Your latest: 100% • Your highest: 100% • To pass you need at least 75%. We keep your highest score.

Next item →

1/1 point

- 1. Suppose that  $A=\{1,2,10\}$  and  $B=\{4,8,40\}$  . Which of the following formulae do *not* define a function f:A o B?
  - $\textcircled{ \ } f(1) = 5, f(2) = 8, \text{and} \, f(10) = 40.$
  - $\bigcap f(1) = 4, f(2) = 40, \text{ and } f(10) = 8.$
  - $\bigcirc \ f(1)=4, f(2)=4, \text{and} \ f(10)=4.$
  - $\bigcirc \ f(a)=4a,$  for each  $a\in A$
  - **⊘** Correct

A function f:A o B is a rule which assigns an element  $f(a)\in B$  to each  $a\in A.$  In this case, unfortunately,  $f(1) = 5 \notin B$ .

2. Suppose that  ${\cal A}$  contains every person in the VBS study (see the second video in the course if you're confused here!). Suppose that  $Y=\{+,-\}$  and  $Z=\{H,S\}$ 

1/1 point

Suppose that  $T:A \to Y$  is the function which gives T(a) = + if person a tests positive and T(a) = - if they test negative.

Suppose that D:A o Z is the function which gives D(a)=H does not actually have VBS and D(a)=S if the person actually has VBS.

Which of the following must be true of person  $\boldsymbol{a}$  if we have a false positive?

- $\bigcirc \ T(a) = + \operatorname{and} D(a) = S$
- $\bigcirc T(a) = -\operatorname{and} D(a) = S$
- $\textcircled{ } T(a) = + \operatorname{and} D(a) = H$
- $\bigcirc \ T(a) = -\operatorname{and} D(a) = H$

Recall that a false positive is a positive test result (so T(a)=+) which is misleading because the person actually does not have the disease ( D(a)=H)

3. Consider the function  $g:\mathbb{R} o\mathbb{R}$  defined by  $g(x)=x^2-1$  . Which of the following points are *not* on the graph of q?

1/1 point

- $\bigcirc$  (1,0)
- $\bigcirc (-1,0)$
- $\bigcirc$  (2, -1)
- $\bigcirc (0,-1)$

Recall that the graph of g consists of all points (x,y) such that y=g(x) . Here g(2)=3 
eq -1 , so the point (2,-1) is \emph{not} on the graph of g .

4. Let the point A=(2,4) . Which of the following graphs does  $\it not$  contain the point A?

1/1 point

- The graph of h(x) = x-1
- $\bigcirc$  The graph of g(x)=x+2
- $\bigcirc \ \ {\it The graph of} \ s(x)=x^2$
- $\bigcirc \ \ {\it The graph of} \ f(x)=2x$

 $\odot$  correct The graph of h consists of all points (x,y) such that y=h(x) . Here  $h(2)=1 \neq 4$  , so the point (x,y)(2,4) is  $\it not$  on the graph of h .

5. Suppose that h(x) = -3x + 4 . Which of the following statements is true?

1/1 point

- h is a strictly decreasing function
- $\bigcirc \ h$  is a strictly increasing function
- $\bigcirc \ \ h$  is neither a strictly increasing function nor a strictly decreasing function.
- All statements are correct
- ⊘ Correct

A function h is called strictly decreasing if whenever a < b, then h(a) > h(b)

Since the graph of  $\hbar$  is a line with negative slope, this is in fact true!

6. Suppose that  $f:\mathbb{R} o\mathbb{R}$  is a strictly increasing function, with f(3)=15

1/1 point

Which of the following is a possible value for f(3.7)?

- $\bigcirc$  -3
- $\bigcirc$  3
- O 14.7

 $\odot$  correct  $\mbox{A function } f \mbox{ is called strictly increasing if whenever } a < b, \mbox{then } f(a) < f(b).$ 

Since f(3)=15 is given and 3<3.7, it must be that 15< f(3.7), and this answer satisfies that.