



ASSIGNMENT 2

Applied Econometrics and Time Series Analysis

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Assignment - 2

BUAN 6312.0W1

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P2.6

$$y = -240 + 8x$$

- a) slope of 8 tells us that when every thing else is held constant, one unit increase in temperature will cause the sale of soda to go up by 8 units.

the intercept of -240 says when the temperature is zero, the sale of soda would be -240 units which is ~~non-believable~~ unbelievable and make no sense so this value can be ignored.

b)

$$x = 80$$
$$y = -240 + 8 \times 80$$
$$y = 400$$

∴ 400 sodas will be sold

c)

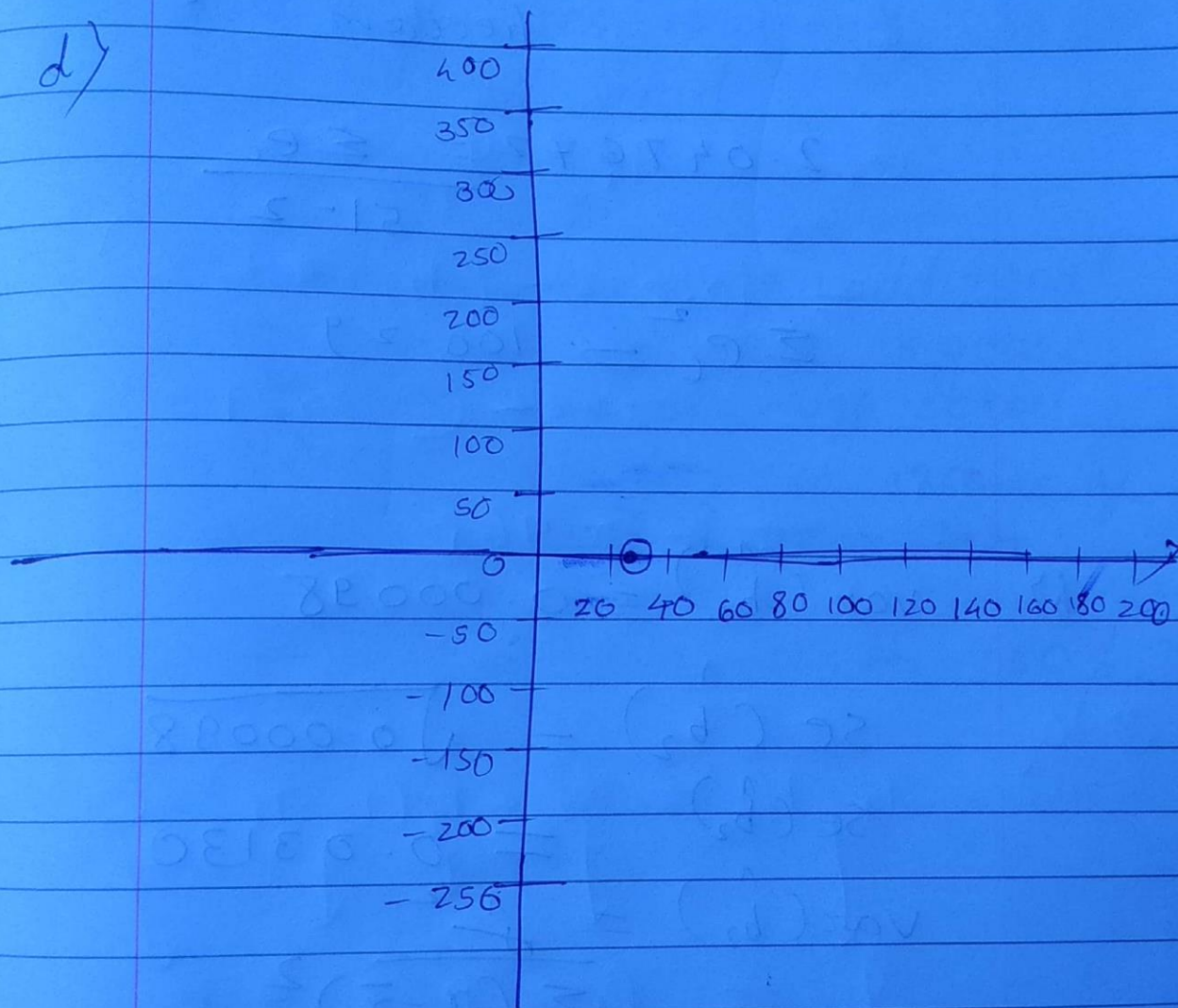
$$y = 0$$

$$0 = -240 + 8x$$

$$x = 30^\circ \text{F}$$

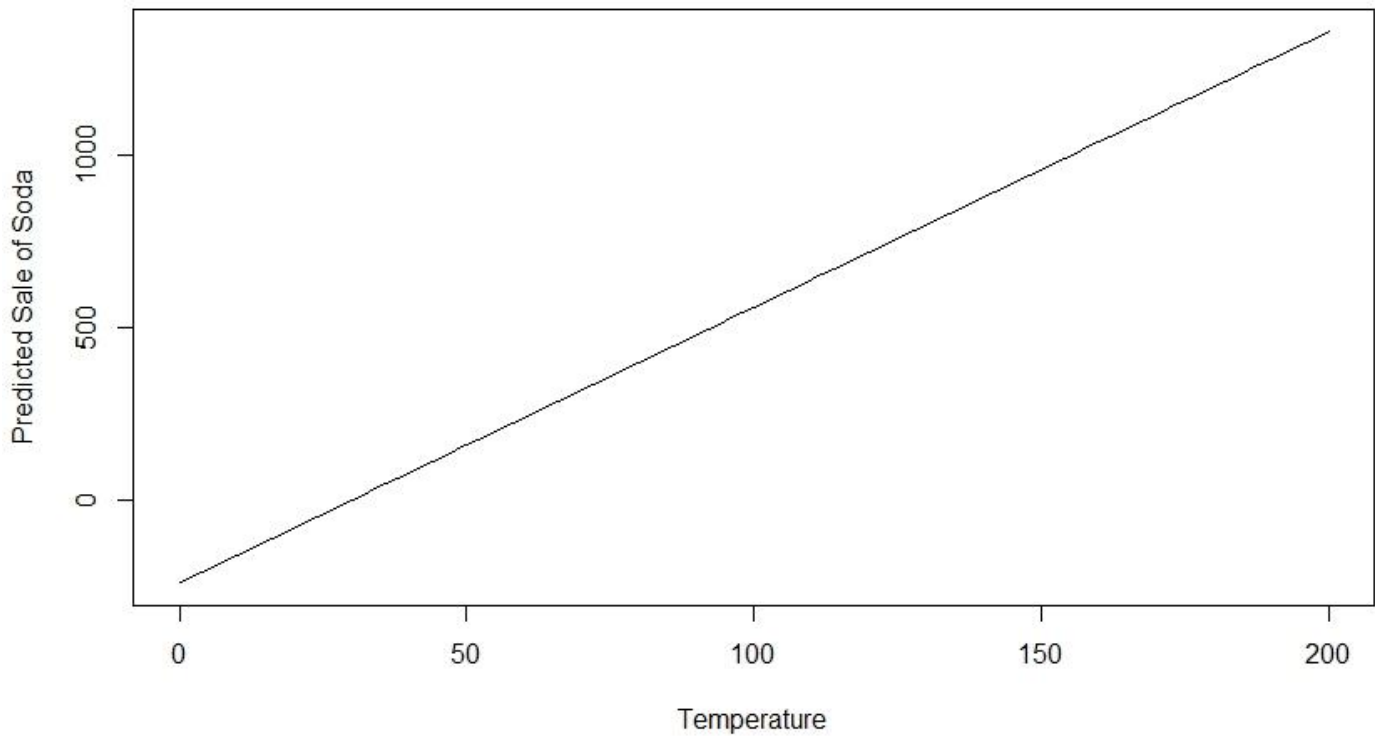
below 30°F sale is zero

d)



~~R~~st line is sketched using
R

Q 2.6 d



P 2.7

$$\frac{\hat{\sigma}^2}{\sigma^2} = 2.047672, N=51$$

a)

$$\frac{\hat{\sigma}^2}{\sigma^2} = \frac{\sum e_i^2}{N-2}$$

↳ T distribution
with $N-2$ degrees of
freedom

$$2.047672 = \frac{\sum e_i^2}{51-2}$$

$$\sum e_i^2 = 100.29$$

$$b) \text{ var}(\hat{b}_2) = 0.00098$$

$$\text{se}(\hat{b}_2) = \sqrt{0.00098}$$

$$\text{se}(\hat{b}_2) = 0.03130$$

$$\text{var}(\hat{b}_2) = \frac{\hat{\sigma}^2}{\sum (x_i - \bar{x})^2}$$

$$\therefore \sum (x_i - \bar{x})^2 = \frac{2.047672}{0.00098}$$

$$\frac{2.047672}{0.00098} = 2089.461$$

$$= 2088.489$$

Signature _____

c) $y_i =$ states mean income of males who are 18 year or older (in thousands of dollars)

$x_i =$ % of males 18+ years who are high school grad.

