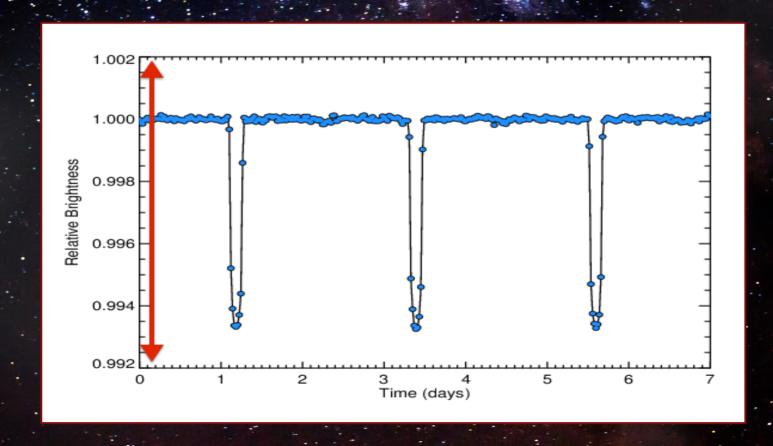
# **Exoplanet Detection**

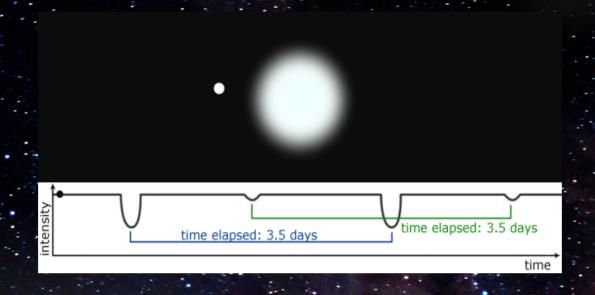
### **Current Status & Problem**

More than 1000 confirmed exoplanets 3000 unconfimed candidates

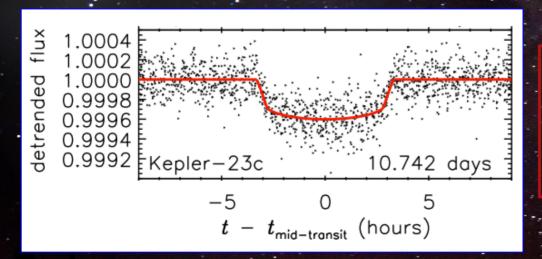
Noise in the Flux data has led to high false-positive rates for detecting transits. Need to reduce the error rate in exoplanet candidate identification.



### **Transit Method**



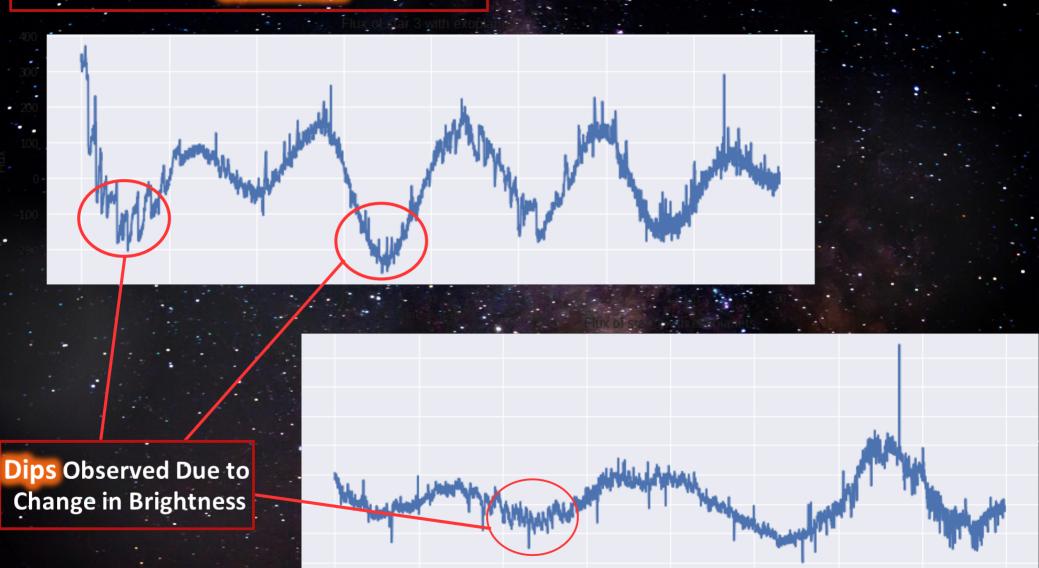
<u>Transit</u> - The planet is in front of the star, eclipsing the star. <u>Occultation</u> - The planet is behind the star, being eclipsed by the star.



