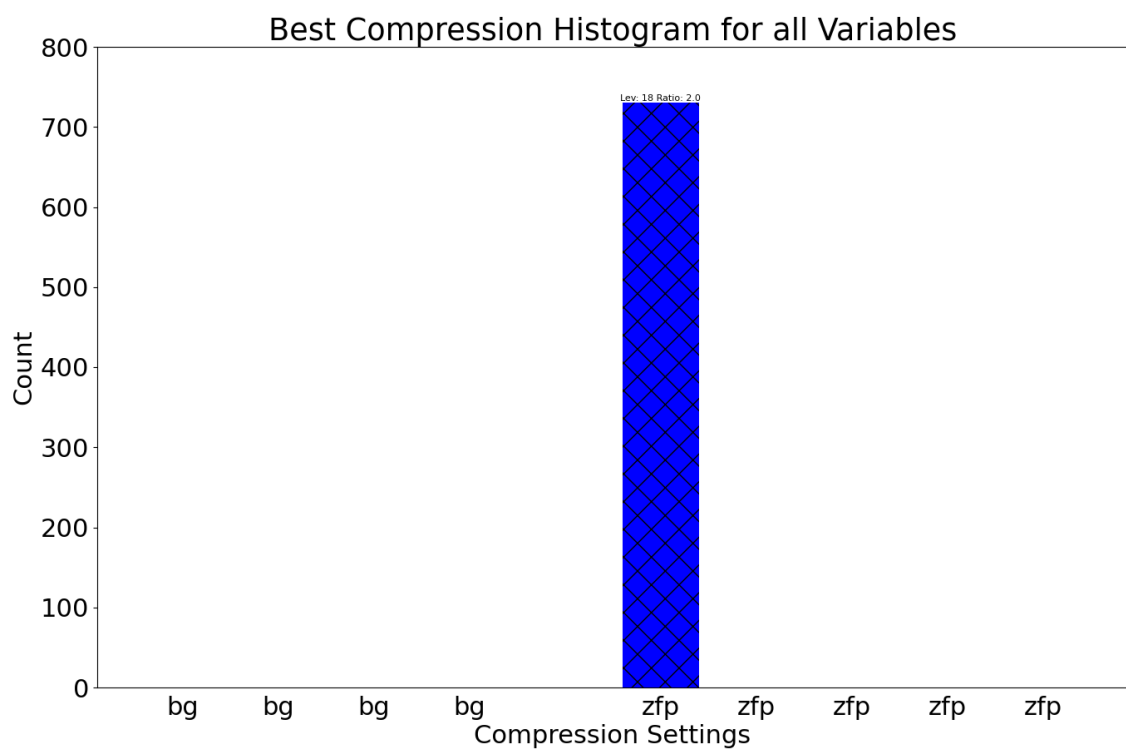
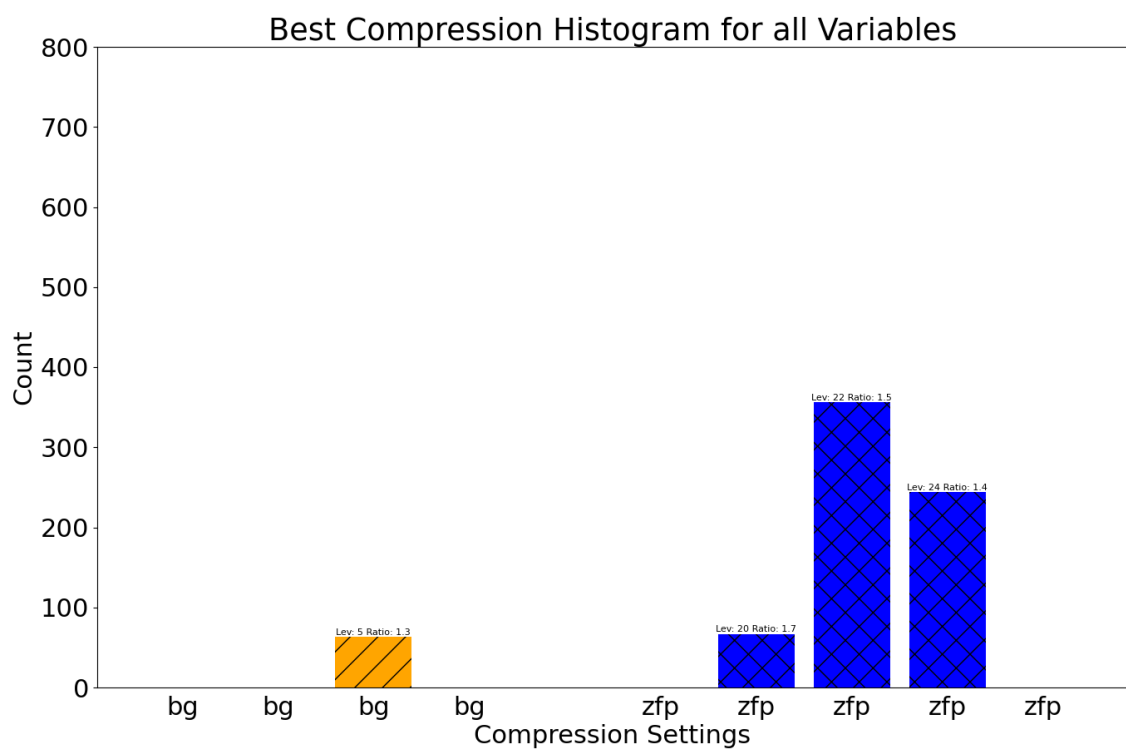