$b_2 = 0.18 x_i$ one unit
this means for every 1 additional increase in % of males 18 years or older who are high school graduate, states mean income of males who are 18 years or older will increase by 0.18 thousand of dollars or 180\$.

d) $\bar{x} = 69.139$ $\bar{y} = 15.187$

$\hat{y} = b_1 + b_2 x_i$

$15.187 = b_1 + 0.18 \times 69.139$

$b_1 = 2.742$

e) $\sum x_i^2 = \sum (x_i - \bar{x})^2 + N\bar{x}^2$
 $= \cancel{2089.461} + 51 \times (69.139)^2$
 $= 2088.5189$
 $= 245,878.75$

$$Q7 \quad y_i = 12.274$$

$$x_i = 58.3$$

$$b_1 = 2.742, b_2 = 0.18$$

$$\hat{e}_i = y_i - \hat{y}_i$$

$$\hat{e}_i = y_i - \hat{y}_i$$

$$= 12.274 - (b_1 + b_2 x_i)$$

$$= 12.274 - (2.742 + 0.18 \times 58.3)$$

$$\hat{e}_i = -0.962$$

Q.10

a)

$$r_j - r_f = \alpha_i + \beta_j (r_m - r_f) + e$$

$$\hat{y} = \beta_1 + \beta_2 x_i + e_i$$

$r_j - r_f$ can be dependent variable

$$\alpha_i = \beta_1$$

β_j = coefficient of independent variable

$r_m - r_f$ = independent variable

e_i = error

Q 10 b

R version 3.2.5 (2016-04-14) -- "Very, Very Secure Dishes"
Copyright (C) 2016 The R Foundation for Statistical Computing
Platform: x86_64-w64-mingw32/x64 (64-bit)

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'help.start()' for an HTML browser interface to help.
Type 'q()' to quit R.

```
> library(haven)
> capm4 <- read_dta("D:/Class Notes/Fall 17 Classes/ECON/Data_sets/capm4.dta")
> View(capm4)
> nrow(capm4)
[1] 132
> capm4$Disney_Y=capm4$dis - capm4$riskfree
> capm4$GE_Y=capm4$ge - capm4$riskfree
> capm4$GM_Y=capm4$gm - capm4$riskfree
> capm4$IBM_Y=capm4$ibm - capm4$riskfree
> capm4$MICROSOFT_Y=capm4$msft - capm4$riskfree
> capm4$EXXON_Y=capm4$xom - capm4$riskfree
> capm4$Risk_X=capm4$mkt - capm4$riskfree
> regDisney <- lm(Disney_Y ~ Risk_X)
Error in eval(expr, envir, enclos) : object 'Disney_Y' not found
> regDisney <- lm(Disney_Y ~ Risk_X, data = capm4)
> summary(regDisney)
```

```
Call:
lm(formula = Disney_Y ~ Risk_X, data = capm4)
```

```
Residuals:
    Min       1Q   Median       3Q      Max
-0.182443 -0.028738 -0.007054  0.027853  0.276871
```

```
Coefficients:
            Estimate Std. Error t value Pr(>|t|)
(Intercept) -0.00366    0.00694  -0.527   0.599
Risk_X       0.91460    0.12015   7.612 4.87e-12 ***
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

```
Residual standard error: 0.06848 on 130 degrees of freedom
Multiple R-squared:  0.3083,    Adjusted R-squared:  0.303
F-statistic: 57.94 on 1 and 130 DF,  p-value: 4.866e-12
```

```
> regGE <- lm(GE_Y ~ Risk_X, data = capm4)
> summary(regGE)
```

```
Call:
lm(formula = GE_Y ~ Risk_X, data = capm4)
```

```
Residuals:
    Min       1Q   Median       3Q      Max
-0.156837 -0.036767 -0.004774  0.034106  0.181055
```


Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	-0.005324	0.005518	-0.965	0.336
Risk_X	0.858974	0.095525	8.992	2.48e-15 ***

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 0.05444 on 130 degrees of freedom

Multiple R-squared: 0.3835, Adjusted R-squared: 0.3787

F-statistic: 80.86 on 1 and 130 DF, p-value: 2.477e-15

```
> regGM <- lm(GM_Y ~ Risk_X, data = capm4)
> summary(regGM)
```

Call:

```
lm(formula = GM_Y ~ Risk_X, data = capm4)
```

Residuals:

Min	1Q	Median	3Q	Max
-0.40666	-0.06120	-0.00273	0.06278	0.29125

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	-0.007248	0.011393	-0.636	0.526
Risk_X	1.146838	0.197242	5.814	4.46e-08 ***

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 0.1124 on 130 degrees of freedom

Multiple R-squared: 0.2064, Adjusted R-squared: 0.2003

F-statistic: 33.81 on 1 and 130 DF, p-value: 4.464e-08

```
> regIBM <- lm(IBM_Y ~ Risk_X, data = capm4)
> summary(regIBM)
```

Call:

```
lm(formula = IBM_Y ~ Risk_X, data = capm4)
```

Residuals:

Min	1Q	Median	3Q	Max
-0.262998	-0.039921	-0.002788	0.038935	0.269202

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	0.010207	0.007114	1.435	0.154
Risk_X	1.148245	0.123152	9.324	3.83e-16 ***

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 0.07019 on 130 degrees of freedom

Multiple R-squared: 0.4007, Adjusted R-squared: 0.3961

F-statistic: 86.93 on 1 and 130 DF, p-value: 3.829e-16