This method detects distant planets by measuring the minute dimming of a star as an orbiting planet passes between it and the Earth.

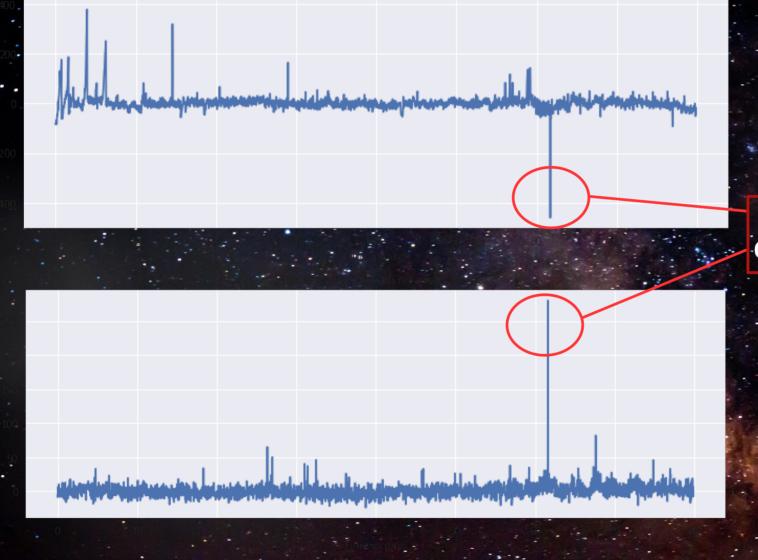
# **Initial Data Exploration**

Flux of stars with Confirmed Exoplanets



# **Initial Data Exploration**

Flux of stars with Confirmed lack of Exoplanets



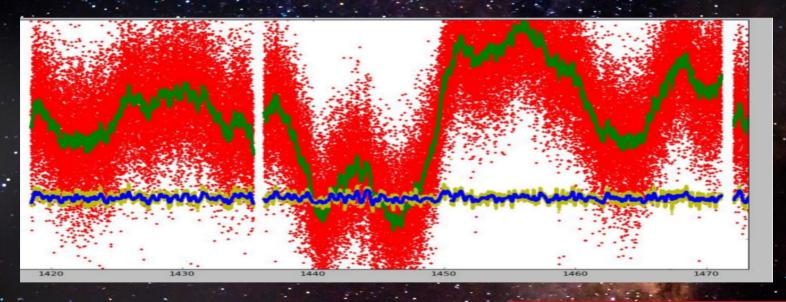
No significant Dips
Only Outliers observed

**Detrending** 

**Detrending the Data** 

Applying Gaussian Filter (5σ)