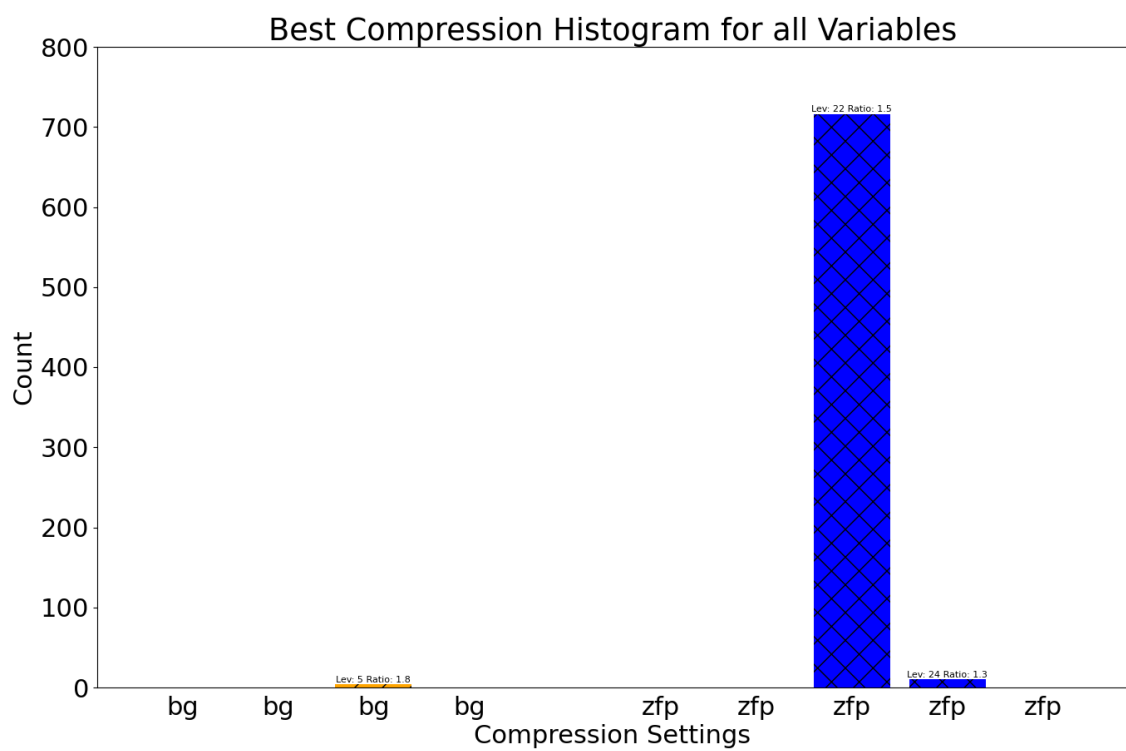
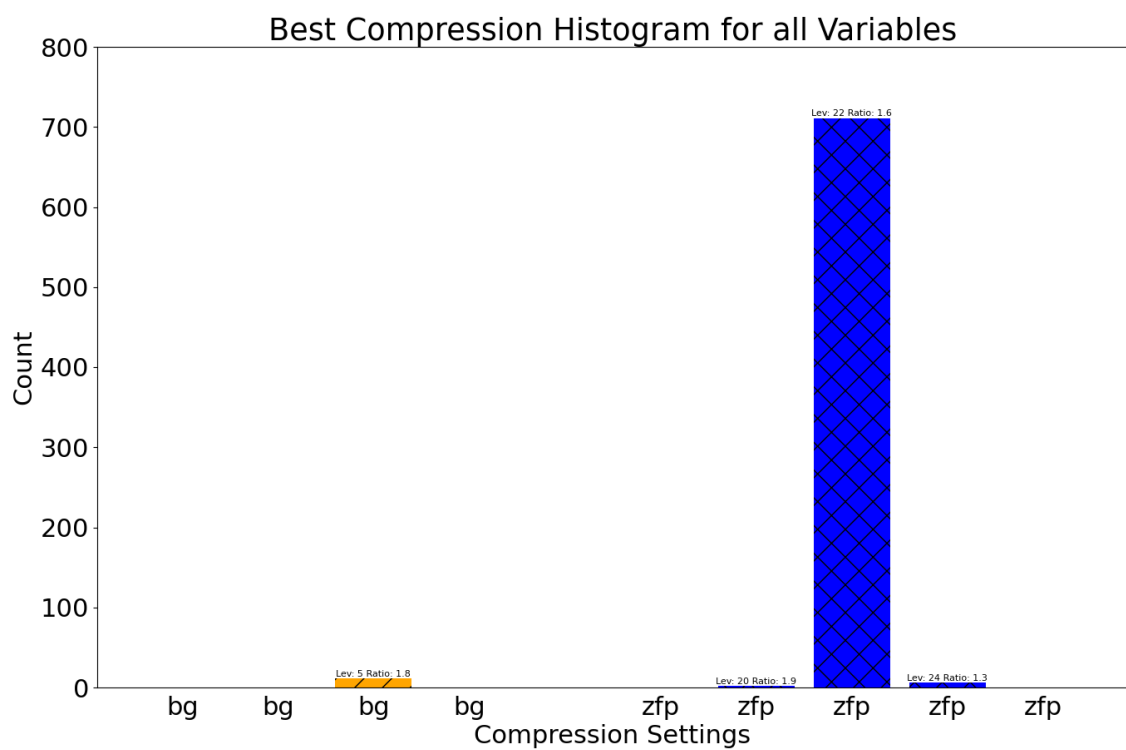


