Aim: Practical of Decision tree.

```
In [1]: import pandas as pd
          import numpy as np
         import matplotlib.pyplot as plt
         %matplotlib inline
In [2]: dataset = pd.read_csv('C:\\Users\\Student\\Downloads\\petrol_consumption.csv')
In [3]: dataset.head()
Out[3]:
            Petrol_tax Average_income Paved_Highways Population_Driver_licence(%) Petrol_Consumption
          0
                  9.0
                                3571
                                                1976
                                                                         0.525
                                                                                            541
          1
                  9.0
                                4092
                                                1250
                                                                        0.572
                                                                                            524
                                3865
                  9.0
                                                1586
                                                                         0.580
                                                                                            561
                                4870
                                                2351
                                                                         0.529
                                4399
In [4]: X = dataset.drop('Petrol_Consumption', axis=1)
In [5]: y = dataset['Petrol_Consumption']
In [6]: from sklearn.model_selection import train_test_split
In [7]: X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=0)
In [8]: from sklearn.tree import DecisionTreeRegressor
In [9]: regressor = DecisionTreeRegressor()
In [10]: regressor.fit(X_train, y_train)
Out[10]: DecisionTreeRegressor(criterion='mse', max_depth=None, max_features=None,
                                max_leaf_nodes=None, min_impurity_decrease=0.0,
                                min_impurity_split=None, min_samples_leaf=1,
                                min_samples_split=2, min_weight_fraction_leaf=0.0,
                                presort=False, random_state=None, splitter='best')
In [11]: y_pred = regressor.predict(X_test)
In [12]: df=pd.DataFrame({'Actual':y_test, 'Predicted':y_pred})
In [13]: df
Out[13]:
             Actual Predicted
          29
                534
                       541.0
                410
                       414.0
          26
                577
                       574.0
          30
                571
                       554.0
          32
                577
                       631.0
          37
                704
                       644.0
          34
                487
                       628.0
          40
                587
                       649.0
           7
                467
                       414.0
          10
                580
                       510.0
```

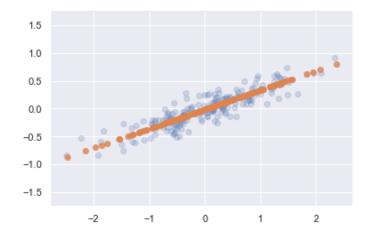
Aim: Practical of Principal Component Analysis.

```
In [3]: import numpy as np
          import matplotlib.pyplot as plt
          import seaborn as sns; sns.set()
 In [4]: rng = np.random.RandomState(1)
          X = \text{np.dot(rng.rand(2, 2), rng.randn(2, 200)).T}
          plt.scatter(X[:, 0], X[:, 1])
plt.axis('equal');
            1.5
            1.0
            0.5
            0.0
           -0.5
           -1.0
           -1.5
 In [5]: from sklearn.decomposition import PCA
          pca = PCA(n_components=2)
          pca.fit(X)
 Out[5]: PCA(copy=True, iterated_power='auto', n_components=2, random_state=None,
              svd solver='auto', tol=0.0, whiten=False)
 In [7]: print(pca.explained_variance_)
          [0.7625315 0.0184779]
In [11]: def draw_vector(v0, v1, ax=None):
              ax = ax or plt.gca()
              arrowprops=dict(arrowstyle='->', linewidth=2, shrinkA=0, shrinkB=0)
              ax.annotate('', v1, v0, arrowprops=arrowprops)
          # plot data
          plt.scatter(X[:, 0], X[:, 1], alpha=0.2)
          for length, vector in zip(pca.explained_variance_, pca.components_):
              v = vector * 3 * np.sqrt(length)
              draw_vector(pca.mean_, pca.mean_ + v)
          plt.axis('equal');
           1.5
           10
           0.0
           -0.5
           -1.0
           -1.5
                                                        2
```

```
In [12]: pca = PCA(n_components=1)
    pca.fit(X)
    X_pca = pca.transform(X)
    print("original shape: ", X.shape)
    print("transformed shape:", X_pca.shape)
```

original shape: (200, 2) transformed shape: (200, 1)

In [13]: X_new = pca.inverse_transform(X_pca)
 plt.scatter(X[:, 0], X[:, 1], alpha=0.2)
 plt.scatter(X_new[:, 0], X_new[:, 1], alpha=0.8)
 plt.axis('equal');