```
> regMicrosoft <- lm(MICROSOFT_Y ~ Risk_X, data = capm4)
> summary(regMicrosoft)
```

Call:

```
lm(formula = MICROSOFT_Y ~ Risk_X, data = capm4)
```

Residuals:

Min	1Q	Median	3Q	Max
-0.26864	-0.05569	-0.00845	0.04261	0.35678

Coefficients:

```
      Estimate Std. Error t value Pr(>|t|)
(Intercept) 0.013737   0.009061   1.516   0.132
Risk_X      1.259919   0.156861   8.032 5.03e-13 ***
```

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 0.0894 on 130 degrees of freedom
Multiple R-squared: 0.3317, Adjusted R-squared: 0.3265
F-statistic: 64.51 on 1 and 130 DF, p-value: 5.034e-13

```
> regExxon <- lm(EXXON_Y ~ Risk_X, data = capm4)
> summary(regExxon)
```

Call:

```
lm(formula = EXXON_Y ~ Risk_X, data = capm4)
```

Residuals:

```
      Min       1Q   Median       3Q      Max
-0.127422 -0.032706 -0.002982  0.027316  0.216216
```

Coefficients:

```
      Estimate Std. Error t value Pr(>|t|)
(Intercept) -0.007966   0.005118  -1.556   0.122
Risk_X      0.461258   0.088607   5.206 7.35e-07 ***
```

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 0.0505 on 130 degrees of freedom
Multiple R-squared: 0.1725, Adjusted R-squared: 0.1661
F-statistic: 27.1 on 1 and 130 DF, p-value: 7.349e-07

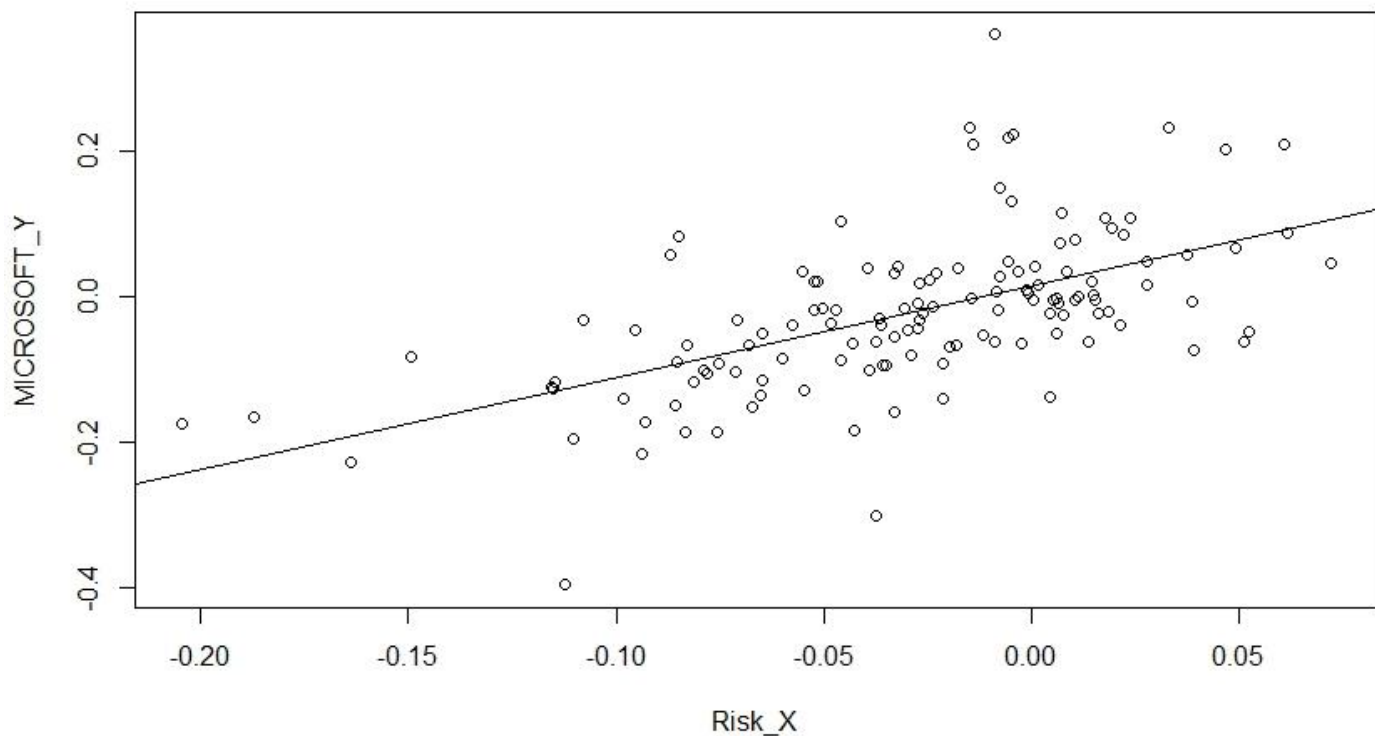
Microsoft appears to be most aggressive with Beta 2 of 1.2599 and Exxon appears to be most defensive with Beta 2 of 0.4612.

Q 10. C

Company	Alpha
Disney	-0.0036
GE	-0.0053
GM	-0.0072
IBM	0.0102
Microsoft	0.0137
Exxon	-0.0079

As all the alpha values are almost equal to zero, we can say that it is consistent with Finance Theory.

