int Antice value  $f(x) = x^3 \implies f'(x) = 3x^2$ f(x)=(c)=0 f'(x)=f(x) differential Integrand Antiderivative

Integrand kdx = kx+C | kfande = k Sfandr [fan+gas] dx = ffx 1 dx + fgx dx  $\int x^n dx = -\frac{x^{n+1}}{n+1} + C$ n =-11  $\frac{dx}{dx} = \int x^{-2} dx$ (x)=-/ = X -2+1 + C 1 + 2 dx = -1 =- x + C  $=-\frac{1}{x}+C$ 

$$\int_{3}^{3} x \, dx = \int_{3}^{4} x^{3} dx$$

$$= \frac{3}{4} x^{4} + C$$

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$$= \frac{3}{4} x^{4} + C$$

$$=$$

Sinaxde: - d Cosax+C.

$$\int x^{2}dx = \frac{x^{4+1}}{n+1} + C$$

$$\int e^{ax}dx = \int \frac{dx}{x}$$

$$= \ln |x| + C$$

$$\int e^{ax}dx = \int \frac{dx}{a} + C$$

$$\int \frac{dx}{\sqrt{a^{2}-x^{2}}} = \sin(\frac{x}{a}) + C$$

$$\int \frac{dx}{x^{2}+a^{2}} = \int \frac{dx}{a} + C$$

$$\int \frac{dx}{x^{2}-a^{2}} + C$$

$$\frac{dx}{16x^{2}+1} = \int \frac{dx}{16(x^{2}+\frac{1}{16})}$$

$$= \frac{1}{16} + \int \frac{dx}{4} + \int \frac$$

$$\frac{1}{|x|} \int \frac{x^{2}+1}{|x|} dx = \int (x^{2}+x^{-1}) dx$$

$$= \frac{2}{5}x^{2} + 2x^{2} + 2x^{2} + C$$

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$$= \frac{2}{$$

#23 (1+ tano) de = | rec20 do = tano ec/ Costo + 510 2 - Costo Coco- sino do = 5 mio do = Coszo do = / recools = famo + C/

#32 
$$\int (2e^{x} - 3e^{-2x}) dx = 2e^{x} + \frac{3}{2}e^{-2x} + \frac{6}{2}$$
#32 
$$\int (\frac{1}{x^{2}} - \frac{2}{x^{5/2}}) dx = -\frac{1}{x} - 2\int x^{-5/2} dx$$

$$= -\frac{1}{x} + \frac{4}{3}x^{-3/2} + C\int$$
#36 
$$\int \frac{12}{x} dx = \frac{1}{2} \ln |x| + C$$
#41 
$$\int \frac{1 + \tan \theta}{\sec \theta} d\theta = \int \frac{1 + \frac{\sin \theta}{\cos \theta}}{\frac{1}{\cos \theta}} d\theta$$

$$\int \frac{\cos \theta + \sin \theta}{\cos \theta} d\theta = \int (\cos \theta + \sin \theta) d\theta$$

$$= \sin \theta - \cos \theta + C\int$$
#42 
$$\int (4x^{3/2} + \sqrt{x^{5/2}}) dx = \int (x^{3/2} + x^{5/2}) dx$$

$$= \frac{4}{7}x^{-4/2} + \frac{2}{7}x^{-4/2} + C$$

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 $\int (5x^{-4/3} + 3x^{-2/3} + 2x^{-1/3}) dx$   $= -15x^{-1/3} + 9x^{-1/3} + 3x + C$ seco(seco + tano) do = [(seco + secotano) do = tano + seco & C 56 (costo\_sinto)do = ) (costo-sint) (costo+costo) do = (cos20 - sin2) do custo = 1 + custo sinto = (-single = ) ( = + = cos 20 - = + = cos 20) du = S costo do = 1 sen 20 + C/ 59 (corax corux - sin 2x sin 4x)dx = 1 cus (2x+ax) dx = J' cos 6x dx = { sin 6x + C |

$$\int (a \times 2x) \sin ax \, dx = \int \sin ax \, dx$$

$$= -\frac{1}{8} \cos ax + C$$

$$= -\frac{$$