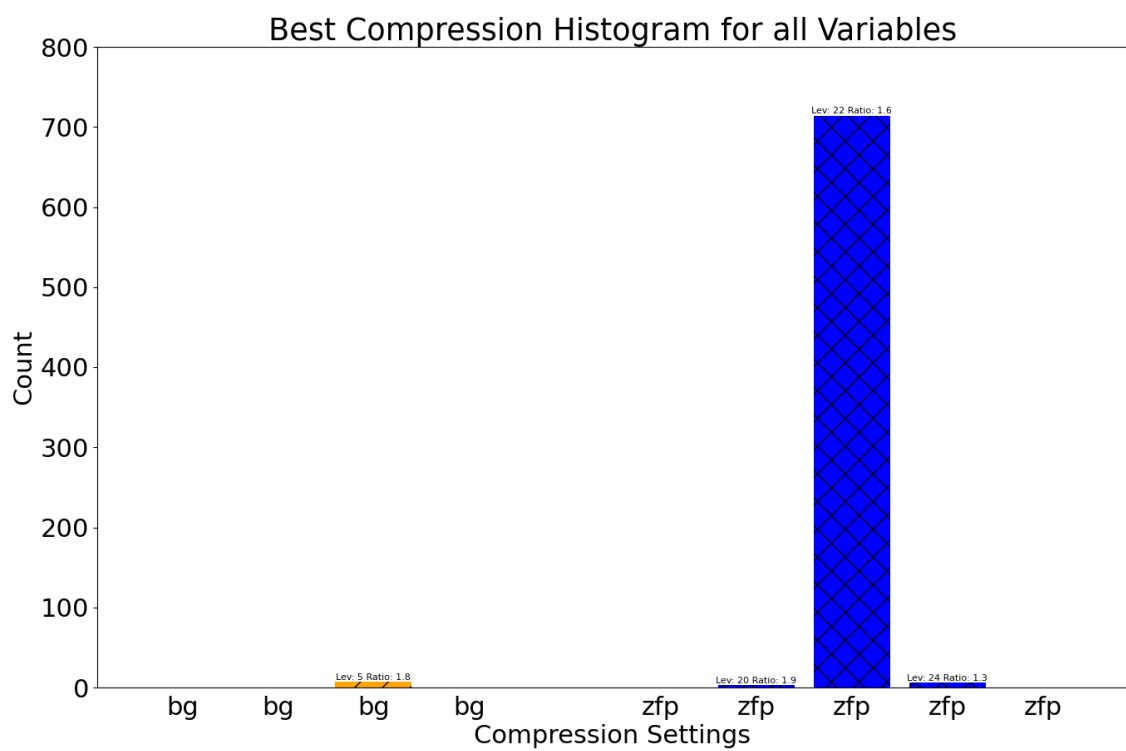
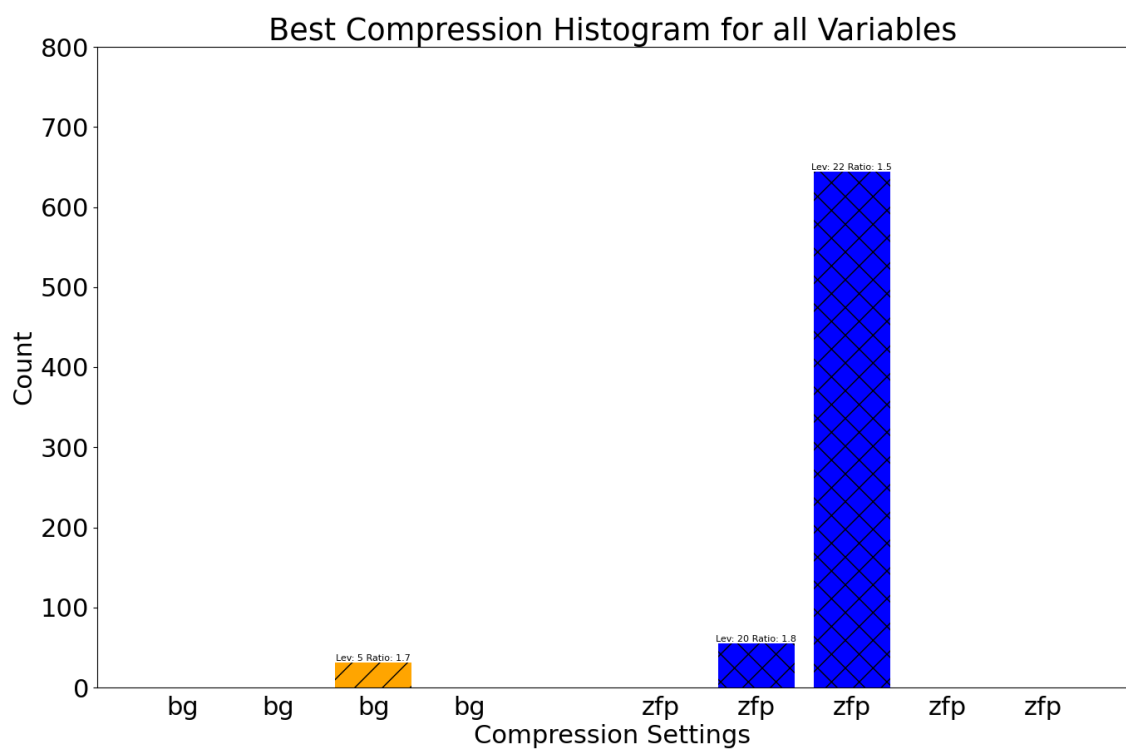