```
plot (MICROSOFT_Y ~ Risk_X, data = capm4)
> abline(regMicrosoft)
```



Q 10. D

```
> regDisney <- lm(Disney_Y ~ Risk_X -1, data = capm4)
> summary(regDisney)
```

```
Call:
lm(formula = Disney_Y ~ Risk_X - 1, data = capm4)
```

```
Residuals:
    Min       1Q   Median       3Q      Max
-0.18236 -0.03291 -0.01024  0.02550  0.27625
```

```
Coefficients:
            Estimate Std. Error t value Pr(>|t|)
Risk_X    0.9471      0.1029   9.204 7.15e-16 ***
```

```
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

```
Residual standard error: 0.06829 on 131 degrees of freedom
Multiple R-squared:  0.3927, Adjusted R-squared:  0.3881
F-statistic: 84.7 on 1 and 131 DF, p-value: 7.145e-16
```

```
> regGE <- lm(GE_Y ~ Risk_X -1, data = capm4)
> summary(regGE)
```

```
Call:
lm(formula = GE_Y ~ Risk_X - 1, data = capm4)
```

```
Residuals:
    Min       1Q   Median       3Q      Max
-0.163981 -0.042103 -0.008105  0.029787  0.180365
```

```
Coefficients:
            Estimate Std. Error t value Pr(>|t|)
```



```

Risk_X 0.90619    0.08202    11.05    <2e-16 ***
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 0.05443 on 131 degrees of freedom
Multiple R-squared:  0.4824, Adjusted R-squared:  0.4784
F-statistic: 122.1 on 1 and 131 DF, p-value: < 2.2e-16

> regGM <- lm(GM_Y ~ Risk_X -1, data = capm4)
> summary(regGM)

Call:
lm(formula = GM_Y ~ Risk_X - 1, data = capm4)

Residuals:
    Min       1Q   Median       3Q      Max
-0.41527 -0.06368 -0.00793  0.05847  0.28786

Coefficients:
            Estimate Std. Error t value Pr(>|t|)
Risk_X    1.211      0.169    7.166 5.03e-11 ***
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 0.1122 on 131 degrees of freedom
Multiple R-squared:  0.2816, Adjusted R-squared:  0.2761
F-statistic: 51.35 on 1 and 131 DF, p-value: 5.026e-11

> regIBM <- lm(IBM_Y ~ Risk_X - 1, data = capm4)
> summary(regIBM)

Call:
lm(formula = IBM_Y ~ Risk_X - 1, data = capm4)

Residuals:
    Min       1Q   Median       3Q      Max
-0.251126 -0.030083  0.003168  0.046038  0.278618

Coefficients:
            Estimate Std. Error t value Pr(>|t|)
Risk_X    1.0577      0.1062    9.961  <2e-16 ***
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 0.07047 on 131 degrees of freedom
Multiple R-squared:  0.431, Adjusted R-squared:  0.4266
F-statistic: 99.21 on 1 and 131 DF, p-value: < 2.2e-16

> regMicrosoft <- lm(MICROSOFT_Y ~ Risk_X -1, data = capm4)
> summary(regMicrosoft)

Call:
lm(formula = MICROSOFT_Y ~ Risk_X - 1, data = capm4)

Residuals:
    Min       1Q   Median       3Q      Max
-0.26857 -0.04153  0.00489  0.05142  0.36945

Coefficients:
            Estimate Std. Error t value Pr(>|t|)
Risk_X    1.1381      0.1354    8.407 6.18e-14 ***
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 0.08984 on 131 degrees of freedom
Multiple R-squared:  0.3504, Adjusted R-squared:  0.3455
F-statistic: 70.67 on 1 and 131 DF, p-value: 6.184e-14

> regExxon <- lm(EXXON_Y ~ Risk_X - 1, data = capm4)
> summary(regExxon)

