Homework 3 - GVPT 729A

Answer the following questions. Include your code, and report all the results you used to answer the questions. https://raw.githubusercontent.com/Neilblund/729A/master/data/voterid.csv

The link above contains data from "Hicks et al. 2015: A Principle or a Strategy? Voter Identification Laws and Partisan Competition in the American States"

- photo is equal to 1 if a state has legislation that requires voters to show photo ID at the polling booth, and 0 of they do not have this requirement.
- fraud is the average number of voter fraud cases prosecuted in a given state since 2001.
- *election_margin* is the average partisan vote margin (%Republican-%Democratic) in a state since 2001.
- gopleg is the average % of a state's legislature that is Republican.

Questions

- 1. Use OLS to estimate a linear probability model using photo as the dependent variable, and *fraud*, *election_margin* and *gopleg* as independent variables. Obtain predicted probabilities that *photo* = 1 under two or more hypothetical scenarios. Discuss your results.
- 2. Run a logistic regression model using photo as the dependent variable, and fraud, election_margin and gopleg as independent variables. Obtain predicted probabilities that photo = 1 under two or more hypothetical scenarios. Discuss your results, and compare with your results from model 1.

notes

- 1. There's no "right" or "wrong" scenario here, but you should think about comparing scenarios that are plausible reflections of the real world.
- 2. We used the code below to get predicted probabilities from the probit model. You will need to modify this slightly to get predictions from a logit, just remember that:

$$Pr(Y = 1|X1, X2) = \frac{1}{1 + e^{-(B_0 + B_1X1 + B_2X2)}}$$

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```
n <- 1000
  x1 <- rnorm(n)
  x2 <- rnorm(n)
  X <- cbind(1, x1, x2)</pre>
  b \leftarrow c(1, -.5, .5)
  p <- pnorm(X%*%b)
  y <- rbinom(n, 1, p)
  model <- glm(y ~ x1 + x2, family = "binomial"(link="probit"))</pre>
\#with \ x1 \ and \ x2 \ set \ at \ their \ mean
meanx1<-mean(x1)</pre>
meanx2 < -mean(x2)
pnorm(model$coefficients[1]+
    meanx1*model$coefficients[2]+
    meanx2*model$coefficients[3])
## (Intercept)
## 0.8393224
#with x1 at its 25\%th percentile and x2 at its mean
q.x1 < -quantile(x1, .25)
pnorm(model$coefficients[1]+
    q.x1*model$coefficients[2]+
    meanx2*model$coefficients[3])
## (Intercept)
## 0.8945215
```