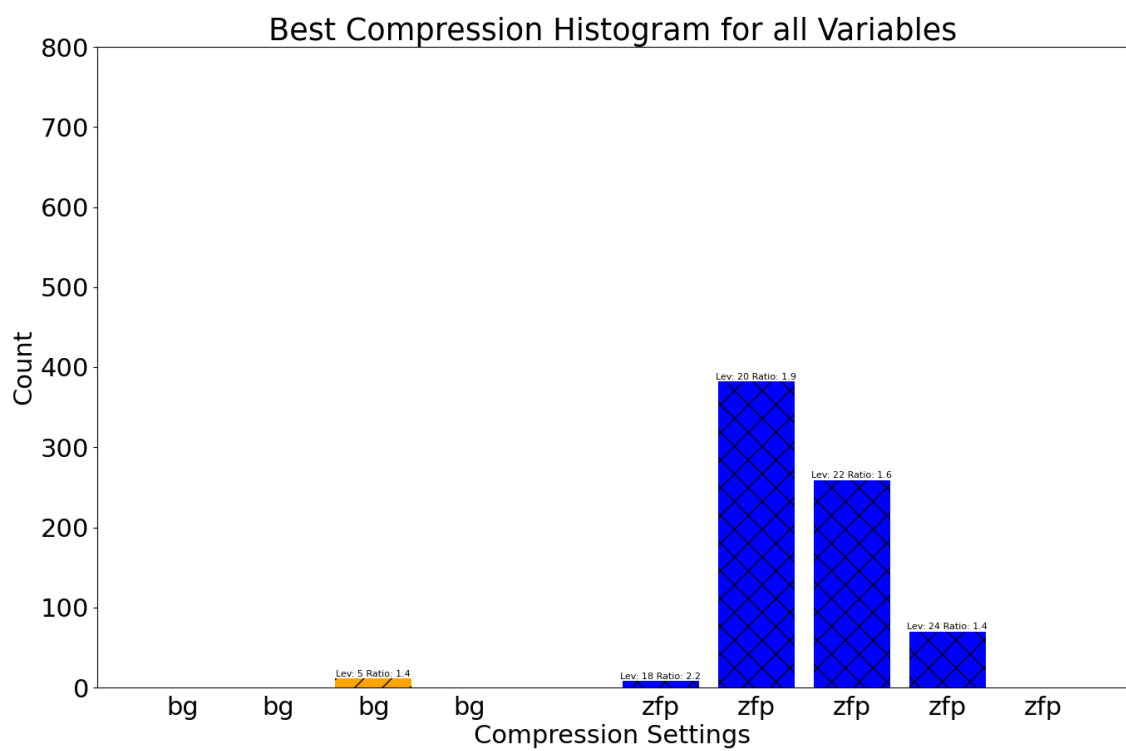
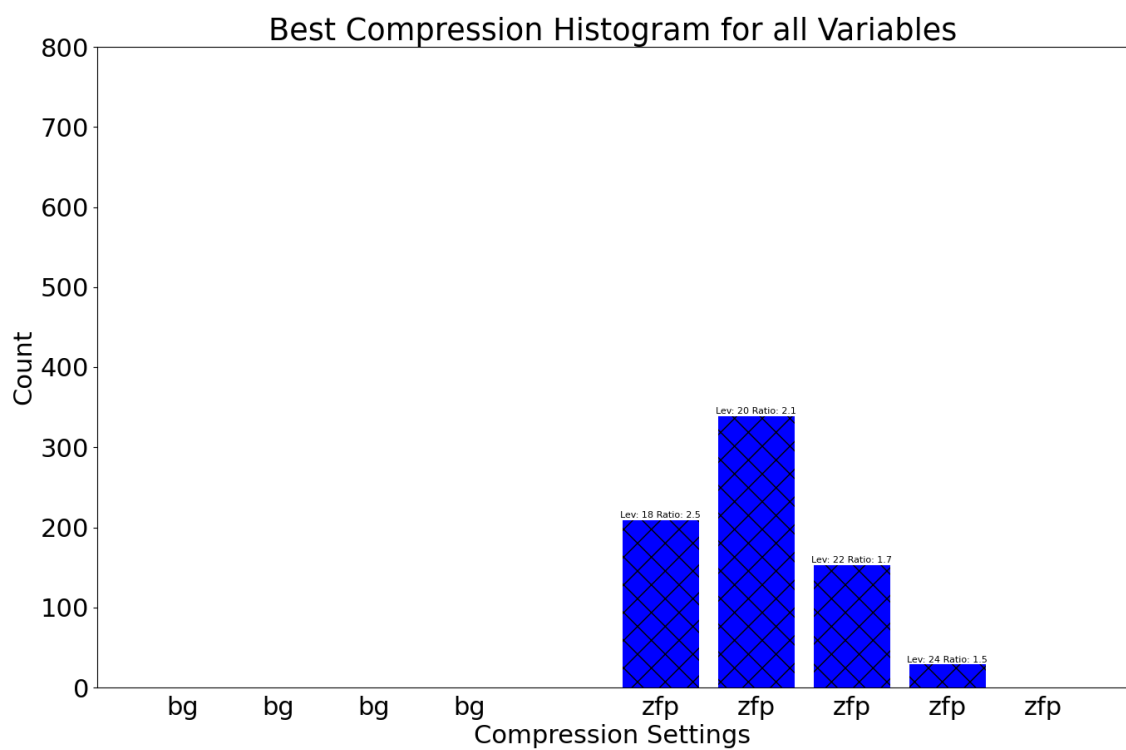