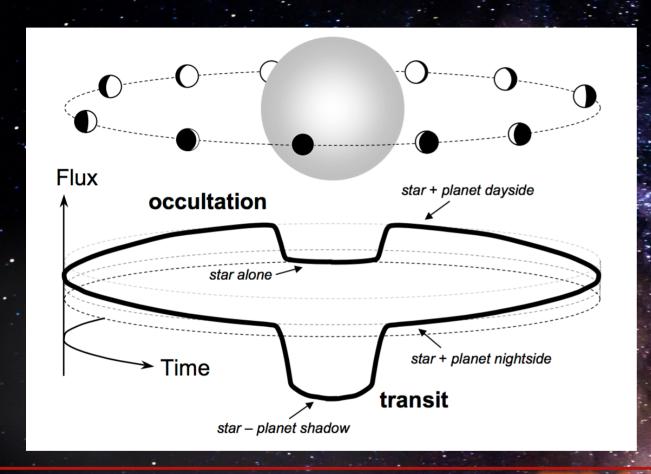
Normalizing the data



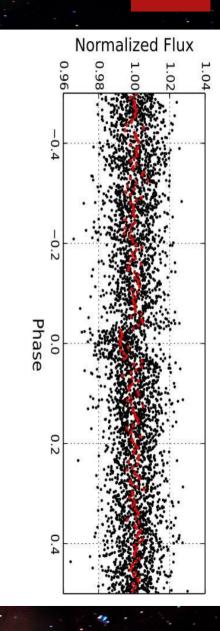
**Detrended Data= Flux1 – Flux 2** 

Flux1: Raw Data

Flux2: Data after applying Gaussian Filter of 50 cut-off



- Geometric Criterion: Short Transit Duration < 5% Period</p>
- >. Fits the input time series to periodic "box" shaped functions
- ➤ Periodic box-shaped functions represent the behaviour of a light curve during a transit better than sines and cosines



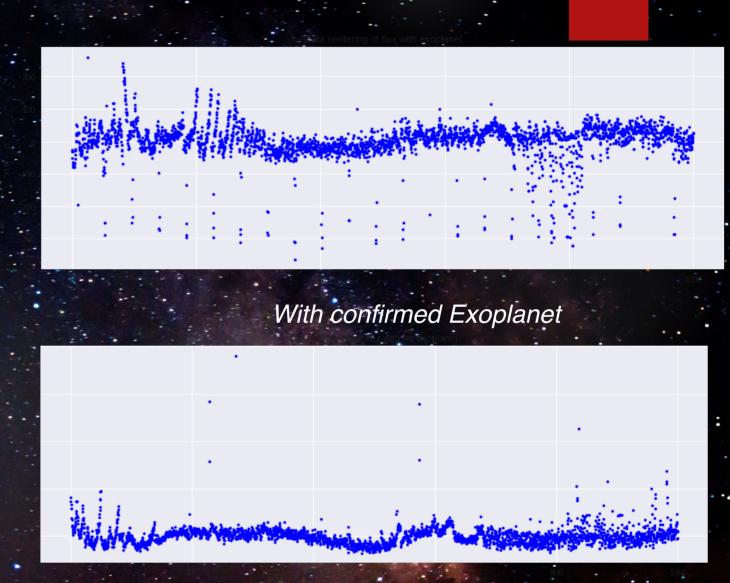
# **Steps**

#### 1. Data Centering

$$x_i = x_i - \mu$$

$$\mu = \frac{1}{n} \sum_{i=1}^{i=n} x_i$$

Centered Time Series with arithmetic average  $\mu$ = 0



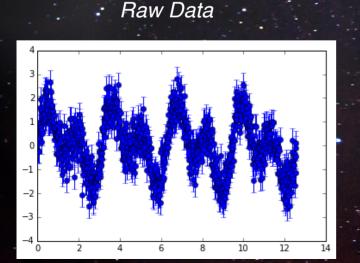
With No confirmed Exoplanet

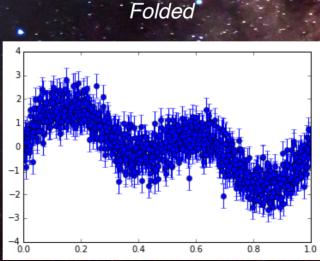
#### 2. Data Folding and Binning

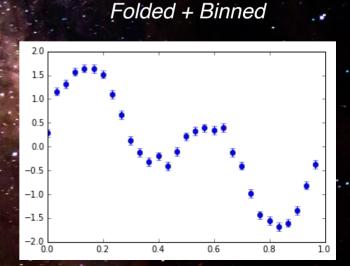
Folding is useful when a source has periodic variability; the data is plotted in terms of phase, such that all the data are plotted together as a single period, in order to see what the repeated pattern of variability is.

