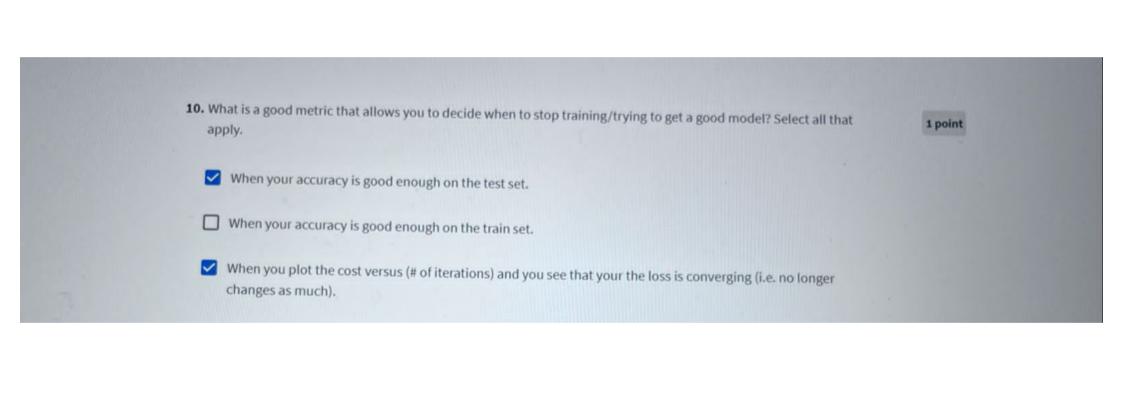
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- 1. When performing logistic regression on sentiment analysis, you represented each tweet as a vector of ones and zeros. However your model did not work well. Your training cost was reasonable, but your testing cost was just not acceptable. What could be a possible reason?
  - The vector representations are sparse and therefore it is much harder for your model to learn anything that could generalize well to the test set.
  - O You probably need to increase your vocabulary size because it seems like you have very little features.
  - O Logistic regression does not work for sentiment analysis, and therefore you should be looking at other models.
- O Sparse representations require a good amount of training time so you should train your model for longer



- Gradient descent allows us to learn the parameters  $\theta$  in logistic regression as to minimize the loss function J.
- Gradient descent allows us to learn the parameters heta in logistic regression as to maximize the loss function J.
- Gradient descent,  $grad\_theta$  allows us to update the parameters  $\theta$  by computing  $\theta = \theta \alpha * grad\_theta$
- Gradient descent,  $\mathit{grad\_theta}$  allows us to update the parameters  $\theta$  by computing  $\theta=\theta+\alpha*\mathit{grad\_theta}$

7. When training logistic regression, you have to perform the following operations in the desired order.

1 point

- O Initialize parameters, get gradient, classify/predict, update, get loss, repeat
- O Initialize parameters, classify/predict, get gradient, update, get loss, repeat
- O Initialize parameters, get gradient, update, classify/predict, get loss, repeat
- O Initialize parameters, get gradient, update, get loss, classify/predict, repeat
- 8. Assuming we got the classification correct, where  $y^{(i)}=1$  for some specific example i. This means that  $h(x^{(i)},\theta)>0.5$ . Which of the following has to hold:

1 point

- Our prediction,  $h(x^{(i)}, \theta)$  for this specific training example is exactly equal to its corresponding label  $y^{(i)}$ .
- Our prediction,  $h(x^{(i)}, \theta)$  for this specific training example is less than  $(1-y^{(i)})$ .
- Our prediction,  $h(x^{(i)}, \theta)$  for this specific training example is less than  $(1 h(x^{(i)}, \theta))$ .
- igorupOur prediction,  $h(x^{(i)}, heta)$  for this specific training example is greater than  $(1 h(x^{(i)}, heta))$ .

**5.** For what value of  $heta^T x$  in the sigmoid function does  $h(x^{(i)}, heta) = 0.5$ .

1 point

0

6. Select all that apply. When performing logistic regression for sentiment analysis using the method taught in this week's lecture, you have to:

1 point

- Performing data processing.
- Create a dictionary that maps the word and the class that word is found in to the number of times that word is found in the class.
- Create a dictionary that maps the word and the class that word is found in to see if that word shows up in the class.
- For each tweet, you have to create a **positive feature** with the sum of positive counts of each word in that tweet. You also have to create a **negative feature** with the sum of negative counts of each word in that tweet.

- **4.** The cost function for logistic regression is defined as  $J(\theta) = -\frac{1}{m} \sum_{i=1}^{m} \left[ y^{(i)} \log h\left(x^{(i)}, \theta\right) + \left(1 y^{(i)}\right) \log \left(1 h\left(x^{(i)}, \theta\right)\right) \right].$  Which of the following is true about the cost function above. Mark all the correct ones.
  - When  $y^{(i)}=1$ , as  $h(x^{(i)},\theta)$  goes close to 0, the cost function approaches  $\infty$ .
  - When  $y^{(i)}$  1, as  $h(x^{(i)}, \theta)$  goes close to 0, the cost function approaches 0.
  - When  $y^{(i)}=0$ , as  $h(x^{(i)}, \theta)$  goes close to 0, the cost function approaches 0.
- $\square$  When  $y^{(i)}=0$ , as  $h(x^{(i)}, heta)$  goes close to 0, the cost function approaches  $\infty$ .

- 3. The sigmoid function is defined as  $h(x^{(i)}, \theta) = \frac{1}{1 + e^{-\theta T_x(i)}}$ . Which of the following is true.
  - O Large positive values of  $\theta^T x^{(i)}$  will make  $h(x^{(i)}, \theta)$  closer to 1 and large negative values of  $\theta^T x^{(i)}$  will make  $h(x^{(i)}, \theta)$  close to -1.
  - igorup Large positive values of  $heta^T x^{(i)}$  will make  $h(x^{(i)}, heta)$  closer to 1 and large negative values of  $heta^T x^{(i)}$  will make  $h(x^{(i)}, heta)$  close to 0.
- O Small positive values of  $\theta^T x^{(i)}$  will make  $h(x^{(i)}, \theta)$  closer to 1 and large positive values of  $\theta^T x^{(i)}$  will make  $h(x^{(i)}, \theta)$  close to 0.
- O Small positive values of  $\theta^T x^{(i)}$  will make  $h(x^{(i)}, \theta)$  closer to 0 and large negative values of  $\theta^T x^{(i)}$  will make  $h(x^{(i)}, \theta)$  close to -1.