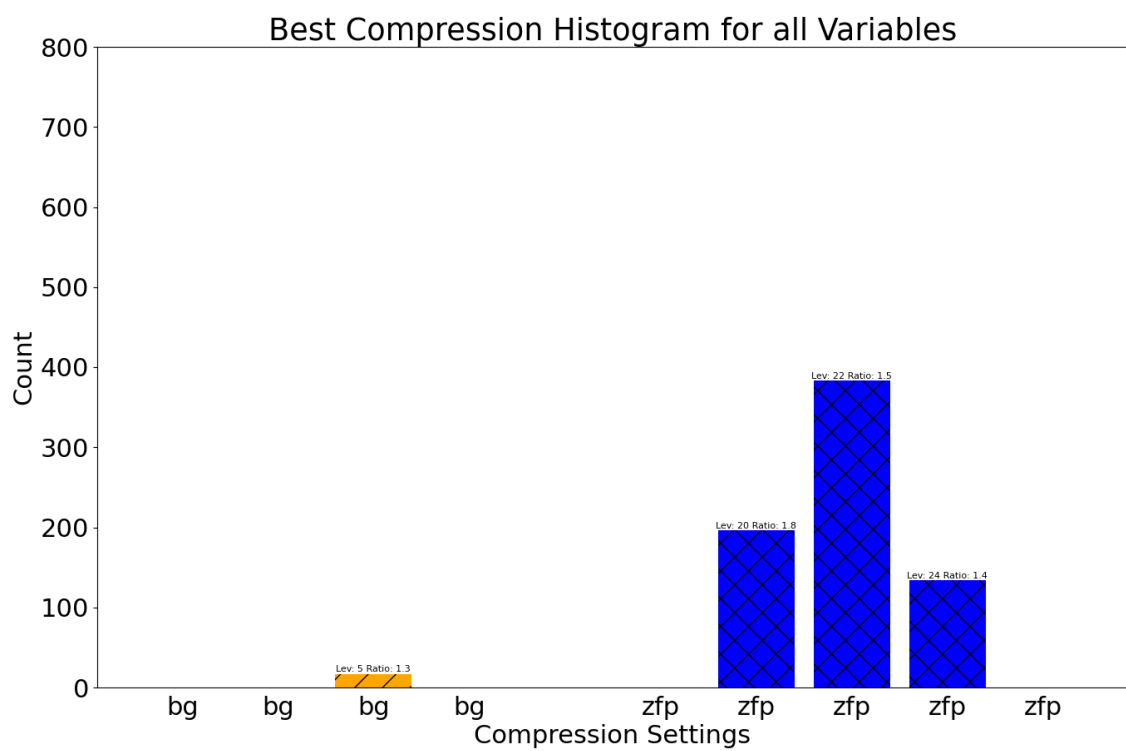
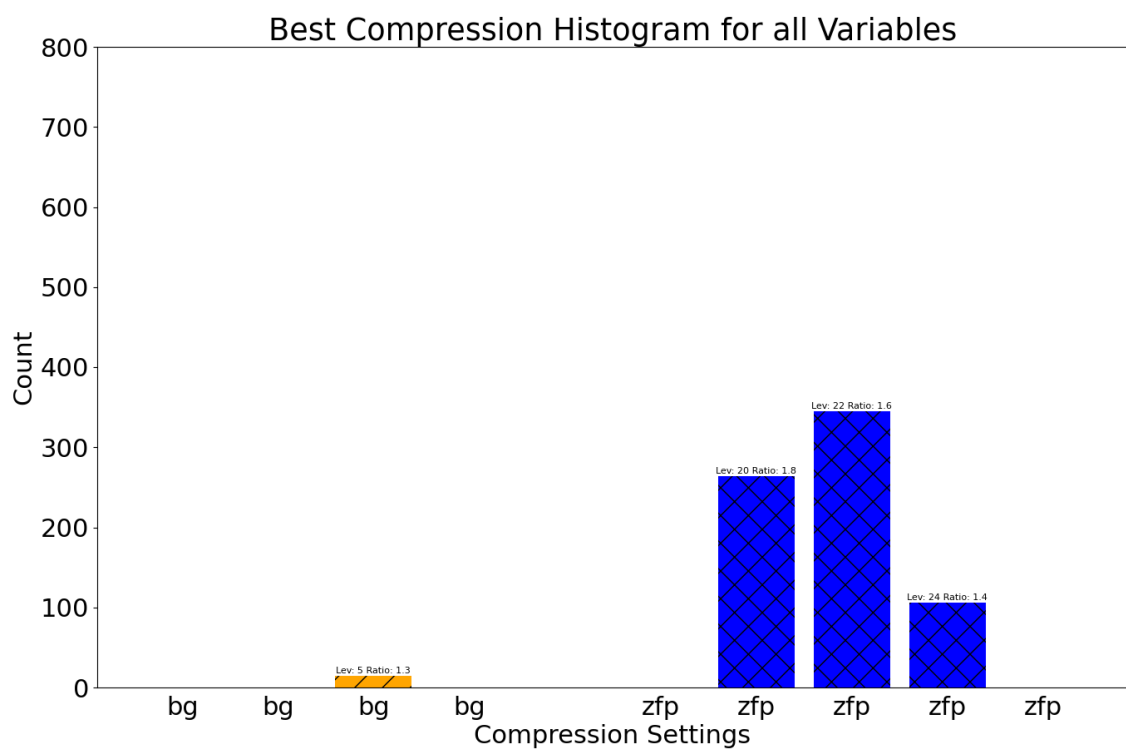