Random variations from this pattern can be reduced by binning the data in time, which involves splitting the phase range into steps (bins) in which all the data are averaged, using a weighted mean.

Large deviation to the correct Period results in very scattered folded time series.



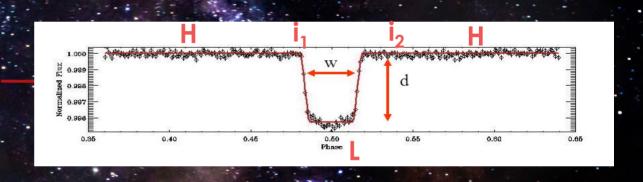




#### 3. Fitting

The algorithm applies the weighted least squares and fits the box shaped function to get parameters like Period(P), High, Low, fractional transit length(q)

$$\tilde{w}_i = \frac{\frac{1}{\sigma_i^2}}{\sum_{j=1}^{j=n} \sigma_j^2}$$



For any test period, i in a trial period we minimize the residual sum of squares

$$R(i_1,i_2) = \sum_{i=1}^{i=i_1-1} \tilde{w}_i (\tilde{x}_i - H)^2 + \sum_{i=i_1}^{i=i_2} \tilde{w}_i (\tilde{x}_i - L)^2 + \sum_{i=i_2+1}^{i=n} \tilde{w}_i (\tilde{x}_i - H)^2$$

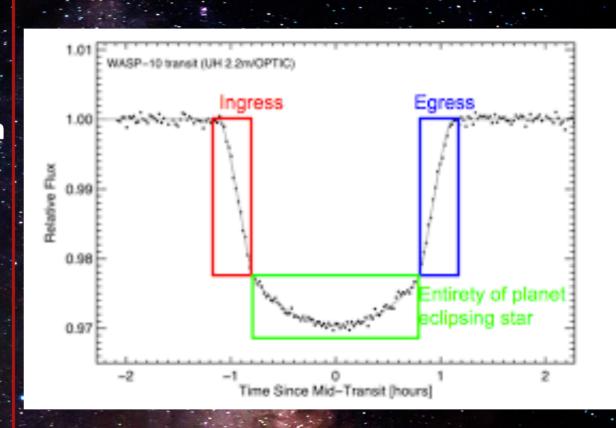
#### Features Extracted from BLS

Orbital Period - The interval between consecutive planetary transits(in days)

Transit Duration- The duration of the observed transits.

Duration is measured from first contact between the planet and star(in hours)

Transit Depth- The fraction of stellar flux lost at the minimum of the planetary transit.



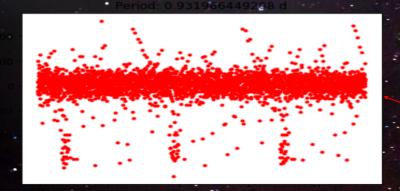
### Features Extracted from BLS

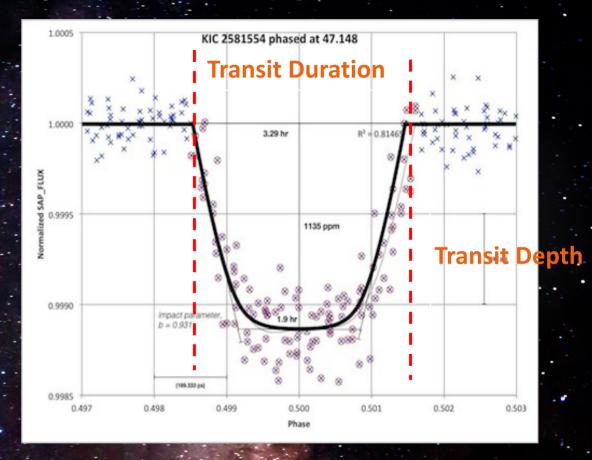
Number of Transits- The number of expected transits or partially-observed transits associated with the planet candidate occurring within the searched light curve.

