## Assignment 3

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## Introduction

The aim of this assignment is to solve two exercises concerning MPI programming. The work is organized into two folders (/Ex\_4 and /Ex\_5), one for each exercise.

## Exercise 4

The first of the two exercises requires to implement a cyclic sum between processors. The processors should communicate in a ring-like fashion (please refer to the slides provided during class for additional details).

The folder /Ex\_4 contains a makefile to compile the code and a script (run.sh) to compile and run it. The script and the executable both take the number of processors as argument.

The processors exchange vectors of integers of size SIZE, set as a macro to  $10^7$ , and each processor contains three vectors of size SIZE: X, Xright, and sum. At first, X is initialised to the rank of the processor, and sum, to zero. At each step (there are npes steps to complete the ring, where npes is the number of processors) a processor sends its content X to the processor on its left, which will store it in Xright. Each processor then updates its sum and overwrites X with Xright to propagate the process. At the

end of the cycle, each processor will have:

$$\mathtt{sum} = \sum_{rank=0}^{npes-1} rank$$

The provided implementation carries out the communication using a non-blocking approach: MPI\_Isend and MPI\_Irecv allow a processor to update its sum without waiting for the send and receive operations to be completed. Two MPI\_Wait calls then wait for the send and receive calls to be completed before updating the content of the processor to propagate the sum.

The execution time is measured using MPI\_Wtime. Its call is preceded by an MPI\_Barrier to make sure that all the processes are ready to start when the start-time is measured, and that all the processes are done communicating/computing when the end-time is measured.

The run.sh script compiles and executes the program, which prints the elapsed time and the final value of sum for each processor.

```
$ ./run.sh 4
After computation, proc 0, sum 6
After computation, proc 1, sum 6
After computation, proc 2, sum 6
After computation, proc 3, sum 6
Elapsed time: 0.270566
```

## Exercise 5

The second exercise required to initialise a distributed identity matrix of size  $N \times N$ . The matrix should then be printed (in the correct order) on the standard output if N < 10; otherwise, it should be printed on a binary file.

The folder /Ex\_5 contains a makefile to compile the code and a script (run.sh) which loads the openmpi module, compiles the code and runs it. The executable must be fed with the matrix size, passed as an argument. The script, on the other hand, must be provided with the size of the matrix and the number of processors as arguments. In the following example the program will deal with a 10×10 matrix and with 4 processors:

```
$ ./run.sh 10 4
```

Two versions of the code are provided, a blocking and a non-blocking one. The latter allows the overlapping of communication and I/O (print to console or to file).

The initialisation is performed by striping the matrix over the row index, assigning a portion of the matrix to each processor. If the number of processors is not a divisor of the matrix size, the rest is distributed to all the processors which have  $\mathtt{rank} < \mathtt{rest}$ , to guarantee balance. Each processor allocates its portion of the matrix and fills it. Each processor then sends its portion to the master process (process 0). Depending on N, process 0 prints to the standard output or to file.

In the blocking case additional allocations can be avoided overwriting the matrix-portion of processor O at each MPI\_Recv. On the other hand, the overlapping case requires a buffer to store the received data while processor O prints its content.

The bonus folder contains an additional (blocking) implementation, where printing to file is performed using MPI\_File\_write. It should be noted that, even though only processor 0 performs I/O, MPI\_File\_open is a collective routine and it must be called by all the processors.

If  $N \geq 10$  the code writes the identity matrix to the binary file (output.dat). The script then converts the binary into a more readable ASCII file (plain.txt) by means of hexdump. This allows to directly verify the correctness of the code.