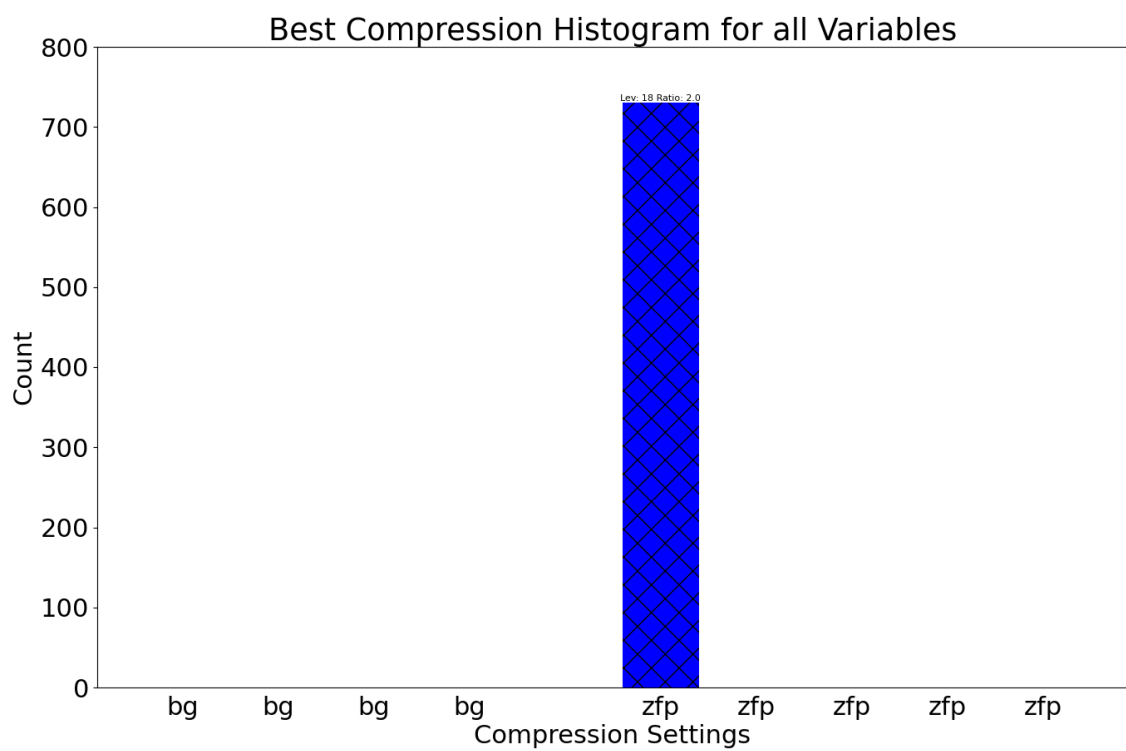
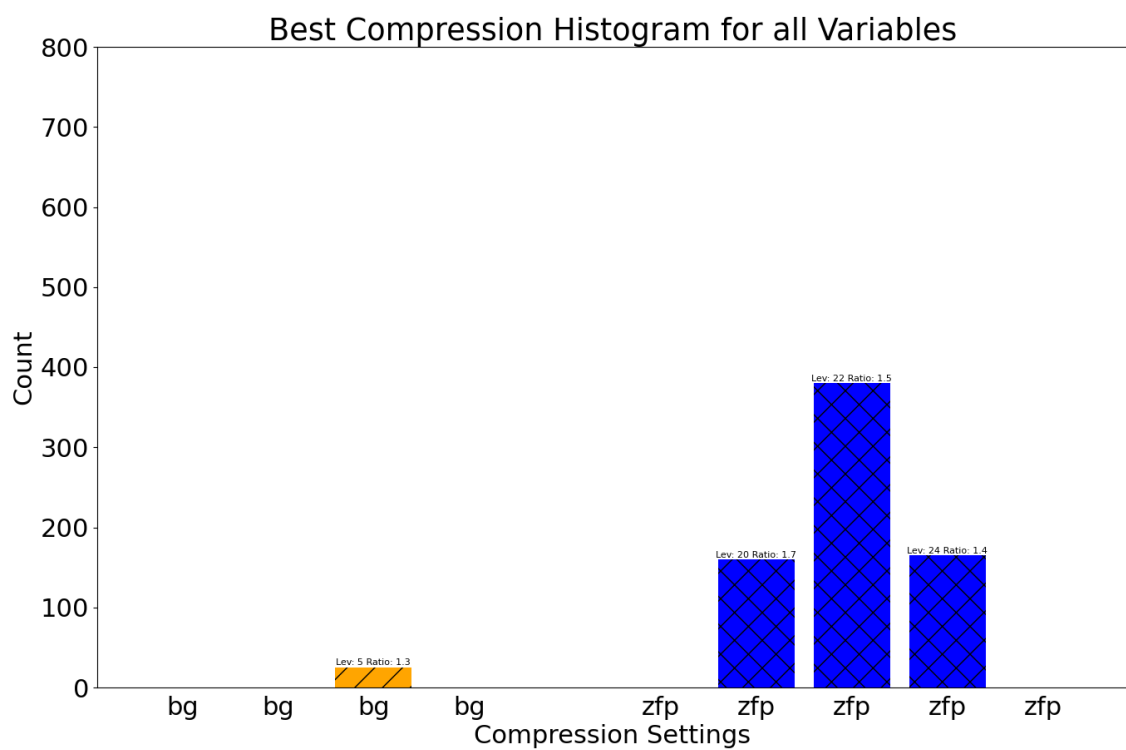