#### **Other Features:**

Ingress- Ingress lasts from when the planet meets the solar limb (contact I) until the instant at which the planetary disk is totally encompassed (contact II)

Egress- The time period between Contact III and Contact IV





Ingress: 147

Egress: 152

q: 0.0297153581483

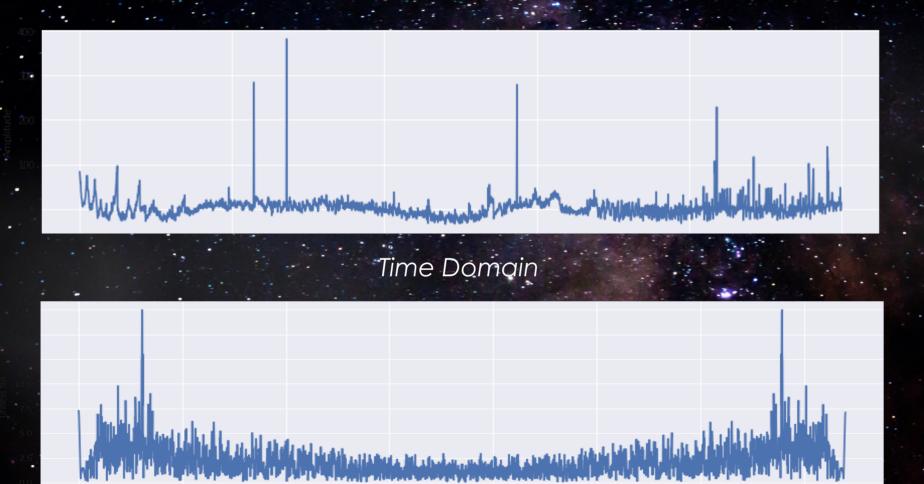
Depth: 69.2617852659

Period: 0.931966449208

SNR: 9.56999866395

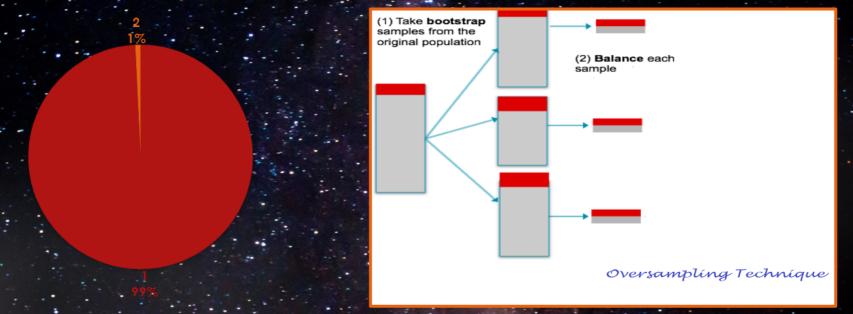
# **Fast-Fourier Transform**

When FFT is applied on the detrended data the plots were found to be symmetrical. So we took only half of the features.



# Modelling

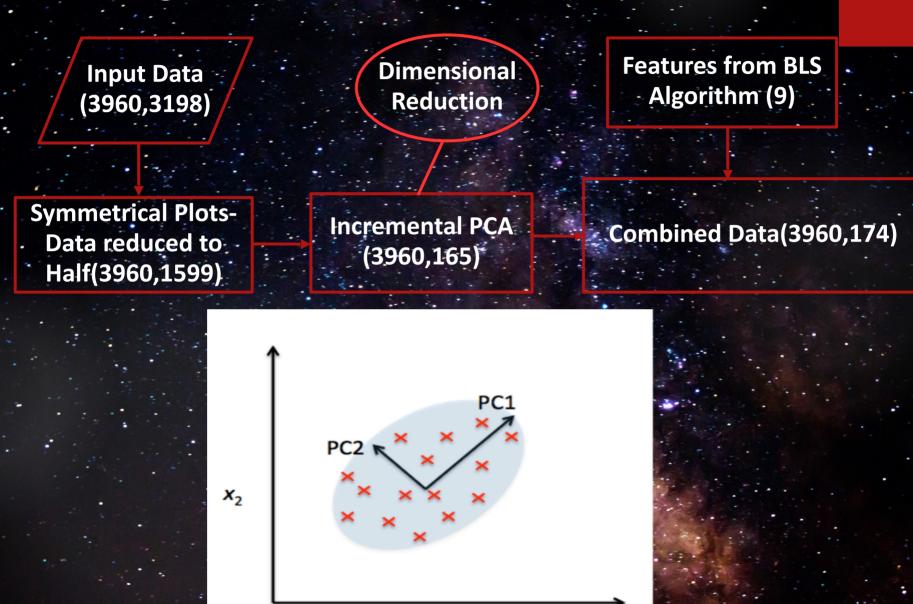
The data is highly imbalanced so bootstrapping was used to balance the classes during oversampling.