```

```

Call:
lm(formula = EXXON_Y ~ Risk_X - 1, data = capm4)

Residuals:
    Min       1Q   Median       3Q      Max
-0.133878 -0.040743 -0.006133  0.019296  0.208411

Coefficients:
            Estimate Std. Error t value Pr(>|t|)
Risk_X  0.53191      0.07651   6.952 1.53e-10 ***
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 0.05077 on 131 degrees of freedom
Multiple R-squared:  0.2695, Adjusted R-squared:  0.2639
F-statistic: 48.33 on 1 and 131 DF, p-value: 1.531e-10

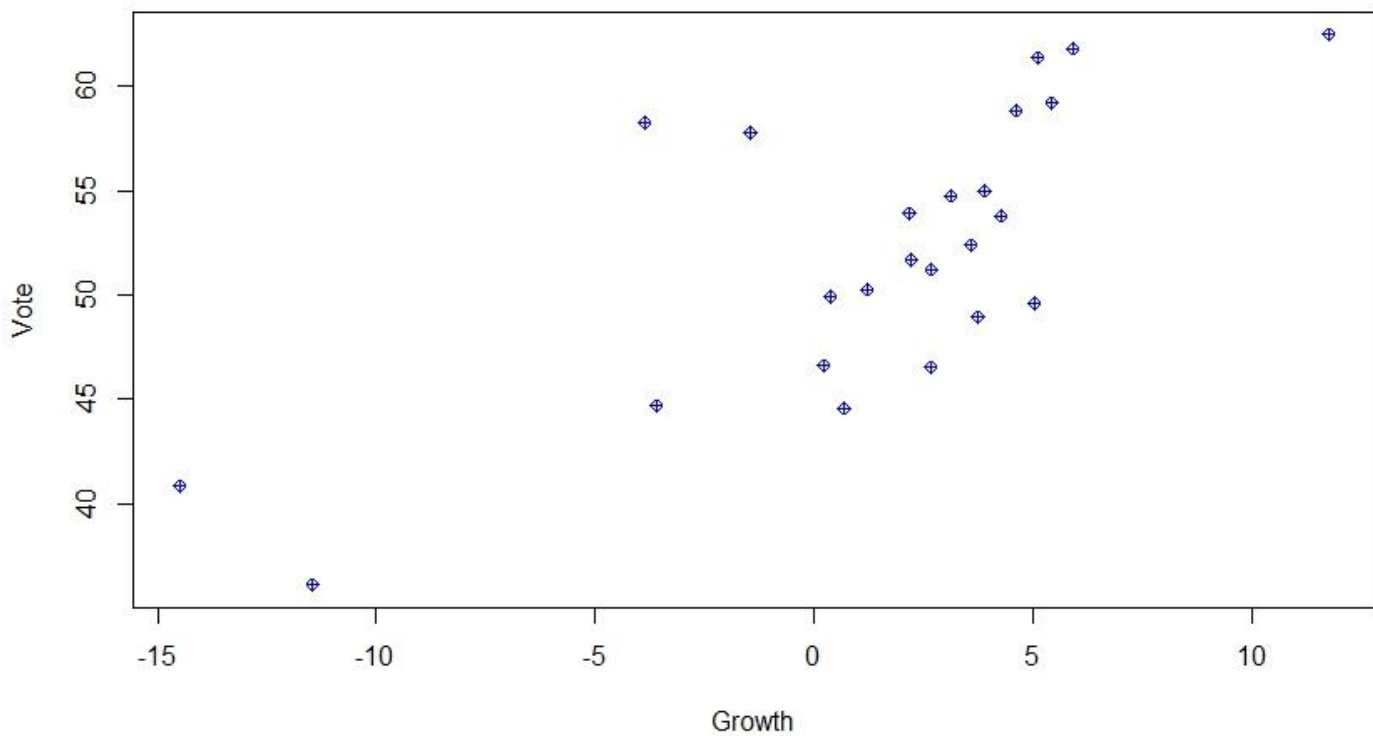
```

Company	Alpha != 0	Alpha = 0
Disney	0.91460	0.9471
GE	0.858974	0.90619
GM	1.146838	1.211
IBM	1.148245	1.0577
Microsoft	1.259919	1.1381
Exxon	0.461258	0.53191

As we can see, there is not much difference between the beta values. Exxon still remains the most defensive and GM goes to most aggressive instead of Microsoft.

Q14. A

There appear to be a positive relation between vote and growth.



