

A is n by n

Nonsingular

A is invertible

The columns are independent

The rows are independent

The determinant is not zero

$Ax = 0$ has one solution $x = 0$

$Ax = b$ has one solution $x = A^{-1}b$

A has n (nonzero) pivots

A has full rank $r = n$

The reduced row echelon form is $R = I$

The column space is all of

The row space is all of

All eigenvalues are nonzero

Is symmetric positive definite

A has n (positive) singular values

Singular

A is not invertible

The columns are dependent

The rows are dependent

The determinant is zero

$Ax = 0$ has infinitely many solutions

$Ax = b$ has no solution or infinitely many

A has $r < n$ pivots

A has rank $r < n$

R has at least one zero row

The column space has dimension $r < n$

The row space has dimension $r < n$

Zero is an eigenvalue of A .

is only semidefinite

A has $r < n$ singular values