- Here we use stratified K fold(K=5) cross validation because during stratification each fold contains roughly the same proportions of the two types of class labels.
- Baseline predictive modelling on raw data using Linear SVC gives the following results:

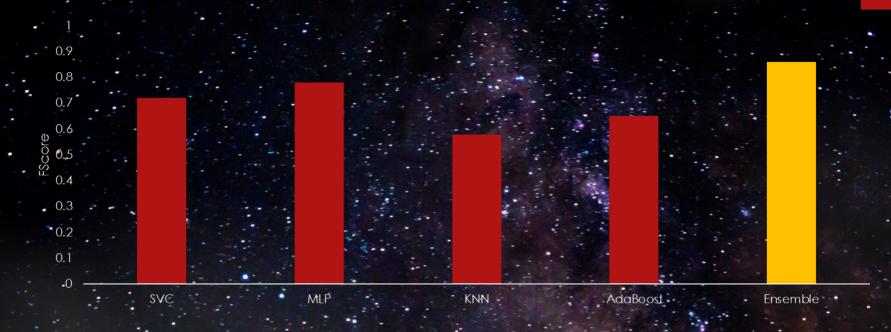
Average Accuracy: 0.9880095293
Average Precision: 0.2522619048
Average Recall: 0.3416666667
Average F1: 0.2781313131

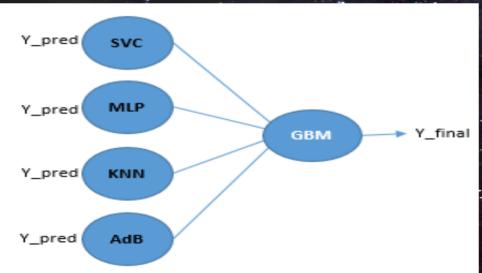
# Modelling



 $\boldsymbol{x_1}$ 

# Modelling





Average Accuracy: 0.994
Average Precision: 0.894
Average Recall: 0.832
Average F1: 0.862

**Ensembling** 

# Novelty in our approach

- > When the signal becomes distorted by higher harmonics, the sinusoidal representation fails. The BLS algorithm assumes only two levels of the periodic light curve- "high" and "low".
- The Detrended data is combined with the features extracted from BLS Algorithm without any machine learning algorithm. This led to a significant improvement in the Fscore.
- For predicting the periodicity of the dips converting the time domain to frequency domain was necessary. We have cross-checked our period from the BLS algorithm using Auto-correlation and zero crossing. Also we have used Incremental PCA in our method since there were too many features.
- For classification purpose we have used an ensemble of learners since the aggregate opinion of a multiple models is less noisy than individual models. They average out biases and reduce the variance.

#### References

Kovács, G., Zucker, S. and Mazeh, T., 2002. A box-fitting algorithm in the search for periodic transits. Astronomy & Astrophysics, 391(1), pp.369-377.

McCauliff, S.D., Jenkins, J.M., Catanzarite, J., Burke, C.J., Coughlin, J.L., Twicken, J.D., Tenenbaum, P., Seader, S., Li, J. and Cote, M., 2015. Automatic classification of Kepler planetary transit candidates. The Astrophysical Journal, 806(1), p.6.

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Jin, X. and Glass, D., 2014. Searching for exoplanets in the Kepler public data

http://www.planetary.org/explore/space-topics/exoplanets/transit-photometry.html