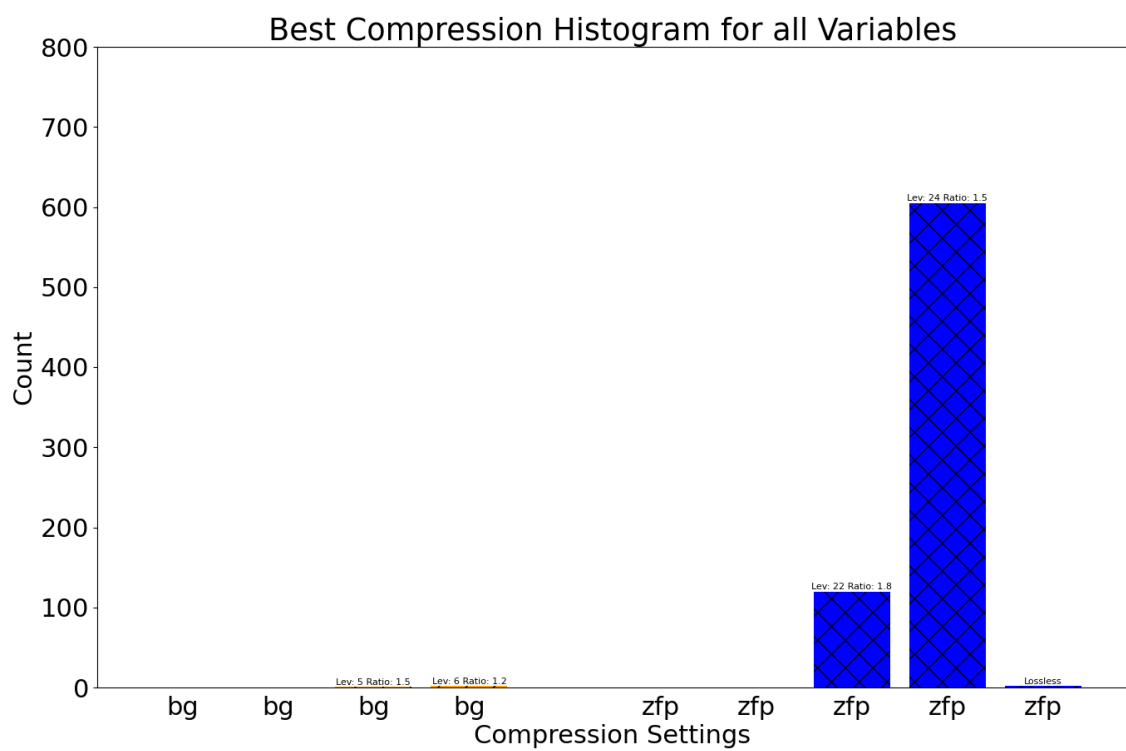
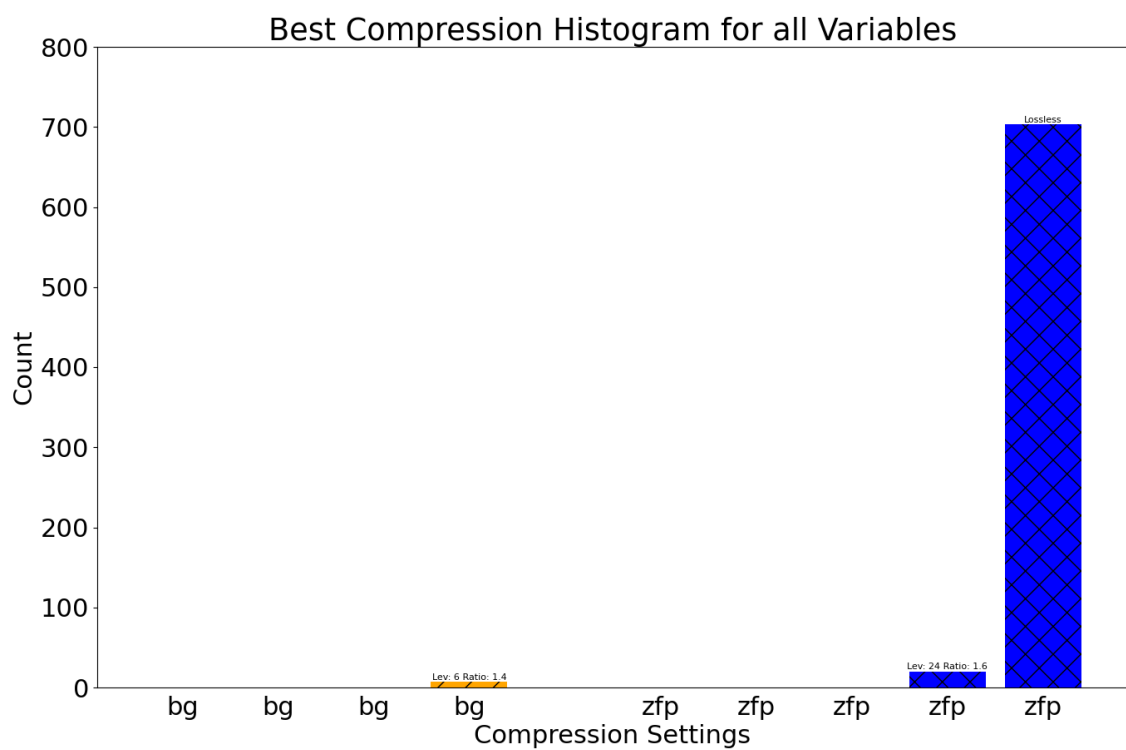












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