2.4

$$\frac{149}{3^{2}} \quad y'' + 4y' + 4y = 4 - t \quad y(0) = -1 \quad y'(0) = 0$$

$$\frac{3^{2} + 43 + 4}{3^{2} = 0}$$

\$155 y"-49'-127 = sindt y(0) =0, y(10)=0 7-47-12=0 71,2=-2,6 1 = C, e-2+ C2 e6+ -124, = a cosset + 6 sine f -u) y'= -2asin2t +26 cos2t ya = - 4a cosst - 46 sinst Sinat wat -126 -18a -16a-8b=0 -16 b + 8a = 1 1 2a+b=0 -24a=1 8a-16b=1 $u = -\frac{1}{200}$ b = 1 J(+) = C1e + C2e - 1 cos 2+ + 1 swat 0 = (1+ (2 - 1) y'= -2 Cie+ 6 Cze6+ + 1 sinzh + 6 coszt 0 = -2C +6C2++) C1 + C2 = + = 4 4 4 C2 = 1/2 > C3 = d8 -2C, +6C2=6 9 = 1 - 1 = UF 4(4)=4 e-2+ 4 to e- to cos2++ 12 sin2+

$$y^{(3)} - 3y^{7} + 3y^{7} - y = 0$$

$$A^{3} - 3A^{2} + 3A - 1 = 0$$

$$(A - 1)^{3} = 0$$

$$A_{1,2,3} = 1$$

$$y(t) = (C_{1} + C_{2}t + C_{3}t^{2})e^{t}$$

$$\frac{y^{(3)} - 4y'' + y' + 6y = 0}{3^{3} - 4\lambda^{2} + \lambda + 6 = 0}$$

$$\frac{\lambda^{(3)} - 4\lambda^{2} + \lambda + 6 = 0}{3^{2} - 1 + 5 - 6}$$

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2.5 y 4 + 4 y = sin 2+ A + 4=0=3 A= ±2L y = C; cosst + Comst J_ = co>21, J_ = sin2t $W = \begin{vmatrix} \cos 2t & \sin 2t \end{vmatrix}$ $V_i = -\int \frac{\sin 2t}{2} dt$ = - 1 (1-cos 24) dt $= -\frac{1}{4}(t - \frac{1}{2}\sin 2t)$ $N_2 = \frac{1}{2} \left| \cos 2t \sin 2t \, dt \right|$ = is sinut dt =-1000 ut

y (t) = C, cos 2+ + C, sin 2+ + - 1 (+-1 sin 2) cro 2+ - 1 cos 4+ sin 2+.

$$f(t) = e^{-st}$$

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$$f(s) = \int_{0}^{\infty} e^{-st} dt$$

$$= \int_{0}^{\infty} e^{-(s-s)t} dt$$

$$= \int_{0}^{\infty} e^{-(s-a)t} dt$$

$$= -\frac{1}{s-a} e^{-(s-a)t}$$

$$= -\frac{1}{s-a} (e^{-s} - e^{o})$$

$$= -\frac{1}{s-a}$$

$$F(s) = \int_{0}^{\infty} te^{-st} dt$$

$$= \left(-\frac{t}{s} - \frac{1}{s^{2}}\right)e^{-st} \Big|_{0}^{\infty}$$

$$= -\left(-\frac{1}{s^{2}}\right)e^{-st}$$

$$= \frac{1}{s^{2}}$$

$$= \frac{1}{s^{2}}$$

$$f(t) = t$$

$$= \left(-\frac{t}{s} - \frac{1}{s^{2}}\right)e^{-st}$$

$$= \frac{1}{s^{2}}$$

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ft) = sinat) = $\int \sin at e^{-st} dt$ $\int \sin at e^{-st} dt$ $\int \sin at e^{-st} dt = (-\frac{1}{a} \cos at + \frac{s}{a^2} \sin at)e^{-st} + \frac{s^2}{a^2} e^{-st} \sin at$ F(5) = Sinate of 52+a2 sinate at = 1 (-acosat + ssinat) est Sinate of = -star (-acorat + s sinat)e-st/so = \frac{1}{5^2 + 6^2} (+ a = 0) = 32122 L / sinat } = - 1 frosat? = BZ + aZ