Q14. b

```
> fit <- lm(vote ~ growth, data = fair4, fair4$year>1915)
> summary(fit)
```

Call:

```
lm(formula = vote ~ growth, data = fair4, subset = fair4$year >
1915)
```

Residuals:

Min	1Q	Median	3Q	Max
-6.866	-3.334	-1.003	3.004	10.826

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	50.8484	1.0125	50.218	< 2e-16 ***
growth	0.8859	0.1819	4.871	7.2e-05 ***

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

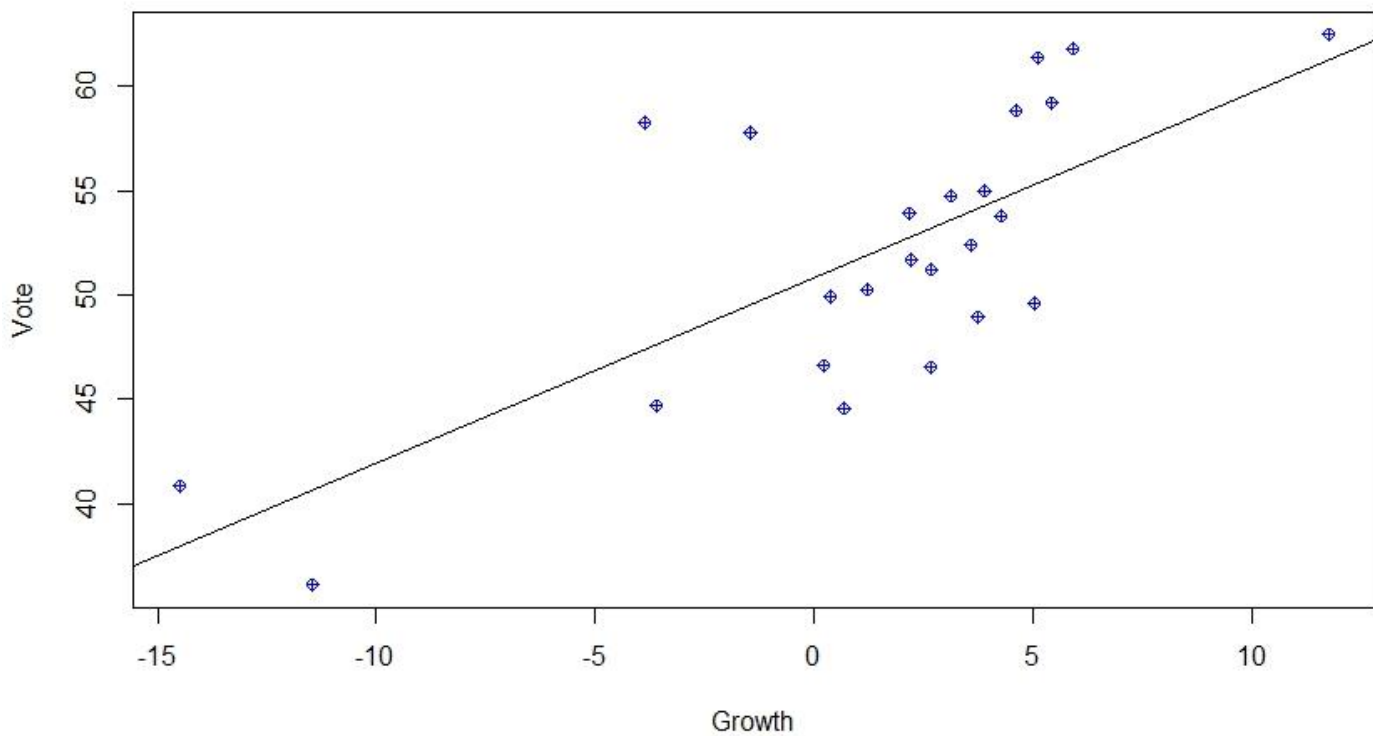
Residual standard error: 4.798 on 22 degrees of freedom

Multiple R-squared: 0.5189, Adjusted R-squared: 0.497

F-statistic: 23.73 on 1 and 22 DF, p-value: 7.199e-05

Estimated Vote = 50.8484 + 0.8859* Growth

The model can be interpreted as, when everything else is kept constant, every one percent additional increase in growth (GDP) will increase the vote share by 0.8859 of the incumbent party.



Q14 C

```
> fit <- lm(vote ~ growth, data = fair4, fair4$year>1915 & fair4$year<2008)
> summary(fit)
```

Call:

```
lm(formula = vote ~ growth, data = fair4, subset = fair4$year >
  1915 & fair4$year < 2008)
```

Residuals:

Min	1Q	Median	3Q	Max
-7.065	-2.690	-1.036	2.929	10.590

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	51.0533	1.0379	49.187	< 2e-16 ***
growth	0.8780	0.1825	4.811	9.39e-05 ***

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 4.81 on 21 degrees of freedom

Multiple R-squared: 0.5243, Adjusted R-squared: 0.5016

F-statistic: 23.14 on 1 and 21 DF, p-value: 9.387e-05

```
> fair4[fa4$year>2007, ]
```

A tibble: 1 × 9

	year	vote	party	person	duration	war	growth	inflation	goodnews
	<dbl>	<dbl>	<dbl>	<dbl>	<dbl>	<dbl>	<dbl>	<dbl>	<dbl>
1	2008	46.6	-1	0	1	0	0.22	2.88	3

