1 Introduction

 $\mathbf{flq_ban}$ is a task of extension level. It calculates the Floquet band structure. To use this task, you must first perform \mathbf{flq} first. All of the keywords are the same with \mathbf{ban} , so one should reference \mathbf{ban} for details. Also, the attached output data are not complete because they are too large. Only the variable names are attached.

2 Dictionary

2.1 Input

 \mathbf{flq} _ \mathbf{ban} shares exactly the same keywords as \mathbf{ban} . Therefore, one can directly reference the dictionary of \mathbf{ban}

2.2 Output

flq_ban shares exactly the same keywords as **ban**. Therefore, one can directly reference the dictionary of **ban**

```
flq ban.Format=['coefficient']
                                // 'coefficient' or 'coordinate'
flq ban.Path=[0,0;1,1]
                              // points to defined your paths, nx3/nx2/nx1
flq ban.Div=[100]
                             // k points of each path
                             // how to divide each k-path, 'unit' or 'all'
flq ban.DivType='unit'
flq ban.Draw=['on']
                             // whether draw band structure, 'on' or 'off'
flq ban.Shift=['on']
                            // whether shift Ef to 0 in band plot, 'on' or 'off
      ====== PiLib Variable ======
flq ban.k path div, @full, number of division of each path
ORDER= 0, SIZE=[ 5, 1], TYPE=INTEGER
   ====== PiLib Variable =====
flq_ban.k_point, @full, [label,kx,ky,kz]
ORDER= 2, SIZE=[ 100, 4], TYPE=REAL
       ====== PiLib Variable =====
flq ban.k band, @full, [En(k1),En(k2)...]
ORDER= 0, SIZE=[ 2, 100], TYPE=REAL
```

Figure 1: page 1 of Haldane_flq_ban.plb