

# Data Structure 2018

## Lab 05

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# Array

1-dimensional array

Declaration in java: `Object [] obj = new obj[size];`

2-dimensional array

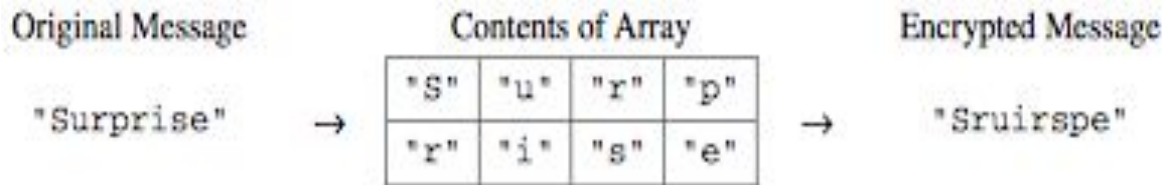
Declaration in java: `Object [][] obj = new obj[column][row];`

# Today's Work

## Practice 1:

In this practice you will write two methods for a class `RouteCipher` that encrypts (puts into a coded form) a message by changing the order of the characters in the message. The route cipher fills a two-dimensional array with single-character substrings of the original message in row-major order, encrypting the message by retrieving the single-character substrings in column-major order.

For example, the word "Surprise" can be encrypted using a 2-row, 4-column array as follows.



# Today's Works

Write the method `encryptMessage`, `fillBlock`, `encryptBlock`. The `encryptMessage` encrypts its string parameter `message`. The method builds an encrypted version of `message` by repeatedly calling `fillBlock` with consecutive, non-overlapping substrings of `message` and concatenating the results returned by a call to `encryptBlock` after each call to `fillBlock`. When all of `message` has been processed, the concatenated string is returned. Note that if `message` is the empty string, `encryptMessage` returns an empty string.

The following example shows the process carried out if `letterBlock` has 2 rows and 3 columns and `encryptMessage("Meet at midnight")` is executed.

# Today's Works

Substring

letterBlock after Call  
to fillBlock

Value Returned by  
encryptBlock

Concatenated String

"Meet a"

"M"	"e"	"e"
"t"	" "	"a"

"Mte ea"

"Mte ea"

"t midn"

"t"	" "	"m"
"i"	"d"	"n"

"ti dmn"

"Mte eati dmn"

"ight"

"i"	"g"	"h"
"t"	"A"	"A"

"itgAhA"

"Mte eati dmnitgAhA"

# Today's Work

## Practice 2: Matrix Multiplication

$$(m1m2)_{ij} = \sum_{k=1}^m m1_{ik} m2_{kj}$$
$$\mathbf{A} = \begin{pmatrix} A_{11} & A_{12} & \cdots & A_{1m} \\ A_{21} & A_{22} & \cdots & A_{2m} \\ \vdots & \vdots & \ddots & \vdots \\ A_{n1} & A_{n2} & \cdots & A_{nm} \end{pmatrix}, \quad \mathbf{B} = \begin{pmatrix} B_{11} & B_{12} & \cdots & B_{1p} \\ B_{21} & B_{22} & \cdots & B_{2p} \\ \vdots & \vdots & \ddots & \vdots \\ B_{m1} & B_{m2} & \cdots & B_{mp} \end{pmatrix}$$
$$\mathbf{AB} = \begin{pmatrix} (\mathbf{AB})_{11} & (\mathbf{AB})_{12} & \cdots & (\mathbf{AB})_{1p} \\ (\mathbf{AB})_{21} & (\mathbf{AB})_{22} & \cdots & (\mathbf{AB})_{2p} \\ \vdots & \vdots & \ddots & \vdots \\ (\mathbf{AB})_{n1} & (\mathbf{AB})_{n2} & \cdots & (\mathbf{AB})_{np} \end{pmatrix}$$