Growth in 2008 = 0.22

Estimating the model

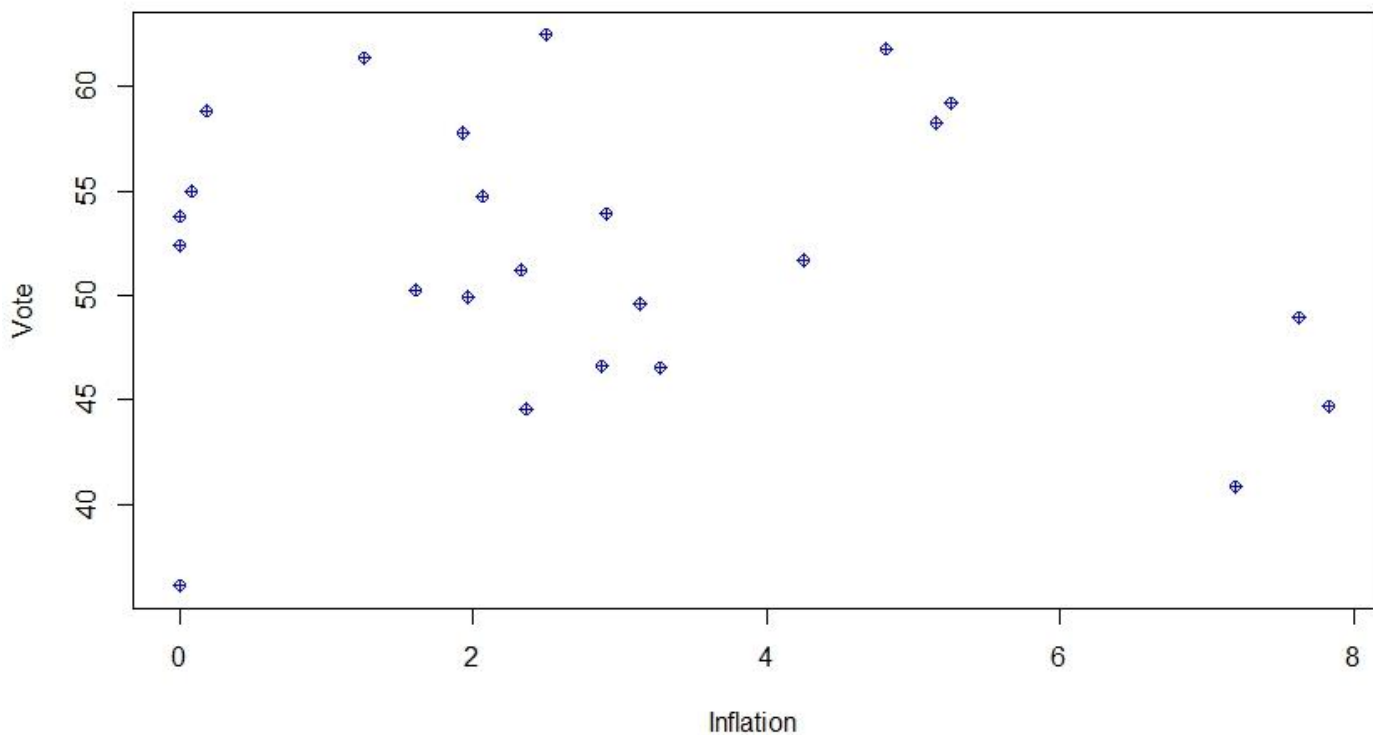
Predicted Vote Share = $51.0533 + 0.8780 \cdot \text{Growth}$

Predicted Vote Share = 51.2464

Actual Vote Share = 46.6

As we can see there is a significant difference in predicted vote share and actual vote share. We can say that our model did not predict the vote share correctly.

Q14 D



```
> fit <- lm(vote ~ inflation, data = fair4, fair4$year>1915)
> summary(fit)
```

Call:

```
lm(formula = vote ~ inflation, data = fair4, subset = fair4$year >
    1915)
```

Residuals:

Min	1Q	Median	3Q	Max
-17.2887	-3.2734	-0.4371	5.2854	10.5206

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	53.4077	2.2500	23.737	<2e-16 ***
inflation	-0.4443	0.5999	-0.741	0.467

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 6.833 on 22 degrees of freedom
Multiple R-squared: 0.02433, Adjusted R-squared: -0.02002
F-statistic: 0.5485 on 1 and 22 DF, p-value: 0.4668

Predicted vote share = $53.4077 - 0.4443 \times \text{inflation}$

We can say that there is a negative correlation in inflation and vote share.

The model can be interpreted as, when everything else is constant, for every 1 percent increase in inflation during administration's first 15 quarters the vote share will decrease by 0.4443%.

We can say that lower the inflation, there is a larger possibility of the party winning the election.