Aim: Practical of K-Nearest Neighbour.

```
In [1]: from sklearn.cluster import KMeans
                 import matplotlib.pyplot as plt
       In [2]: shu11 = ["Dhoni","Dubey"]
    rish11= ["Kohli","Pandya"]
    dip11 = ["Rishabh","Rohit"]
       In [3]: s11=[[50.58,87.56],[9,150]]
    r11=[[60.02,93.82],[29.91,115.50]]
    d11=[[97.27,98.04],[48.46,88.44]]
       In [4]: common11=[]
                 for i in s11:
                    common11.append(i)
                 for j in r11:
                    common11.append(j)
                 for k in d11:
                     common11.append(k)
       In [5]: common11
       Out[5]: [[50.58, 87.56],
                  [9, 150],
[60.02, 93.82],
[29.91, 115.5],
[97.27, 98.04],
                  [48.46, 88.44]]
       In [6]: common_name11=[]
                 for i in shull:
                    common_name11.append(i)
                 for j in rish11:
                    common_name11.append(j)
In [7]: common_name11
Out[7]: ['Dhoni', 'Dubey', 'Kohli', 'Pandya', 'Rishabh', 'Rohit']
In [8]: model=KMeans(n_clusters=3)
In [9]: model.fit(common11)
Out[9]: KMeans(algorithm='auto', copy_x=True, init='k-means++', max_iter=300,
                    n_clusters=3, n_init=10, n_jobs=None, precompute_distances='auto',
                    random_state=None, tol=0.0001, verbose=0)
In [10]: counter=0
            for i in common11:
                plt.scatter(i[0],i[1])
                plt.text(i[0],i[1],common_name11[counter] + " " + str(counter+1) + " Group: " + str(model.labels_[counter]))
                   Dubey 2 Group: 1
            150
            140
            130
            120
                               Pandya 4 Group: 1
            110
            100
                                                                    Rishabh 5 Group: 2
                                               Kohli 3 Group: 0
              90
                                         Rohitnin ⊊rohnun∂. o
                                                          80
                                                                     100
```

Aim: Practical of Clustering using KMeans.

```
In [1]: import pandas as pd
 In [2]: from sklearn.cluster import KMeans
 In [3]: from sklearn.linear_model import LinearRegression
          import matplotlib.pyplot as plt
 In [4]:
 In [5]: import numpy as np
 In [6]: x=[[200,170,10000],[80,80,4500],[87,12,233],[80,60,8000],[40,11,300],[47,40,6500]]
 In [7]: y=[[200,170,10000],[80,80,4500],[87,12,233],[80,60,8000],[40,11,300],[47,40,6500]]
 In [8]: for i in x:
              plt.scatter(i[0],i[1],i[2])
              plt.text(i[0],i[1],"point")
          175
          150
          125
          100
           75
                            point
           50
           25
                            point
                                    125
                               100
In [9]: num_clusters=3
         model = KMeans
In [10]: regression_model = LinearRegression()
In [11]: regression_model.fit(x,y)
Out[11]: LinearRegression(copy_X=True, fit_intercept=True, n_jobs=None, normalize=False)
In [12]: model = KMeans(n_clusters=3)
In [13]: model.fit(x)
Out[13]: KMeans(algorithm='auto', copy_x=True, init='k-means++', max_iter=300,
                n_clusters=3, n_init=10, n_jobs=None, precompute_distances='auto',
                random_state=None, tol=0.0001, verbose=0)
In [14]: model.labels_
Out[14]: array([1, 2, 0, 1, 0, 2])
```

```
In [15]: counter=0
          for i in x:
              plt.scatter(i[0],i[1],i[2])
              plt.text(i[0],i[1],model.labels_[counter])
              counter += 1
          175
          150
          125
          100
           75
            50
           25
               25
                     50
                                      125
                                           150
                                                 175
                                                       200
                                100
In [16]: def getStringFromList(lst):
              result="
              for i in 1st:
                  result = result + str(i)+","
              return result[0:len(result)-1]
In [17]: for i in range(len(x)):
              print("Element " + getStringFromList(x[i]) + " belongs to the group " + str(model.labels_[i]))
         Element 200,170,10000 belongs to the group 1 \,
         Element 80,80,4500 belongs to the group 2
         Element 87,12,233 belongs to the group 0
         Element 80,60,8000 belongs to the group 1
```

Element 40,11,300 belongs to the group 0 Element 47,40,6500 belongs to the group 2

Aim: Practical of Hypothesis Testing.

```
In [1]: from scipy.stats import ttest_rel #t_test testing
In [2]: d1 = [0.873, 2.817, 0.121, -0.945, -0.055, -1.436, 0.360, -1.478, -1.637, -1.869]
        d2 = [1.142, -0.432, -0.938, -0.729, -0.846, -0.157, 0.500, 1.183, -1.075, -0.169]
        stat, p = ttest_rel(d1, d2)
        print('stat=%.3f, p=%.3f' % (stat, p))
        stat=-0.334, p=0.746
In [3]: if p > 0.05:
           print('Probably the same distribution')
           print('Probably different distributions')
        Probably the same distribution
In [4]: from scipy.stats import chi2 contingency #chisquare testing
In [5]: table = [[10, 20, 30],[6, 9, 17]]
        stat, p, dof, expected = chi2_contingency(table)
        print('stat=%.3f, p=%.3f' % (stat, p))
        stat=0.272, p=0.873
In [6]: if p > 0.05:
           print('Probably independent')
        else:
            print('Probably dependent')
        Probably independent
```

Aim: Practical of Time series forecasting.

```
In [2]: import pandas as pd
          import numpy as np
          import matplotlib.pyplot as plt
          %matplotlib inline
 In [3]: dataset= pd.read_csv('C:\\Users\\Student\\OneDrive\\DS\\AirPassengers.csv')
 In [4]: print(dataset.head())
         print(dataset.dtypes)
              Month #Passengers
          0 1949-01
                       112
          1 1949-02
                            132
129
121
          2 1949-03
          3 1949-04
          4 1949-05
          Month object
#Passengers int64
          dtype: object
 In [7]: from datetime import datetime
    con= dataset['Month']
          dataset['Month']=pd.to_datetime(dataset['Month'])
          dataset.set_index('Month',inplace=True)
          dataset.index
 ...
'1960-03-01', '1960-04-01', '1960-05-01', '1960-06-01',
'1960-07-01', '1960-08-01', '1960-09-01', '1960-10-01',
'1960-11-01', '1960-12-01'],
                        dtype='datetime64[ns]', name='Month', length=144, freq=None)
 In [8]: ts=dataset['#Passengers']
 In [9]: ts.head(10)
 Out[9]: Month
         1949-01-01
         1949-02-01
                      118
         1949-03-01
                       132
         1949-04-01
         1949-05-01
                       121
         1949-06-01
                      135
         1949-07-01
                      148
         1949-08-01
                      148
         1949-09-01 136
                      119
         Name: #Passengers, dtype: int64
In [10]: ts['1949-01-01']
Out[10]: 112
In [11]: ts['1949-01-01':'1949-05-01']
Out[11]: Month
         1949-01-01
                      112
         1949-02-01 118
         1949-03-01
                      132
         1949-04-01 129
         1949-05-01
                      121
         Name: #Passengers, dtype: int64
```

Aim: Practical of Linear Regression.

```
In [1]: from sklearn.linear_model import LinearRegression
         import matplotlib.pyplot as plt
In [2]:
         model = LinearRegression()
In [3]: x1=[55,96,17,94,38,48,69]
         x=[[55],[96],[17],[94],[38],[48],[90]]
         y=[65,65,56,45,35,12,45]
In [4]: plt.scatter(x1,y)
Out[4]: <matplotlib.collections.PathCollection at 0x26a30b43e08>
          60
          50
          40
          30
          20
          10
               20
                     30
                                          70
                                                    90
                                               80
In [5]: model.fit(x,y)
Out[5]: LinearRegression(copy_X=True, fit_intercept=True, n_jobs=None, normalize=False)
In [6]: y_pred=[]
        for i in x1:
           y_pred.append(model.predict([[i]]))
In [7]: plt.scatter(x1,y)
        plt.plot(x1, y_pred)
Out[7]: [<matplotlib.lines.Line2D at 0x26a30f35848>]
         60
         50
         40
         30
         20
         10
                                      70
In [8]: model.predict([[45]])
Out[8]: array([43.89661534])
```

Aim: Practical of Logistic Regression.

```
In [1]: from sklearn.linear_model import LogisticRegression
In [2]: import matplotlib as plt
In [3]: model = LogisticRegression()
In [4]: x=[[60],[84],[25]]
    y=["average","smart","noob"]
In [5]: model.fit(x,y)
Out[5]: LogisticRegression(C=1.0, class_weight=None, dual=False, fit_intercept=True, intercept_scaling=1, l1_ratio=None, max_iter=100, multi_class='auto', n_jobs=None, penalty='l2', random_state=None, solver='lbfgs', tol=0.0001, verbose=0, warm_start=False)
In [6]: print(model.predict([[90]]))
    ['smart']
```